

LEGEND

Standard Gauge

S.E.R.

Standard Gauged  
(S.E.R. - P.R.C.C.)

Metro Gauge

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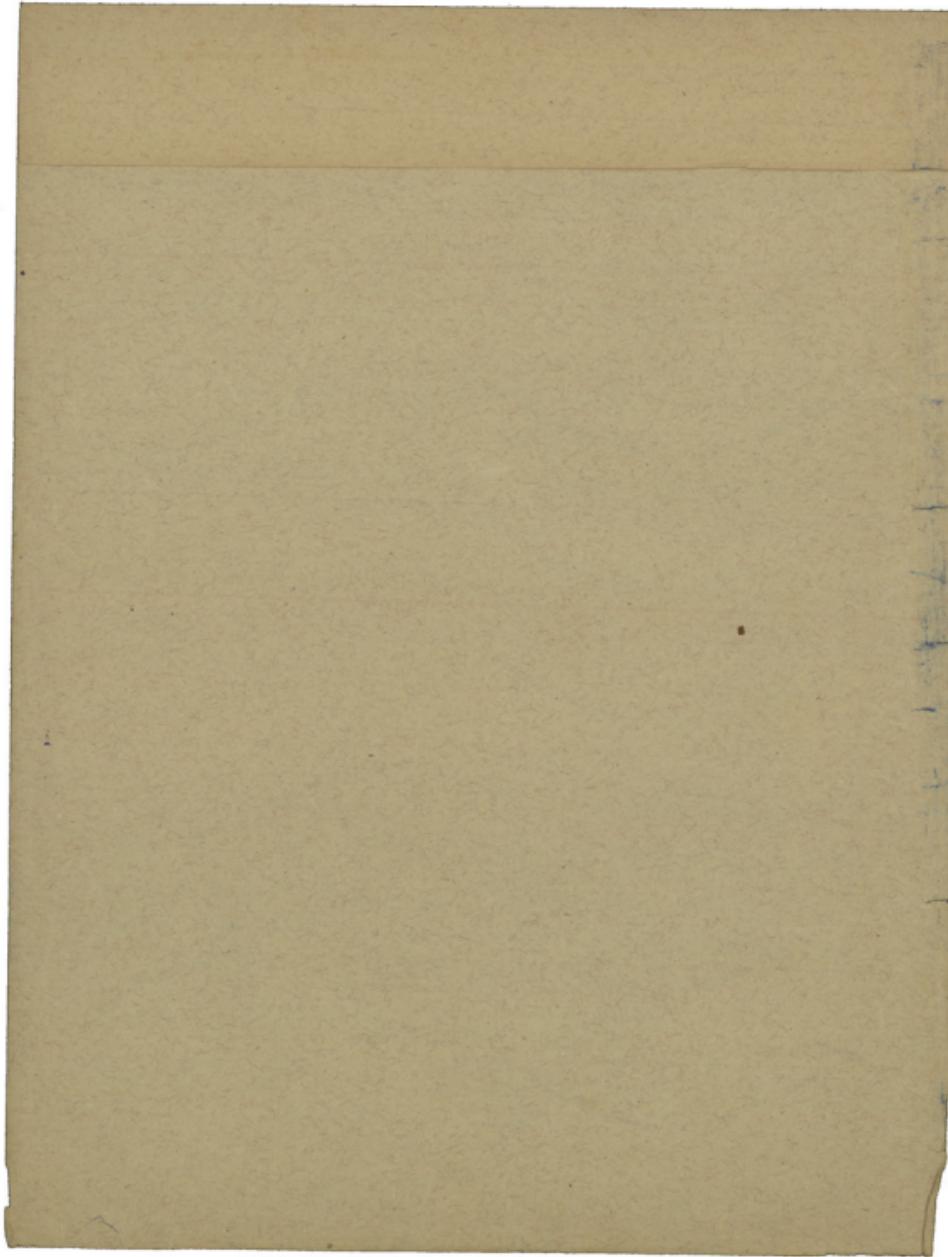
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Παθήματος του μηνός Δεκεμβρίου

3

- KE! 1 Έν τῷ Εσπερινῷ δόξαι θήκαι ~~πᾶς~~ <sup>φ</sup> N.A.K.  
2 Σπιρέρου γενάριοι εἰς παρθένους βίχοροι γουρή N.A.K.  
3 Eἰς τοὺς Αἴρους δόξαι διπλοῦν  
4 Eἰς τὸ Εξαρέλιας ήκος <sup>φ</sup> πᾶς διπλοῦν

- HCCT. 1 Έν τῷ Εσπερινῷ δόξαι θήκαι ~~πᾶς~~ <sup>φ</sup> πᾶς  
2 Eἰς τὸ Εξαρέλιας διπλοῦν

Τῇ Κυριακῇ μετὰ τὰ χροῖτον γέννητοι  
Eἰς τὸ σύκον καὶ νῦν

- 2 Eἰς τοὺς Αἴρους δόξαι διπλοῦν N. A. K.

- KA! Προτερότητοι θήκαι πᾶς πᾶς N. T. B.A.

CT. Aγίου Νικολάου

- 1 Έν τῷ Εσπερινῷ δόξαι "Ιερούχων τὰ μηλοῦν"  
N. A. K.  
2 Eἰς τὸ σύκον καὶ νῦν "Ανακρέοτε παρθένε,  
χρόνοις σύντομοις"  
3 Eἰς τοὺς Αἴρους δόξαι "Σελπίσσετε ἐν σαλπηρᾷ ἀστένε,

26 Ιουνίου 1961





Μαθηματικά μπνοί Σεπτεμβρίου N.A.K.

Δ! 1 Τῆς Ἁγίας Βαρβάρας Δόξα Σωτέρινού N.A.K.

Ε! 1 Τοῦ Ἑγίου Σεραφήμ<sup>τοῦ</sup> Δόξα εἰν τῷ Σωτέρινού N.A.K.  
διπλῶν

Ε! 1 "Οὐε πάτερ Νέοντεσσον"

Ε! 1 Σέβεται τοῦ ιησουστέρεον Δόξα Σωτέρινού θήκος εἴναι δι-

ΙΒ! 1 Ἀγίου Λουπρίσιωνος εἰν τῷ Σωτέρινῷ Δόξα θήκος εἴπει  
εἰς ιριπλούν

2 εἰς τοὺς Αἵρους δόξαν Τετραπλόου

ΙΕ! 1 Ιερομάρτυρος Ἐλευθερίου Εἰν τῷ Σωτέρινῷ δόξαν

2 " " " εἰς τοὺς Αἵρους δόξαν

Τῇ Κυριαιῇ Τῶν Προοπιζόνων

1 Εἰν τῷ Σωτέρινῷ δόξα N.A.K.

2 εἰς τὰ εὐχάριστα δόξα

3 εἰς τοὺς Αἵρους δόξαν θήκος εἴπει τὰ

1 Προτέρων ιεροῦ πατρούς ιησουστέρεον θήκος εἴναι δι-

Κυριαιῇ πρὸ τῆς χριζοῦ τεττήνος

1 Εἰν τῷ Σωτέρινῷ δόξα θήκος εἴπει τὰ

2 εἰς τοὺς Αἵρους δόξαν θήκος εἴπει τὰ

διπλῶν Τῶν νομισμάτων σεβαγμάτων δοκίμων

Μαθημάτα των μενών Δεκεμβρίου

- A! 1 Τῆς Ἁγίας Βαρβάρας δόξα Σοπερινού  
 2 Αἵρεως Βαστίου N.A.K.
- E! Τοῦ Ἁγίου Σεραφείου δόξα εἰς τὸν Εστέργητον
- E! "Οὐες πάτερ
- CT! Ἅγιου Νικολαίου
- 1 Εἰς τὴν Σοπερινήν δόξα  
 2 Εἰς τὸν Λευκὸν Ανόμυχον παρθένον χρόνος οὐδόνος  
 3 Εἰς τοὺς Αἵρεως δόμην Θεολογίαν Μητρόβουλον Ν.Τ.Β.
- IB! 1 Ἅγιου Γεωργίου τοῦ Καρταρίτη την Σοπερινήν δόξα τίχος φητικός  
 2 Εἰς τοὺς Αἵρεως δόξα
- TE! 1 Τερομάρτυρος Ἐγενδρίου  
 Εἰς τὴν Σοπερινήν δόξα  
 2 Εἰς τοὺς Αἵρεως δόξα
- Τῇ Κυριακῇ τῶν Προπηλαρίων
- 1 Εἰς τὴν Σοπερινήν δόξα  
 2 Εἰς τὸν Λευκὸν δόξα  
 3 Εἰς τοὺς Αἵρεως δόξα
- Τῇ Κυριακῇ τῶν Προπηλαρίων

Μαθήματα του μνήμονος Σειράθρου

Κυριακή πρό της Βροτού Γεννησών

1 Έν τῷ Εοπέρινῷ δόξῃ

2 Εἰς τοὺς Αἴνους δόξῃ

ΡΕΙ 1 Έν τῷ Εοπέρινῷ δόξῃ

2 Σημέρον γεννάται εἰς παρθένων

3 Εἰς τοὺς Αἴνους δόξῃ

4 Εἰς τὸ Ξαρπέλων

ΚΤ. 1 Η σύναψις τῆς Θεολογίας

Έν τῷ Εοπέρινῷ δόξῃ

3 Εἰς τοὺς Αἴνους δόξῃ

3 Εἰς τὸ Ξαρπέλων









Διευθύνση  
Αγίας Βαρβάρας  
Δομή Εσπεριδού

11  
A. P. D. 1950



624  
162  
291

301  
251  
10



Eis tas A'. Denegabix

Doga mi' Atias Babbaas

islegpibon

Noo Nangus A. Kiangas



N. A. K.



K.K.

În d. Deschisioru în Ayas Bapteas

Δοία ἐίριται Εσπερινῷ Ηκός πίσι τα

$$\frac{1}{\pi x} \left( -\frac{i e^x}{e^{2x}-1} + \frac{1}{2} \operatorname{arctan} \frac{e^x}{x} \right) = \frac{1}{\pi x} \operatorname{arctan} \frac{e^x}{x}$$

20.  $\frac{1}{\sqrt{2}} \left( \frac{\sqrt{3}}{2} - i \frac{1}{2} \right) = \frac{1}{2} \sqrt{3} - i \frac{1}{2}$   
 $\text{cis } 30^\circ$

1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32 33 34 35 36 37 38 39 40 41 42 43 44 45 46 47 48 49 50 51 52 53 54 55 56 57 58 59 60 61 62 63 64 65 66 67 68 69 70 71 72 73 74 75 76 77 78 79 80 81 82 83 84 85 86 87 88 89 90 91 92 93 94 95 96 97 98 99 100

$\frac{1}{n} \left( \frac{1}{n} \sum_{i=1}^n \frac{1}{x_i} \right) \geq \frac{1}{n} \left( \frac{1}{n} \sum_{i=1}^n \frac{1}{\sqrt{x_i}} \right) > \frac{1}{n} \left( \frac{1}{n} \sum_{i=1}^n \frac{1}{\sqrt{x_i}} \right) = \frac{1}{n} \left( \frac{1}{n} \sum_{i=1}^n \frac{1}{\sqrt{x_i}} \right)$



θεραπεία  
αυγού στην αγεράσια γέννηση της οικογένειας

μεταβολή στην αγεράσια γέννηση της οικογένειας

αγεράσια γένηση της οικογένειας μεταβολή στην αγεράσια γένηση της οικογένειας

αγεράσια γένηση της οικογένειας μεταβολή στην αγεράσια γένηση της οικογένειας

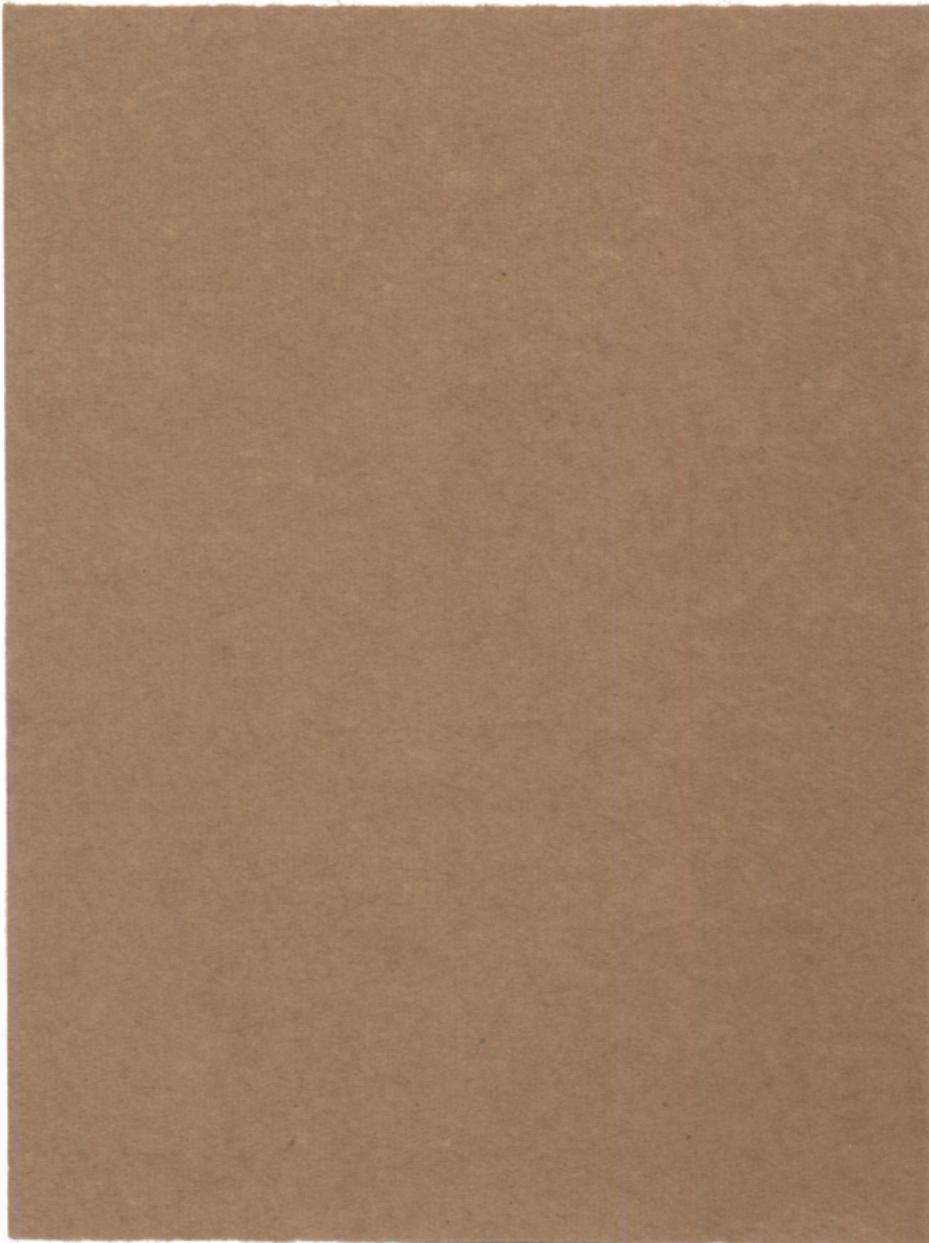
Αντέως Α. Καραράδος

18 Ιουλίου 1961

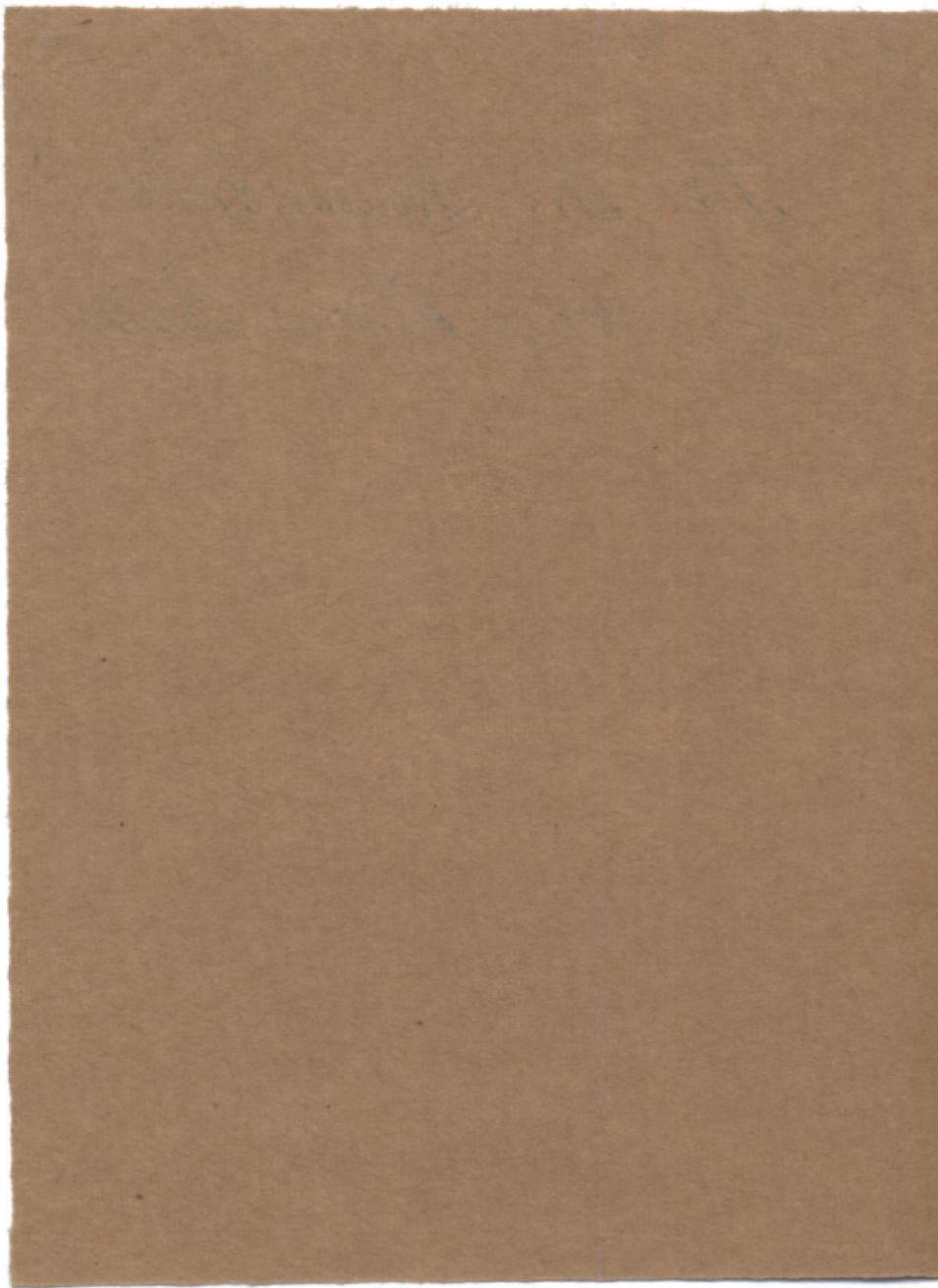
Μητόποστ Γ. Παπαχόπειρος



13



To Dr. Deutscher  
Ein Tausend Dank



Hexagonal π-allylbenzene (cyclohexadiene derivative) reacts with  $\text{Br}_2$  to form allylbenzene (cyclohexene derivative). The reaction is shown as follows:

↳  $\frac{1}{2} - \frac{1}{2} = 0$   $\frac{1}{2} + \frac{1}{2} = 1$   $\frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$   $\frac{1}{2} \div \frac{1}{2} = 1$   $\frac{1}{2}^2 = \frac{1}{4}$   $\frac{1}{2}^3 = \frac{1}{8}$   $\frac{1}{2}^4 = \frac{1}{16}$   $\dots$

VI 1 1 1 1 μη καταδικό o o poos ει ει σην ηη



$\frac{r}{\mu} = \frac{c}{v} \rightarrow \frac{r}{v} = \frac{c}{\mu}$   $c = \frac{r}{v} \mu$   $\frac{\partial c}{\partial v} = -\frac{r}{v^2} \mu$   $-c' = -\left(-\frac{r}{v}\right) \mu$   $c' = \frac{r}{v} \mu$

Tadaas se e e e e e e e e e e e e

$$\psi_{\mu x_1 \dots x_n} = \omega_{\mu \nu} \frac{\partial}{\partial x^\nu} \left( \frac{\partial \psi}{\partial x^1} \right) + \dots + \frac{\partial}{\partial x^\nu} \left( \frac{\partial \psi}{\partial x^n} \right)$$

Tauschpos.  $\theta = 0$  vor  $\vartheta = 1$  lineare GI:  $1 + 1 + 1 + 1 = 4$  GOUOUOU

Τονισμένως Βασιλεύ - Καμαράς



Who did you give up for Jesus?

Answered: "A

Δόξα θης αγ. Βαρθαραγ την οικου.

Διακεκρίσιον

B.N.K.

$\frac{1}{H} \times \cos \frac{\alpha}{\pi} = \frac{1}{r} - \frac{1}{c}$  :  $\frac{1}{r} > \frac{1}{c} > \frac{1}{l} > \frac{1}{d} > \frac{1}{\rho} > \frac{1}{\theta} > \frac{1}{\pi} > \frac{1}{v}$   
 A  $\exists$   $n$  TI  $\sin n \alpha$  :  $\sin \alpha \sin 2\alpha \dots \sin n\alpha$   $\pi \cos \alpha \dots v$

un m < ffecte a e gouv u yte e es bon ou ou pme bag

Basta a aveba a a que i i i i + mas

—  $\frac{d}{dx} \left( \frac{1}{x} \right) = -\frac{1}{x^2}$   $\frac{d}{dx} \left( \frac{1}{x^2} \right) = -\frac{2}{x^3}$   $\frac{d}{dx} \left( \frac{1}{x^3} \right) = -\frac{3}{x^4}$   $\frac{d}{dx} \left( \frac{1}{x^4} \right) = -\frac{4}{x^5}$   
...  $\frac{d}{dx} \left( \frac{1}{x^n} \right) = -\frac{n}{x^{n+1}}$

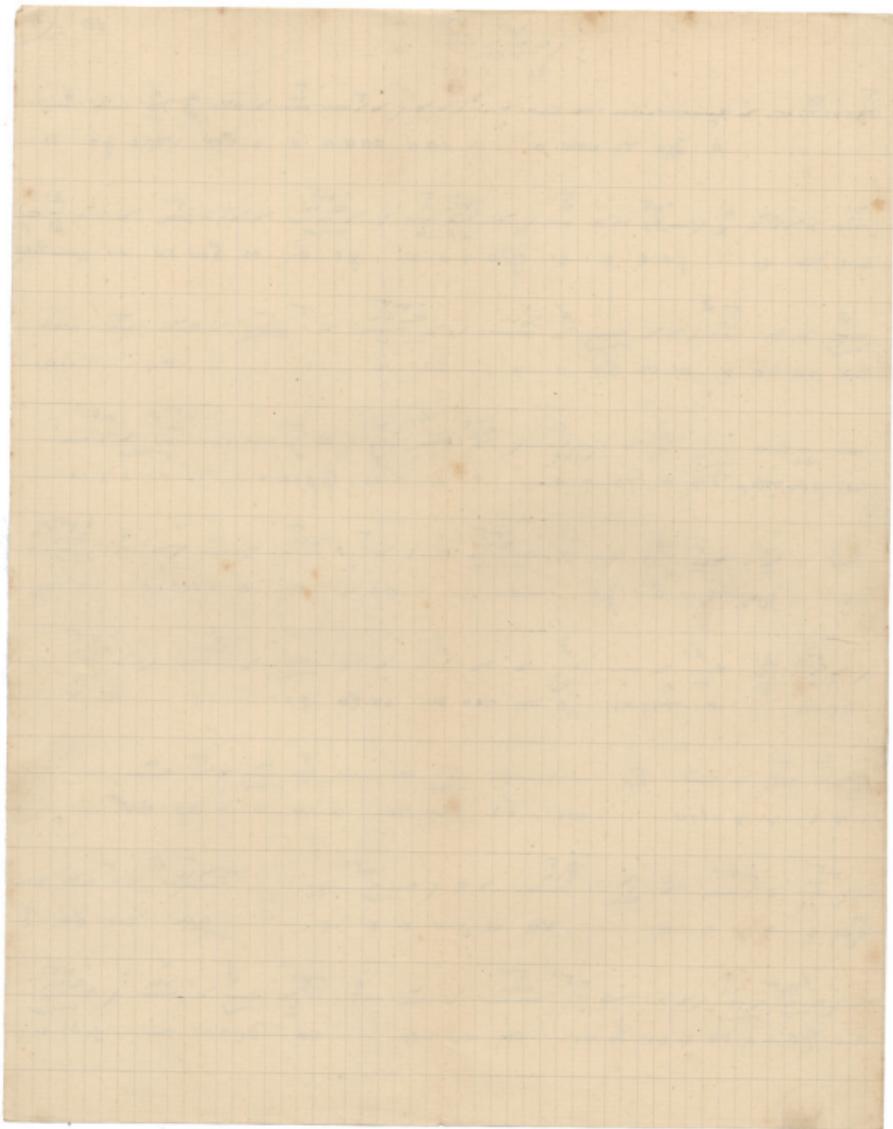
$$\frac{d}{dx} \left( \frac{1}{x} \right) = -\frac{1}{x^2} \quad x \neq 0$$

0.05 < x < 0.1 cm  $\Rightarrow$   $x \approx 0.075$

DEFS  $\frac{d}{dx}$   $\frac{d^2}{dx^2}$   $\frac{d^3}{dx^3}$   $\frac{d^4}{dx^4}$   $\frac{d^5}{dx^5}$   $\frac{d^6}{dx^6}$   $\frac{d^7}{dx^7}$   $\frac{d^8}{dx^8}$   $\frac{d^9}{dx^9}$   $\frac{d^{10}}{dx^{10}}$

$\frac{1}{2} \frac{1}{2} \frac{1}{2}$   
4 4 4 4 4 4 4 4 4 4 4 4 4 4 4

a tree + evergreen trees can be used as shade on south side.



$$\frac{d}{dx} \left( \frac{\ln x}{x^2} \right) = \frac{x^2 \cdot \frac{1}{x} - \ln x \cdot 2x}{x^4} = \frac{1 - 2\ln x}{x^3}$$

$$\frac{1}{2} \left( \frac{1}{2} - \frac{1}{2} \right) = 0$$

$$\frac{1}{c} \cdot \frac{1}{c} = \frac{1}{c^2}$$

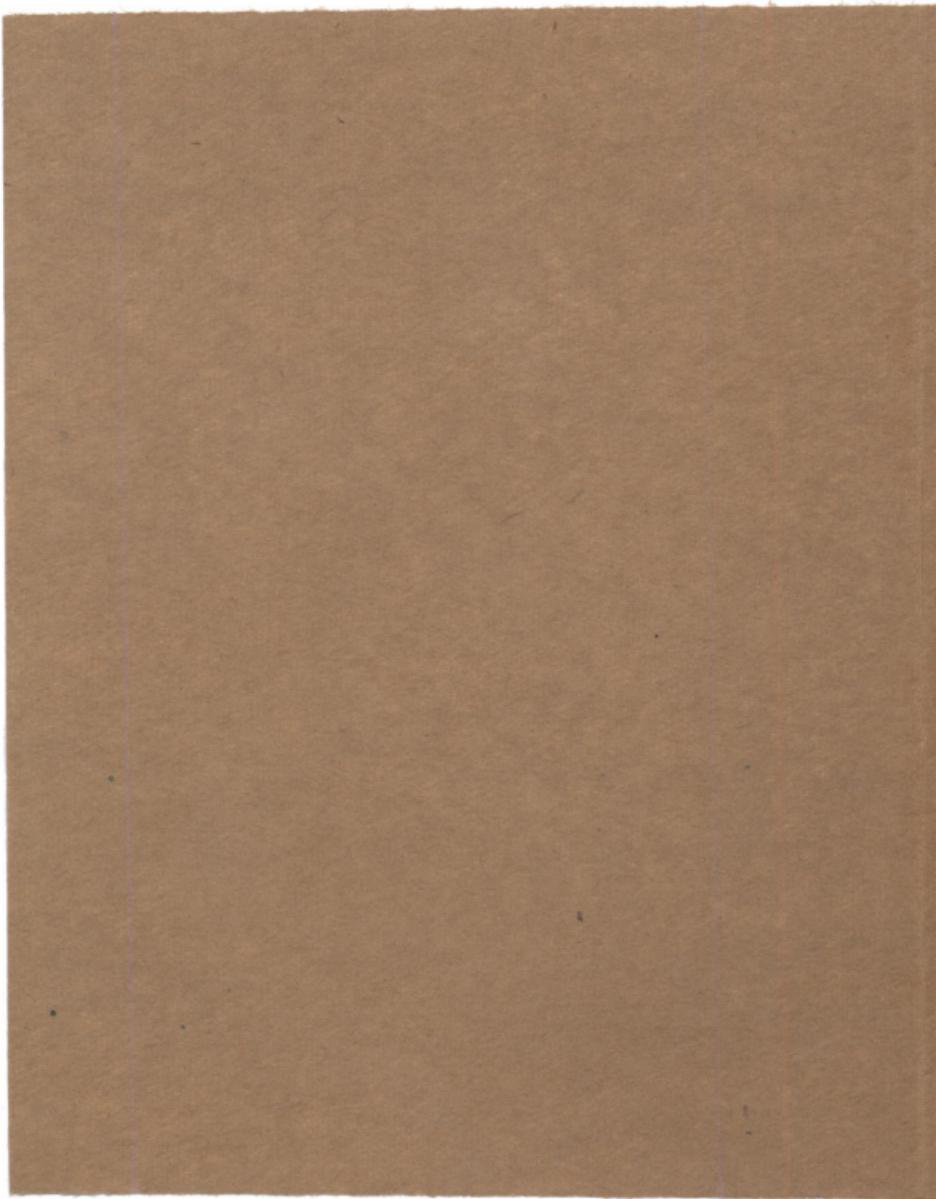
$$\frac{1}{1} \cdot \frac{1}{1} = \frac{1}{1} \quad \frac{1}{1} \cdot \frac{1}{1} = \frac{1}{1}$$

20 de Mayo Batacas en los Arroyos

Anticagni

B.N.K.

20



Την Ε'. Δεκτυβίω  
τον Υγιούς Σεριφείη  
Ευπεριησος Δειν

το ίδιο σε αυτήν  
η οποία είναι η παραβολή

Ω6

WILHELMO  
SCHMIDT  
and SONNEN.

Νησίων «Δόξα» Ήχος σε δι. υπό. Ε' Δεκεμβρίου

Maurice A. Kauppi

八

and we have

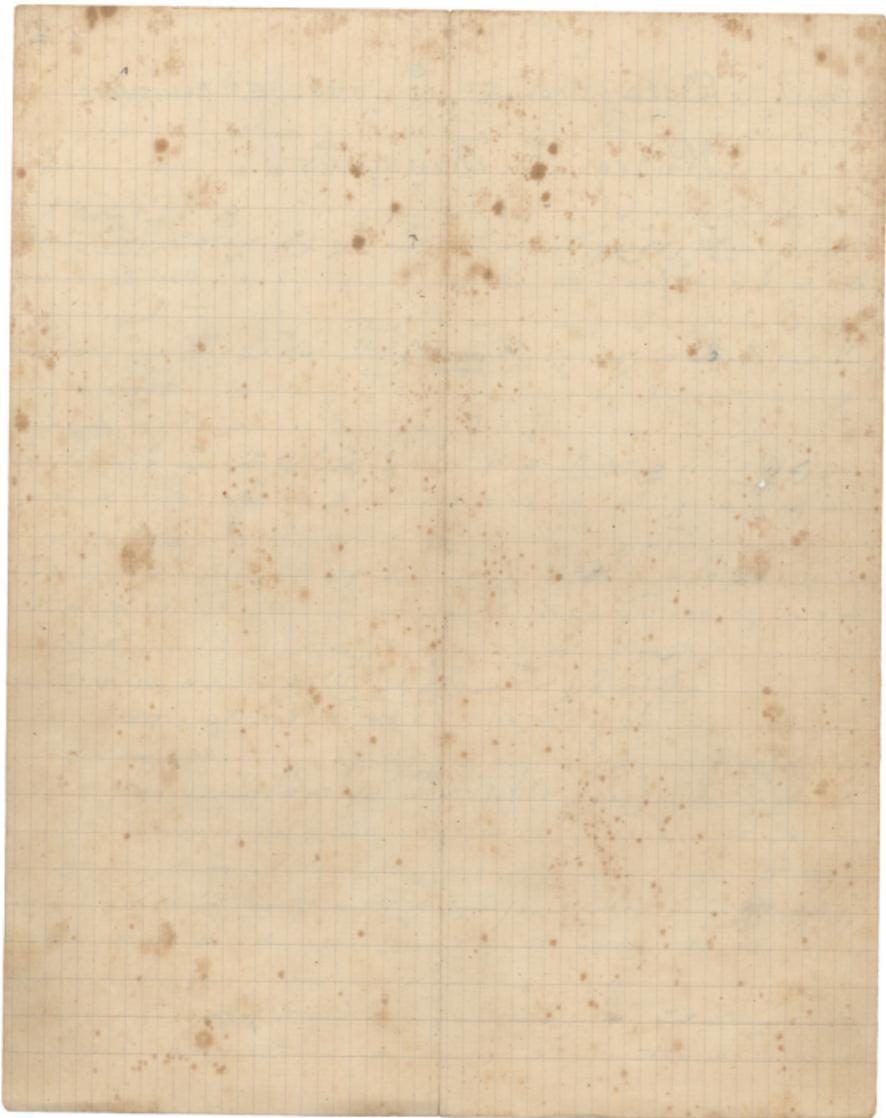
$$\frac{1}{\epsilon} \int_{\Omega} \left( \frac{\partial u}{\partial x_i} \right)^2 dx = \frac{1}{\epsilon} \int_{\Omega} \left( \frac{\partial v}{\partial x_i} \right)^2 dx$$

*4* *4* *4* *4* *2* *2*  
P E E G I X  $\mu$  a aptu u u v v pes II a a a a

$$\frac{(\overline{y})^2}{\overline{x}^2} = \frac{\text{ave } y^2}{\text{ave } x^2}$$

$$x^{\frac{1}{2}} \cdot x^{\frac{1}{2}} = x^{\frac{1}{2} + \frac{1}{2}} = x^1 = x$$

1.  $\int \frac{dx}{x^2 + 1}$   $= \int \frac{dx}{(x+1)^2}$   $= \frac{1}{2} \int \frac{d(x+1)}{(x+1)^2}$   $= -\frac{1}{2(x+1)}$



$\frac{1}{\mu a a a a a} \cdot \frac{1}{d \text{ adaptus } \delta i} = \frac{1}{a a a a a}$

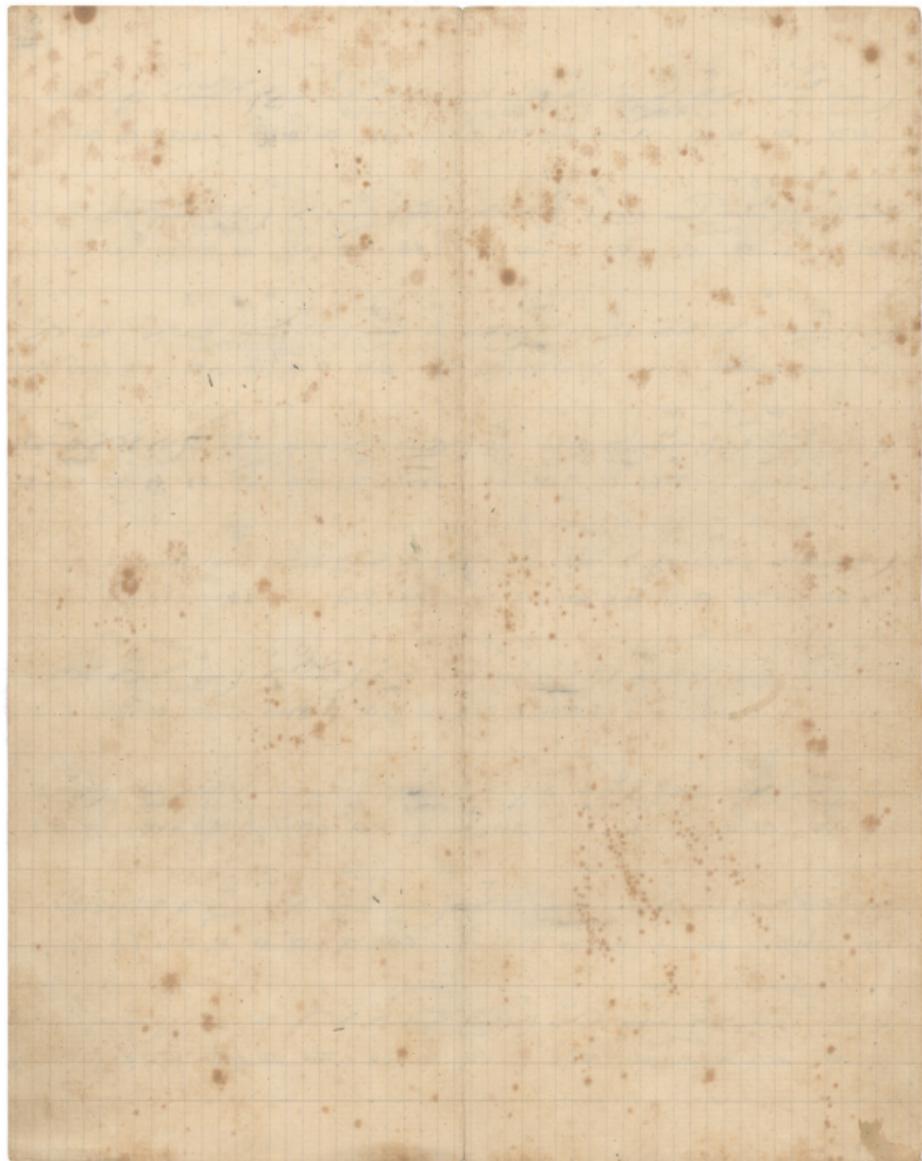
$$\int_{TOS}^t \frac{1}{\left( \frac{\partial \phi}{\partial t}(s) \right)^2} ds = \int_0^t \frac{1}{a^2} ds = \frac{1}{a^2} t$$

*των πατέων*

$$\frac{1}{(1-x)^2} = \frac{1}{1-x} + \frac{1}{(1-x)^2} \quad \text{ATOR DTE} \in Ga \quad \text{vo o x o o x ov Tn nis}$$

$$\frac{z^2}{2!} \leq \frac{1}{2!} x^2 - \frac{1}{3!} x^3 + \frac{1}{4!} x^4 - \dots = \sum_{n=1}^{\infty} \frac{(-1)^{n+1}}{n!} x^n$$

$$\frac{1}{a} \cdot \frac{1}{a} + \left( \frac{1}{a} - \frac{1}{a} \right)^2 = \frac{1}{a^2}$$



N.A.L

тре: Дончурбек

Лож РХО  $\rightarrow$  Р

До АГ. Текущие  
Если Форина

Н.А. Кенасан

Избирать



Н.А.К.



Τῇ Ε: Σενεκόπιον εἰς τοὺς Εσπερίου  
Δόξα στήχος ~~αλ~~

## Tōū Ajiou Lepußeij

DE E E EU TEE GLAO MAAPTUUVU UV PER ITA AA

$$\frac{1}{x} \cdot \frac{1}{x^2} = \frac{1}{x^3}$$

Gecece pdadap xunuv uuuu uuuu uuuu uuuu

GW WW w w w uEv 0 0 0 76 uuuuu uaaaa a aap

$\rightarrow \frac{r^2}{\tau} > r \frac{r}{\tau} > c \cdot r \rightarrow \frac{1}{\tau} \frac{c^2}{r} < \frac{c^2}{r} < \frac{r}{\tau}$



26

Учебник по химии для 7-8 классов

B

$\text{G} \rightarrow \text{G}' \xrightarrow{\text{G}} \text{G} - (\text{G} \rightarrow \text{G}') \xrightarrow{\text{G}} \text{G}' \xrightarrow{\text{G}} \text{G} \xrightarrow{\text{G}} \text{G}' \xrightarrow{\text{G}} \text{G} \xrightarrow{\text{G}} \text{G}' \xrightarrow{\text{G}}$

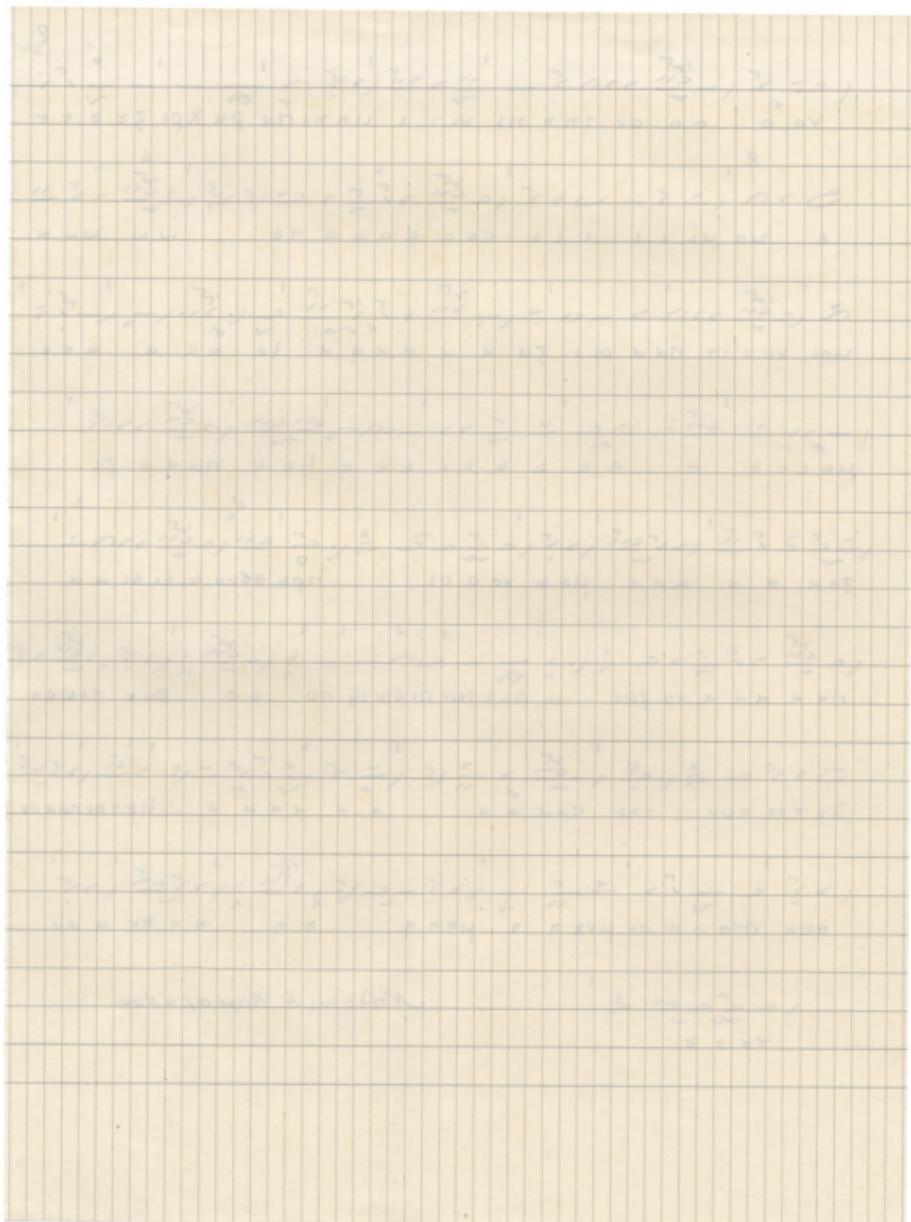
mai vuu uv itax pli fa x a add d la aa a aae

1.  $\frac{1}{\sqrt{2}}$   
2.  $\frac{1}{\sqrt{2}}$   
3.  $\frac{1}{\sqrt{2}}$   
4.  $\frac{1}{\sqrt{2}}$   
5.  $\frac{1}{\sqrt{2}}$   
6.  $\frac{1}{\sqrt{2}}$   
7.  $\frac{1}{\sqrt{2}}$   
8.  $\frac{1}{\sqrt{2}}$   
9.  $\frac{1}{\sqrt{2}}$   
10.  $\frac{1}{\sqrt{2}}$   
11.  $\frac{1}{\sqrt{2}}$   
12.  $\frac{1}{\sqrt{2}}$   
13.  $\frac{1}{\sqrt{2}}$   
14.  $\frac{1}{\sqrt{2}}$   
15.  $\frac{1}{\sqrt{2}}$   
16.  $\frac{1}{\sqrt{2}}$   
17.  $\frac{1}{\sqrt{2}}$   
18.  $\frac{1}{\sqrt{2}}$   
19.  $\frac{1}{\sqrt{2}}$   
20.  $\frac{1}{\sqrt{2}}$

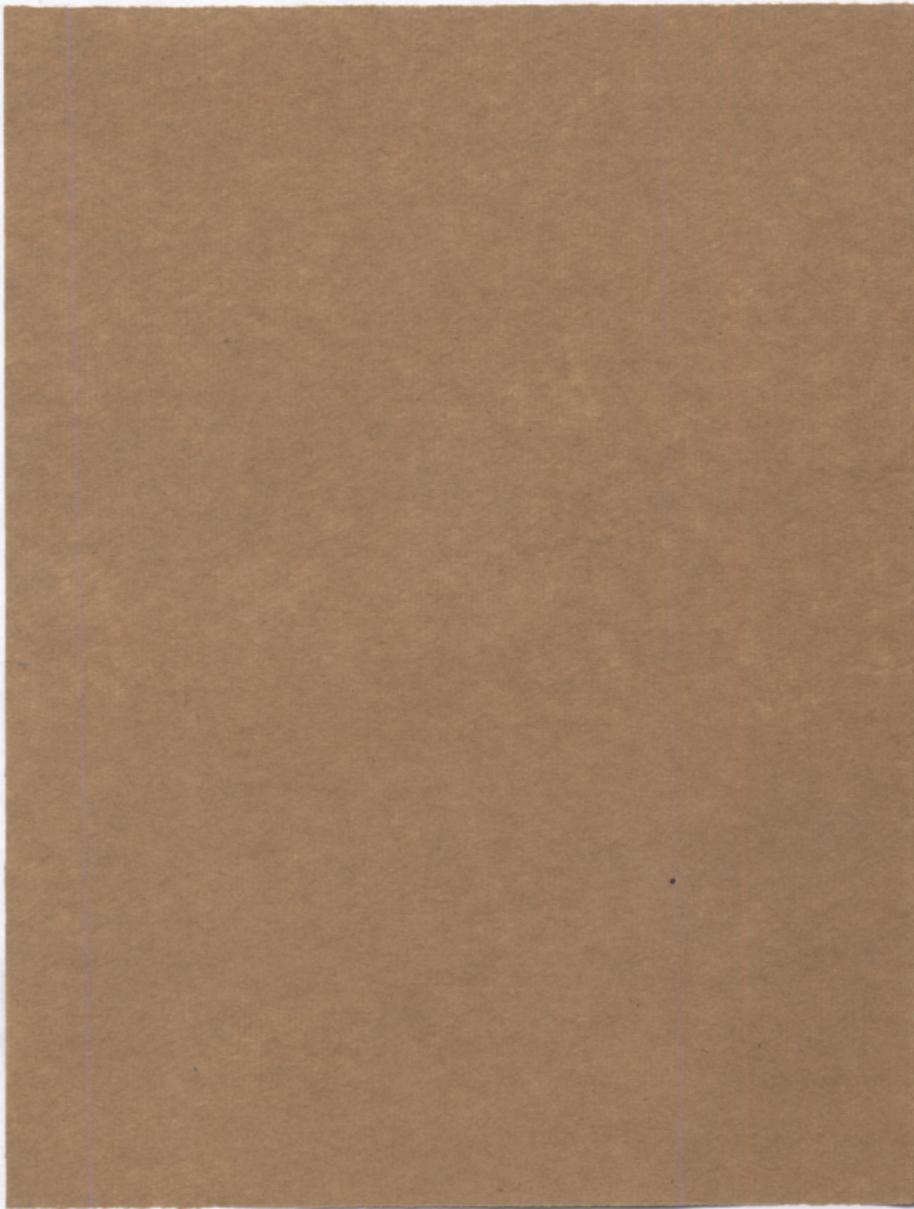
$\lambda \times \text{RR} \rightarrow \text{TVR}$   $\text{TVR} \rightarrow \text{RDR}$   $\text{RDR} \rightarrow \text{RR}$

$$\left( \frac{1}{2} \frac{1}{2} \frac{1}{2} \frac{1}{2} \right) \rightarrow$$

Andrew A. Komarudin



27



28

Nu *inflata*

*Eottropis* *crocata*

*Arlypis* *gen*

WYOMING

DAYTON

WYOMING

E. Deceunopis <sup>29</sup> intaglion 1

B.W.K. E. Drury & Sons LTD. 1900

This image shows a page from a notebook with handwritten mathematical content. The text is in Russian and appears to be a worked-out solution or derivation of a formula. The handwriting is cursive and includes various mathematical symbols, numbers, and equations. At the top right, there is a stamp that reads "МАТЕМАТИКА" (Mathematics) and "ПОДГОТОВКА К ЕГЭ" (Preparation for the EGE). There are also some smaller, less legible markings and a small drawing of a person at the bottom right.

Τῇ Εἰς Δεκεμβρίου Δόξα Μητρούνται

$$0 \frac{d^2 p}{dx^2} + \frac{1}{x} \left( \frac{d^2 p}{dx^2} \right)^2 = 0$$

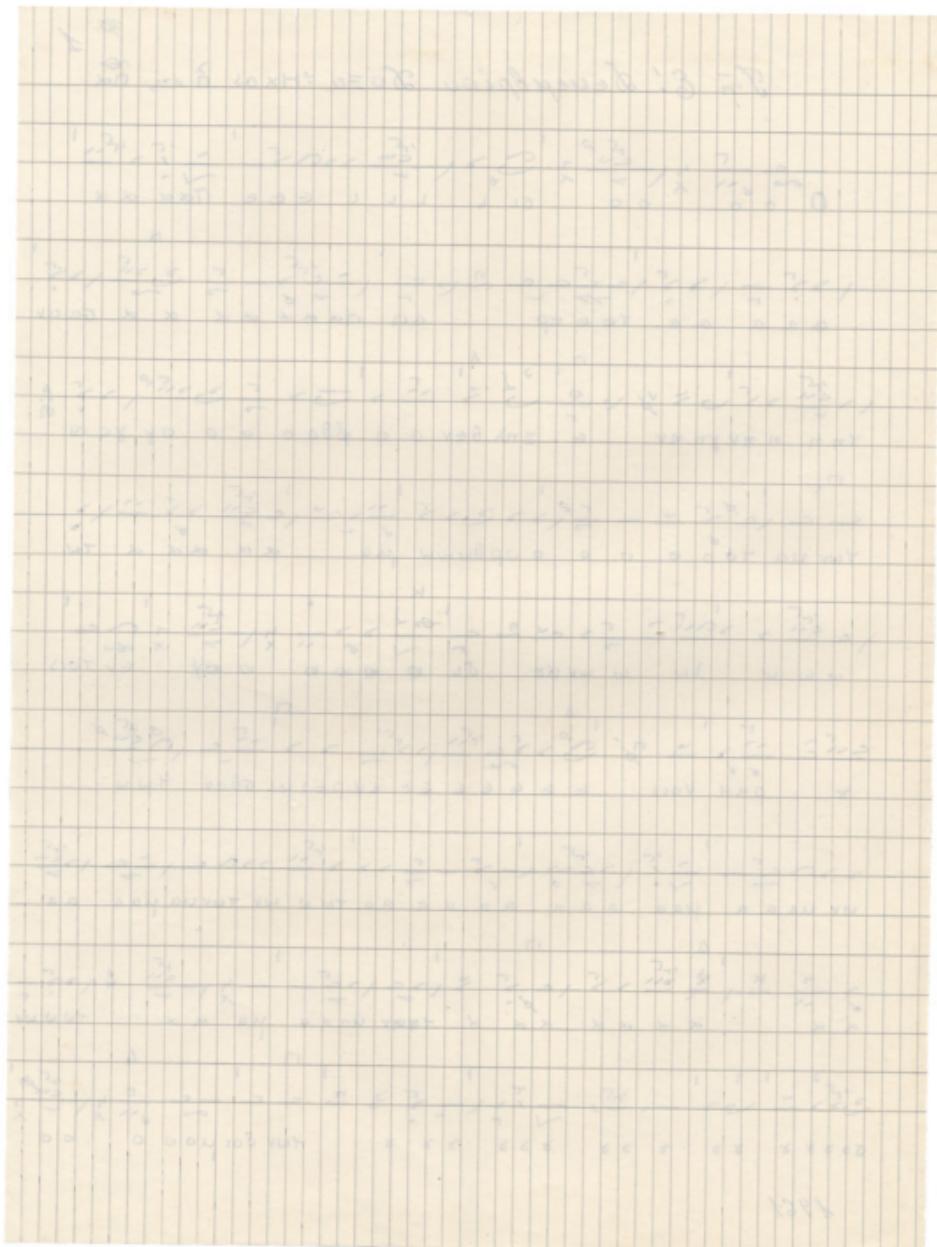
1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32 33 34 35 36 37 38 39 40 41 42 43 44 45 46 47 48 49 50 51 52 53 54 55 56 57 58 59 60 61 62 63 64 65 66 67 68 69 70 71 72 73 74 75 76 77 78 79 80 81 82 83 84 85 86 87 88 89 90 91 92 93 94 95 96 97 98 99 100

→  $\frac{\sqrt{m}}{n} \rightarrow \frac{1}{\sqrt{n}}$   $\approx \sqrt{m}$   $\approx \frac{1}{\sqrt{n}}$   $\approx \frac{1}{\sqrt{m}}$   $\approx \frac{1}{\sqrt{n}}$   $\approx \frac{1}{\sqrt{m}}$   $\approx \frac{1}{\sqrt{n}}$   $\approx \frac{1}{\sqrt{m}}$   $\approx \frac{1}{\sqrt{n}}$   $\approx \frac{1}{\sqrt{m}}$

$$\int \frac{dx}{\sqrt{1-x^2}} = \int \frac{du}{\sqrt{1-u^2}} = \int \frac{dv}{\sqrt{1-v^2}} = \int \frac{dw}{\sqrt{1-w^2}} = \int \frac{dt}{\sqrt{1-t^2}}$$

$\frac{C}{C_0} = \frac{1}{1 + e^{-k_1 t}}$   $\frac{A}{A_0} = \frac{1}{1 + e^{-k_2 t}}$   $\frac{P}{P_0} = \frac{1}{1 + e^{-k_3 t}}$

$$\frac{x_1}{x_2} \cdot \frac{x_3}{x_4} = \frac{x_1}{x_2} \cdot \frac{x_3}{x_4} \cdot \frac{x_5}{x_6} \cdot \frac{x_7}{x_8} \cdot \frac{x_9}{x_{10}} \cdot \frac{x_{11}}{x_{12}} \cdot \frac{x_{13}}{x_{14}} \cdot \frac{x_{15}}{x_{16}} \cdot \frac{x_{17}}{x_{18}} \cdot \frac{x_{19}}{x_{20}}$$



$\text{G} \xrightarrow{\text{I}} \text{C}_r \xrightarrow{\text{I}}$   
 TWV Gai yoo o o o VVW W WW W WEGXa) Targua  
 $\text{I} \xrightarrow{\text{I}} \text{C}_r \xrightarrow{\text{I}}$   
 xx xx xaa aca ay gxs TWV Ay ye e e e xuu wuv

$\text{S} \xrightarrow{\text{add } x} \text{S} \xrightarrow{\text{add } y} \text{S} \xrightarrow{\text{add } z} \text{S} \xrightarrow{\text{add } w} \text{S}$

To do or begin or see or meet or keep new

$\frac{dx}{dt} = \frac{dx}{dt} - c \cdot x \cdot w \cdot v \cdot n \cdot p \cdot l \cdot o \cdot r \cdot d \cdot e \cdot e$

$$\frac{K_0}{\frac{K_0}{r} - \frac{K_0}{r}} = \frac{\frac{K_0}{r}}{\frac{K_0}{r} - \frac{K_0}{r}} = \frac{1}{1 - 1} = \frac{1}{0} = \infty$$

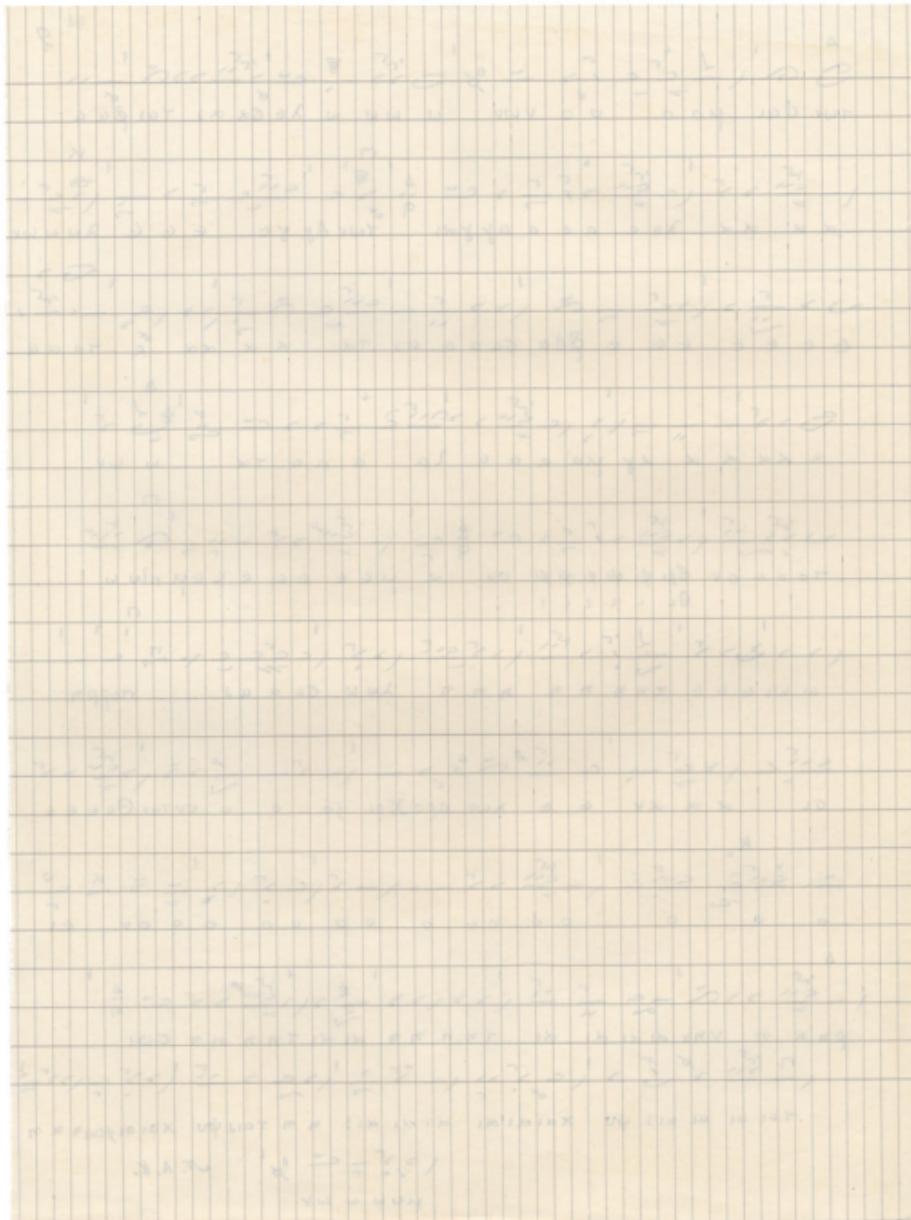
1.  $\frac{1}{\sqrt{1-x^2}} = \frac{1}{\sqrt{1-\frac{x^2}{x^2}}} = \frac{1}{\sqrt{\frac{x^2}{x^2}}} = \frac{1}{\frac{x}{|x|}} = \frac{|x|}{x}$

pn n n v n v d i d i d i T n n n n n x d i T n n n n n o i

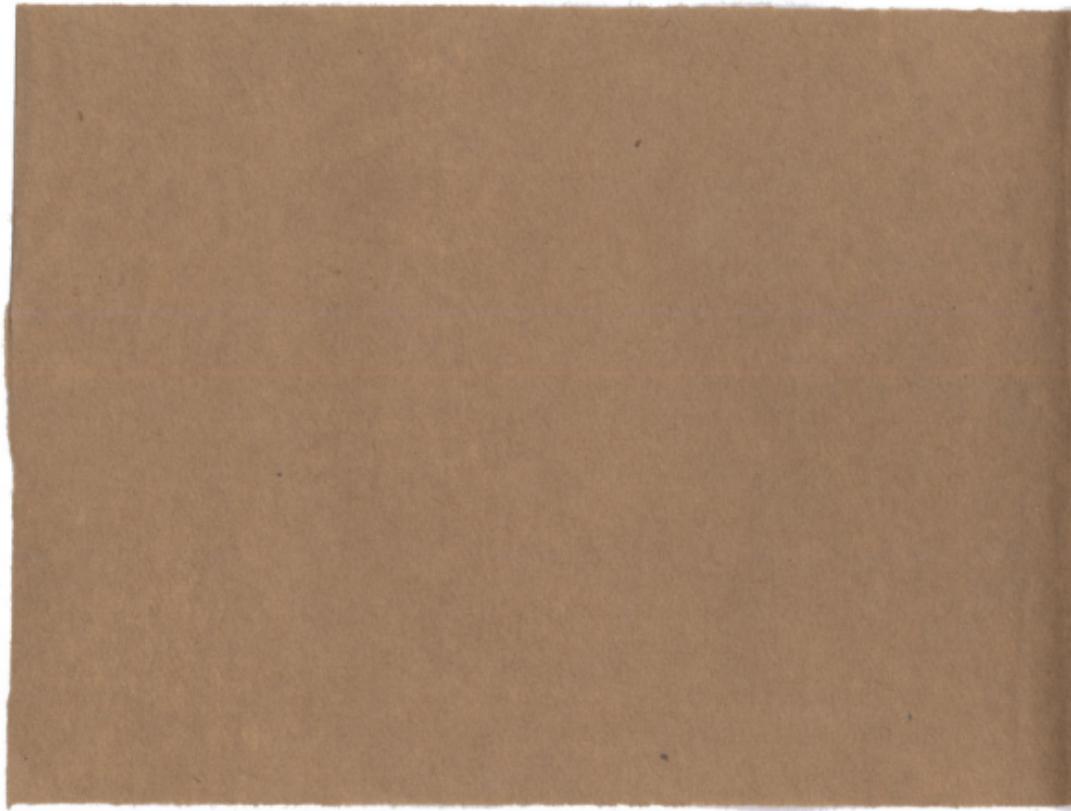
$\frac{1}{\sqrt{1-x^2}} = \frac{1}{\sqrt{1-\frac{x^2}{x^2}}} = \frac{1}{\sqrt{\frac{x^2}{x^2}}} = \frac{1}{\frac{x}{|x|}} = \frac{|x|}{x}$

T a i u u u i s y u x a i d i d i d i s n n T a i y u x a i a y u x a i a y u x a i a y u

$$\frac{1}{\mu w w w w w} = \frac{1}{w^6}$$



32



Της Σ. Δευτεροβάθμιας  
τεχνητής έκπληξης  
πόξα

172

1960 Dec 20  
1960 Dec 20  
1960 Dec 20

Την C.T. Σεμειώσιου μητρικήν Αγίου Μηνολάου  
Επί τῶν Ἐσπερινῶν Δόξα Τίχος Πάτερ Πατέρα

$$\frac{1}{\sin \theta} = \frac{1}{\sqrt{1 - \frac{v^2}{c^2}}} = \frac{1}{\sqrt{1 - \frac{1}{c^2} v^2}} = \frac{1}{\sqrt{\frac{c^2 - v^2}{c^2}}} = \frac{1}{\sqrt{\frac{c^2}{c^2 - v^2}}} = \frac{1}{\sqrt{\frac{c^2}{c^2(1 - \frac{v^2}{c^2})}}} = \frac{1}{\sqrt{\frac{1}{1 - \frac{v^2}{c^2}}}} = \frac{1}{\sqrt{\frac{1}{\gamma}}} = \gamma$$

$\frac{1}{w} \cdot \frac{1}{u} A \cdot y \cdot l \cdot l \cdot l \cdot w \cdot w \cdot \pi \cdot r \cdot r \cdot r \cdot r \cdot r \cdot r$

1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32 33 34 35 36 37 38 39 40 41 42 43 44 45 46 47 48 49 50 51 52 53 54 55 56 57 58 59 60 61 62 63 64 65 66 67 68 69 70 71 72 73 74 75 76 77 78 79 80 81 82 83 84 85 86 87 88 89 90 91 92 93 94 95 96 97 98 99 100

$\left( \frac{\frac{w}{w}}{\frac{w}{w}} \right) \rightarrow \frac{w}{w} \rightarrow \left( \frac{w}{w} \frac{w}{w} \right) \rightarrow w \rightarrow \frac{w}{w} \frac{w}{w} \frac{w}{w} \rightarrow -w \rightarrow -w \rightarrow \frac{w}{w} \rightarrow \left( \frac{w}{w} \frac{w}{w} \right) \rightarrow w$

$\frac{1}{x} \cdot \frac{1}{x}$

$\frac{w}{l} \rightarrow \frac{w^2}{l^2}$   $\frac{1}{l^2} \rightarrow \frac{1}{w^2}$   $\frac{l}{w} \rightarrow \frac{w}{l}$   $\frac{w}{l} \rightarrow \frac{w}{w}$   $\frac{w}{w} \rightarrow \frac{w}{w}$   $\frac{w}{w} \rightarrow \frac{w}{w}$   $\frac{w}{w} \rightarrow \frac{w}{w}$   $\frac{w}{w} \rightarrow \frac{w}{w}$

$\frac{1}{2} \cdot \frac{1}{2} \cdot \frac{1}{2} = \frac{1}{8}$



9

$\frac{1}{x} \left( \frac{x^5}{x^2} - \frac{5}{x} \right) = \frac{1}{x} (x^3 - 5) = x^2 - 5$

$\frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ 1 \\ -1 \\ -1 \end{array} \right)$

Слово «бумага» включает в себя все виды папирос и табака.

per cent of the world's population are now living in urban areas.

$\text{H}_2\text{O} + \text{C}_2\text{H}_5\text{OH} \rightarrow \text{CH}_3\text{COOH} + \text{H}_2\text{O}$

~~2000 01~~ ~~x x x x~~ ~~766~~ ~~011~~ ~~666~~ ~~1111~~

$\int \frac{dx}{x^2 + 1} = \int \frac{dx}{(x+1)^2}$



$\text{C} \rightarrow \text{O} \xrightarrow{\text{H}_2\text{O}} \text{CO} \xrightarrow{\text{H}_2\text{O}} \text{CO}_2$   $\xrightarrow{\text{H}_2\text{O}} \text{H}_2\text{O}$   $\xrightarrow{\text{H}_2\text{O}} \text{H}_2\text{O}$   
 TPEG  $\alpha$  TPE PLL TPEG ITTOOOS XALAL ALAL ALAL ALAL

$$\frac{dx}{dt} = -\frac{\mu_1^2}{\mu_2^2} \frac{x}{t} + \frac{\mu_1^2}{\mu_2^2} \frac{y}{t} - \frac{\mu_1^2}{\mu_2^2} \frac{z}{t} - \frac{\mu_1^2}{\mu_2^2} \frac{w}{t} - \frac{\mu_1^2}{\mu_2^2} \frac{v}{t} - \frac{\mu_1^2}{\mu_2^2} \frac{u}{t}$$

$$\frac{1}{x} = \frac{1}{x_0} + \frac{1}{x_0^2} - \frac{1}{x_0^3} + \frac{1}{x_0^4} - \dots$$

$$\frac{1}{e^{\frac{1}{\alpha}} - 1} = \frac{1}{e^{\frac{1}{\alpha}} + 1} + \frac{2}{e^{\frac{2}{\alpha}} + 1} + \frac{2}{e^{\frac{3}{\alpha}} + 1} + \dots$$

$$\text{L} \leftarrow \frac{\partial}{\partial x} \text{L} \leftarrow \text{L} \cdot \frac{\partial}{\partial x} \text{L} \leftarrow \text{L} - \frac{\partial^2}{\partial x^2} \text{L} \leftarrow \text{L} - \frac{\partial}{\partial x} \text{L} \leftarrow \text{L} + \frac{\partial^2}{\partial x^2} \text{L} \leftarrow \text{L} + \frac{\partial}{\partial x} \text{L} \leftarrow \text{L}$$



Deep mo o o ta

$$\left( \frac{\partial}{\partial x} \right)_{\text{obs}} = \left( \frac{\partial}{\partial x} \right)_{\text{true}} + \left( \frac{\partial}{\partial x} \right)_{\text{noise}}$$

1.  $\frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$   $\frac{1}{4} \times \frac{1}{2} = \frac{1}{8}$   $\frac{1}{8} \times \frac{1}{2} = \frac{1}{16}$   $\frac{1}{16} \times \frac{1}{2} = \frac{1}{32}$   $\frac{1}{32} \times \frac{1}{2} = \frac{1}{64}$

—  $\sqrt{\frac{c}{a}} > \sqrt{\frac{c}{b}}$ ,  $\sqrt{\frac{c}{b}} > \sqrt{\frac{c}{d}}$ ,  $\sqrt{\frac{c}{d}} > \sqrt{\frac{c}{e}}$ ,  $\sqrt{\frac{c}{e}} > \sqrt{\frac{c}{f}}$ ,  $\sqrt{\frac{c}{f}} > \sqrt{\frac{c}{g}}$ ,  $\sqrt{\frac{c}{g}} > \sqrt{\frac{c}{h}}$ ,  $\sqrt{\frac{c}{h}} > \sqrt{\frac{c}{i}}$ ,  $\sqrt{\frac{c}{i}} > \sqrt{\frac{c}{j}}$ ,  $\sqrt{\frac{c}{j}} > \sqrt{\frac{c}{k}}$ ,  $\sqrt{\frac{c}{k}} > \sqrt{\frac{c}{l}}$ ,  $\sqrt{\frac{c}{l}} > \sqrt{\frac{c}{m}}$ ,  $\sqrt{\frac{c}{m}} > \sqrt{\frac{c}{n}}$ ,  $\sqrt{\frac{c}{n}} > \sqrt{\frac{c}{o}}$ ,  $\sqrt{\frac{c}{o}} > \sqrt{\frac{c}{p}}$ ,  $\sqrt{\frac{c}{p}} > \sqrt{\frac{c}{q}}$ ,  $\sqrt{\frac{c}{q}} > \sqrt{\frac{c}{r}}$ ,  $\sqrt{\frac{c}{r}} > \sqrt{\frac{c}{s}}$ ,  $\sqrt{\frac{c}{s}} > \sqrt{\frac{c}{t}}$ ,  $\sqrt{\frac{c}{t}} > \sqrt{\frac{c}{u}}$ ,  $\sqrt{\frac{c}{u}} > \sqrt{\frac{c}{v}}$ ,  $\sqrt{\frac{c}{v}} > \sqrt{\frac{c}{w}}$ ,  $\sqrt{\frac{c}{w}} > \sqrt{\frac{c}{x}}$ ,  $\sqrt{\frac{c}{x}} > \sqrt{\frac{c}{y}}$ ,  $\sqrt{\frac{c}{y}} > \sqrt{\frac{c}{z}}$ ,  $\sqrt{\frac{c}{z}} > \sqrt{\frac{c}{a}}$ .

Любимые места в Азии

αγοράς είναι ο σημαντικότερος μέσος για την παραγωγή.

1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25



*In Σ.Τ.' Νευροπόντια Μηνιν τοῦ Ἀγρίου Νικοποίου  
Εἰς τὸν Ἑορτινὸν Δόξα Ηὔκολος χωριατικούς οὐα*

$\text{f} \quad \text{u} \quad \text{e} \quad \text{a} \quad \text{t} \quad \text{a} \quad \text{u} \quad \text{a} \quad \text{i}$

$$\frac{1}{\pi} \int_{-\infty}^{\infty} \frac{1}{x^2 + R^2} e^{-ixt} dx = \frac{1}{R} \operatorname{erfc}(xt/R) \rightarrow \frac{1}{R} \text{erfc}(0) = 0$$

pa a a a la a a a w w w w w w w w

$$\frac{1}{\eta} \cdot \frac{1}{\eta} = \frac{1}{\eta^2} \quad \text{and} \quad \frac{1}{\eta} \cdot \frac{1}{\eta} = \frac{1}{\eta^2}$$

$\frac{x}{c} \cdot \frac{1}{c} = x \cdot \frac{1}{c^2}$        $\frac{1}{c^2} \cdot c^2 = 1$

*TWV* *tau* *aa* *aa* *TWV* *EE* *EE* *TWV*



GU VEG BOV TEG W W E E

1.  $\frac{d}{dt} \ln \frac{P_1}{P_0} = -k$   
2.  $\ln \frac{P_1}{P_0} = -kt + C$   
3.  $\frac{P_1}{P_0} = e^{-kt + C}$   
4.  $\frac{P_1}{P_0} = e^{-kt} e^C$   
5.  $\frac{P_1}{P_0} = e^{-kt} \cdot K$   
6.  $P_1 = P_0 e^{-kt} \cdot K$   
7.  $P_1 = P_0 e^{-kt}$

$$\frac{d}{dt} \int_{\Gamma} \frac{\partial \phi}{\partial n} = - \int_{\Gamma} \frac{\partial^2 \phi}{\partial n^2} + \int_{\Gamma} \frac{\partial \phi}{\partial n} \frac{\partial \psi}{\partial n}$$

$$\frac{(\epsilon - \epsilon_r)}{\epsilon_r} \left( \frac{1}{\epsilon_r} \right) = \frac{1}{\epsilon_r} \left( \frac{1}{\epsilon_r} \right) + \frac{1}{\epsilon_r} \left( \frac{1}{\epsilon_r} \right) = \frac{1}{\epsilon_r} \left( \frac{1}{\epsilon_r} \right) + \frac{1}{\epsilon_r} \left( \frac{1}{\epsilon_r} \right)$$

$$\frac{1}{\pi \rho_0} = \frac{1}{\delta \rho_0} + \frac{1}{\delta \rho_0} \frac{\partial \delta \rho_0}{\partial \sigma_0} \approx \frac{1}{\pi \rho_0} + \frac{1}{\pi \rho_0} \frac{\partial \pi \rho_0}{\partial \sigma_0}$$

$\frac{1}{a^2} \cdot \frac{1}{a^2} = \frac{1}{a^4}$

0.000007 18.3 22.04 11.1 11.06 2.22 2.22 ✓  
0.000007 18.3 22.04 11.1 11.06 2.22 2.22 ✓

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41 4

vwuvv  $\eta$  θεια χαρμο συνεισθη συνεισθη συνεισθη συνεισθη συνεισθη συνεισθη συνεισθη συνεισθη συνεισθη συνεισθη

$\frac{1}{\sqrt{e^{\mu_0} - 1}} \cdot \frac{1}{\sqrt{e^{\mu_0} + 1}} = \frac{1}{\sqrt{e^{2\mu_0} - 1}}$

taaaaaaaa aaaaaaaaaaaaaaaa - m u v u u

uv πααμ μααα aa uapNi uoooo o o o o

$$\frac{1}{\pi} \int_{-\infty}^{\infty} \frac{1}{\sinh(\pi x)} \frac{1}{\sinh(\pi y)} \frac{1}{\sinh(\pi z)} dz = \frac{1}{\pi} \int_{-\infty}^{\infty} \frac{1}{\sinh(\pi x)} \frac{1}{\sinh(\pi y)} \frac{1}{\sinh(\pi w)} dw$$



Movouni  
Nijew S. Kawaadov

17.  $\frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$   $\frac{1}{4} \times \frac{1}{2} = \frac{1}{8}$   $\frac{1}{8} \times \frac{1}{2} = \frac{1}{16}$   $\frac{1}{16} \times \frac{1}{2} = \frac{1}{32}$

18.  $\frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$   $\frac{1}{4} \times \frac{1}{2} = \frac{1}{8}$   $\frac{1}{8} \times \frac{1}{2} = \frac{1}{16}$   $\frac{1}{16} \times \frac{1}{2} = \frac{1}{32}$

19.  $\frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$   $\frac{1}{4} \times \frac{1}{2} = \frac{1}{8}$   $\frac{1}{8} \times \frac{1}{2} = \frac{1}{16}$   $\frac{1}{16} \times \frac{1}{2} = \frac{1}{32}$

20.  $\frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$   $\frac{1}{4} \times \frac{1}{2} = \frac{1}{8}$   $\frac{1}{8} \times \frac{1}{2} = \frac{1}{16}$   $\frac{1}{16} \times \frac{1}{2} = \frac{1}{32}$

21.  $\frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$   $\frac{1}{4} \times \frac{1}{2} = \frac{1}{8}$   $\frac{1}{8} \times \frac{1}{2} = \frac{1}{16}$   $\frac{1}{16} \times \frac{1}{2} = \frac{1}{32}$

Answers:

1.  $\frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$

Андроид  
Никулов Т.Вячеславов  
Ти 21 Октября 1920

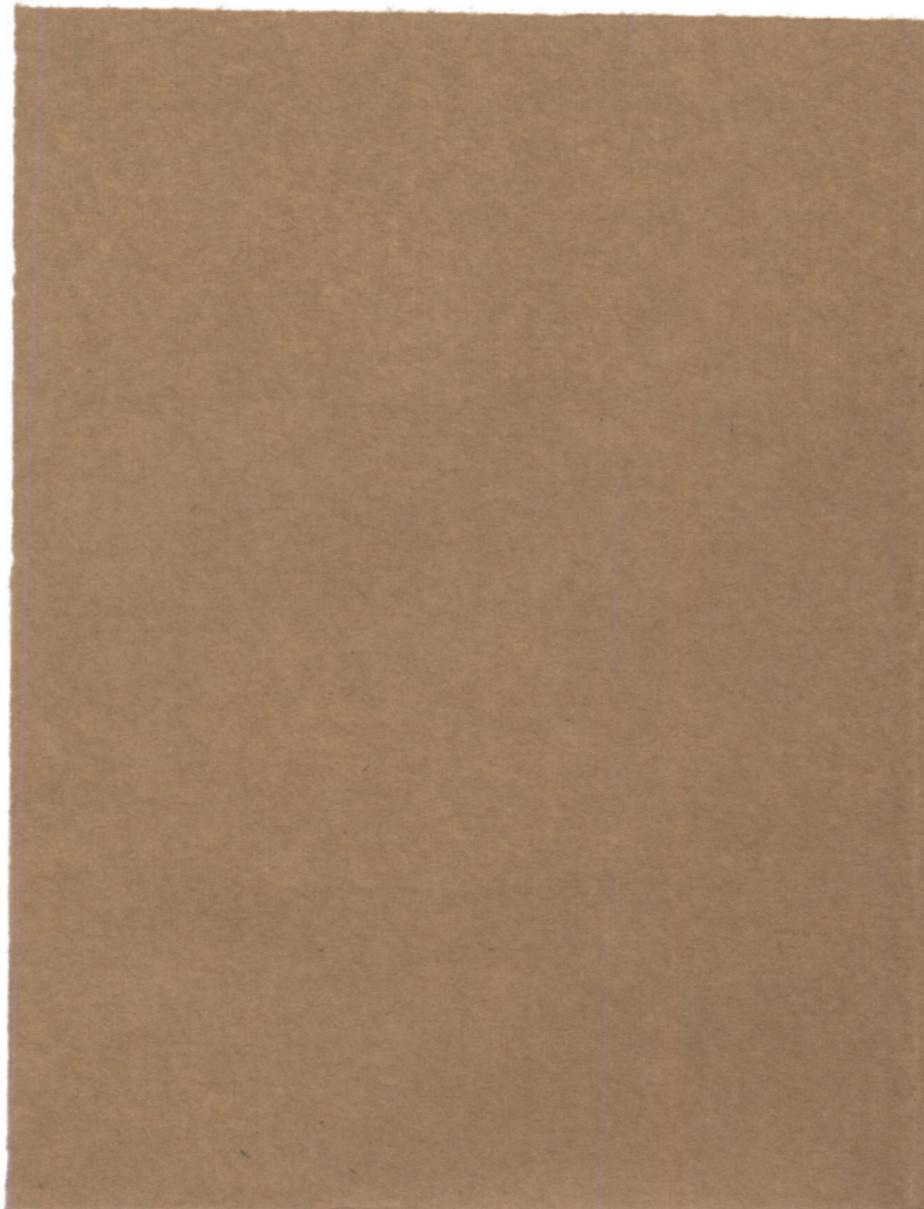
Τῇ ΣΤ! Δεκεμβρίου  
Μνιαν τοῦ ἡγεμόνος Νικοπάον

Eis τοι Επαρχούρον Δοξά

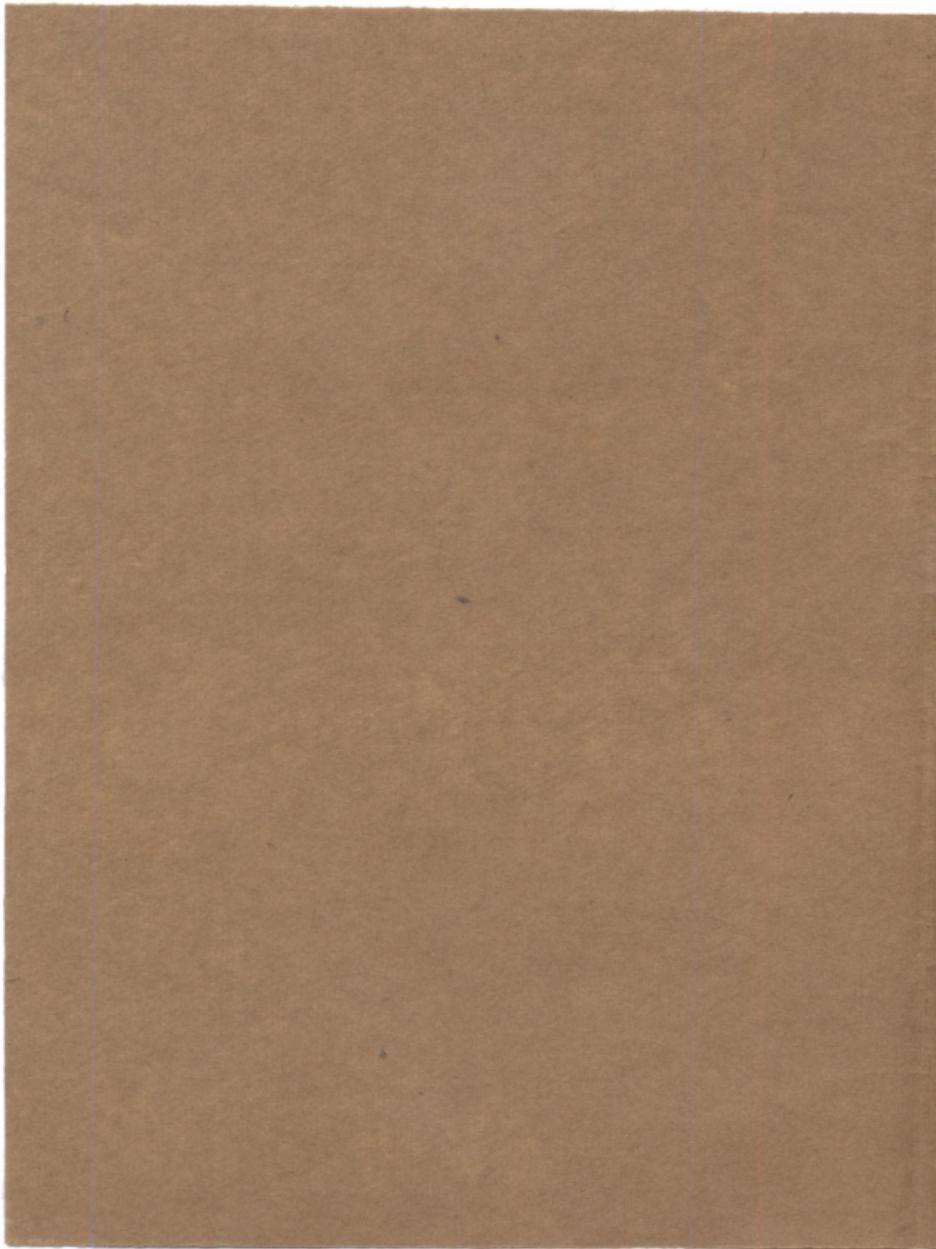
Αρτεμπάγην

N. T. B.

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45



Εἰς τας CT' Σεπτεμβρίου εἰς τον Ελεύθερον Καὶ νῦν  
Προεόρτιον οὐχοι πέποιται

Α γεννηθεῖσα σεργάτης οὐδὲν μηδὲν οὐδὲν  
νυνὶ φεύγει πάσηθεν εἶναι πονοῦντα

τοιούτης οὐδὲν μηδὲν οὐδὲν μηδὲν οὐδὲν  
φεύγει πάσηθεν εἶναι πονοῦντα

τοιούτης οὐδὲν μηδὲν οὐδὲν μηδὲν οὐδὲν  
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2

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2155

το γένος της οποίας είναι πρόσωπο της αρχαίας Ελλάδας.

Επειδή δεν είναι γνωστό σημερινής ημέρας,

ορθώς μεταφέρεται στην αρχαία Ελλάδα.

Την πρώτη φορά που αναφέρεται στην Αρχαία Ελλάδα,

είναι στην παραπάνω μακρινή σημερινής

εποχή της Αρχαίας Ελλάδας.

Επίσης είναι σημειωθείσα στην Αρχαία Ελλάδα,

αλλά στην παραπάνω μακρινή σημερινής

εποχή της Αρχαίας Ελλάδας.

Επίσης είναι σημειωθείσα στην Αρχαία Ελλάδα,

αλλά στην παραπάνω μακρινή σημερινής

the first time I saw it was in a  
book about the history of art.

It's a painting of a man and a woman.  
The man is wearing a long coat and a hat.

The woman is wearing a long dress and a hat.  
They are standing next to each other.

The man has a mustache and the woman has short hair.

The painting is very detailed and realistic.

I think it's a portrait of a man and a woman.

The man is wearing a suit and the woman is wearing a dress.

The painting is very detailed and realistic.

The man has a mustache and the woman has short hair.

The painting is very detailed and realistic.

May 26

Eis tois ΣΤ. Δευτυλπίον εις τὸν Ελιξορ καὶ τὸν Ηρωούλιον  
Ηρεσ μὲν

6.26.2

will not make it to the mainland. It is the  
last month.

It's cold now. The temperature is about 10°C.  
The wind is strong. It's吹風. It's吹風. It's吹風.

The sky is clear. The sun is bright. It's a good day.  
The air is fresh. The trees are green. It's a nice day.

It's a good day. The weather is nice.  
The sun is shining. It's a good day.

The sky is blue. The clouds are white.  
The air is clean. It's a good day.

The sun is high. The sky is clear.  
The air is fresh. It's a good day.

The sun is high. The sky is clear.  
The air is fresh. It's a good day.

The sun is high. The sky is clear.  
The air is fresh. It's a good day.

The sun is high. The sky is clear.  
The air is fresh. It's a good day.

The sun is high. The sky is clear.  
The air is fresh. It's a good day.

49

$$\frac{1}{\pi i} \int_{C_1} \frac{f'(z)}{f(z) - z} dz = \frac{1}{\pi i} \int_{C_1} \frac{g'(z)}{g(z) - z} dz = \frac{1}{\pi i} \int_{C_1} \frac{h'(z)}{h(z) - z} dz = \dots$$

III.  $\frac{1}{e^x - e^{-x}} + \frac{1}{\sin x} = \frac{1}{\frac{e^x - e^{-x}}{2}} + \frac{1}{\frac{e^x - e^{-x}}{2i}} = \frac{1}{\frac{e^{2x} - 1}{2}} + \frac{1}{\frac{e^{2x} - 1}{2i}} = \frac{2}{e^{2x} - 1} + \frac{2i}{e^{2x} - 1} = \frac{2(1 + i)}{e^{2x} - 1}$

$\frac{1}{x} \cdot \frac{1}{x} = \frac{1}{x^2}$     $\frac{1}{x} \cdot \frac{1}{x} = \frac{1}{x^2}$     $\frac{1}{x} \cdot \frac{1}{x} = \frac{1}{x^2}$

*p a a a u y Ma a yao de tpo ee ee ee ep*

$\frac{P}{X_0} \approx \frac{P}{O} \approx \frac{P}{O \text{ or } T_{\text{air}}} \approx \frac{P}{A} \approx \frac{P}{V_A} \approx \frac{P}{T_{\text{air}}} \approx \frac{P}{J_{\text{W}} \approx \frac{P}{WV} \approx \frac{P}{T_{\text{m}}} \approx \frac{P}{M_{\text{f}}} \approx \frac{P}{Y_{\text{f}}} \approx \frac{P}{M_{\text{f}}}$

$$\frac{d}{dx} \left( \frac{1}{\sqrt{1 - \frac{v^2}{c^2}}} \right) = \frac{1}{c^2} \frac{v}{\sqrt{1 - \frac{v^2}{c^2}}} \cdot \frac{dv}{dx}$$

100  
100  
 $\frac{1}{2} \cdot \frac{1}{2} = \frac{1}{4}$

Διαβούλευση της Δημοκρατίας  
από την Επιτροπή για την προστασία των ανθρώπων στην Ελλάς

Παραγγελία της Δημοκρατίας  
από την Επιτροπή για την προστασία των ανθρώπων στην Ελλάς

Επιτροπή για την προστασία των ανθρώπων στην Ελλάς

με βέβαιο σχόλιον.

Μεμονώνιμη  
Νομοθεσία Α. Καμαράδηου

Απόφαση της Δημοκρατίας, την οποίαν απαριθμούνται.

Επιτροπή για την προστασία των ανθρώπων στην Ελλάς

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Χειρόγραφη  
Νικολάου Σ. Βραχονούγεων  
23 Ουλοβούον 1820

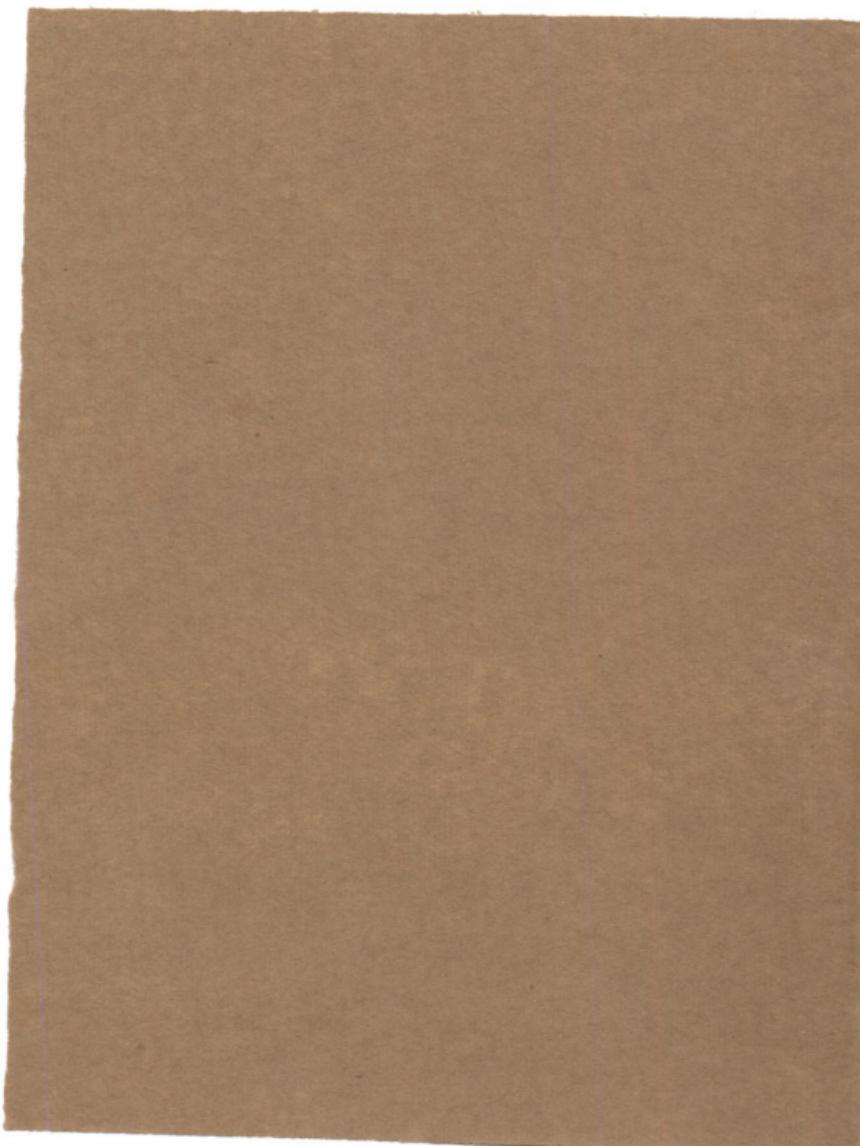
τις τις ΣΤ. Δευτυπίου  
τις τοι Ελαστικήν και την  
Θρασηγότον

Μοναρχί<sup>ν</sup>  
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ΤΗΧΟΣ ΗΓΑΠΩΝ

$\Delta \text{Total TPL} = \frac{\Delta P}{\Delta Q}$

$\frac{1}{\sqrt{2}} \rightarrow \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix} \begin{pmatrix} 1 & 0 \\ 0 & -1 \end{pmatrix} \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix} \xrightarrow{\text{rot}} \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 0 \\ 0 & -1 \end{pmatrix} \xrightarrow{\text{rot}} \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix} \xrightarrow{\text{rot}}$

GW E UEEEV EV GA AI MIRI G A G A A

$\frac{1}{1-x^2} = \frac{1}{\frac{1}{1-x}} = x \cdot \frac{1}{1-x} = x \cdot \frac{1}{1-\frac{x}{1}} = x \cdot \frac{1}{\frac{1-x}{1}} = x \cdot \frac{1}{1-x} = x \cdot \frac{1}{1-\frac{x}{1}} = x \cdot \frac{1}{1-\frac{x}{1}} = x \cdot \frac{1}{1-\frac{x}{1}}$

$\frac{1}{\sqrt{2}} \hat{x} + \frac{1}{\sqrt{2}} \hat{y} = \frac{1}{\sqrt{2}} (\hat{x} + \hat{y})$

$\frac{1}{\sqrt{K}} \rightarrow \frac{1}{\sqrt{K}} \rightarrow \frac{1}{\sqrt{K}} \rightarrow \frac{1}{\sqrt{K}} \rightarrow \frac{1}{\sqrt{K}} \rightarrow \frac{1}{\sqrt{K}}$

$$\frac{f_1}{f_2} = \frac{\sqrt{g_1}/\sqrt{g_2}}{\sqrt{g_1}/\sqrt{g_2} - v} = \frac{1}{1 - v}$$

1967



$$\frac{1}{\sqrt{2}} \left( \frac{1}{\sqrt{2}} \frac{1}{\sqrt{2}} \right) = \frac{1}{\sqrt{2}} \left( \frac{1}{\sqrt{2}} \frac{1}{\sqrt{2}} \right) - \left( \frac{1}{\sqrt{2}} \frac{1}{\sqrt{2}} \frac{1}{\sqrt{2}} \frac{1}{\sqrt{2}} \right) = \frac{1}{\sqrt{2}} \left( \frac{1}{\sqrt{2}} \frac{1}{\sqrt{2}} \right)$$

www www Gar by Toruk o o o VEL E G I C I C I C I p r g p l

1.  $\frac{2}{5} \times \frac{1}{2} = \frac{1}{5}$   $\rightarrow$   $\frac{1}{5} \times \frac{1}{2} = \frac{1}{10}$   $\rightarrow$   $\frac{1}{10} \times \frac{1}{2} = \frac{1}{20}$   $\rightarrow$   $\frac{1}{20} \times \frac{1}{2} = \frac{1}{40}$   
Answers are mixed fractions or decimals.

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$\text{U} \rightarrow \frac{\text{U}}{\text{U}} \xrightarrow{\text{U}} \text{U} \xrightarrow{\text{U}} \text{U} \xrightarrow{\text{U}} \text{U} \xrightarrow{\text{U}} \text{U} \xrightarrow{\text{U}}$

$\frac{1}{2} \cdot \frac{1}{2} = \frac{1}{4}$

ТЕСТОВАЯ ПАРКА ХЭДЖИМУЛЛОРОВА ФИНАНСОВЫХ АКТИВОВ

$\rightarrow \frac{1}{\sqrt{2}} (\sigma_+ + i\sigma_-)$   $\rightarrow \frac{1}{\sqrt{2}} (\sigma_+ - i\sigma_-)$   $\rightarrow \frac{1}{\sqrt{2}} (\sigma_+ + i\sigma_-)$   $\rightarrow \frac{1}{\sqrt{2}} (\sigma_+ - i\sigma_-)$

$\frac{1}{x^2} \cdot \frac{1}{(1-x)^2} = \frac{1}{x^2} + \frac{1}{x} - \frac{1}{x^2} + \frac{1}{x} - \frac{1}{x^2} + \dots$



$$\text{I} \rightarrow \text{I}' \quad \begin{matrix} \text{I} \\ \text{I}' \end{matrix} \quad \begin{matrix} \text{C-C-C-C-C} \\ \text{---} \\ \text{---} \end{matrix} \quad \begin{matrix} \text{I} \\ \text{I}' \end{matrix} \quad \begin{matrix} \text{C-C-C-C-C} \\ \text{---} \\ \text{---} \end{matrix} \quad \begin{matrix} \text{I} \\ \text{I}' \end{matrix}$$

$\sigma_{\text{eff}} = \frac{\pi}{4} \left( \frac{d^2}{4} + \frac{D^2}{4} \right) = \frac{\pi}{4} \left( \frac{0.001^2}{4} + \frac{0.002^2}{4} \right) = 1.57 \times 10^{-10} \text{ m}^2$

$\rightarrow \frac{45}{5} - \rightarrow 5 \quad \frac{1}{5} \leftarrow \frac{5}{5} \leftarrow 5 \quad \leftarrow \frac{45}{5} \rightarrow 5 \quad \frac{1}{5} \leftarrow \frac{45}{5} \rightarrow 5 \quad \frac{1}{5} \leftarrow \frac{45}{5} \rightarrow 5$   
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$$\frac{1}{\sqrt{7}} \left( \begin{array}{c} 1 \\ -1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \end{array} \right) = \frac{1}{\sqrt{7}} \left( \begin{array}{c} 1 \\ -1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \end{array} \right) \times \frac{1}{\sqrt{7}} \left( \begin{array}{c} 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \end{array} \right) = \frac{1}{7} \left( \begin{array}{c} 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \end{array} \right)$$

$$\frac{1}{c \cdot v c} \xrightarrow{\quad \text{?} \quad} \frac{1}{\cancel{w} \cdot \cancel{w} \cdot \cancel{w} \cdot w} \xrightarrow{\quad \text{?} \quad} \frac{1}{\cancel{w} \cdot \cancel{w} \cdot \cancel{w} \cdot x} \xrightarrow{\quad \text{?} \quad} \frac{1}{\cancel{w} \cdot \cancel{w} \cdot \cancel{w} \cdot \cancel{x}} \xrightarrow{\quad \text{?} \quad} \frac{1}{\cancel{w} \cdot \cancel{w} \cdot \cancel{w} \cdot \cancel{x}} = \frac{1}{x}$$

WURSTEN GE TADS L I I I WU OLL L IDAIS OR R DS

Нуле́ві А. Костянти́нова

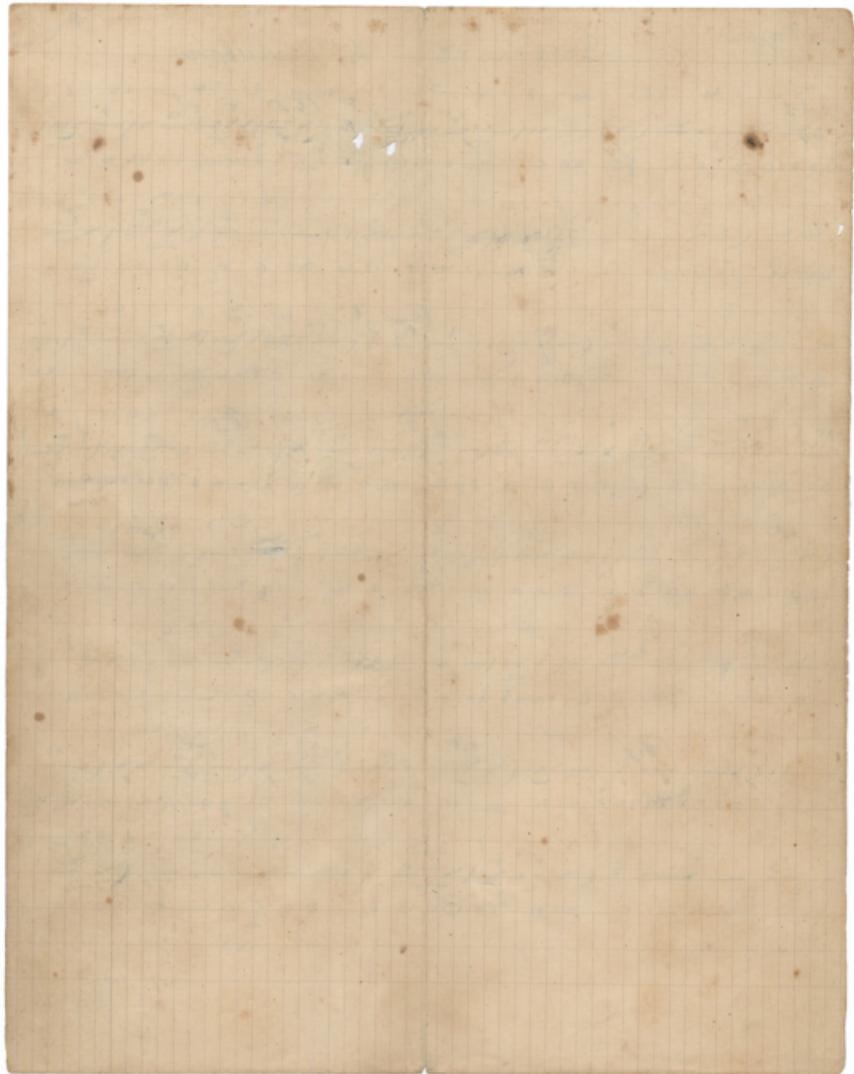
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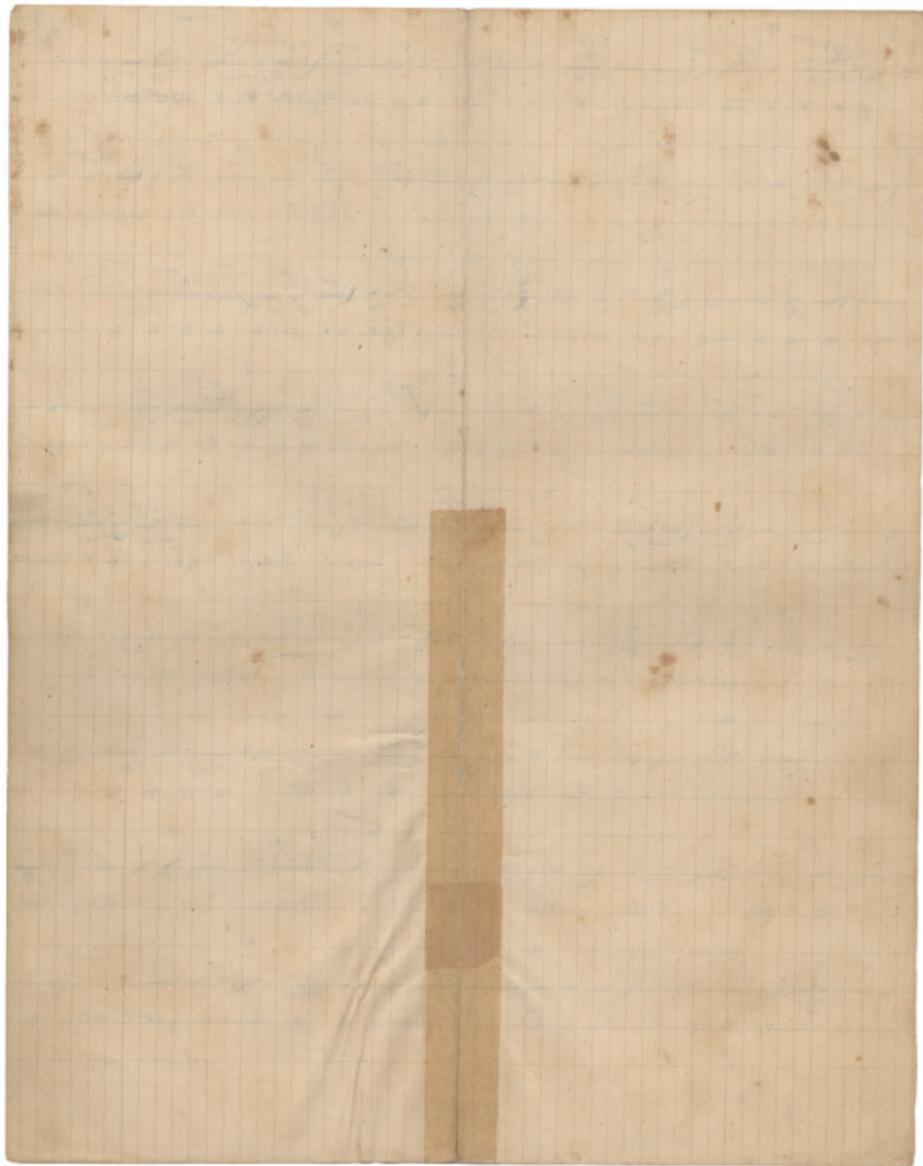
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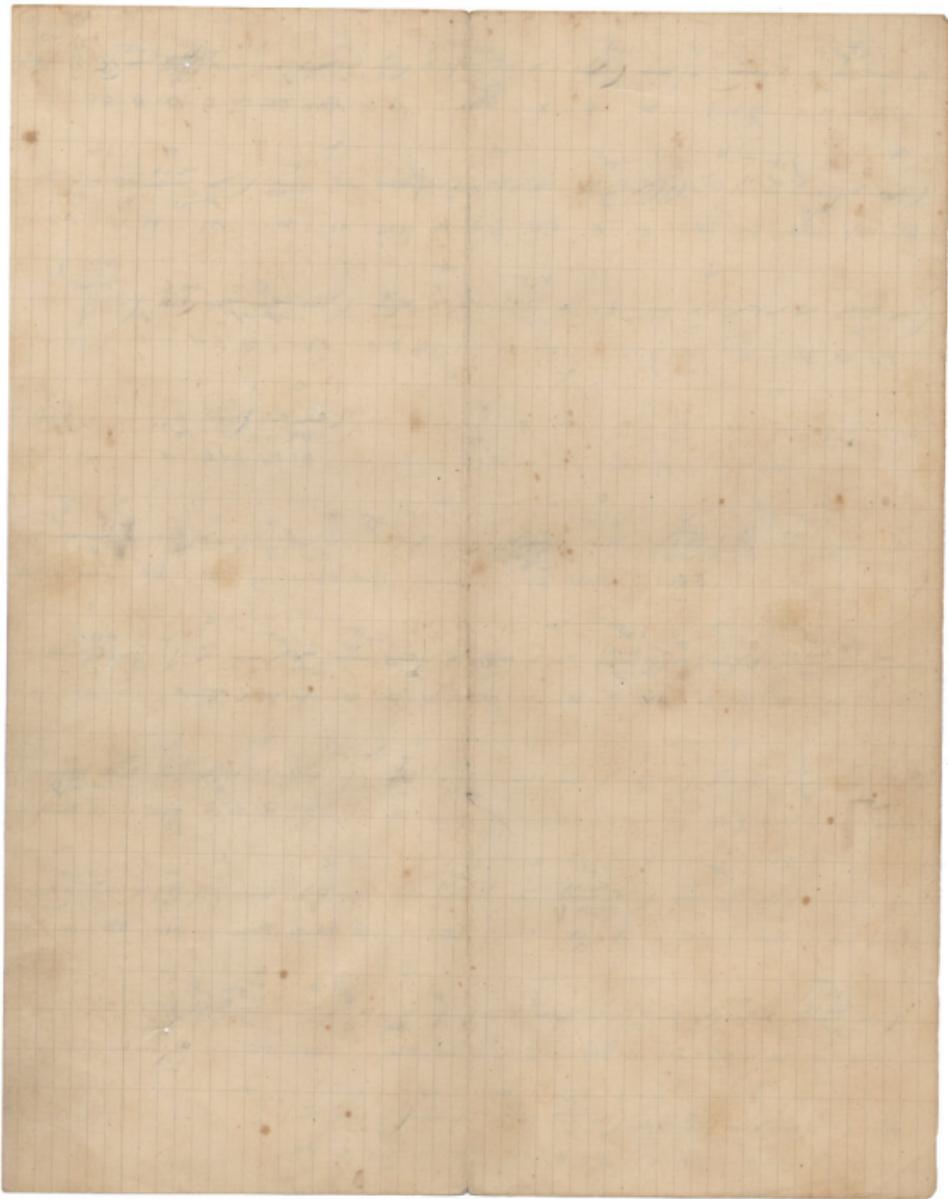
$\frac{1}{x^2}$   $\frac{1}{x^3}$   $\frac{1}{x^4}$   $\frac{1}{x^5}$   $\frac{1}{x^6}$   $\frac{1}{x^7}$   $\frac{1}{x^8}$   $\frac{1}{x^9}$   $\frac{1}{x^{10}}$   $\frac{1}{x^{11}}$   $\frac{1}{x^{12}}$   $\frac{1}{x^{13}}$   $\frac{1}{x^{14}}$   $\frac{1}{x^{15}}$   $\frac{1}{x^{16}}$   $\frac{1}{x^{17}}$   $\frac{1}{x^{18}}$   $\frac{1}{x^{19}}$   $\frac{1}{x^{20}}$   $\frac{1}{x^{21}}$   $\frac{1}{x^{22}}$   $\frac{1}{x^{23}}$   $\frac{1}{x^{24}}$   $\frac{1}{x^{25}}$   $\frac{1}{x^{26}}$   $\frac{1}{x^{27}}$   $\frac{1}{x^{28}}$   $\frac{1}{x^{29}}$   $\frac{1}{x^{30}}$   $\frac{1}{x^{31}}$   $\frac{1}{x^{32}}$   $\frac{1}{x^{33}}$   $\frac{1}{x^{34}}$   $\frac{1}{x^{35}}$   $\frac{1}{x^{36}}$   $\frac{1}{x^{37}}$   $\frac{1}{x^{38}}$   $\frac{1}{x^{39}}$   $\frac{1}{x^{40}}$   $\frac{1}{x^{41}}$   $\frac{1}{x^{42}}$   $\frac{1}{x^{43}}$   $\frac{1}{x^{44}}$   $\frac{1}{x^{45}}$   $\frac{1}{x^{46}}$   $\frac{1}{x^{47}}$   $\frac{1}{x^{48}}$   $\frac{1}{x^{49}}$   $\frac{1}{x^{50}}$   $\frac{1}{x^{51}}$   $\frac{1}{x^{52}}$   $\frac{1}{x^{53}}$   $\frac{1}{x^{54}}$   $\frac{1}{x^{55}}$   $\frac{1}{x^{56}}$   $\frac{1}{x^{57}}$   $\frac{1}{x^{58}}$   $\frac{1}{x^{59}}$   $\frac{1}{x^{60}}$   $\frac{1}{x^{61}}$   $\frac{1}{x^{62}}$   $\frac{1}{x^{63}}$   $\frac{1}{x^{64}}$   $\frac{1}{x^{65}}$   $\frac{1}{x^{66}}$   $\frac{1}{x^{67}}$   $\frac{1}{x^{68}}$   $\frac{1}{x^{69}}$   $\frac{1}{x^{70}}$   $\frac{1}{x^{71}}$   $\frac{1}{x^{72}}$   $\frac{1}{x^{73}}$   $\frac{1}{x^{74}}$   $\frac{1}{x^{75}}$   $\frac{1}{x^{76}}$   $\frac{1}{x^{77}}$   $\frac{1}{x^{78}}$   $\frac{1}{x^{79}}$   $\frac{1}{x^{80}}$   $\frac{1}{x^{81}}$   $\frac{1}{x^{82}}$   $\frac{1}{x^{83}}$   $\frac{1}{x^{84}}$   $\frac{1}{x^{85}}$   $\frac{1}{x^{86}}$   $\frac{1}{x^{87}}$   $\frac{1}{x^{88}}$   $\frac{1}{x^{89}}$   $\frac{1}{x^{90}}$   $\frac{1}{x^{91}}$   $\frac{1}{x^{92}}$   $\frac{1}{x^{93}}$   $\frac{1}{x^{94}}$   $\frac{1}{x^{95}}$   $\frac{1}{x^{96}}$   $\frac{1}{x^{97}}$   $\frac{1}{x^{98}}$   $\frac{1}{x^{99}}$   $\frac{1}{x^{100}}$

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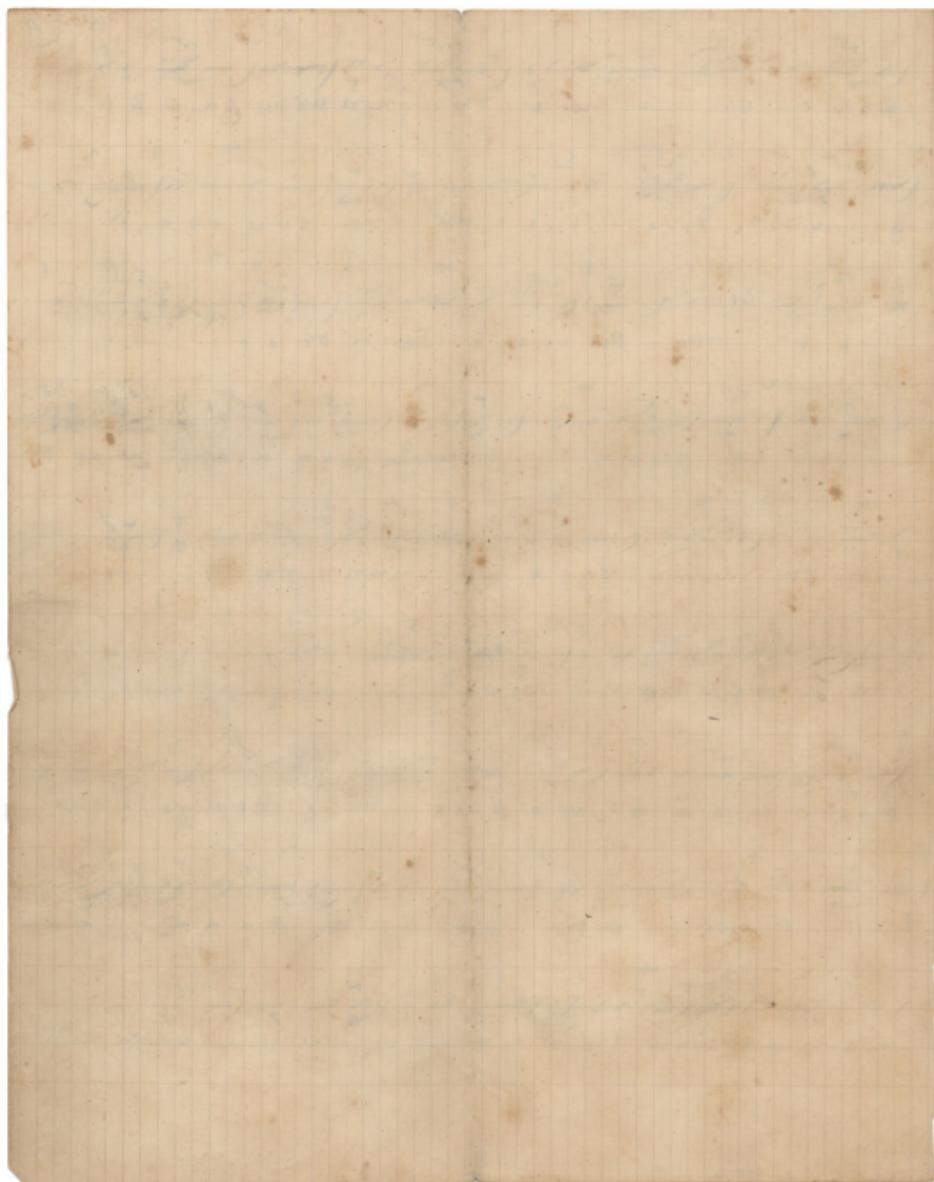
recognize your own vector

$$X = \frac{\left(\frac{R_{\text{ext}}}{C_{\text{ext}}} + \frac{1}{L}\right)^{-1} X_0}{\left(\frac{R_{\text{ext}}}{C_{\text{ext}}} + \frac{1}{L}\right)^{-1} X_0 + \frac{1}{R_{\text{ext}}}}$$

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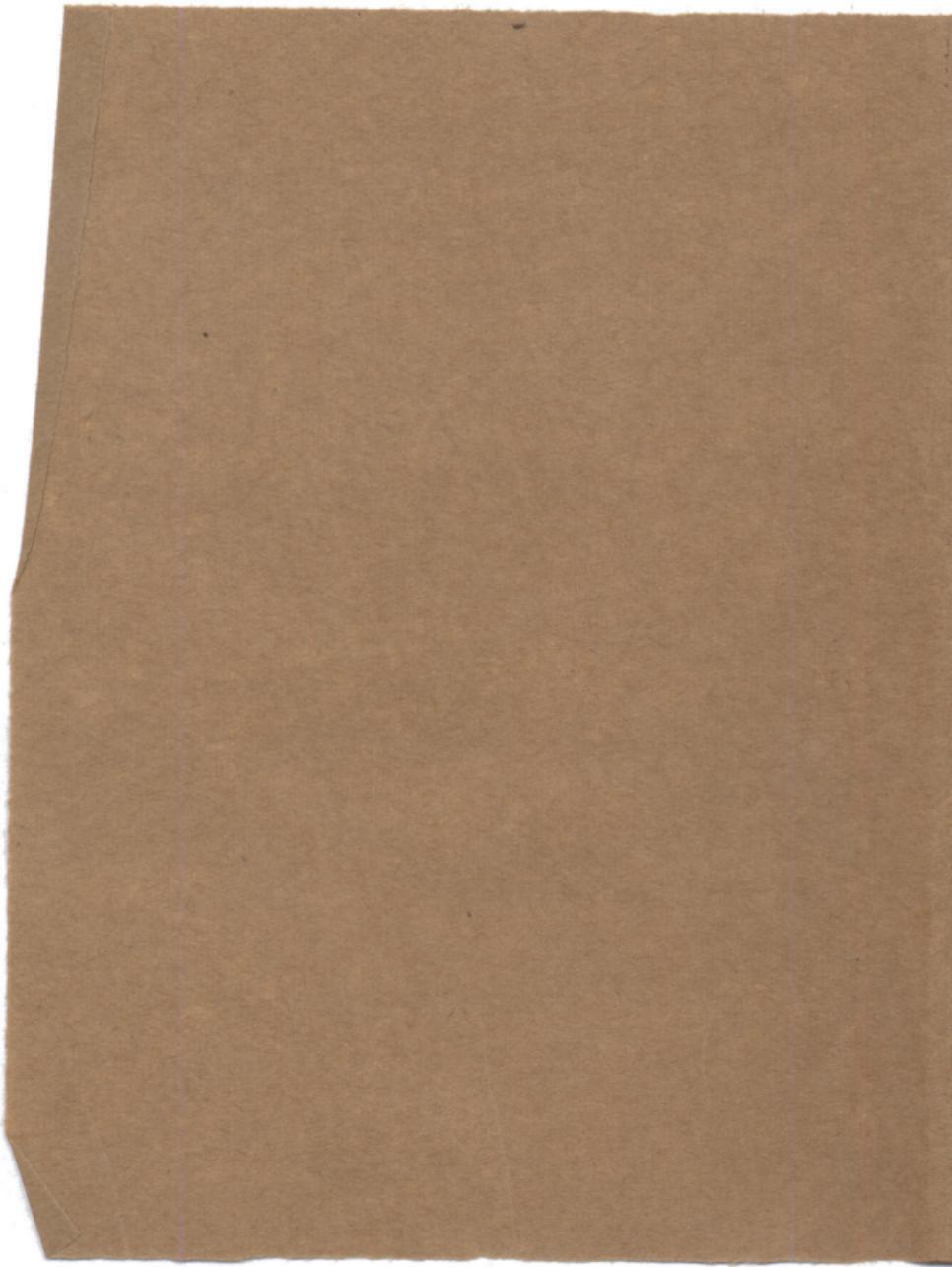
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## திருவாண்டார் பேரூர்

$$\frac{1}{\Delta_0} \approx \frac{1}{\rho} \sqrt{\frac{1}{\rho} - \frac{1}{\rho_0}} \rightarrow \frac{1}{\rho} \sqrt{\frac{1}{\rho} + \frac{1}{\rho_0}} = \frac{1}{\rho} \sqrt{\frac{1}{\rho} + \frac{1}{\rho_0}}$$

$$\sqrt{\frac{p}{n}} \geq \frac{1}{\sqrt{n}} \left( \sqrt{p} - \sqrt{\frac{p}{n}} \right) = \frac{\sqrt{p}}{\sqrt{n}} \geq \frac{\sqrt{p}}{n}$$

$\sqrt{\frac{4\pi}{3}} \cdot \frac{1}{r^2} \cdot \frac{1}{r^2} \cdot \frac{1}{r^2} \cdot \frac{1}{r^2} = \frac{1}{r^2} \cdot \frac{1}{r^2} \cdot \frac{1}{r^2} \cdot \frac{1}{r^2} \cdot \frac{1}{r^2} = \frac{1}{r^2} \cdot \frac{1}{r^2} \cdot \frac{1}{r^2} \cdot \frac{1}{r^2} \cdot \frac{1}{r^2}$

$\frac{1}{\sqrt{n}} \rightarrow \frac{\sqrt{n}}{\sqrt{n}} = 1$

$\frac{1}{z^2} = \frac{1}{(z-1)(z+1)} = \frac{A}{z-1} + \frac{B}{z+1}$

$$\frac{1}{x^2} \cdot \frac{1}{\sqrt{x}} = \frac{1}{x^{2+\frac{1}{2}}} = \frac{1}{x^{\frac{5}{2}}} = \frac{1}{x^{\frac{1}{2}} \cdot x^2} = \frac{1}{x^{\frac{1}{2}}} \cdot \frac{1}{x^2}$$



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$\frac{1}{r} \rightarrow \frac{1}{r} \rightarrow \frac{1}{r}$   
 znv oia uap tww zor to oo e oo oov pnoo

$\frac{1}{r} \rightarrow \frac{1}{r} \rightarrow \frac{1}{r}$   
 oo zda a ddd d aaaa la aaaa tnv ol

$\frac{1}{r} \rightarrow \frac{1}{r} \rightarrow \frac{1}{r}$   
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$\rightarrow \frac{1}{r} \rightarrow \frac{1}{r}$   
 e ol l l l tnn nn ntitapaaa a muuuu oll

$\rightarrow \frac{1}{r} \rightarrow \frac{1}{r}$   
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$\rightarrow \frac{1}{r} \rightarrow \frac{1}{r}$   
 nooooo ooo ooo ooo ooo ooo ooo ooo ooo

$x \rightarrow \frac{1}{r} \rightarrow \frac{1}{r}$   
 x un g on n n tov uuuu beee ep vnn nn mm tnv

$\frac{1}{r} \rightarrow \frac{1}{r} \rightarrow \frac{1}{r}$   
 ol da d dd d ar tettor nava x ep muuuu ipooo



$\frac{1}{\sqrt{2}} \rightarrow \frac{i\sqrt{2}}{2} \rightarrow \frac{\sqrt{2}}{2} \rightarrow \frac{1}{\sqrt{2}} \rightarrow \frac{i\sqrt{2}}{2} \rightarrow \frac{\sqrt{2}}{2} \rightarrow \frac{1}{\sqrt{2}}$

$$\frac{1}{\sqrt[n]{n^n}} = \frac{1}{n^{\frac{n}{n}}} = \frac{1}{n^1} = \frac{1}{n}$$

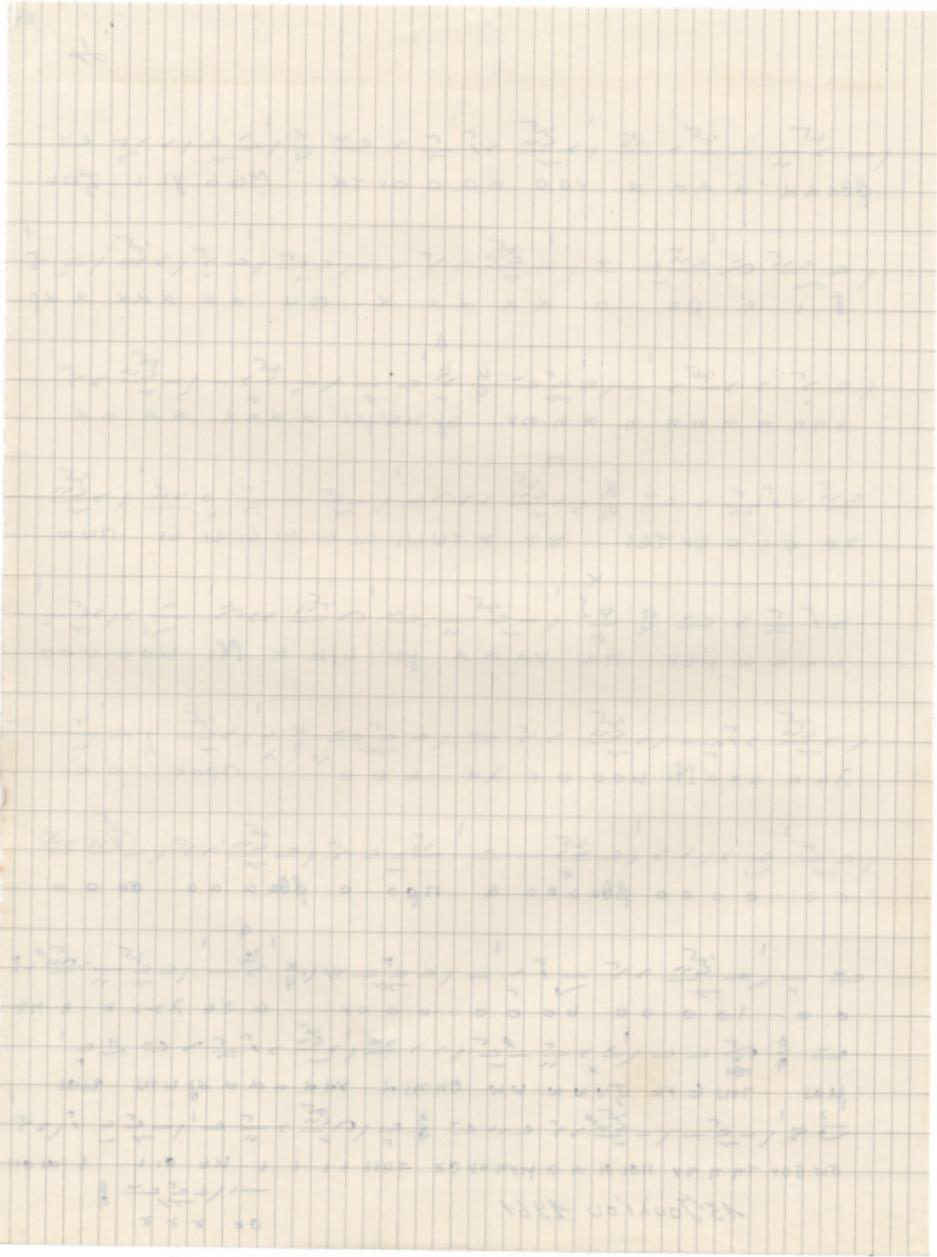
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$\sum_{n=1}^{\infty} \frac{(-1)^n}{n}$  is a conditionally convergent series.

$\lambda \text{ua uaalN} \text{ uoo o o } \lambda x \text{ eee' } \frac{x}{x} - \frac{x}{x}$

$\sqrt{c^2 - \frac{v^2}{c^2}} = \sqrt{1 - \frac{v^2}{c^2}}$

13 July 1961



6. *Scenopis* *Nugēs* <sup>#1</sup> *üreus* <sup>#1</sup> *versicolor*

$$\overline{H} \times_{\partial S^1} \overline{\Omega} \stackrel{\cong}{\longrightarrow} \Delta_0 \times_{\partial S^1} \Omega$$

$$\frac{1}{w} \times \frac{1}{w} = \frac{1}{w^2}$$

THE WINE GROUP THE WINES OF THE WORLD

$\left( \frac{\frac{1}{\sqrt{2}}}{\sqrt{2}} \right) \times \left( -\frac{1}{\sqrt{2}} \right) \times \left( \frac{1}{\sqrt{2}} \right) \times \left( \frac{1}{\sqrt{2}} \right) = -\frac{1}{8}$

6 VOL TH 6 TH 61 1 W W TTA VHM YU C ZO B Z Z

$$\frac{1}{\sqrt{1-\frac{v^2}{c^2}}}\left(\frac{1}{\sqrt{1-\frac{v^2}{c^2}}}\right)^{-1} = \frac{1}{\sqrt{1-\frac{v^2}{c^2}}} \cdot \frac{1}{\sqrt{1-\frac{v^2}{c^2}}} = \frac{1}{1-\frac{v^2}{c^2}}$$

$\frac{1}{\sqrt{2}} \left( -i \hat{x} + i \hat{y} \right)$   $\frac{1}{\sqrt{2}} \left( \hat{x} + i \hat{y} \right)$   $\frac{1}{\sqrt{2}} \left( \hat{x} - i \hat{y} \right)$   $\frac{1}{\sqrt{2}} \left( i \hat{x} + \hat{y} \right)$   
X-POS Base  $\alpha$   $\beta$   $\gamma$   $\delta$   $\epsilon$   $\zeta$   $\eta$   $\theta$   $\varphi$   $\psi$   $\chi$   $\nu$   $\sigma$   $\tau$   $\omega$   $\rho$   $\mu$   $\lambda$   $\kappa$   $\pi$   $\rho$   $\mu$   $\lambda$   $\kappa$   $\pi$



— *ε ε ε ε* *TW w w w w w w* *εav* *μαλτούδι o* *vei ei ei ei ei* *ei ei ei ei*

PROBLEMS 66-71. If  $a$  is a real number, find  $\frac{d}{dx} \left( \frac{-c}{x} \right)$ .

EL EL EL EL 00000 0 0 VTA a VAL TIS KUPATYME VVRS TPEAEGIS

$\vec{x} = \begin{pmatrix} \sqrt{c_{11}} \\ \vdots \\ \sqrt{c_{nn}} \end{pmatrix} = \begin{pmatrix} c_1 \\ \vdots \\ c_n \end{pmatrix} = \begin{pmatrix} -c_1 \\ \vdots \\ -c_n \end{pmatrix} = \begin{pmatrix} -c_1 \\ \vdots \\ -c_n \end{pmatrix}$

(→)  $\frac{dy}{dx} = \frac{e^x - e^{-x}}{(e^x + e^{-x})^2}$   $\Rightarrow \frac{dy}{dx} = \frac{e^{2x} - 1}{(e^{2x} + 1)^2}$   $\Rightarrow \frac{dy}{dx} = \frac{e^{2x} - 1}{e^{4x} + 2e^{2x} + 1}$   $\Rightarrow \frac{dy}{dx} = \frac{e^{2x} - 1}{(e^{2x} + 1)^2}$

do ov TES ee ee GHNH mu-4 n n n n n n n n n n



of a map  $\pi_{\text{map}}$  from  $\lambda^{01}$  to  $T_0 \circ \dots \circ \circ_0$  over  $\pi_{\text{proo}}$   $\circ \circ_0 \circ_0$ .

$$\frac{1}{P_1} = \frac{1}{P_2} + \frac{1}{P_3}$$

$$-\frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ 1 \\ 1 \\ 1 \end{array} \right) \phi^{\dagger} + \frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ -1 \\ 1 \\ -1 \end{array} \right) \phi^{\dagger}$$

THURSDAY paaaa muuuu - - - - - - - - - - - - - - -

$\frac{1}{1-p_1} - p_1 \approx \frac{1}{1-p_1} + p_1$

$\text{Me} \in \gamma_1 \cap \text{fov.} J = \{\alpha\}$

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Bohemia 2000-2001  
Saxony 2000-2001  
Upper Palatinate 2000-2001  
Bavaria 2000-2001

Württemberg 2000-2001  
Baden-Württemberg 2000-2001  
Hessen 2000-2001  
Niedersachsen 2000-2001

Sachsen-Anhalt 2000-2001  
Sachsen 2000-2001  
Thüringen 2000-2001  
Mecklenburg-Vorpommern 2000-2001  
Brandenburg 2000-2001

Bayern 2000-2001  
Bremen 2000-2001  
Berlin 2000-2001  
Hamburg 2000-2001

$$-\frac{1}{\epsilon_1} \frac{1}{\epsilon_1} \frac{1}{\epsilon_1} \times \left( \frac{\epsilon_1}{\epsilon_1} \right) \times \left( \frac{\epsilon_1}{\epsilon_1} \right) \times \pi w w w w w w \mu_{ev} \frac{\alpha}{\pi a} \sqrt{\frac{\epsilon_1}{\epsilon_1}} \frac{\epsilon_1}{\epsilon_1} \frac{\epsilon_1}{\epsilon_1}$$

$$a^{\frac{m}{n}} = \sqrt[n]{a^m} = (\sqrt[n]{a})^m$$

$$\frac{1}{e^2} \frac{1}{e^2} \frac{1}{e^2} \frac{1}{e^2} = \frac{\pi^2}{\Gamma^2(0.5)} = \frac{\pi^2}{2} = \frac{\pi^2}{2} \frac{1}{e^2} \frac{1}{e^2} \frac{1}{e^2} \frac{1}{e^2} = \frac{\pi^2}{2} \frac{1}{e^2} \frac{1}{e^2} \frac{1}{e^2} \frac{1}{e^2}$$

$$\frac{1}{\pi} \left( \frac{1}{r_1} - \frac{1}{r_2} \right) = \frac{1}{\pi} \left( \frac{1}{20000000} - \frac{1}{2000000} \right) = \frac{1}{\pi} \left( \frac{1}{19800000} \right) = \frac{1}{\pi} \left( \frac{1}{19800000} \right)$$

THESE ARE THE NAMES OF THE MEMBERS OF THE COMMITTEE.

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$\overbrace{\text{MEE}}^{\text{ME}} \text{ } \overbrace{\text{G}}^{\text{G}} \text{ } \overbrace{\text{G}}^{\text{G}} \text{ } \overbrace{\text{G}}^{\text{G}} \text{ } \overbrace{\text{G}}^{\text{G}}$

→ → (c) (c) (c) (c) → (c) (c) (c) (c) → (c) (c) (c) (c)

$$\frac{d}{dx} \left( \frac{\sin x}{x} \right) = \frac{x \cos x - \sin x}{x^2}$$

$\frac{4}{\pi} \cos^4 x - \frac{4}{\pi} \cos^2 x + \frac{1}{\pi}$   $\Rightarrow$   $\frac{1}{\pi} \cos^4 x + \frac{1}{\pi} \cos^2 x + \frac{1}{\pi}$   $\Rightarrow$   $\frac{1}{\pi} \cos^4 x + \frac{1}{\pi} \cos^2 x + \frac{1}{\pi}$   $\Rightarrow$   $\frac{1}{\pi} \cos^4 x + \frac{1}{\pi} \cos^2 x + \frac{1}{\pi}$

(6)

λατεράς η δέ  
οοο εξειδη την και την περιφέρεια

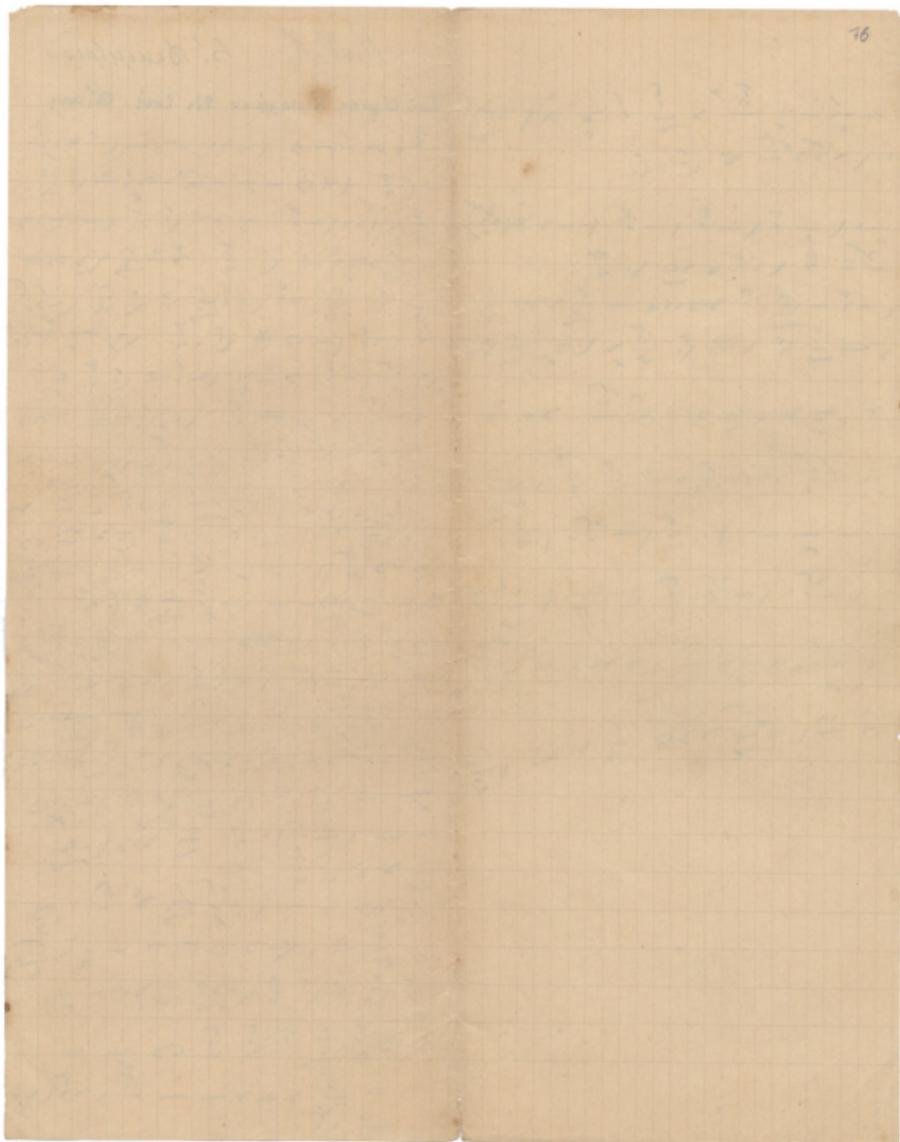
επιβολής της απόστασης από την περιφέρεια  
εγκαταστώντας στην περιφέρεια την περιφέρεια

περιφέρειας της απόστασης από την περιφέρεια  
που είναι πιο μεγάλη από την περιφέρεια

της απόστασης από την περιφέρεια της περιφέρειας

Αθηναϊκος Λαζαρεάνιος  
Βασιλείος Κομαρόπολης

Σ. Δεκεπέριον  
Αρχεράη



B.N.K. S. Demetriou

Tōu aixiou Shizugéjiao zìs, Zǒngs, Qínwūs

*Nymphaea* *rexii* *Spix* *1829*

$$\frac{1}{H} \times \cos \pi \approx \frac{\sum p}{\Delta_0} \approx \left( \sum_{i=1}^n \left( \frac{p_i}{\Delta_0} \right) - \left( \dots - \left( \frac{p_n}{\Delta_0} \right) \right) \right) \approx \frac{\sum p}{\Delta_0} = \frac{\sum p}{\Delta_0} = \frac{\sum p}{\Delta_0}$$

$x$   $\frac{d^2x}{dt^2}$   $\ddot{x}$   $\frac{dx}{dt}$   $\dot{x}$   $\frac{d}{dt}$   $\frac{d}{dx}$   $\frac{d}{d\dot{x}}$   $\frac{d}{d\ddot{x}}$   $\frac{d}{d\dot{\ddot{x}}}$   $\frac{d}{d\ddot{\ddot{x}}}$   $\frac{d}{d\ddot{\ddot{\ddot{x}}}}$

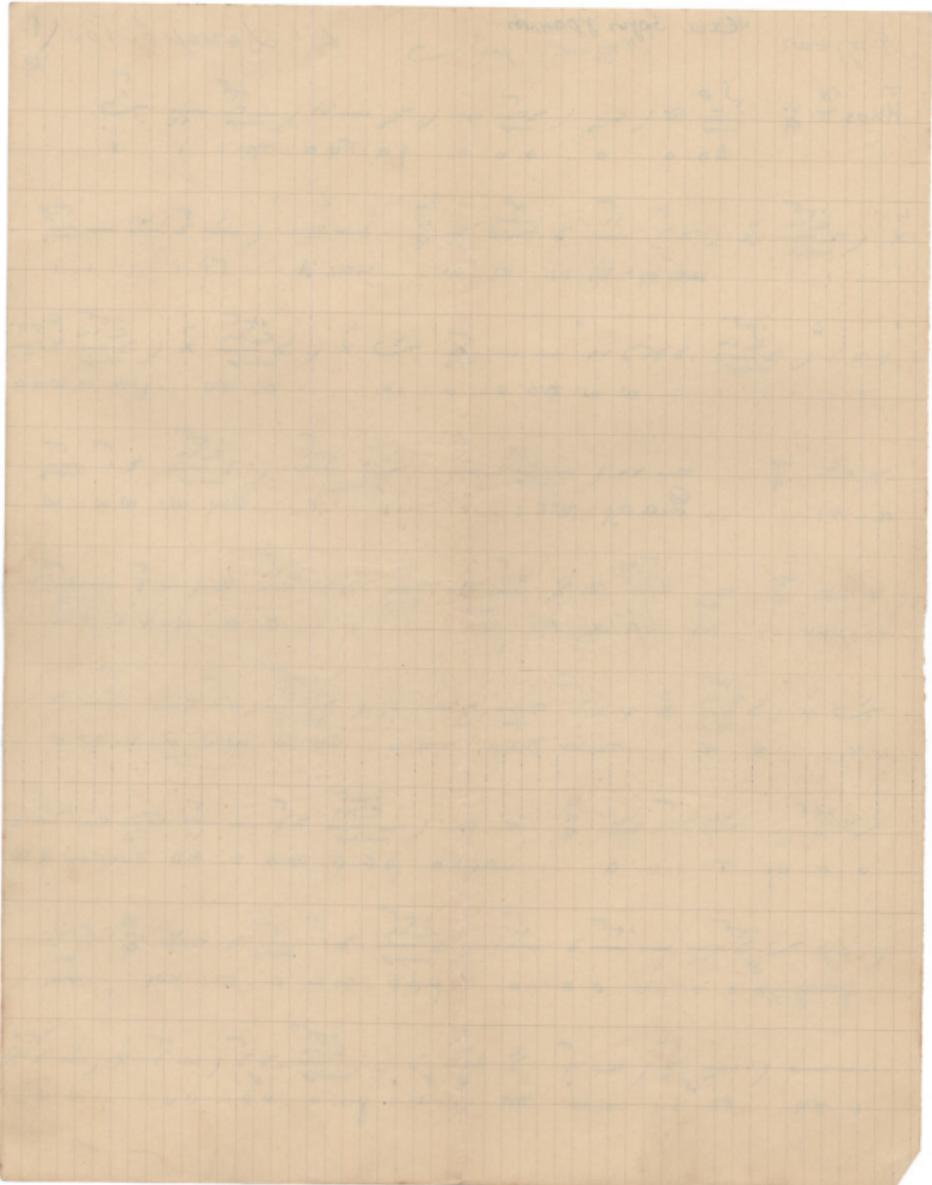
$\frac{1}{(1-x)^6} = 1 + 6x + 15x^2 + 20x^3 + 15x^4 + 6x^5 + x^6$

$$\frac{1}{a+1} = \frac{1}{\pi} - \frac{1}{\pi^2} + \frac{1}{\pi^3} - \frac{1}{\pi^4} + \dots$$

$$x \left( x^5 - x^2 \sqrt{x^2 + 1} \right) = x^6 - x^3 \sqrt{x^2 + 1}$$

$\text{vol}_{\text{vol}} = \frac{\pi}{4} d^2 h$

$$-\frac{1}{61} \left( \frac{1}{\sin x} - \frac{1}{\sin y} \right) = \frac{1}{61} \left( \frac{\cos x}{\sin x \cos x} - \frac{\cos y}{\sin y \cos y} \right) = \frac{1}{61} \left( \frac{\cos x}{\sin x} - \frac{\cos y}{\sin y} \right)$$



19

∴  $\frac{1}{2} \times 100 = 50$

$$\left( \frac{\partial}{\partial u} \right)_{\pi} = \frac{\partial}{\partial u} - \frac{1}{\pi} \sum_{n=1}^{\infty} \frac{(-1)^n}{n} \frac{u^n}{\pi^n} = \frac{1}{u} - \frac{1}{\pi} \sum_{n=1}^{\infty} \frac{(-1)^n}{n} \frac{u^{n-1}}{\pi^n}$$

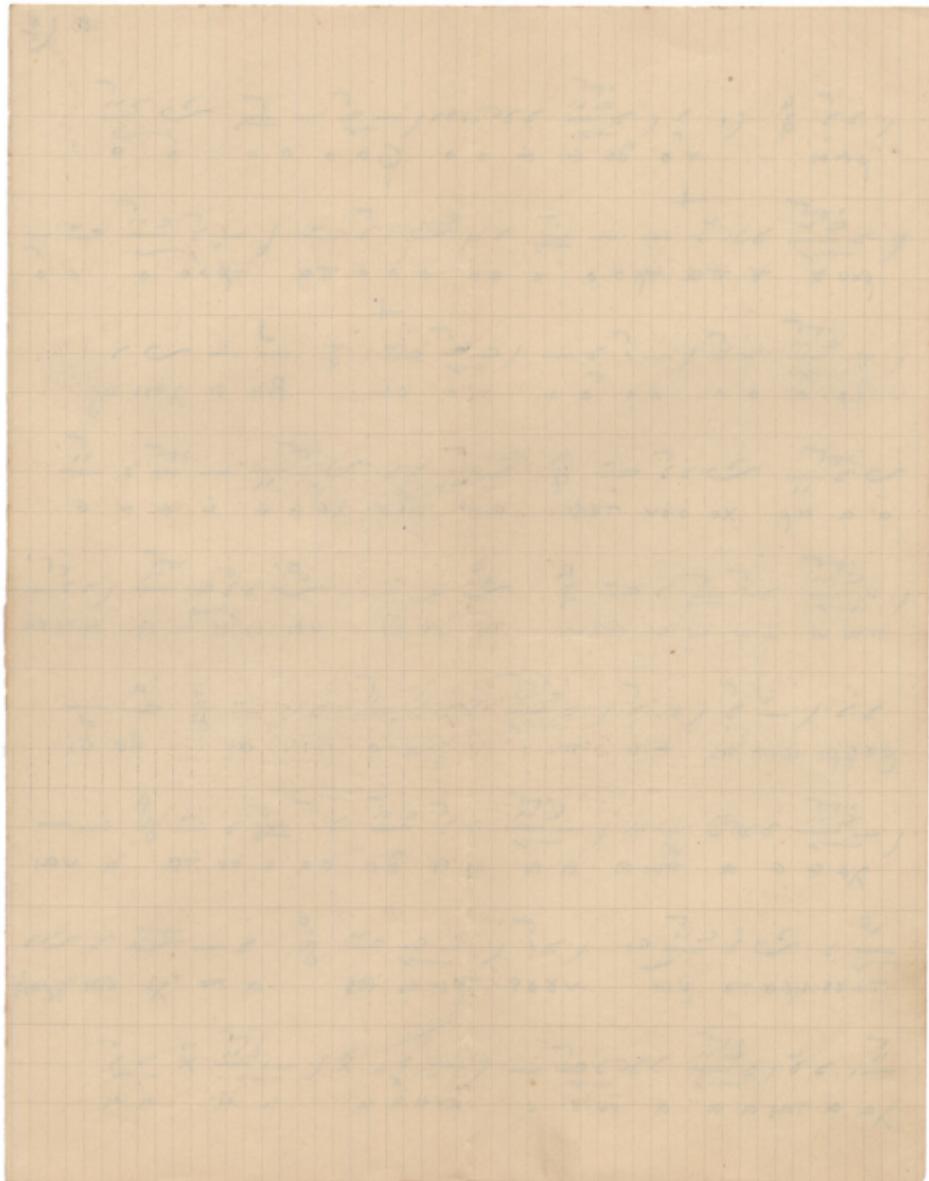
→  $\frac{C_1}{C_2} = \frac{1}{2}$  →  $C_1 = \frac{1}{2} C_2$  →  $C_1 = \frac{1}{2} \cdot 100 \text{ F} = 50 \text{ F}$

area  $\int \frac{d}{dx} \frac{1}{x}$   
ex 6.1  $\int x^2 dx$

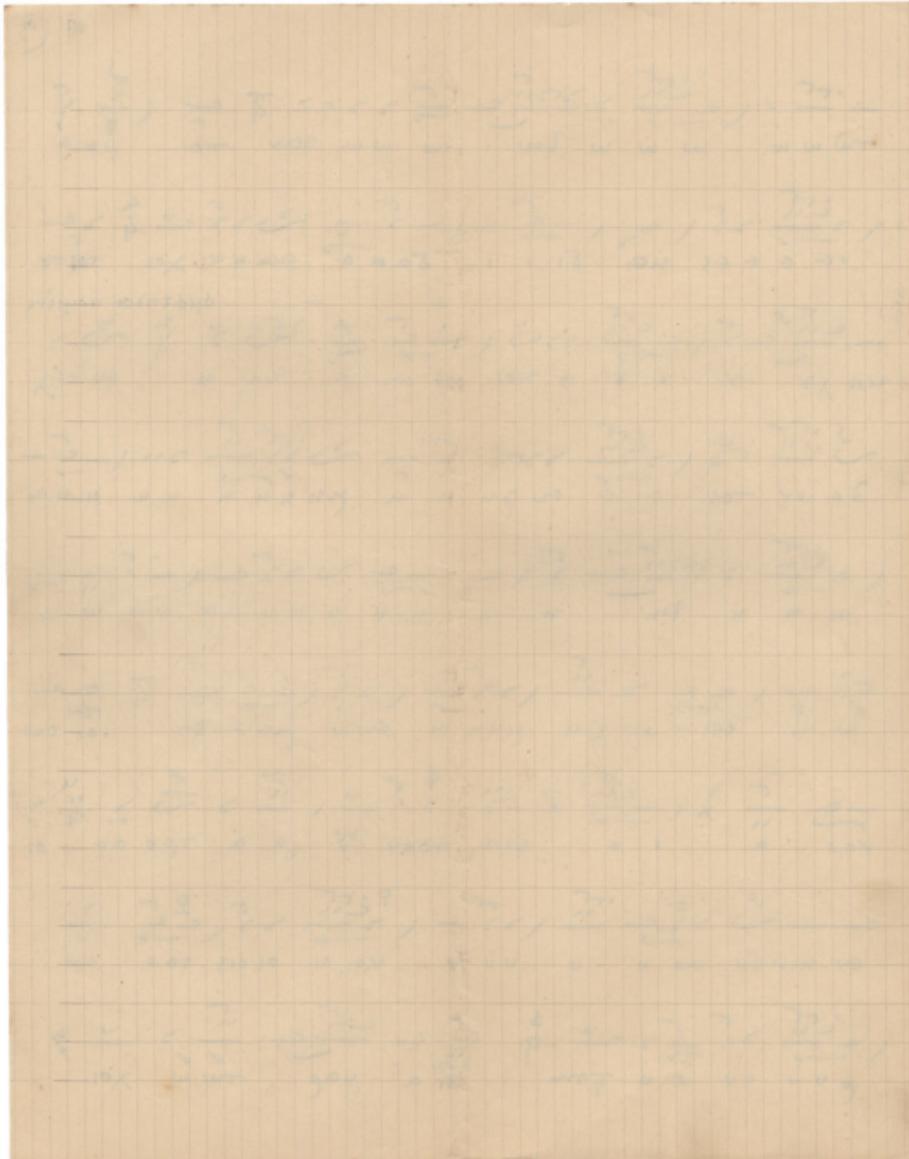
$\frac{\sqrt{5}}{2} \rightarrow \sqrt{5} - \frac{1}{2} \left( \frac{\sqrt{5}}{2} \right) \rightarrow \frac{\sqrt{5}}{2} \rightarrow \frac{\sqrt{5}}{2} \rightarrow \frac{\sqrt{5}}{2} \rightarrow \frac{\sqrt{5}}{2} \rightarrow \frac{\sqrt{5}}{2}$  0.25

$\frac{v}{T} \rightarrow \frac{v}{v_{\text{loss}}} \rightarrow \frac{v}{v_{\text{loss}} + v_{\text{recoil}}} \rightarrow \frac{v}{v_{\text{loss}} + v_{\text{recoil}} + v_{\text{atmosphere}}} \rightarrow \frac{v}{v_{\text{loss}} + v_{\text{recoil}} + v_{\text{atmosphere}} + v_{\text{cosmological}}} \rightarrow \frac{v}{v_{\text{loss}} + v_{\text{recoil}} + v_{\text{atmosphere}} + v_{\text{cosmological}} + v_{\text{gravitational}}}$

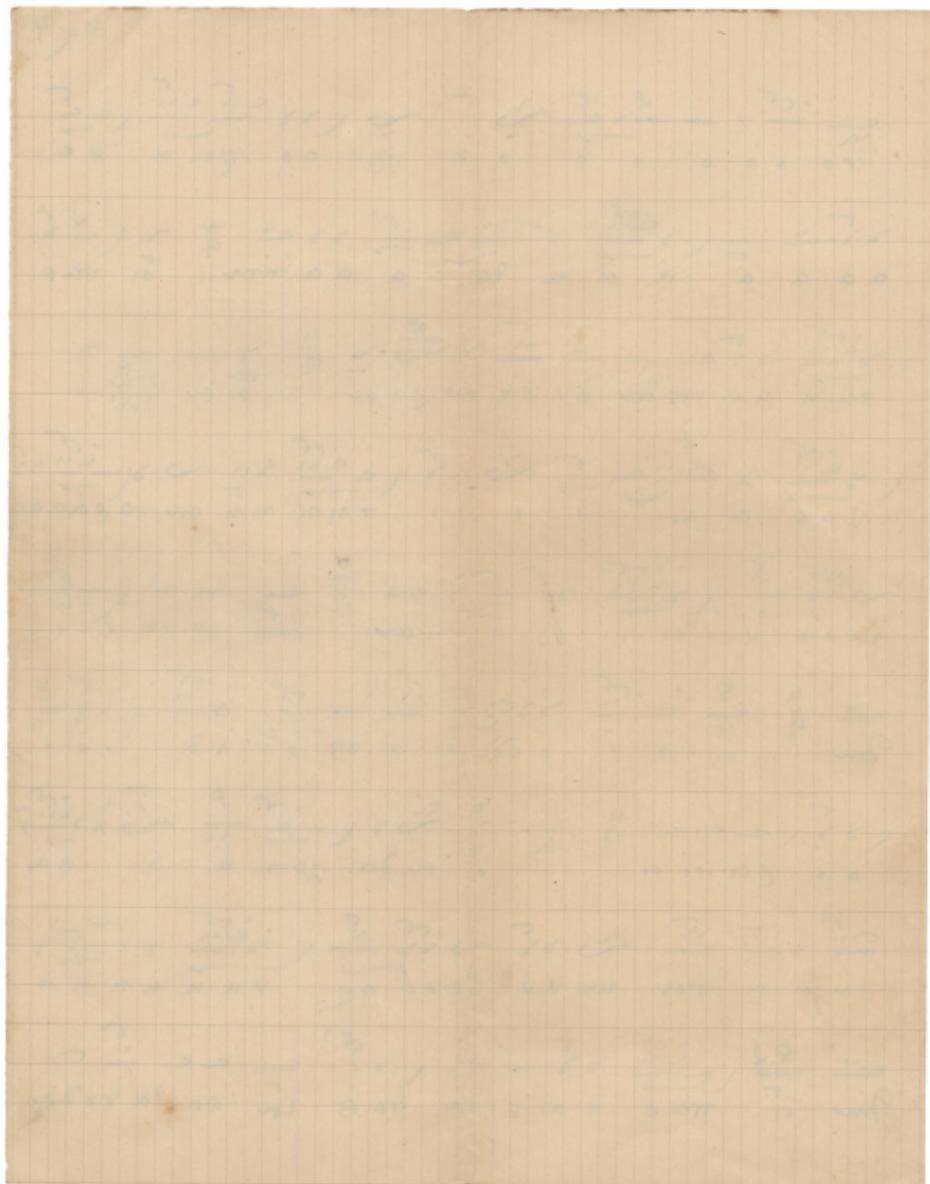
$$\frac{1}{\lambda} \cdot \frac{\partial}{\partial \lambda} \left( \frac{\lambda^2}{2} \right) = \frac{1}{\lambda} \cdot \lambda = 1$$

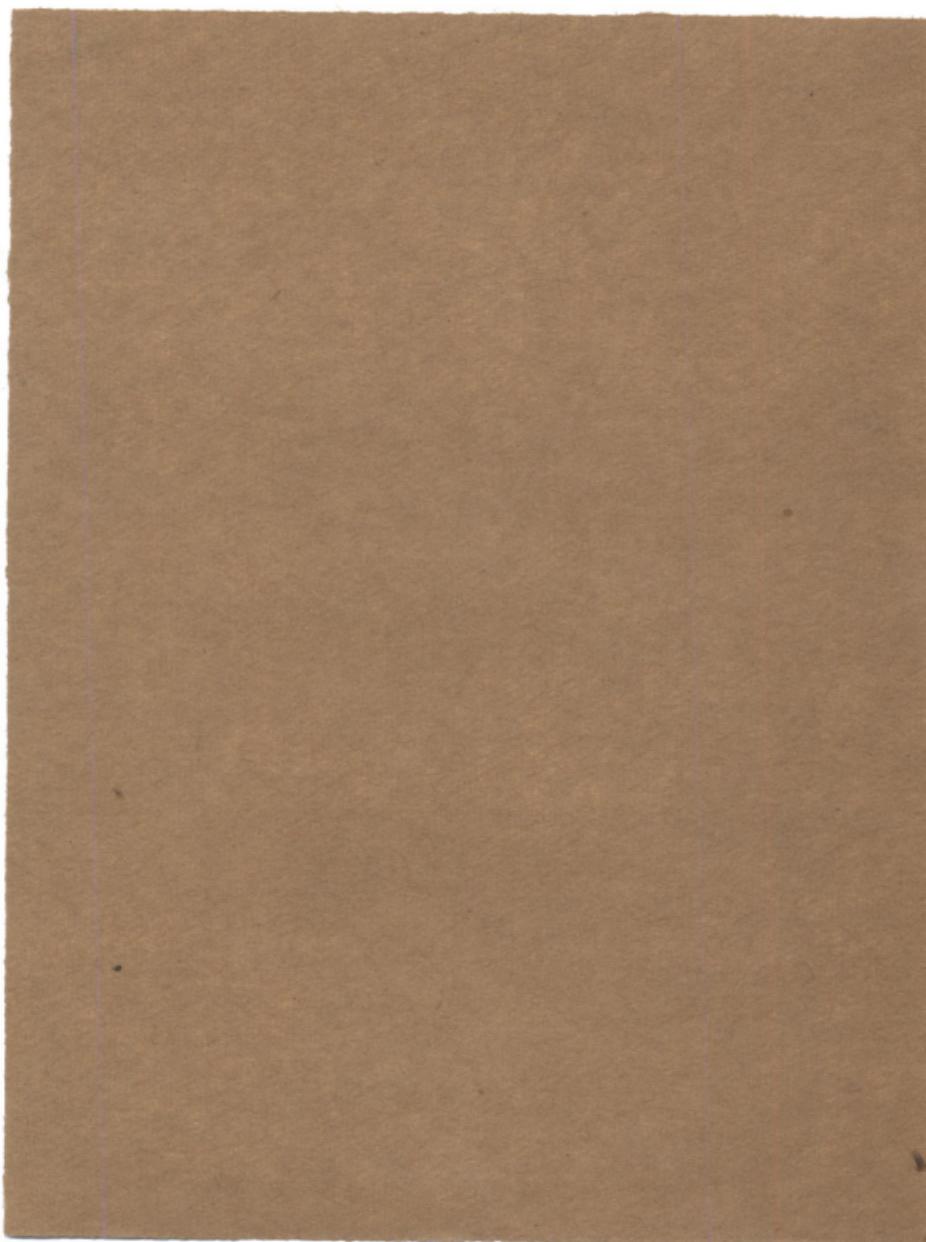










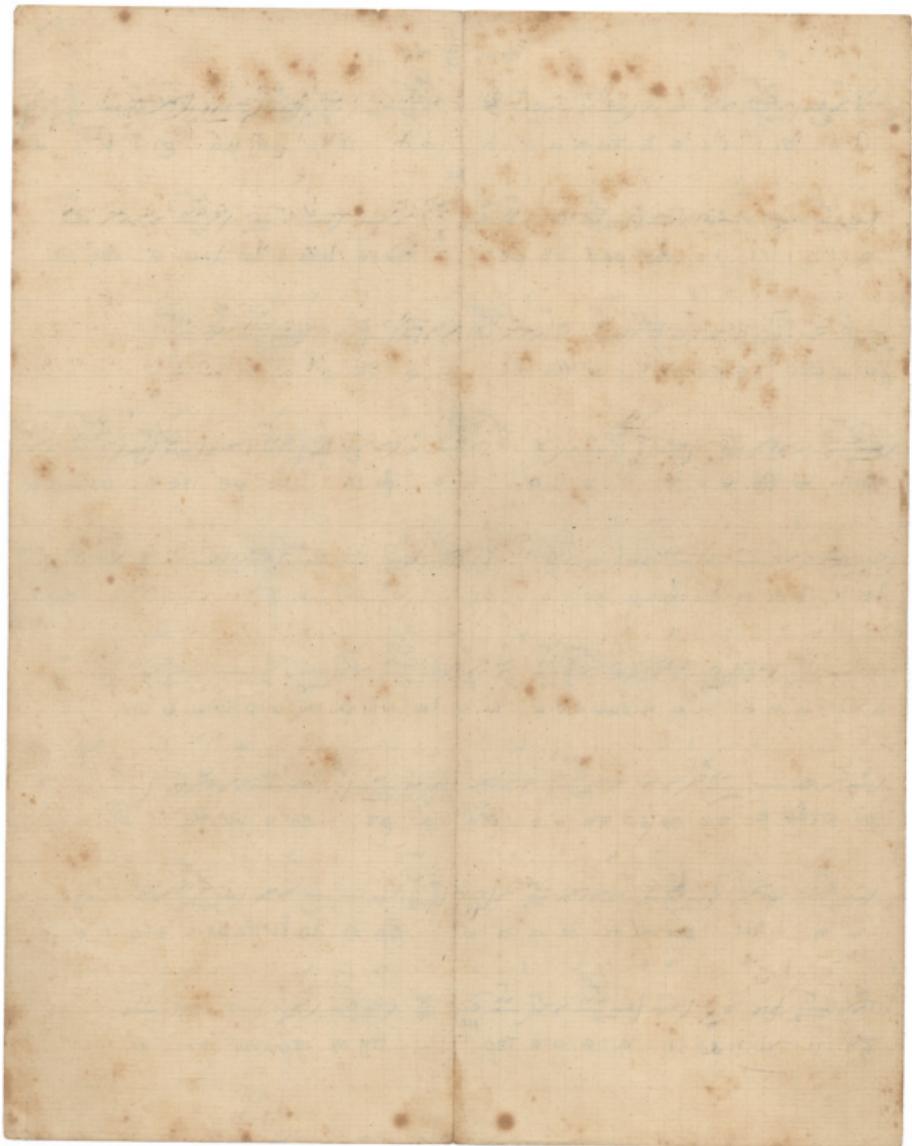


Тр. IB! Semipaloo  
в м. Чемеровка 1684

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Φιλαρίδεν τοῦ Σεβασμοῦ  
τον καὶ Θραυστῆν τον  
Μητροπολίτον τῆς αγίω-  
τάς, Μητρόπολης Διδυ-  
μοτούχον πρεσβύτερον καὶ  
ἱεραρχὸν πατρὸν βοδο-  
πον, οὗ μὲν δὲ πατρός  
καὶ ιεραρχὸς τοῦτο  
ταῦτα.

Τῇ ΙΒ. Δεκεμβρία τῇ ἀττική  
Στρυμώνος Δόξα τῷ ἐσπεριν-  
ήκος ἡ πα

Arlegapion



N.A.K.

Drymas

Την ΙΒ.' Σειράς πρώτου του υγρού Σαυπέρωνος

Έχει διαθέσεις Δόξα ιστοκος και

Δόξα πλα της μαλακήσαντας ή να γίνει η αγγειοπλαστική

Πρέπει να είναι μαλακά αλλά

Ο ο οι λιγεστά παραδόξα της μαλακήσαντας

Πρέπει στην πλαστική λιγεστά παραδόξα της μαλακήσαντας

μπαστάρ με περιττό πλαστικό παραδόξα της μαλακήσαντας

γαστρική πλαστική παραδόξα της μαλακήσαντας

δε με τη βασική πλαστική παραδόξα της μαλακήσαντας

περιττό πλαστικό παραδόξα της μαλακήσαντας



With  $\lambda$  and  $\mu$  being positive, we have  $\lambda \geq \mu$ . This implies  $\lambda - \mu \geq 0$ , so  $\frac{\lambda - \mu}{\lambda} \geq 0$ . Therefore,  $\frac{\lambda - \mu}{\lambda} \in [0, 1]$ .

$\left( \frac{\sqrt{5}}{2}, \sqrt{5} \right) \cup \left( \frac{1}{2}, \infty \right)$   $\rightarrow$   $\alpha \wedge \alpha \vee \beta \wedge \beta \rightarrow \alpha \wedge \beta$

לעומת זה, מילויים נטולי רוח נפוצים במקומות רבים.

XU TOV YUVUR L ME G TEE EOU E GW BN N N N N VAL TUAAS YU XUA



87



Tn 1B: *Dendrophis*

Eis Rois Alvouz

Dósa

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Nanjing

Τῇ ΙΒ' Δευτέρῃ μηνὶ τοῦ θεού Πατρὸς ἡμῶν καὶ δαυδατονοῖ  
Σεωριδώνος εἰς τὸν Αἴγαος Δόξαν οὐκέτι ξενός

$$\frac{1}{\sqrt{1-\frac{v^2}{c^2}}}\left(\frac{1}{\sqrt{1-\frac{v^2}{c^2}}}\right)^2 = \frac{1}{\sqrt{1-\frac{v^2}{c^2}}} \cdot \frac{1}{\sqrt{1-\frac{v^2}{c^2}}} = \frac{1}{1-\frac{v^2}{c^2}}$$

pa ap xaa a a a a 01 01 01 01 01 01 01 ue

$\frac{1}{\sqrt{c}} \frac{\pi}{50} - \frac{1}{\sqrt{c}} \frac{2}{\sin \eta_0} + \frac{1}{\sqrt{c}} \frac{\pi^2}{\sin^2 \eta_0} \frac{1}{\sqrt{c}} \frac{4}{\sin^2 \alpha} + \frac{1}{\sqrt{c}} \frac{6}{\sin^2 \alpha}$

$$\frac{1}{\mu_0 \pi \lambda^2} = \frac{1}{\rho_0} \left( \frac{1}{\rho_0} - \frac{1}{\rho_1} \right) \frac{1}{\rho_1} \left( \frac{1}{\rho_1} - \frac{1}{\rho_2} \right) \frac{1}{\rho_2} \left( \frac{1}{\rho_2} - \frac{1}{\rho_3} \right) \dots$$

$$\frac{1}{\sqrt{1-\frac{v^2}{c^2}}}$$

in the present paper we have considered the following  
problems:

(1) How to find the solution of the system of linear equations  
with the help of the method of successive substitutions.

(2) How to find the solution of the system of linear equations  
with the help of the method of successive substitutions.

(3) How to find the solution of the system of linear equations  
with the help of the method of successive substitutions.

(4) How to find the solution of the system of linear equations  
with the help of the method of successive substitutions.

(5) How to find the solution of the system of linear equations  
with the help of the method of successive substitutions.

(6) How to find the solution of the system of linear equations  
with the help of the method of successive substitutions.

(7) How to find the solution of the system of linear equations  
with the help of the method of successive substitutions.

(8) How to find the solution of the system of linear equations  
with the help of the method of successive substitutions.

$$\therefore \frac{B}{\delta t} = \frac{1}{c^2} - \frac{1}{c^2} + \frac{1}{c^2} - \frac{1}{c^2} + \frac{1}{c^2} - \frac{1}{c^2} + \frac{1}{c^2}$$

$$\int \frac{dx}{\sqrt{a_0 + a_1 x + a_2 x^2}} = \frac{1}{\sqrt{a_2}} \int \frac{dx}{1 - \left(\frac{a_1}{\sqrt{a_2}}x + \frac{a_0}{\sqrt{a_2}}\right)^2} = \frac{1}{\sqrt{a_2}} \operatorname{arctanh}\left(\frac{a_1}{\sqrt{a_2}}x + \frac{a_0}{\sqrt{a_2}}\right) + C$$

$$\frac{1}{\sqrt{1-x^2}} = \sum_{n=0}^{\infty} \frac{(-1)^n}{n!} \binom{n}{2} x^n$$

mass (p)  $\int_{-p}^p \frac{d}{dx} a \rightarrow \frac{1}{\sqrt{1-x^2}} \frac{d}{dx} a \rightarrow \frac{1}{\sqrt{1-x^2}} a + \frac{1}{\sqrt{1-x^2}} a$

ga a ke e a + ga a a as u tnv op

$$B = \frac{1}{\sqrt{1 - \frac{v^2}{c^2}}} \left( \begin{array}{cc} 1 & 0 \\ 0 & \frac{1}{\sqrt{1 - \frac{v^2}{c^2}}} \end{array} \right) \left( \begin{array}{cc} 1 & 0 \\ 0 & \frac{1}{\sqrt{1 - \frac{v^2}{c^2}}} \end{array} \right)^T$$

$$\frac{1}{\sqrt{\omega^2 - \epsilon^2}} = \frac{1}{\sqrt{\omega^2 - \epsilon_0^2}} + \frac{1}{\sqrt{\omega^2 - \epsilon_1^2}} + \frac{1}{\sqrt{\omega^2 - \epsilon_2^2}} + \dots$$

$\frac{1}{1} \cdot \frac{1}{1} = \frac{1}{1}$



الآن نحن في المقدمة

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$\frac{1}{\sqrt{1-x^2}} = \sum_{n=0}^{\infty} (-1)^n \frac{x^n}{n!} \quad \text{for } |x| < 1$

**B** *yel ei ei ei ei ei pas Ajja' w Tta ye e pw uw a*

$\frac{1}{1-x} = \frac{1}{1-\frac{x^2}{1+x}} = \frac{1}{\frac{1+x-x^2}{1+x}} = \frac{1}{\frac{1-x^2}{1+x}} = \frac{1}{(1-x)(1+x)} = \frac{1}{1-x} + \frac{1}{1+x}$

$$\frac{1}{\Delta} = \frac{1}{a^2} + \frac{1}{(2\pi)^2} + \frac{1}{c^2} - \frac{1}{(2\pi)^2} + \frac{1}{v^2} + \frac{1}{(2\pi)^2} - \frac{1}{c^2} - \frac{1}{(2\pi)^2} + \frac{1}{v^2} + \frac{1}{(2\pi)^2}$$

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Moscow  
N. A. Kapovidov

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A. T. Bjaxcoorjov  
9 Denenuljov 1920

Την 18<sup>η</sup> Δεκεμβρίου  
Μετάνυν τοῦ Οὐρανού Ηλίους οὐαρ  
Σερπιδόρος τοῦ ιανουαλαγρού  
Εἰς τοὺς Αἰγαίους Δέσμας

Αρτέτηραί σημ



θηραπεία  
καταπολεμία  
καταπολεμία

Την ΙΒ: Δεκαεπτάσιμην του Οοίσα Πατρός γέννησην  
και θαυματουργήν Σωτηρίδην

Εύστοχος Αίνους Δόξα της Ηγετικής Κλασικής

Do j. "сънчо" (Бърз) "въз" "въз" "въз" "въз" "въз" "въз" "въз"  
o ехъ па търчи наше ии ии ии ии ии

*A*  $\xrightarrow{\text{yel w}}$   $\xrightarrow{\text{PKKECCEEU}}$   $\xrightarrow{\text{aaaaaa}}$   $\xrightarrow{\text{TL}}$

$$B = \begin{pmatrix} 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 0 & 1 \\ 1 & 0 & x & x & x \end{pmatrix}$$

$$\begin{array}{ccccccccc} & & & \pi & & & & & \\ (-c & \nearrow \\ \frac{1}{1} & + & \frac{1}{1} & + & \frac{1}{1} & + & \frac{1}{1} & + & \frac{1}{1} \\ pa & ap & xaaaaaa & o! & o! & o! & o! & o! & o! \\ & & & \delta L & L & L & L & L & L \\ & & & ne & & & & & \end{array}$$

$\frac{d^2y}{dx^2} = \frac{dy}{dx}$  or  $\frac{d^2y}{dx^2} \in \text{range of } \frac{dy}{dx}$



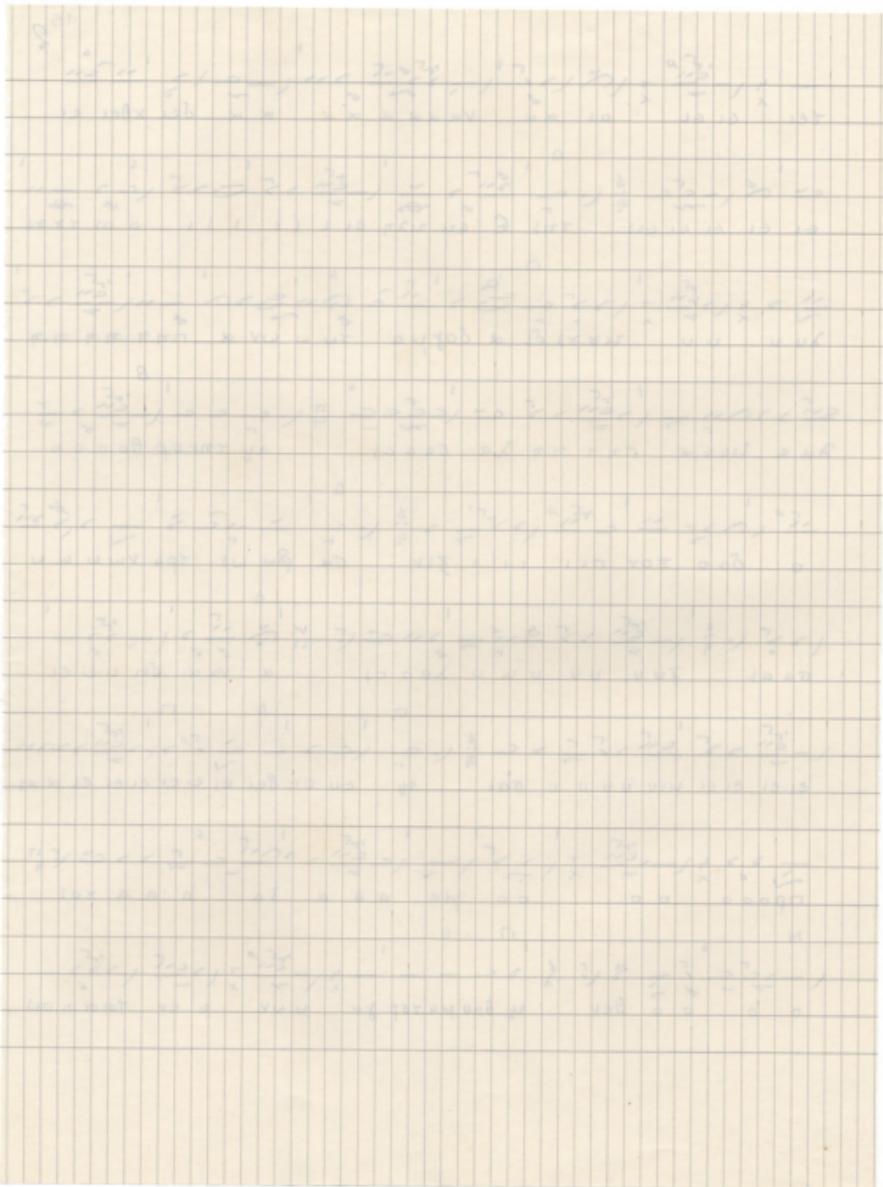
~~TEI~~ ~~CL~~ ~~GL~~ as ~~dx~~ Val ~~dx~~ ~~dx~~ ~~dx~~ ~~dx~~ ~~dx~~ ~~dx~~ ~~dx~~

$$\frac{1}{c_1} \cdot \frac{1}{c_2} \cdot \frac{1}{c_3} \cdot \frac{1}{c_4} \cdot \frac{1}{c_5} \cdot \frac{1}{c_6} \cdot \frac{1}{c_7} \cdot \frac{1}{c_8} = \frac{1}{c_1 c_2 c_3 c_4 c_5 c_6 c_7 c_8}$$

8  
B  
 $\frac{1}{r} \cdot \frac{1}{r} \cdot \frac{1}{r} \cdot \frac{1}{r} \cdot \frac{1}{r} \cdot \frac{1}{r}$

$\frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ -1 \end{array} \right) = \frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ 1 \end{array} \right) + \frac{1}{\sqrt{2}} \left( \begin{array}{c} -1 \\ 1 \end{array} \right)$

$\frac{1}{\sqrt{2}} \begin{pmatrix} 1 & i \\ 1 & -i \end{pmatrix}$        $\frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 1 \\ 1 & -1 \end{pmatrix}$        $\frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix}$   
 GA AS      ZUVU      UUVUVU       $\lambda$ AOOS       $\alpha$       Val AL Del CLE CLE EL



MECE C P A A A O V O O O O P L V

$\frac{1}{\sqrt{2}} - \frac{1}{\sqrt{2}} i \sqrt{\frac{1+\sqrt{5}}{2}} \frac{1+i\sqrt{5}}{\sqrt{2}} \rightarrow \frac{1}{\sqrt{2}} + \frac{i\sqrt{5}}{\sqrt{2}} \rightarrow \frac{1}{\sqrt{2}} + \frac{i\sqrt{5}}{\sqrt{2}} \rightarrow \frac{1}{\sqrt{2}} + \frac{i\sqrt{5}}{\sqrt{2}}$

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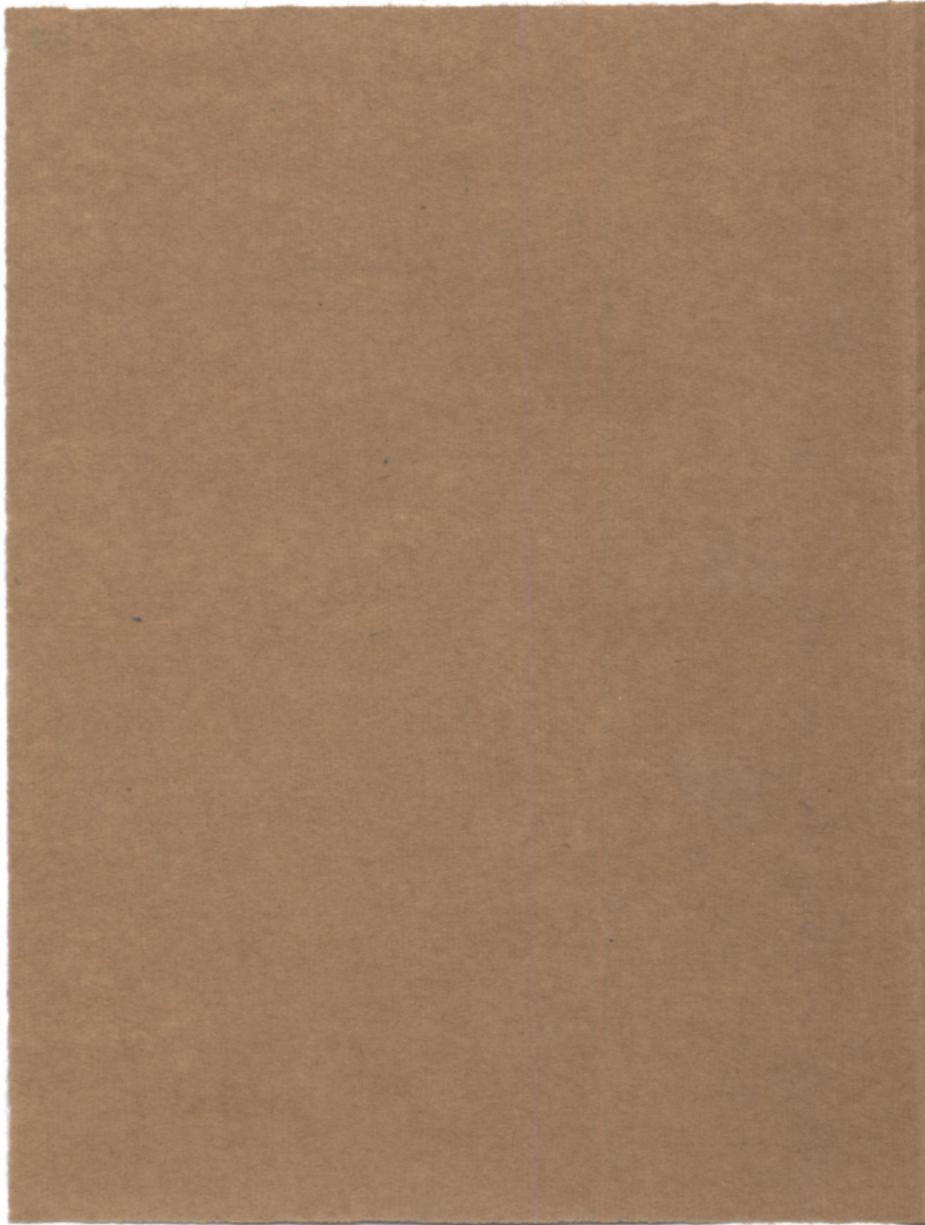
$\left( \frac{c}{r} \right)^{\frac{1}{2}} > \sqrt{\frac{r}{\pi}} > c \sqrt{\frac{r}{q}} > c^r - \left( \frac{c}{r} \right)^{\frac{1}{2}} > \sqrt{\frac{r}{q}} = \frac{c}{\sqrt{q}}$

$$\frac{1}{\sqrt{1-x^2}} = \sum_{n=0}^{\infty} \frac{(-1)^n}{n!} \binom{n}{2n+1} x^{2n+1}$$

также включаются в общую сумму издержек на производство.

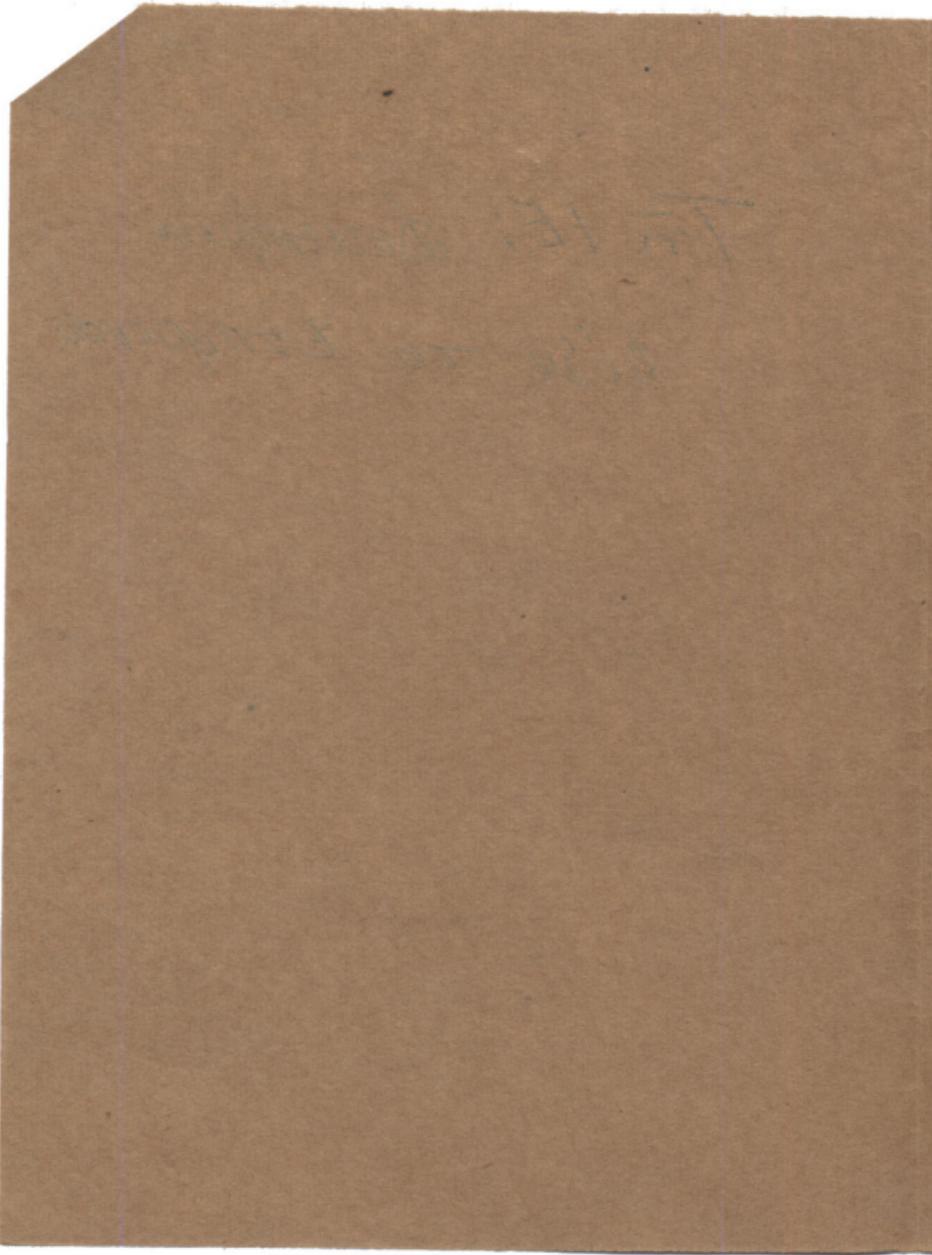


07



Tn 1E: Δευτερία

Δόγμα των Σοτηγονών



Μηχανικός Δόγματος οντος τον ΙΕ' Δεκεμβρίου

1 2 1 4 1 4 1 4 1 4  
 Συντάξεις Χαρακτηριστικές της Επιστήμης της Μηχανικής  
 Η μηχανική είναι η επιστήμη που ασκείται στην κατανόηση της φύσης μέσω της οποίας η γνώση της δύναται να εφευρετείται σε πολλούς τομείς.

4 1 1 2 1 2 1 4 1 4 1  
 Η μηχανική είναι η επιστήμη που ασκείται στην κατανόηση της φύσης μέσω της οποίας η γνώση της δύναται να εφευρετείται σε πολλούς τομείς.

6 1 1 2 1 2 1 4 1 6  
 Η μηχανική είναι η επιστήμη που ασκείται στην κατανόηση της φύσης μέσω της οποίας η γνώση της δύναται να εφευρετείται σε πολλούς τομείς.

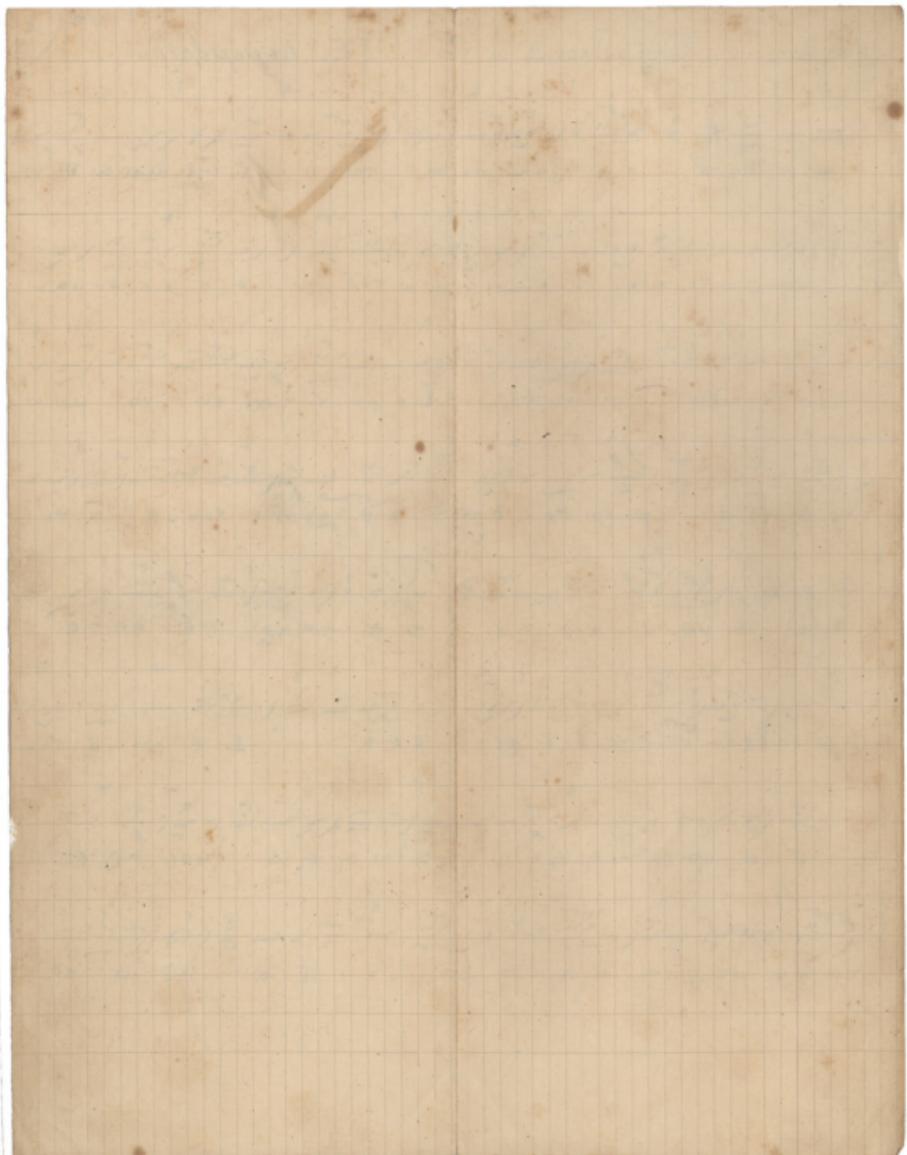
1 2 1 4 1 6 1 2 1 4 1  
 Η μηχανική είναι η επιστήμη που ασκείται στην κατανόηση της φύσης μέσω της οποίας η γνώση της δύναται να εφευρετείται σε πολλούς τομείς.

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 Η μηχανική είναι η επιστήμη που ασκείται στην κατανόηση της φύσης μέσω της οποίας η γνώση της δύναται να εφευρετείται σε πολλούς τομείς.

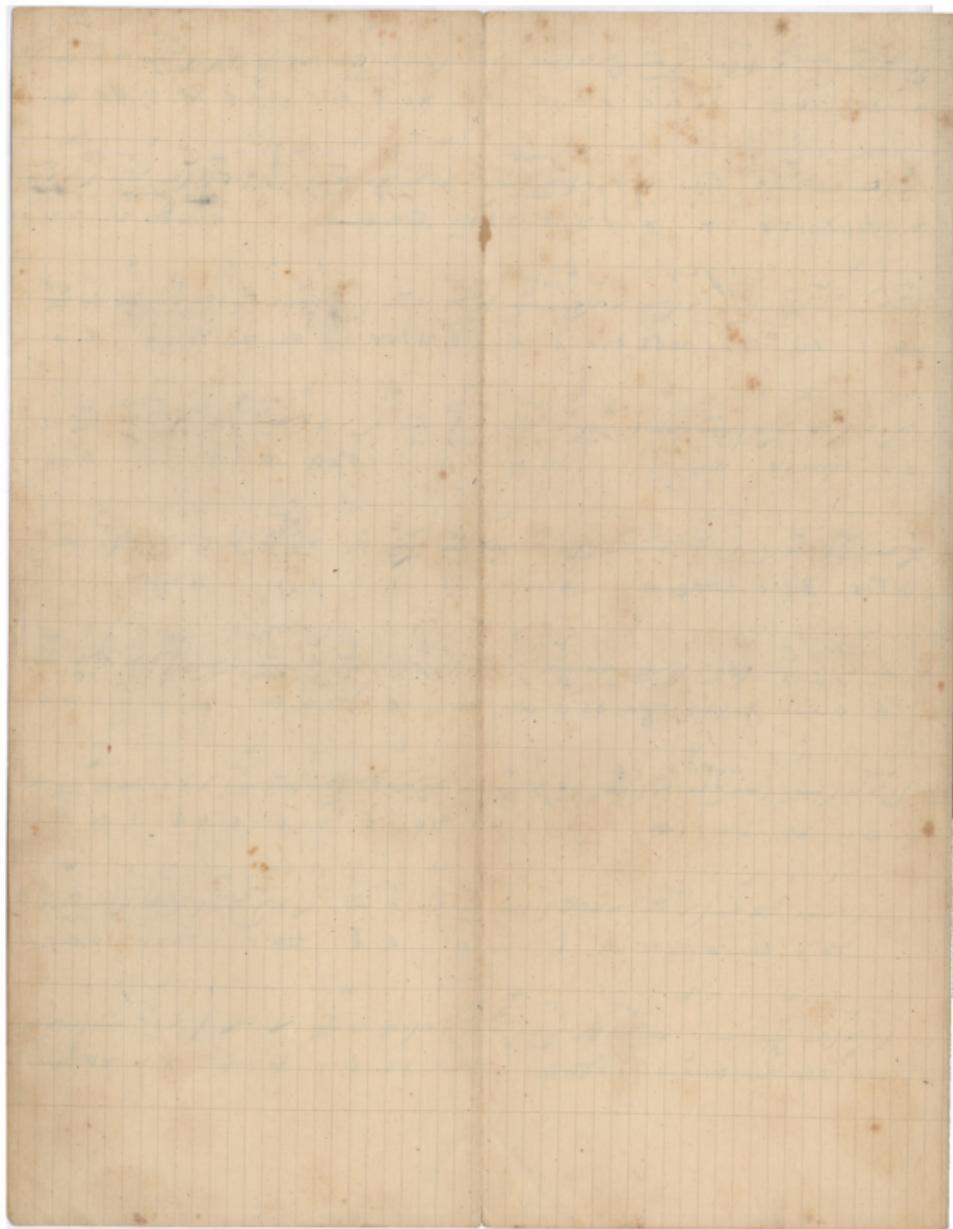
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 Η μηχανική είναι η επιστήμη που ασκείται στην κατανόηση της φύσης μέσω της οποίας η γνώση της δύναται να εφευρετείται σε πολλούς τομείς.

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 Η μηχανική είναι η επιστήμη που ασκείται στην κατανόηση της φύσης μέσω της οποίας η γνώση της δύναται να εφευρετείται σε πολλούς τομείς.

1 1 6 1 1 2 1 4 1 6 1  
 Η μηχανική είναι η επιστήμη που ασκείται στην κατανόηση της φύσης μέσω της οποίας η γνώση της δύναται να εφευρετείται σε πολλούς τομείς.









T. E. Denyer.

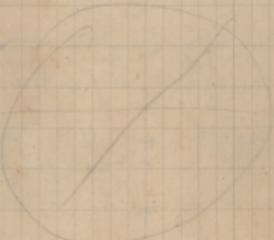
Sofatou Afrikaner

Estonia - 900 p.m.

Andrew A. Komaroff

an Tagyay na Xemina

Aleypain



Aleypain in 1948

N.T.B.

Τῇ Ι.Ε.' Δεκεντρίου γρήγορα τοῦ ἀγίου Τερομάρτυρος  
Ἐθεούσερέου ἐν τῷ Ἐπιφένει  
δούλα : Μίχος Α. Σ. Πα.

$\Gamma \vdash \neg \neg p \in \text{EUS} \quad \text{EV} \quad \text{VO} \quad \text{UWWYAAAUATOS} \quad \mu \in \text{XPL}$

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TELEGRAMS  
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TELEGRAMS

$\text{K}_1$   $\rightarrow \text{C}_1 \text{C}_2 \text{C}_3 \text{C}_4 \text{C}_5 \text{C}_6 \text{C}_7 \text{C}_8 \text{C}_9 \text{C}_{10} \text{C}_{11} \text{C}_{12}$

→  $\frac{1}{\text{aa}}$  →  $\frac{1}{\text{uu}}$  →  $\frac{1}{\text{nn}}$  →  $\frac{1}{\text{pp}}$  →  $\frac{1}{\text{ll}}$  →  $\frac{1}{\text{ii}}$  →  $\frac{1}{\text{aa}}$  →  $\frac{1}{\text{uu}}$  →  $\frac{1}{\text{nn}}$  →  $\frac{1}{\text{pp}}$  →  $\frac{1}{\text{ll}}$  →  $\frac{1}{\text{ii}}$

у Пер Хре стя а а я тя х а Octe я



103

на си προσδέεται πάντα στην ομοιότητα της απόστασης.

$\frac{r^p}{0} \rightarrow \frac{1}{0}$  or  $\frac{1}{0} \rightarrow \frac{r^p}{0}$  on  $\eta\eta\eta\eta\eta$  Rad Rad

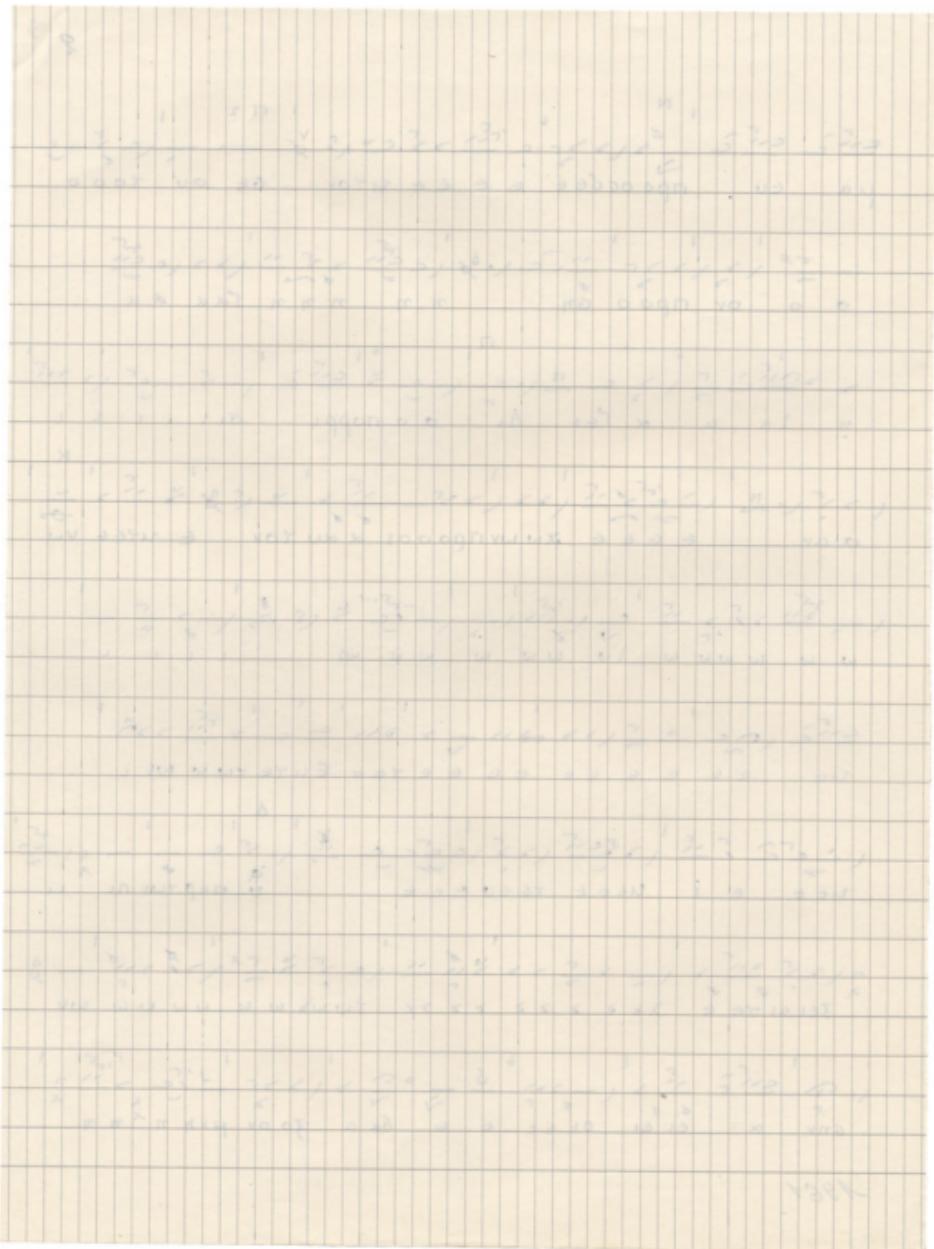
$\rightarrow \frac{1}{2} \sin^2 \frac{\pi}{n} + \frac{1}{2} \cos^2 \frac{\pi}{n} = \frac{1}{2}$

$\rightarrow \frac{v_1}{v_1} \cdot \frac{v_2}{v_2} \cdot \frac{v_3}{v_3} \cdot \frac{v_4}{v_4} \cdot \frac{v_5}{v_5} \cdot \frac{v_6}{v_6} \cdot \frac{v_7}{v_7} \cdot \frac{v_8}{v_8} \cdot \frac{v_9}{v_9} \cdot \frac{v_{10}}{v_{10}} = \frac{v_1 v_2 v_3 v_4 v_5 v_6 v_7 v_8 v_9 v_{10}}{v_1 v_2 v_3 v_4 v_5 v_6 v_7 v_8 v_9 v_{10}}$

1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32 33 34 35 36 37 38 39 40 41 42 43 44 45 46 47 48 49 50 51 52 53 54 55 56 57 58 59 60 61 62 63 64 65 66 67 68 69 70 71 72 73 74 75 76 77 78 79 80 81 82 83 84 85 86 87 88 89 90 91 92 93 94 95 96 97 98 99 100

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$$\begin{array}{ccccccccc} 1 & \leftarrow & \leftarrow & \leftarrow & b & \leftarrow & 1 & \leftarrow & 1 \\ \downarrow & \downarrow \\ \text{encr} & x & \text{encr} & \text{decr} & \text{decr} & \text{encr} & \text{decr} & \text{encr} & x \end{array}$$



3

→  $\frac{r_{\text{in}}}{r_{\text{out}}}$  →  $\frac{r_{\text{in}}}{r_{\text{out}}} \cdot \frac{r_{\text{in}}}{r_{\text{out}}} = \frac{r_{\text{in}}^2}{r_{\text{out}}^2}$  →  $\frac{r_{\text{in}}^2}{r_{\text{out}}^2} = \frac{1}{n}$  →  $r_{\text{in}} = r_{\text{out}} \sqrt{n}$

at all regular points or values

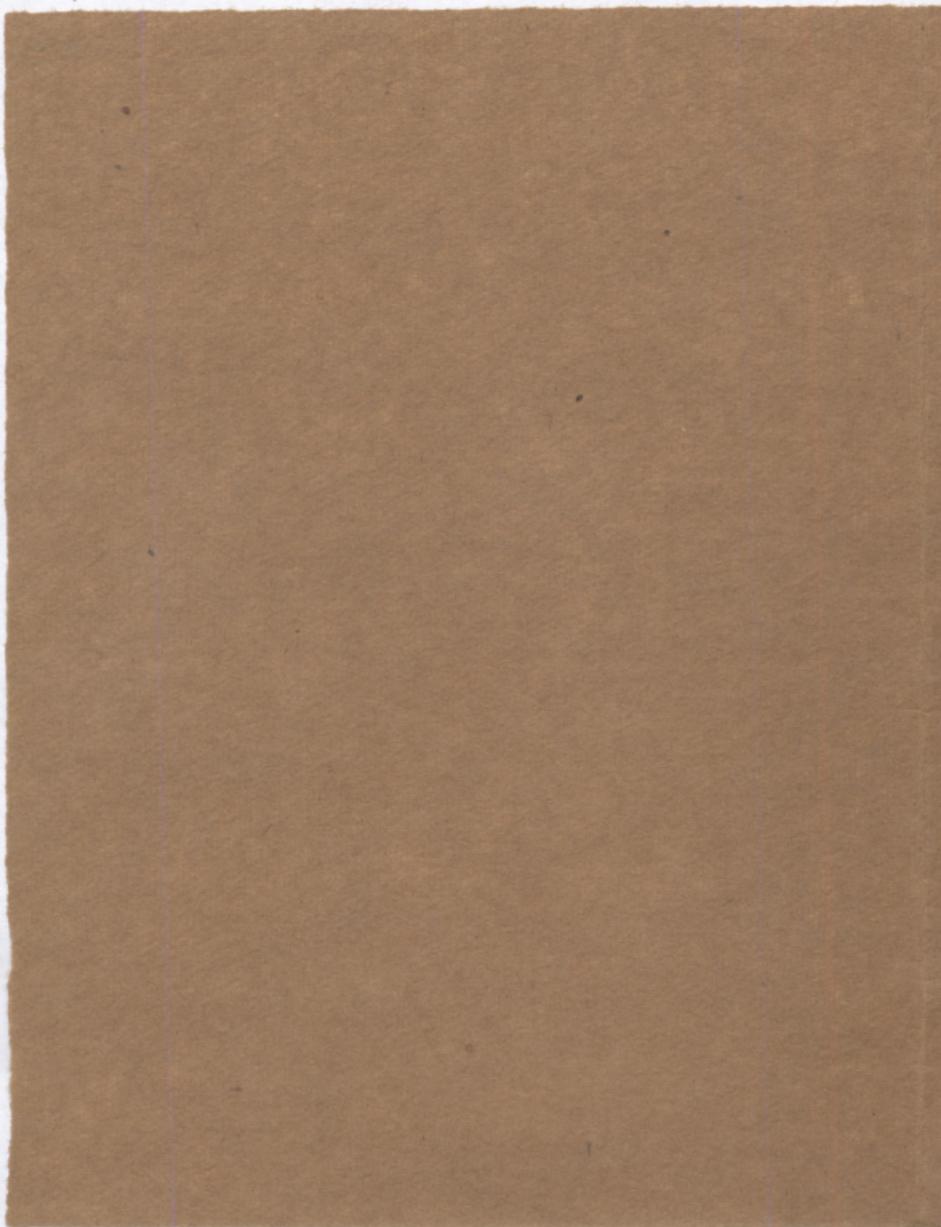
нашия речи охватывало всё шире и шире, и на конец охватило

W W W W W V U U L L L V U U U C C V W W V V U U T T E E E C P L

Andrew A. Kamapauou  
17 Youalou 1961



105



Τῇ ΙΕ Δικτύων  
Γερομητρού Επιθερίου  
Εις τοὺς Αἵρους Δόξα



Τῇ ΙΕ. Θεοφόροις μηνὶ τῷ Ἀγίου Ιερονάστρους Ἐγελέοις

Eis tous Aïeux Doja înes ~~en~~ <sup>et</sup>

*gōo* گو *gōo* گو *gāa* گا *Ma a* ما ا *tpi* تپی *uai* اوی *U* اوی *ui* اوی *ui* اوی

la a a a Ti      Ws rms Del ei ei ei ei as e geu be pi

$\frac{x^2}{x-1} = \frac{1}{x-1} + \frac{1}{(x-1)^2}$

pa asdi l l l njo l l l l l dos Ma a a a a re ep

$\frac{f_1}{f_1} + \frac{f_2}{f_2} = B$   $\frac{f_3}{f_3} + \frac{f_4}{f_4} = A_1$

Die Einführung der Energiebilanz in die Betriebswirtschaftslehre ist eine wichtige Entwicklung, die die Theorie und Praxis des Betriebswirtschaftens zusammenführt.

to the temperature history so that geometrical differences  
can be taken into account

$$\frac{d\theta}{dt} = \frac{\partial \theta}{\partial t} + \frac{\partial \theta}{\partial x} \frac{dx}{dt} = \frac{\partial \theta}{\partial t} + \frac{\partial \theta}{\partial x} u$$

$$= \frac{\partial \theta}{\partial t} + \frac{\partial \theta}{\partial x} u$$

$$= \frac{\partial \theta}{\partial t} + \frac{\partial \theta}{\partial x} u$$

$$= \frac{\partial \theta}{\partial t} + \frac{\partial \theta}{\partial x} u$$

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$$= \frac{\partial \theta}{\partial t} + \frac{\partial \theta}{\partial x} u$$

$$= \frac{\partial \theta}{\partial t} + \frac{\partial \theta}{\partial x} u$$

**B**  
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o n + / f i n  
Tai ai ai ai ai ai ai de e e e e eu das f o - △  
0 0 0 0 0 0

$\epsilon \quad \epsilon \quad \epsilon \quad ev \quad \overline{aaa} \quad a \quad + \quad \epsilon \quad \overline{ev} \quad \overline{aaa} \quad a \quad \overline{ev} \quad \overline{aaa} \quad a \quad \overline{ev}$

evap do  $T_{\text{eff}}$   $\propto$   $\frac{L^2}{R^3}$   $\propto$   $\frac{M^3}{R^3}$   $\propto$   $\frac{M^3}{T^4}$

$$\frac{f_1}{\text{has}} \quad \frac{f_2}{\text{is}} \quad \frac{\sqrt{m}}{\text{real}} \quad \frac{\sqrt{n}}{\text{real}}$$

$$\frac{d}{dx} \left( \frac{1}{x^2} \right) = -\frac{2}{x^3}$$

$$\frac{1}{e^x} + \frac{1}{e^y} = \frac{1}{e^{x+y}}$$



ει ει ει ηηη φασ πα pa xpi ιιι α α α α α α οε ε

$$\frac{1}{\alpha} \cdot \frac{1}{\alpha} = \frac{1}{\alpha^2}$$

$$\frac{1}{\sqrt{m}} \begin{pmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & \theta_1 \end{pmatrix} = \begin{pmatrix} 1 & 0 & x \\ 0 & 1 & y \\ 0 & 0 & e^{\frac{i\pi}{3}} \end{pmatrix} \begin{pmatrix} 1 & 0 & x \\ 0 & 1 & y \\ 0 & 0 & e^{-\frac{i\pi}{3}} \end{pmatrix} \Delta$$

u a b i u e e e e T E E U e e e e

$$\in \int_{\Omega} f^{(n)} \frac{\Delta_{n-1}}{r} \left| \frac{p}{\theta_n} \right|^{\theta_n} = \int_{\Omega} r^{-1} \left| \frac{p}{\theta_n} \right|^{\theta_n} \text{val} \frac{1}{r} \frac{1}{\theta_n} \frac{1}{p} \psi_n + \int_{\Omega} r^2 \left| \frac{p}{\theta_n} \right|^{\theta_n} \text{val} \frac{1}{r} \frac{1}{\theta_n} \frac{1}{p} \psi_n$$

$$\frac{x^4}{a^4} \cdot \frac{y^4}{a^4} = \frac{x^4}{(a^2)^2} \cdot \frac{y^4}{(a^2)^2} = \frac{(x^2)^2}{(a^2)^2} \cdot \frac{(y^2)^2}{(a^2)^2} = \frac{\mu^2}{a^2} \cdot \frac{\omega^2}{a^2} = \frac{\mu^2 \omega^2}{a^4}$$

Morari  
Nunes A. Kauanuá

8

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Αντίγραφη  
N.I. Βραχονούρου  
9 Δεκεμβρίου 1920

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Mnyn rov Aprov Koquoyevos  
Egerbeyov

Eis wiv Ainos Doja

Arlegpäyn

inbygde,  
avskrämda  
och tillämpade

N. T. B.

Την Ι.Ε.: Δεκαεπτίου μενιάν του Αγίου Γεροντάρη που  
ελευθερίου Είναι τον Άγνωστο θάνατο

$$\text{Let } \theta = 0^\circ \quad \text{then } x = 0 \quad \text{and } y = 0$$

$\sqrt{-\frac{25}{4}} \rightarrow \sqrt{\frac{25}{4}} = \frac{5}{2}$   $\left( -\frac{5}{2} \right) - c = \frac{5}{2} \rightarrow c = -5$

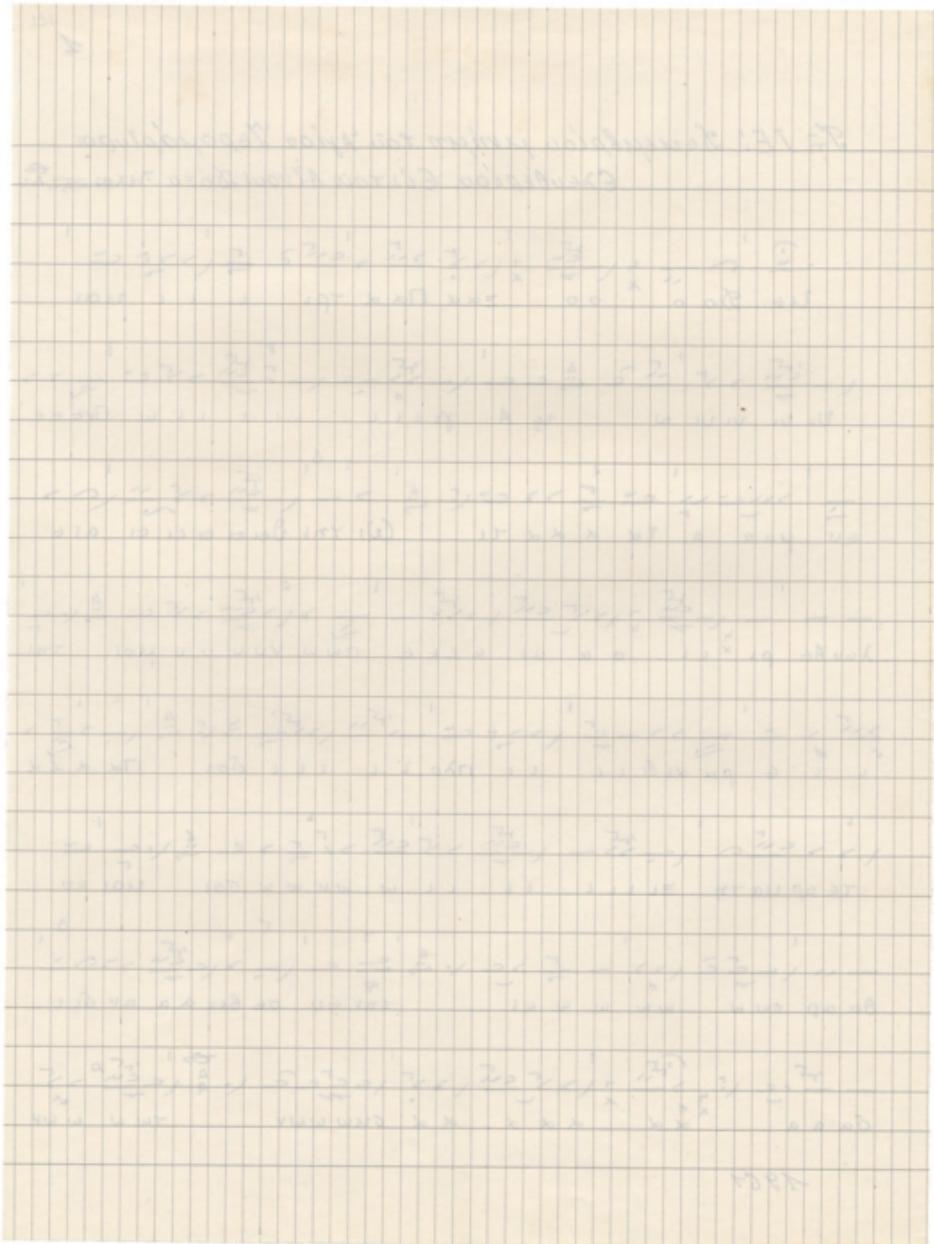
Explain a local search algorithm.

$\lambda \in \mathbb{C} \setminus \{0\}$   $x \mapsto \frac{\lambda}{x}$   $a \mapsto \frac{\lambda}{a}$   $u \mapsto \frac{\lambda}{u}$   $e \mapsto \frac{\lambda}{e}$   $w \mapsto \frac{\lambda}{w}$   $v \mapsto \frac{\lambda}{v}$   $u \mapsto \frac{\lambda}{u}$   $z \mapsto \frac{\lambda}{z}$

$\frac{\sqrt{r}}{r} > \frac{1}{r} > -\frac{1}{r}$   $\rightarrow$   $\frac{1}{r} > \frac{1}{r^2} > \frac{1}{r^3}$   $\rightarrow$   $\frac{1}{r^2} > \frac{1}{r^3}$   $\rightarrow$   $\frac{1}{r^3} > \frac{1}{r^4}$   $\rightarrow$   $\frac{1}{r^4} > \frac{1}{r^5}$   $\rightarrow$   $\frac{1}{r^5} > \frac{1}{r^6}$

TEGP.UA.TN ELLLL LL L L W WWWWW Gal ual su

$\frac{1}{x^5} \cdot \frac{1}{x^2} = \frac{1}{x^7}$



$\frac{1}{\sqrt{2}} \rightarrow \frac{1}{\sqrt{2}} |c\rangle \langle c| \rightarrow \frac{1}{\sqrt{2}} \left( \frac{1}{\sqrt{2}} |c\rangle \langle c| + \frac{1}{\sqrt{2}} |g\rangle \langle g| \right) \rightarrow \frac{1}{\sqrt{2}} |c\rangle \langle c| + \frac{1}{\sqrt{2}} |g\rangle \langle g| \rightarrow \frac{1}{\sqrt{2}} |c\rangle \langle c| + \frac{1}{\sqrt{2}} |g\rangle \langle g|$

$$\frac{1}{\sqrt{1 - \frac{v^2}{c^2}}}$$

→  $\frac{1}{\sqrt{2}} \vec{e}_x + \frac{1}{\sqrt{2}} \vec{e}_y \rightarrow \frac{1}{\sqrt{2}} \vec{e}_x + \frac{1}{\sqrt{2}} \vec{e}_y \rightarrow \frac{1}{\sqrt{2}} \vec{e}_x + \frac{1}{\sqrt{2}} \vec{e}_y$   
c < 800 to 300 < 800 c1 c1 c1 c1 c1 c1 λ min



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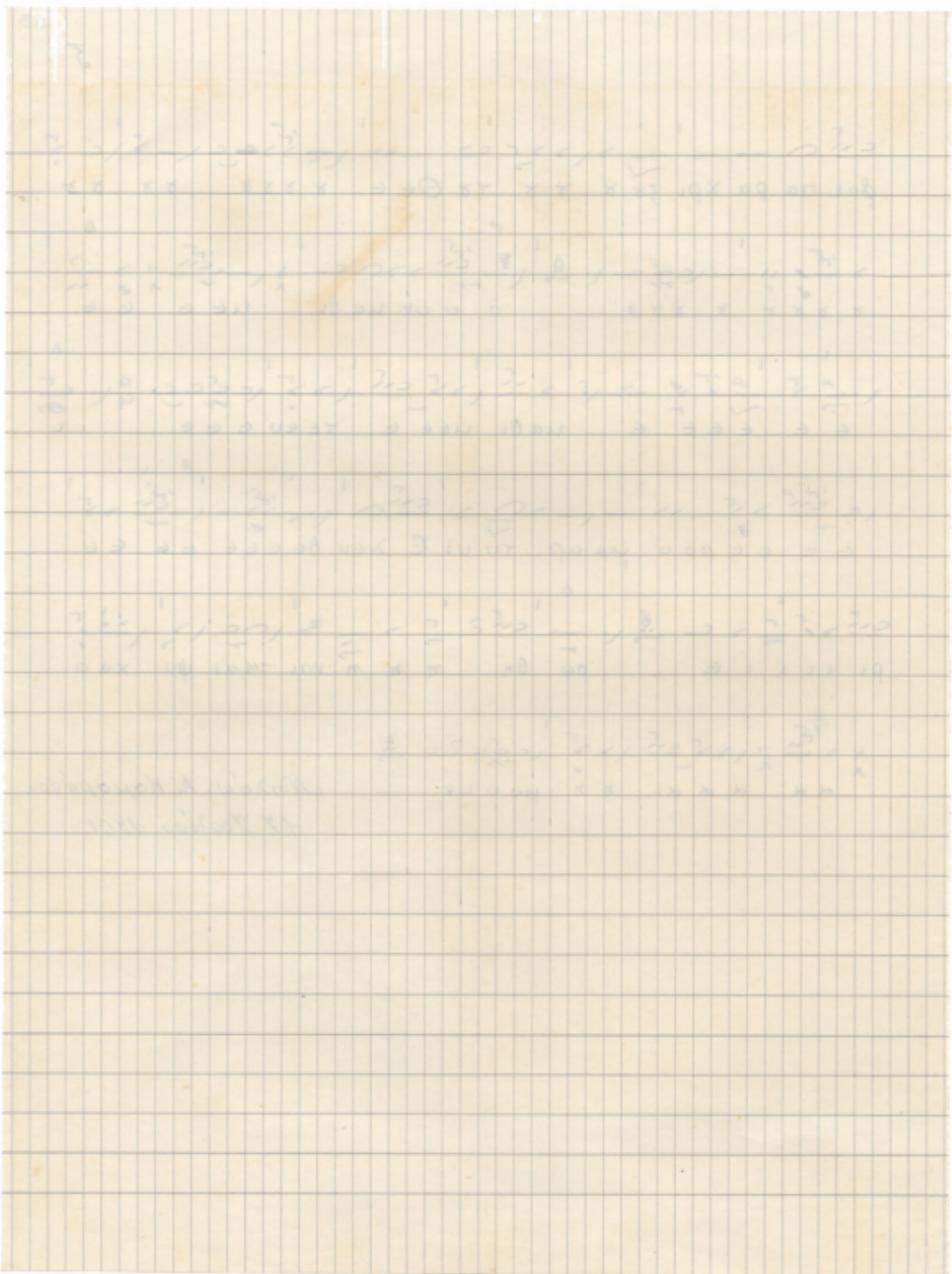
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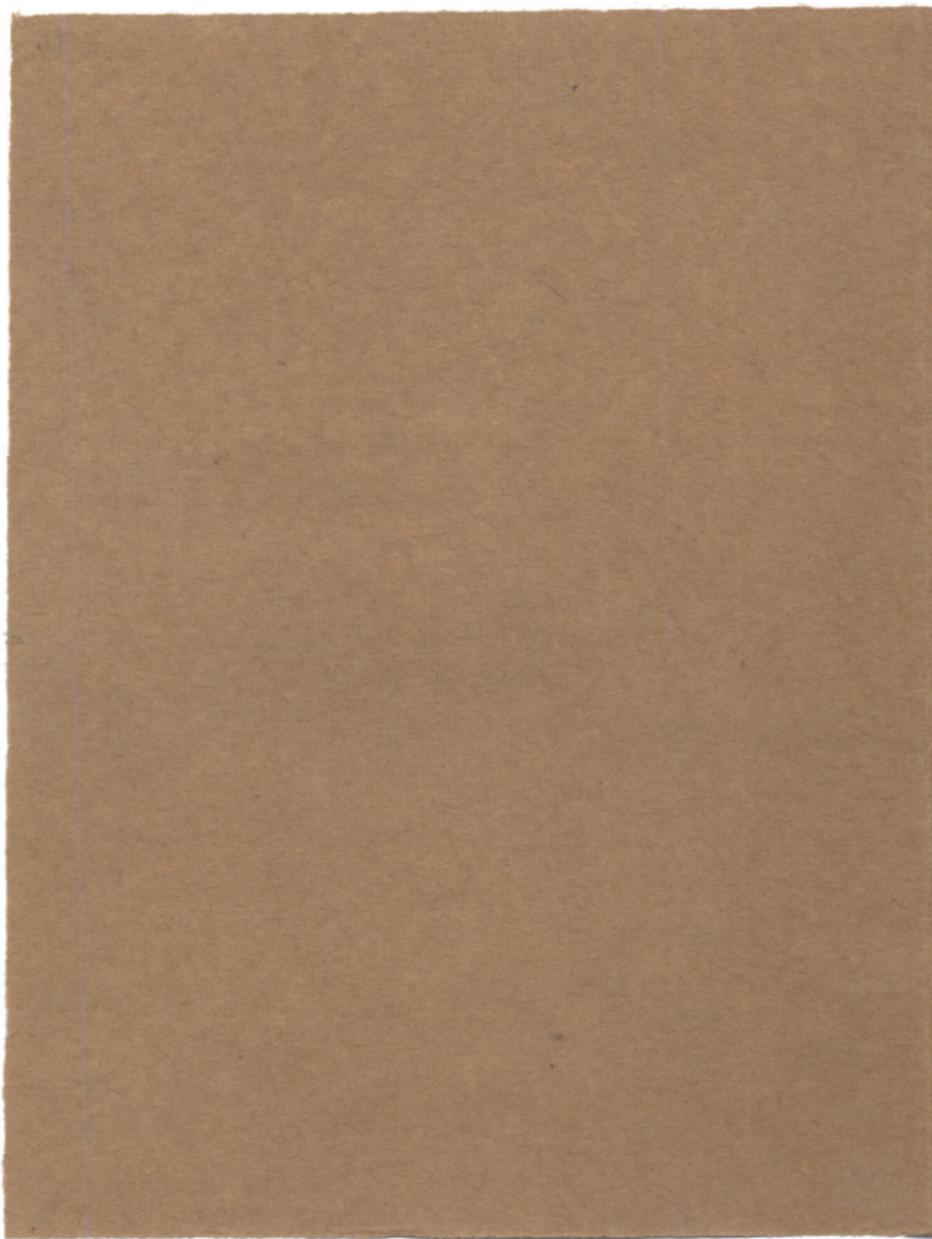
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Μαρία Α. Κανοπόδου  
17 Ιουλίου 1961



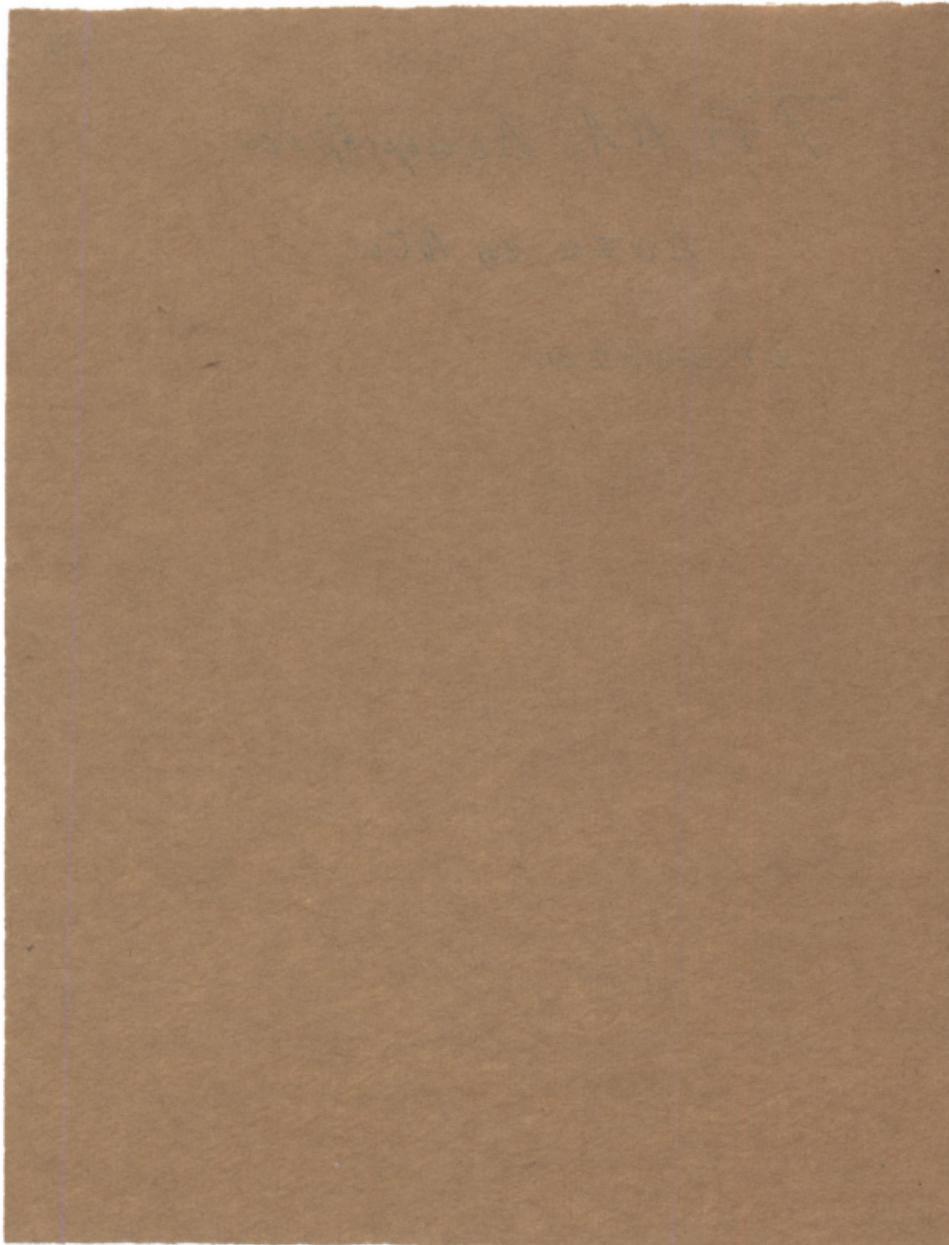
114



Τῇ ΚΑὶ Δευτέρᾳ

Δός αἱ Νῦν

Μινολάου



Τῇ ΚΑ' Δευτεροῖou Δόξα. ναὶ νῦν, Ἡκος πᾶς πα

π

Σιων πανηγύριζε· Ιερουσαλίμ εὐθραίνου,  
Πόλις Χριστοῦ τοῦ Θεοῦ· ὑπόδεξαι τὸν  
Κυιόνα, ἐν Σπηλαίω ναὶ Φάτνῃ χωρούμενον.

π

Δ Ζ

ἀνοίξατέκοι πύχας· εἰσελθὼν, ἐν αὐταῖς, ὅφομα

Δ.

Δ.

π

τὸν ὡς βρέφος σπαργανούμενον, ναὶ τὴν δρανί

μ.

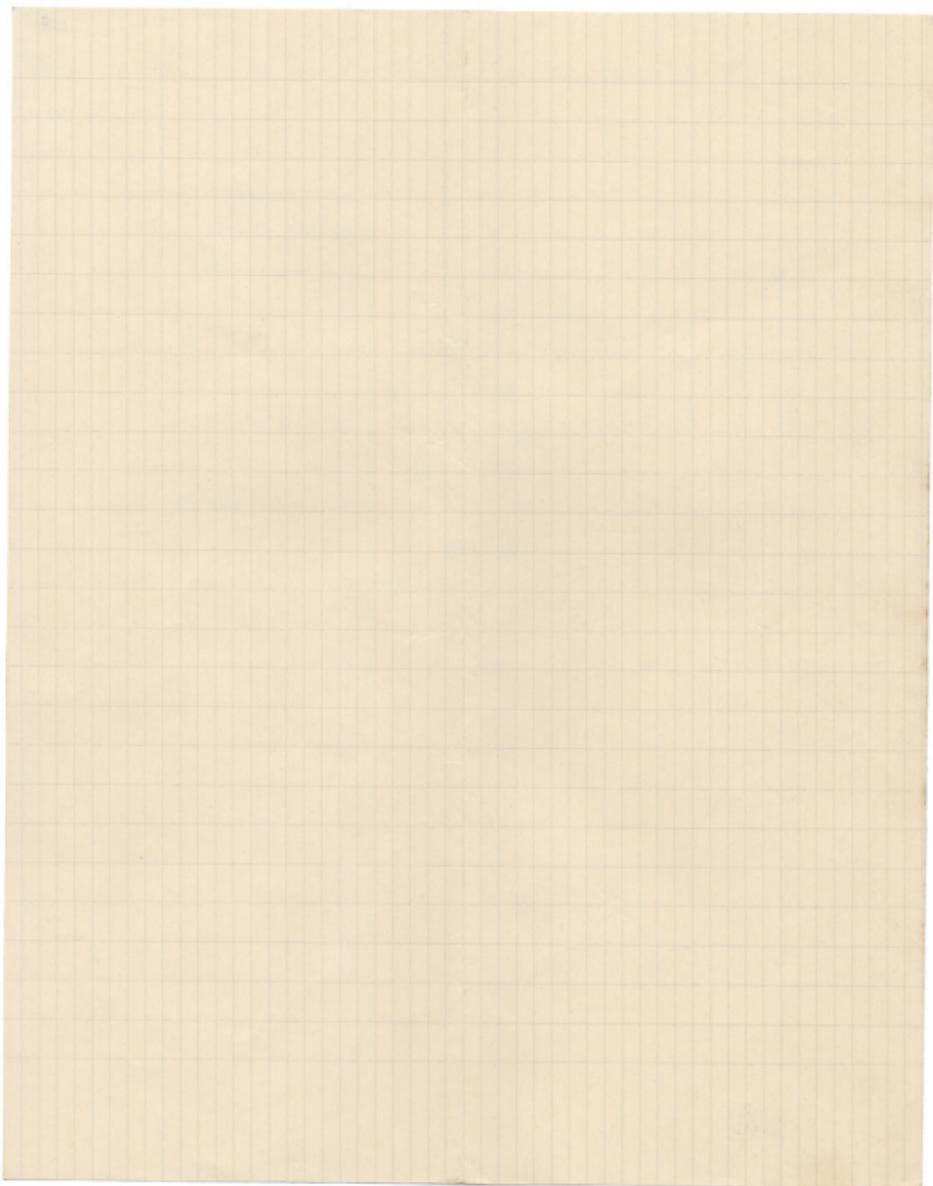
συνέκοντα τινν μτισιν· ὃν ὑμνοῦσιν "Ἄγγελος,

Δ π μ Δ μ π  
ἀναταπαύστω δωνή, Ζωοδότην Κύριον τὸν

σώζοντα τὸ γένος ἡμῶν.

sozialen Konsens. Ein Konsens ist  
ein Vertrag, der die sozialen und  
ökonomischen Interessen der verschiedenen  
sozialen Gruppen vertritt, die keinen konsensellen  
Vertrag haben können. Der Konsens ist ein Vertrag, der  
die sozialen und ökonomischen Interessen der verschiedenen  
sozialen Gruppen vertritt, die keinen konsensellen  
Vertrag haben können. Der Konsens ist ein Vertrag, der  
die sozialen und ökonomischen Interessen der verschiedenen  
sozialen Gruppen vertritt, die keinen konsensellen

the following day, the author had a meeting with the  
Minister of Environment and Natural Resources, Mr. G. S. Raghavendra.  
The Minister was very friendly and supportive.  
He said that the project would be a great success.  
The author was very happy and grateful to the Minister.



$\text{Hxos } \frac{\lambda}{\pi} \leftarrow \Theta$   
Dōxa. u. vōv.

$\frac{d}{dx} \ln u = \frac{1}{u} \cdot \frac{du}{dx}$

πνε ε ε ε ε ευ μααααα λα ααα ρλ

$$\frac{d}{dx} \left( \frac{\partial \mathcal{L}}{\partial x} \right) = 0$$

— " —  $\frac{d}{dt} \int_{\Omega} u^2 dx$   $\leq \int_{\Omega} u \cdot \nabla u \cdot \nabla v dx + \int_{\Omega} u \cdot \nabla v \cdot \nabla u dx$   $\leq \frac{1}{2} \int_{\Omega} |\nabla u|^2 dx + \frac{1}{2} \int_{\Omega} |\nabla v|^2 dx$   $\leq \frac{1}{2} \|u\|_{H^1(\Omega)}^2 + \frac{1}{2} \|v\|_{H^1(\Omega)}^2$

$$\sum_{\lambda \vdash n} \frac{\pi_\lambda}{\lambda!} = \prod_{i=1}^n \left( \sum_{k_i=1}^\infty \frac{x^{k_i}}{k_i!} \right) = e^x \cdot e^{x^2/2} \cdot e^{x^3/3!} \cdots = e^{\sum_{i=1}^n x^i/i}$$



$$\frac{1}{\mu \epsilon \epsilon_0} \frac{1}{V_0} \frac{1}{0V} \frac{1}{C_0} \frac{1}{C} \frac{1}{\Delta} \frac{\pi}{a} \frac{\theta \omega}{r} \frac{1}{VOL} \frac{1}{OL} \frac{1}{\frac{1}{\pi a^2}} \frac{1}{a} \frac{1}{r} \frac{1}{\frac{1}{\pi r^2}} \frac{1}{a} \frac{1}{\mu 0 I_0}$$

~~W w wv ev a au Tai aɪ̯~~

Δ. ουρανού στηργάτης είναι τον ωντότηταν που αποτελεί την αρχή της φύσης.

$\mu \in \text{vov}$   $\in \text{in spauilli} \text{ gvv veeeck xov ta a}$

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m n n n n v u l l l l l G LV ov u μvσς G L V A a a

aaa aay yee ee e ue ee ee ue a ua ra



$\frac{C_1}{C_2} = \frac{1}{\sqrt{2}}$     $\frac{C_2}{C_1} = \sqrt{2}$     $\frac{C_1}{C_3} = \frac{1}{\sqrt{3}}$     $\frac{C_3}{C_1} = \sqrt{3}$

A. π zoo taa aatoye eee

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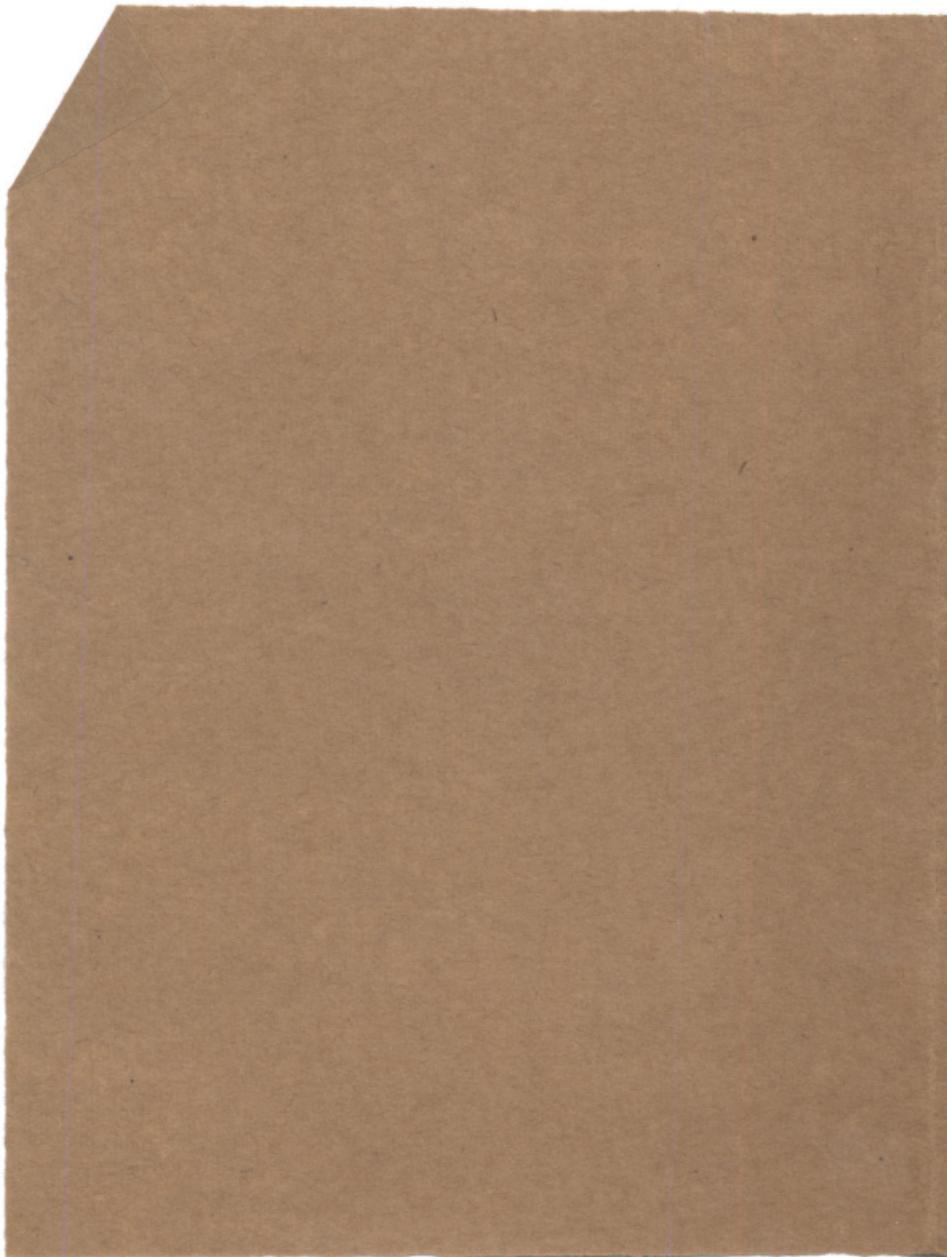
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Νικόλαος Τ. Βλαχόπουλος  
20 Δεκεμβρίου 1928  
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Mr. Ning's, A. Kauai Island.

Τῆς οὐδὲ θεογονίας.

εἰς τὸν Στίχον.

Και καὶ προσέλευσις.

Νόος Νοέντος ή Καναζάντος.

Αρλεψάγη



N. A. K.



Την 18. Δεκεμβρίου προσέρχονται

Τρού ναρός γέγονεν θήσος ~~την~~ αι

Ευτρεπή ιι ζαχαρίην και αισιού η παρθενεκτική

$\frac{1}{f_{\text{res}}} = \frac{5}{15} \Rightarrow \frac{1}{f_{\text{res}}} = \frac{1}{3}$

In the column I 1 & 2 & 3 da Tepito was at a

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1961



$\left( \frac{c^5}{a} \right) \rightarrow 5 \left( -\frac{c^6}{a} \right) = -5 \cdot \frac{c^6}{a} \left( c \right) = -5 \cdot \frac{c^6}{a} \cdot \frac{c}{c} = -5 \cdot \frac{c^7}{a}$

Thus I will start with the first algorithm as shown below.

XpL 30.05 L VAGWON OR 4 4 4 mba OCT 69

$$\frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 0 \\ 0 & -1 \end{pmatrix} \quad \frac{1}{\sqrt{2}} \begin{pmatrix} 0 & 1 \\ 1 & 0 \end{pmatrix} \quad \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 1 \\ 1 & 1 \end{pmatrix}$$

Άντζελος Α. Καμπαύδης  
16 Ιουνίου 1961



128



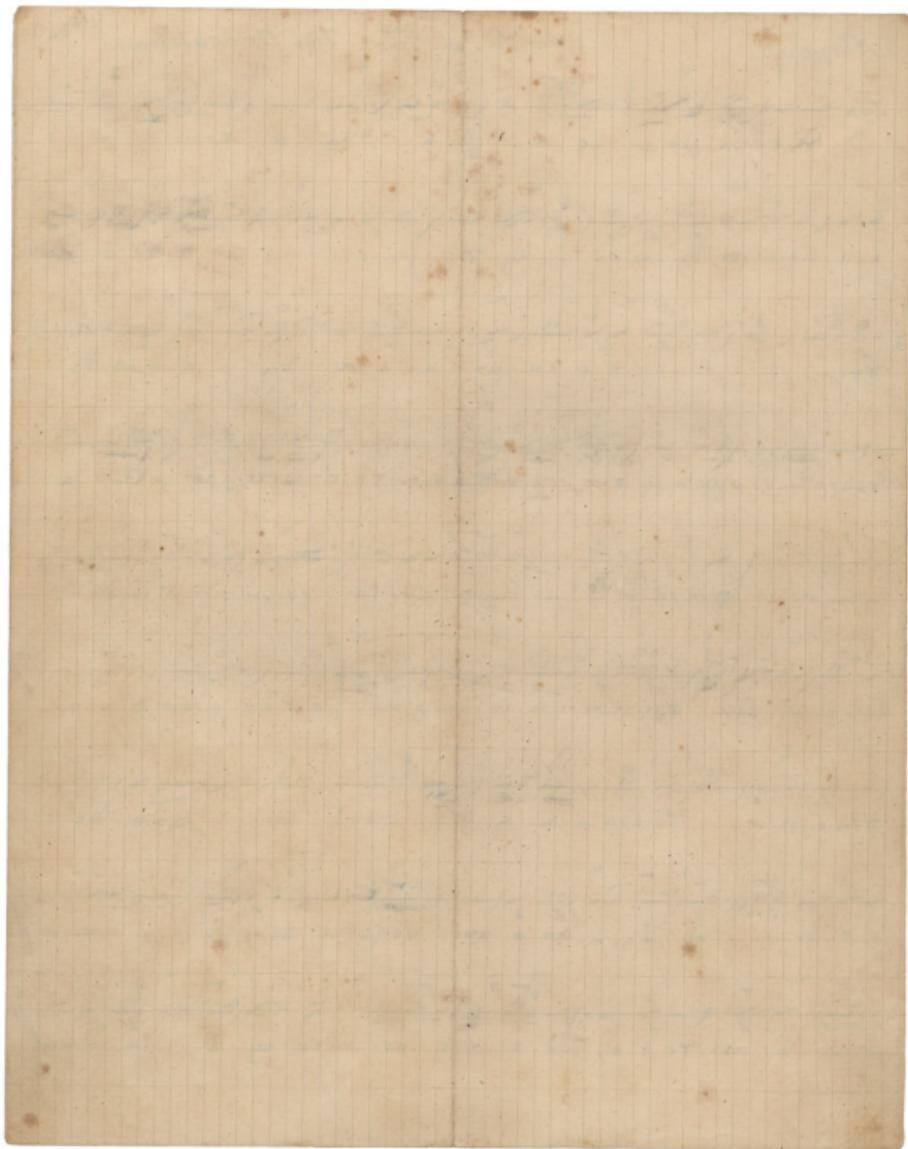
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Түү Норсун  
Түү Протицан  
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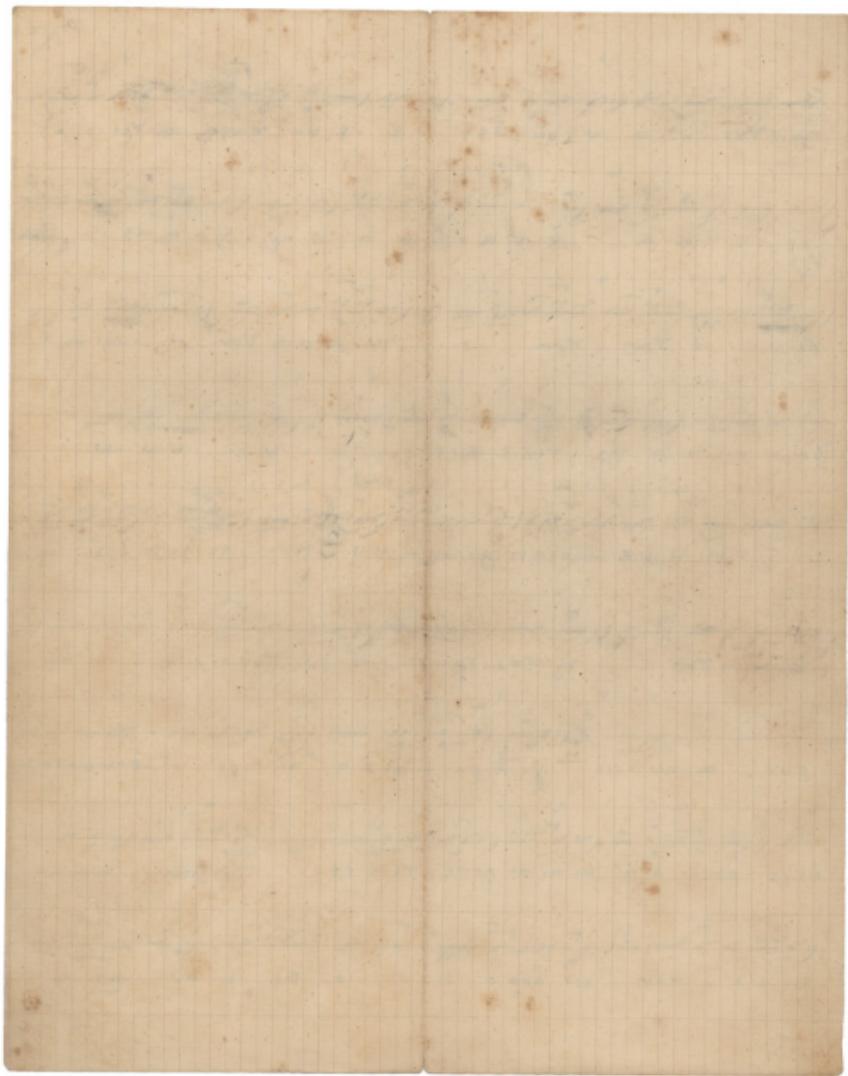
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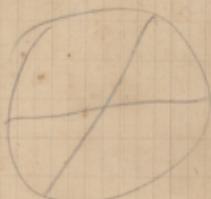
Kreis mit zwei diagonalen  
Linien und einer horizontalen  
Linie.

Negus & Kanagan  
Arttypus

+ - +



N.A.K.



Τῷ Κυρινῷ τῷ προστατέων εἰς τῷ Ἐσπερίῳ  
Δόξα Ἰησοῦ Χριστοῦ

$\frac{1}{\sqrt{2}} \left( \begin{array}{c} \hat{x} \\ \hat{y} \end{array} \right) = \frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ -1 \end{array} \right)$

При этом векторы  $\vec{c}$  и  $\vec{d}$  не линейно независимы, так как  $\vec{d} = \vec{c} + \vec{a}$ .

$\frac{d}{dx} \left( \frac{f(x)}{g(x)} \right) = \frac{g(x) \cdot f'(x) - f(x) \cdot g'(x)}{g(x)^2}$

1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32 33 34 35 36 37 38 39 40 41 42 43 44 45 46 47 48 49 50 51 52 53 54 55 56 57 58 59 60 61 62 63 64 65 66 67 68 69 70 71 72 73 74 75 76 77 78 79 80 81 82 83 84 85 86 87 88 89 90 91 92 93 94 95 96 97 98 99 100

$\frac{P_{\text{min}}}{x} \rightarrow \frac{1}{x} \rightarrow \frac{\delta x}{x} \rightarrow \frac{1}{\delta x} \rightarrow \frac{1}{\delta x} \rightarrow \frac{1}{\delta x} \rightarrow \frac{1}{\delta x} \rightarrow \frac{1}{\delta x}$

1.  $\frac{1}{\lambda_0} = \frac{1}{\lambda_{\text{min}}} + \frac{1}{\lambda_{\text{max}}} - \frac{1}{\lambda_{\text{center}}}$   
 TOT  $\lambda_0$   $\lambda_{\text{min}}$   $\lambda_{\text{max}}$   $\lambda_{\text{center}}$   $\frac{1}{\lambda_0}$   $\frac{1}{\lambda_{\text{min}}}$   $\frac{1}{\lambda_{\text{max}}}$   $\frac{1}{\lambda_{\text{center}}}$   $\frac{1}{\lambda_0}$   $\frac{1}{\lambda_{\text{min}}}$   $\frac{1}{\lambda_{\text{max}}}$   $\frac{1}{\lambda_{\text{center}}}$   $\frac{1}{\lambda_0}$   
 TOT



$$\frac{\sum_{i=1}^n x_i}{n} \rightarrow \bar{x} \quad \text{as } n \rightarrow \infty$$

Max a term

1.  $\frac{c_1 c_2}{c_1 + c_2} \rightarrow \frac{c_1 c_2}{c_1 + c_2} \rightarrow \frac{c_1 c_2}{c_1 + c_2}$   
Белый свет от источника 1 и 2

$$\frac{1}{\sqrt{n}} \rightarrow \frac{1}{\sqrt{n}} \rightarrow c \xrightarrow{\frac{X}{n}} \frac{1}{c} \xrightarrow{\frac{1}{n}} \frac{1}{\sqrt{n}} \rightarrow \frac{1}{c} \xrightarrow{\frac{1}{c}} \frac{1}{c}$$

$\frac{1}{\sqrt{w}} \cdot \frac{1}{\sqrt{w}} = \frac{1}{w}$

parallel parallel parallel parallel poor teethes toes turn used



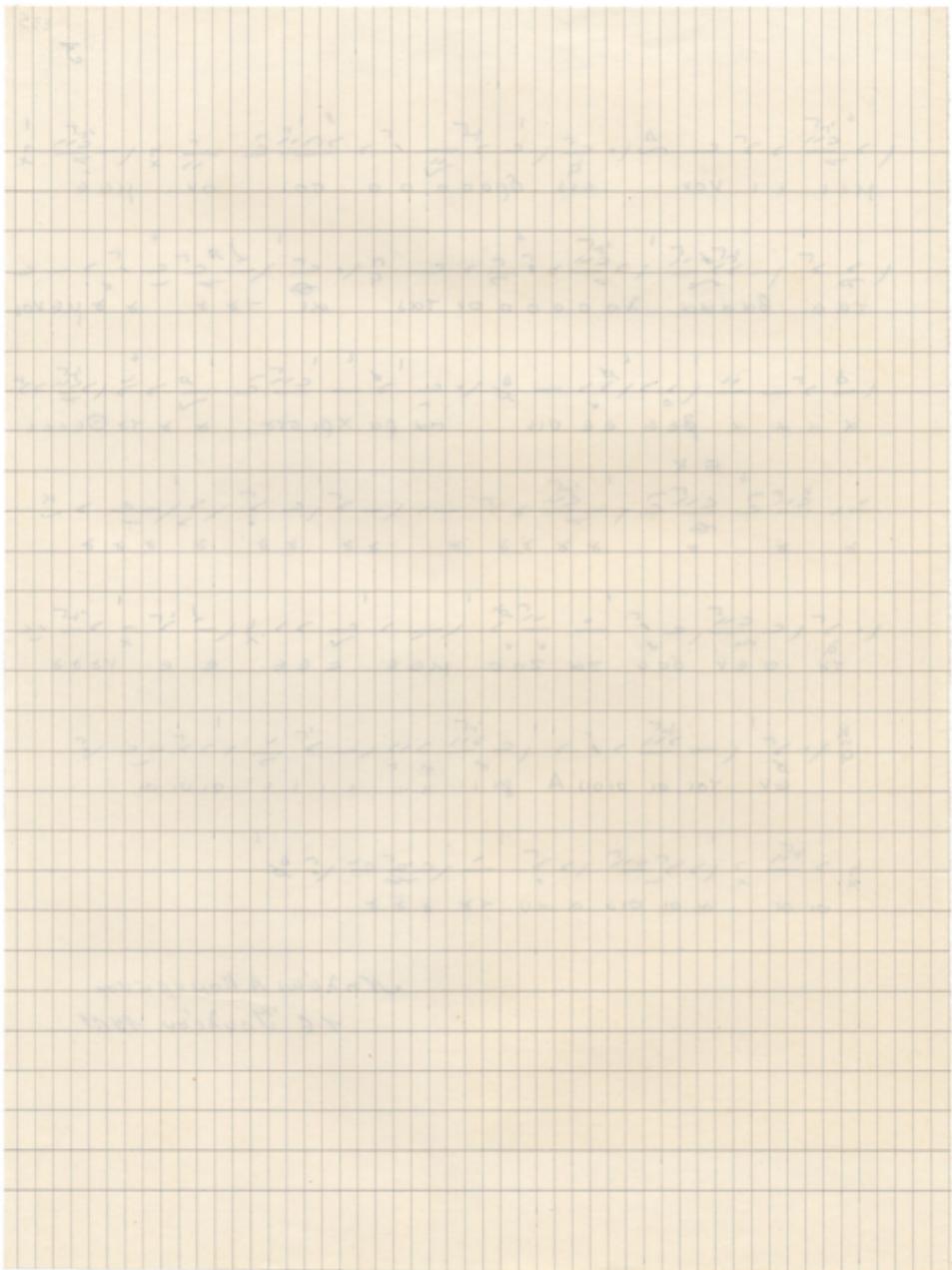
$\alpha \alpha \alpha \beta \epsilon \epsilon \epsilon \text{ GGGG}$   $\alpha \alpha \alpha \text{ GGGG}$

$$\frac{1}{x} \cdot \frac{\sqrt{x^2 - 2}}{x} = \frac{\sqrt{x^2 - 2}}{x^2}$$

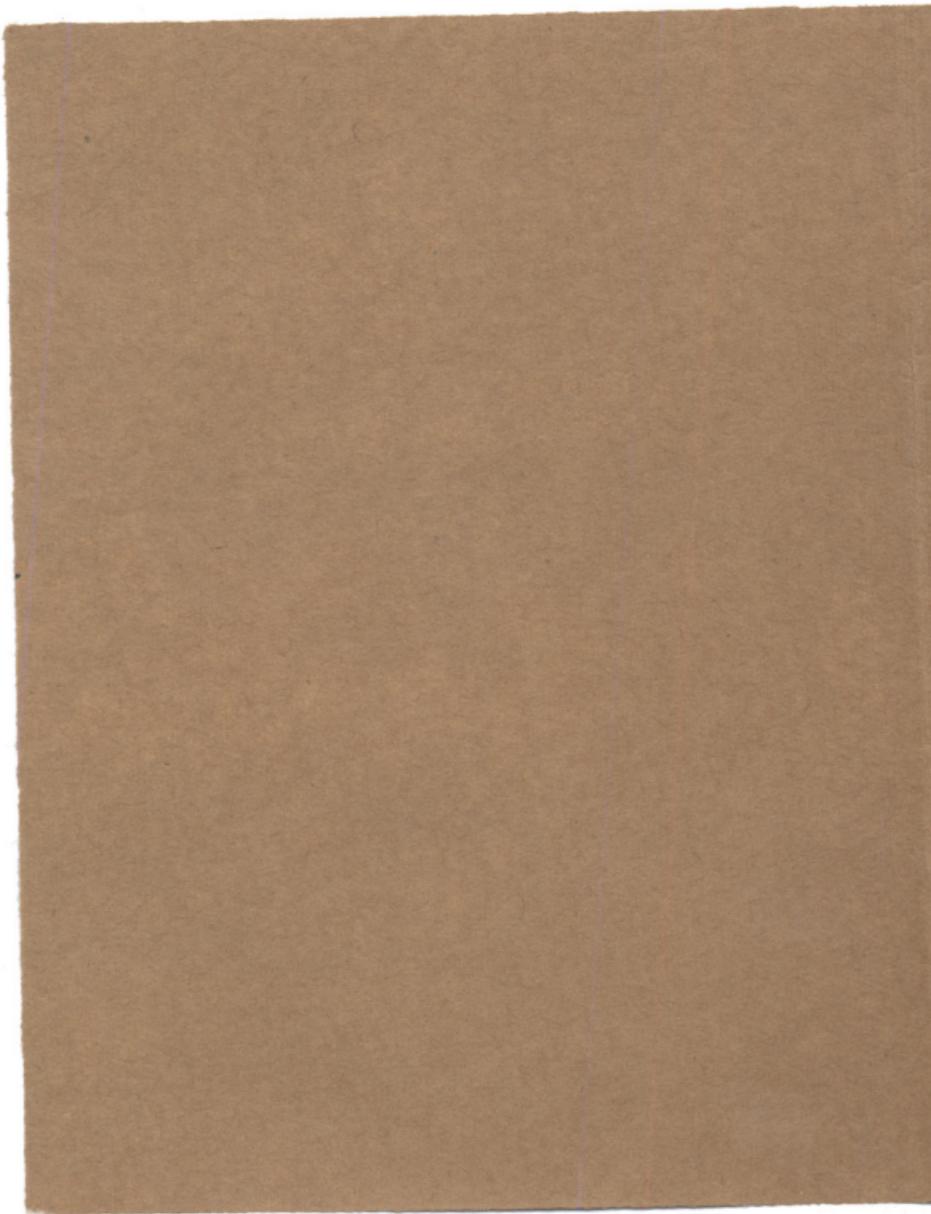
1.  $\frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$   
2.  $\frac{1}{3} \times \frac{1}{3} = \frac{1}{9}$   
3.  $\frac{1}{4} \times \frac{1}{4} = \frac{1}{16}$   
4.  $\frac{1}{5} \times \frac{1}{5} = \frac{1}{25}$   
5.  $\frac{1}{6} \times \frac{1}{6} = \frac{1}{36}$   
6.  $\frac{1}{7} \times \frac{1}{7} = \frac{1}{49}$   
7.  $\frac{1}{8} \times \frac{1}{8} = \frac{1}{64}$   
8.  $\frac{1}{9} \times \frac{1}{9} = \frac{1}{81}$   
9.  $\frac{1}{10} \times \frac{1}{10} = \frac{1}{100}$

$\frac{K}{Q} = \frac{1}{\sqrt{\frac{4\pi N_A}{3}} \cdot \frac{e^2}{4\pi \epsilon_0 \cdot 0.0101 \text{ A} \cdot 10^{-10} \text{ C}}} = \frac{1}{\sqrt{\frac{4\pi \cdot 6.02 \times 10^{23}}{3} \cdot \frac{1.6 \times 10^{-19}}{4\pi \cdot 8.85 \times 10^{-12} \text{ F/m}} \cdot 10^{-10} \text{ C}}} = 1.6 \times 10^{19} \text{ N/C}$

Nn̄d̄ewi A. Komupauuu  
16 Touliou 1961



L36



Tur Προναός  
Eis τον Elixor

1970-1971  
Spartacus

Tuv tipotita to o o o pw wv to gu u u 37 ma oí ñi le

ο ορτοι οι δε ε ευ τε φαλ μι νω ω ως ευ φηη μηη γη

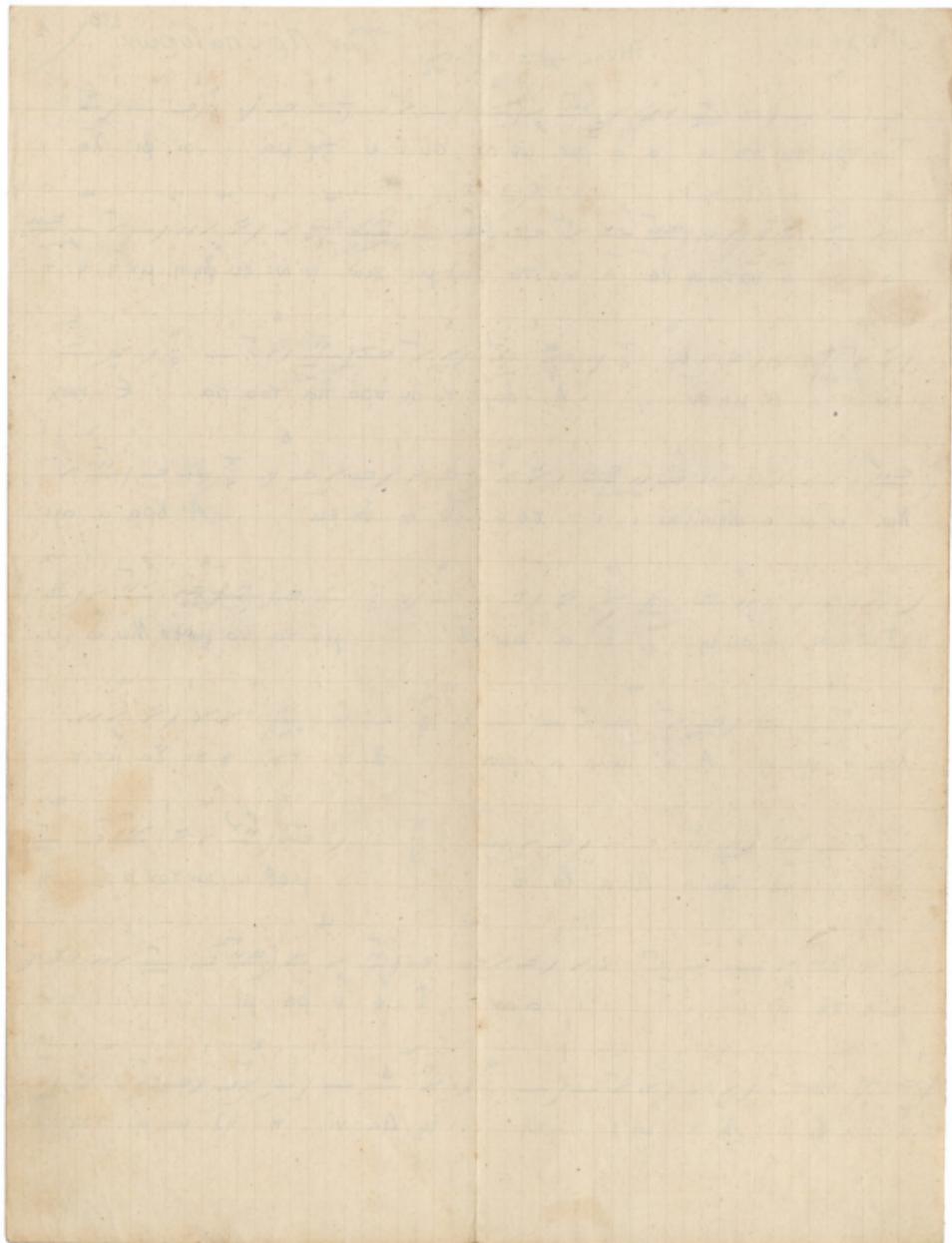
Two men were talking to each other. One man said, "I am going to buy two pairs of shoes." The other man said, "I am not going to buy any shoes."

Nw w w e Meeλxi i i TEE e e de en A bpa a ap

I da a a au u y      I a u u u b      mu ra vo go o Mw u u

$\frac{d}{dx} \left( \frac{1}{x^2} \right) = -\frac{2}{x^3}$

$\frac{1}{2} \cdot \frac{1}{2} = \frac{1}{4}$



dw dee wa <sup>6</sup>  
 ova <sup>7</sup>  
 ova <sup>8</sup>  
 a av uai ai Tou <sup>9</sup>  
 3ov <sup>10</sup>  
 e e vev <sup>11</sup>

8

H n <sup>12</sup>  
 u <sup>13</sup>  
 a a a a a <sup>14</sup>  
 Ra pi <sup>15</sup>  
 zaa v Ta ac Xpi <sup>16</sup>  
 va a <sup>17</sup>  
 e e w w w <sup>18</sup>

Τῶν προπατόρων  
Δόξα εἰς τὸν Στίχον

Ἀριττηρίψη



+



N. A. K.

Τάχ Πρωταρχόπων εἰς τοὺς Σείσον Δόξα

ΤΗΧΟΣ  $\frac{\text{της}}{\text{της}}$  ΡΑΣΑ

Так Простато о о о ри ик то оууу злуу ае

0 0 0 оптимальне єдине підприємство з усіма властивостями, які мають

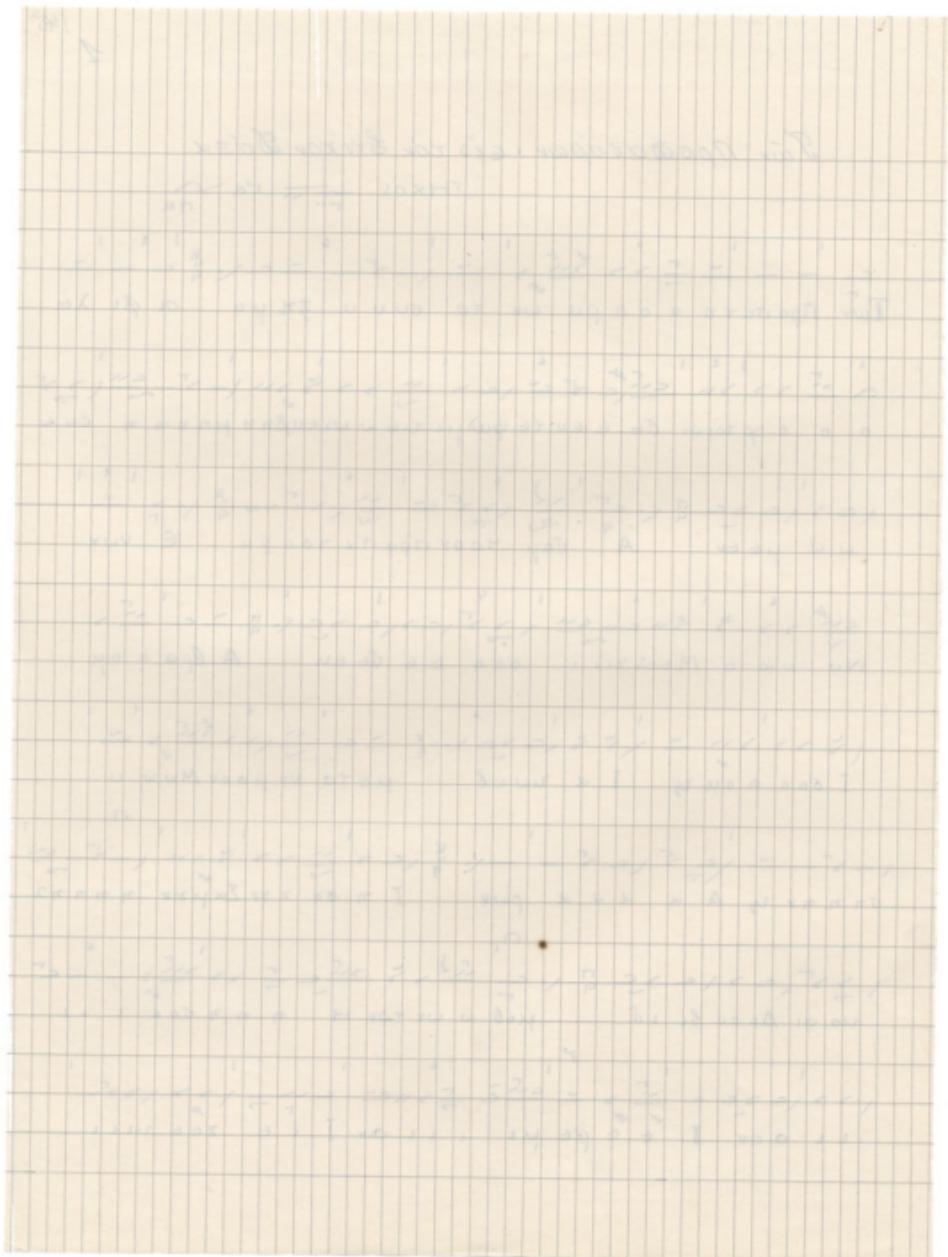
$\frac{d}{dt} \frac{\partial f}{\partial x_i}(t) = \sum_j \frac{\partial^2 f}{\partial x_i \partial x_j}(t) \dot{x}_j(t)$

*I oua aauzy I a uwub uetia vemoov Mnw u*

On n' a pas de pouvoir d'expression dans ce cas.

•  $\Gamma_1$   
 $\vdash \neg \neg A \rightarrow A$  (from  $\neg \neg A$ )  
 $\vdash \neg \neg A \rightarrow (\neg \neg A \rightarrow A)$  (from  $\neg \neg A \rightarrow A$ )  
 $\vdash \neg \neg A \rightarrow \neg \neg A$  (from  $\neg \neg A \rightarrow (\neg \neg A \rightarrow A)$ )  
 $\vdash \neg \neg A \rightarrow \neg \neg A$  (from  $\neg \neg A \rightarrow \neg \neg A$ )

$\frac{1}{\sqrt{2}} \left( \begin{matrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{matrix} \right) = \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}$



— καρδιά της Αργούς παραπομπής στην απόσταση Αγρια Ημέρας

— καρδιά της Αργούς παραπομπής στην απόσταση Αγρια Ημέρας

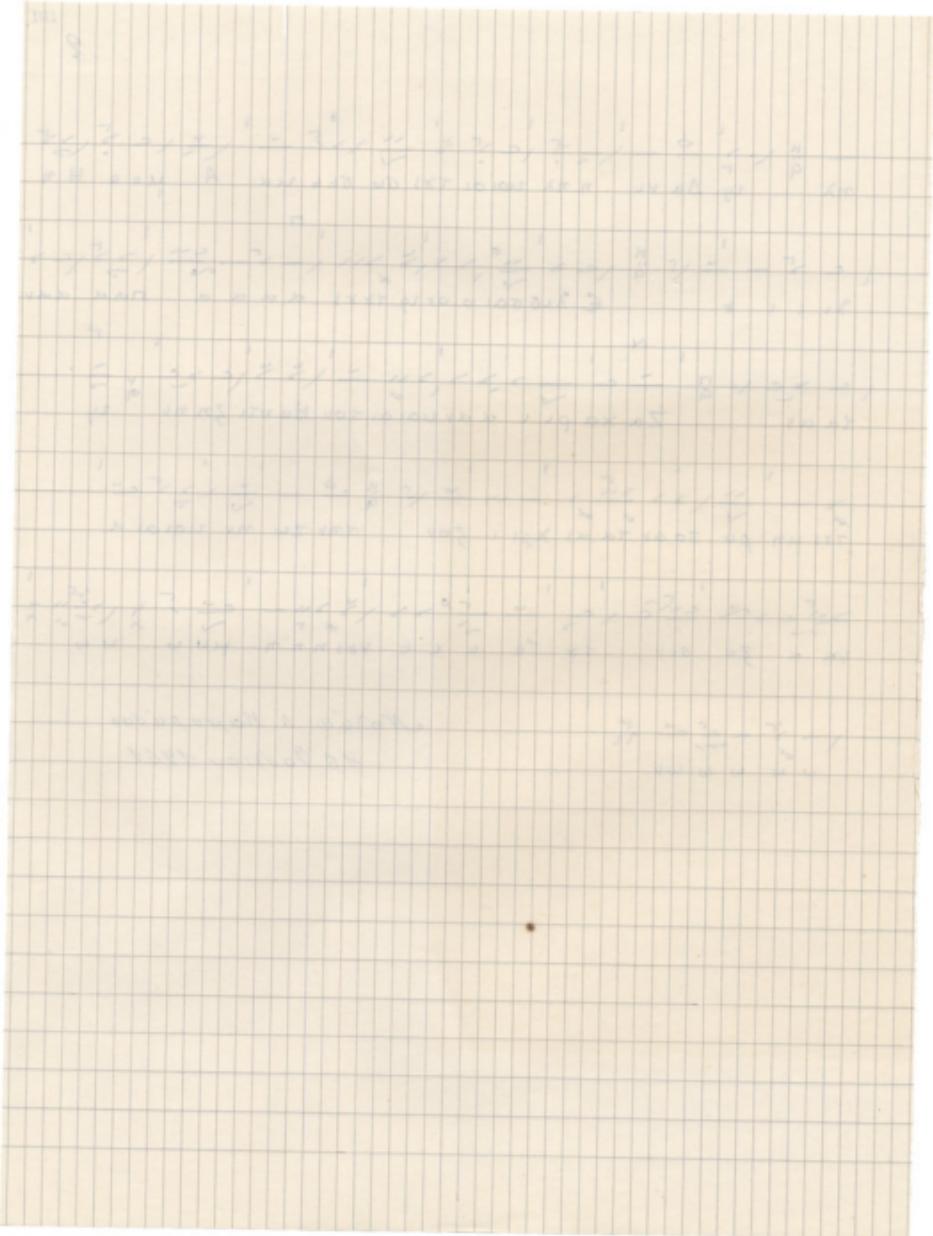
— καρδιά της Αργούς παραπομπής στην απόσταση Αγρια Ημέρας

— καρδιά της Αργούς παραπομπής στην απόσταση Αγρια Ημέρας

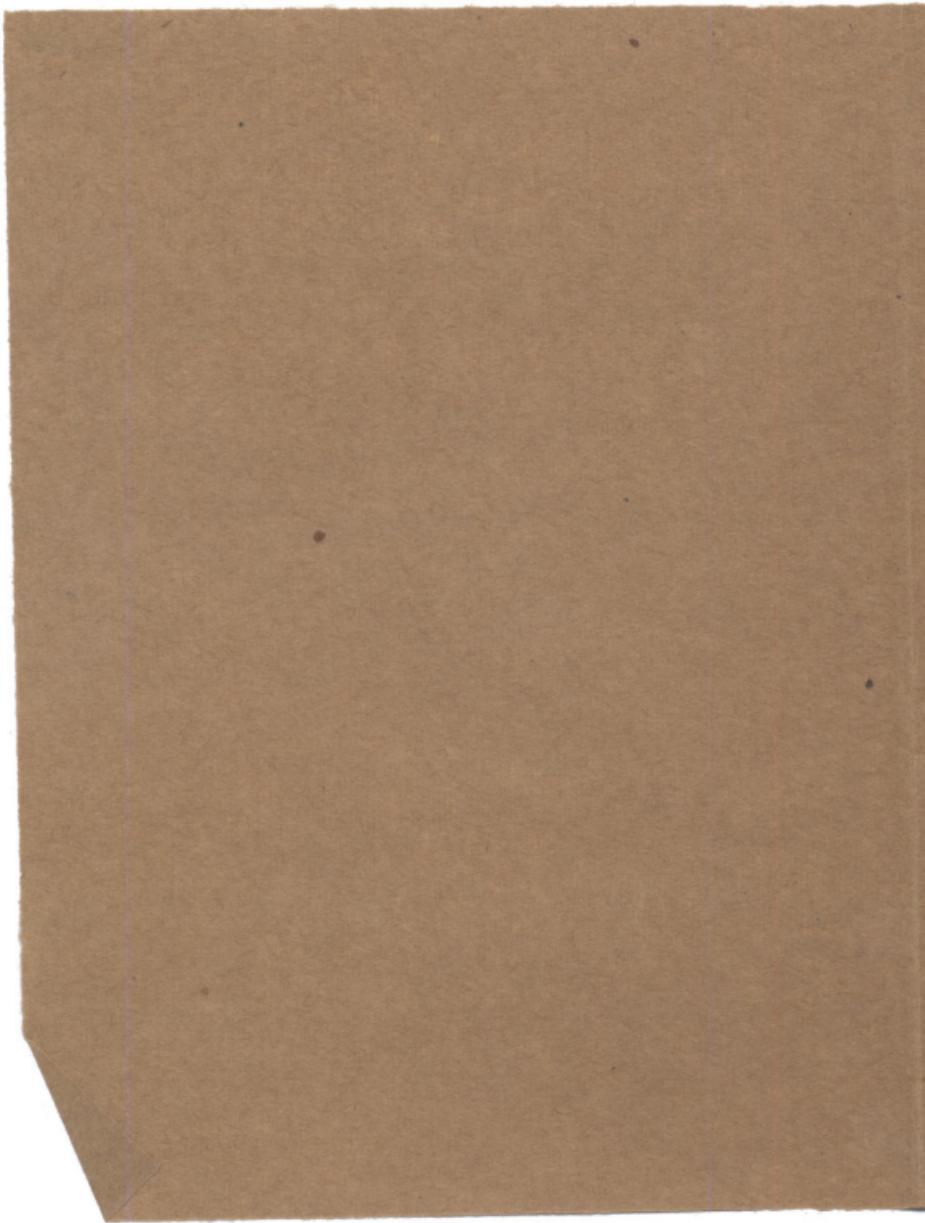
— καρδιά της Αργούς παραπομπής στην απόσταση Αγρια Ημέρας

— καρδιά της Αργούς παραπομπής στην απόσταση Αγρια Ημέρας

Μαρία Α. Καραράδα  
16 Ιουλίου 1961



142



Τῷ Αριστονῷ  
εὖ προτιμότερον

160.000  
100.000

Τῇ Κυριανῇ εὐρ. Προπύλαις εἰς τοὺς Αἴγαους  
Σοῦτα Τίχος σῇ γε

$\frac{1}{\Delta t} \left( \frac{\partial u}{\partial x} \right)_j = \frac{1}{\Delta x} \left( u_{j+1} - u_{j-1} \right) / 2$

$\chi \leftarrow \frac{\partial \mathcal{L}}{\partial \theta} \rightarrow \chi \rightarrow \text{softmax} \rightarrow \hat{\pi} \rightarrow \frac{\partial \mathcal{L}}{\partial \hat{\pi}} \rightarrow \frac{\partial \mathcal{L}}{\partial \hat{\pi}} \rightarrow \frac{\partial \mathcal{L}}{\partial \hat{\pi}} \rightarrow \frac{\partial \mathcal{L}}{\partial \hat{\pi}}$

ПРИЧЕСКА ПОДАРОК ПРИЧЕСКА ПРИЧЕСКА ПРИЧЕСКА

1.  $\frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$   $\frac{1}{4} \times \frac{1}{4} = \frac{1}{16}$   $\frac{1}{16} \times \frac{1}{16} = \frac{1}{256}$

THEY ARE THE ONLY ONES WHO CAN DO IT.

the unknown vector  $\vec{v}$  is given by  $\vec{v} = \vec{u} - \vec{w}$ .



$\left( \frac{1}{2} \times \frac{1}{2} \times \frac{1}{2} \right) = \frac{1}{8}$

U U U VW p h o o o o o f y e W S T n S T P L a a a a a a a

$\frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 1 \\ 1 & -1 \end{pmatrix}$   $\frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 1 \\ 1 & 1 \end{pmatrix}$   $\frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 1 \\ -1 & 1 \end{pmatrix}$   $\frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 1 \\ 1 & -1 \end{pmatrix}$   $\frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 1 \\ -1 & -1 \end{pmatrix}$   $\frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 1 \\ -1 & 1 \end{pmatrix}$   $\frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 1 \\ 1 & 1 \end{pmatrix}$   $\frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 1 \\ 1 & -1 \end{pmatrix}$

CONTRASTIVE ANALYSIS  
SOUND SYSTEMS

Числовые значения в таблице приведены в кг на 1 м<sup>2</sup> земли.

$\rightarrow c \leftarrow \frac{c}{1 - \frac{c}{\sqrt{n}}} \rightarrow \frac{c}{1 - \frac{c}{\sqrt{n}}} \rightarrow \frac{c}{1 - \frac{c}{\sqrt{n}}} \rightarrow \dots$

$\frac{c-r}{c} = \frac{r}{r} \times \frac{1 - \frac{c}{r}}{1 - \frac{c}{r}}$



106

Y'all yee e ee y'all u u u u ok yo o o ok

$\rightarrow \frac{1}{x} \times \frac{\frac{dx}{dt}}{x} \rightarrow \frac{1}{x} \times \frac{dx}{dt} = \frac{1}{x} \times \frac{dx}{dt} \rightarrow \frac{1}{x} = \frac{1}{x}$

1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32 33 34 35 36 37 38 39 40 41 42 43 44 45 46 47 48 49 50 51 52 53 54 55 56 57 58 59 60 61 62 63 64 65 66 67 68 69 70 71 72 73 74 75 76 77 78 79 80 81 82 83 84 85 86 87 88 89 90 91 92 93 94 95 96 97 98 99 100

$$-\frac{1}{c} \frac{c^r}{\cancel{c}} c = \cancel{c}$$

News A. Кондратов

24 You Xian 1961

Νικόλαος Τ. Βαρδούλας

cl

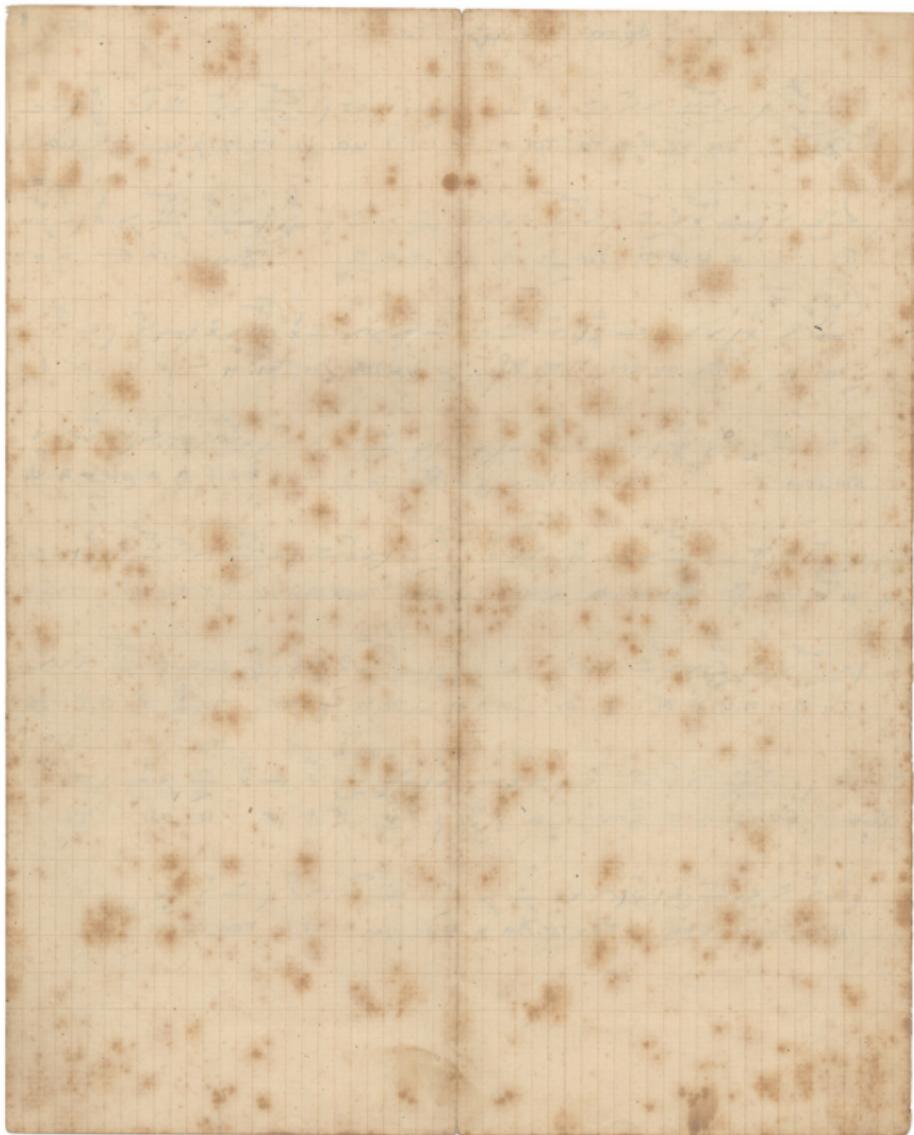
$$\frac{d\langle c \rangle}{dt} = \frac{1}{\tau_{\text{rel}}} (\langle c \rangle - \langle c \rangle_{\text{eq}}) + \frac{1}{\tau_{\text{rel}}} \left( \frac{1}{\tau_{\text{rel}}} \langle c \rangle_{\text{eq}} - \langle c \rangle \right) \frac{d\langle c \rangle_{\text{eq}}}{dt}$$

$\frac{2}{3} \times \frac{1}{2} = \frac{1}{3}$   $\frac{1}{3} \times \frac{1}{2} = \frac{1}{6}$   $\frac{1}{6} \times \frac{1}{2} = \frac{1}{12}$   $\frac{1}{12} \times \frac{1}{2} = \frac{1}{24}$   $\frac{1}{24} \times \frac{1}{2} = \frac{1}{48}$   $\frac{1}{48} \times \frac{1}{2} = \frac{1}{96}$   $\frac{1}{96} \times \frac{1}{2} = \frac{1}{192}$

SWPLE E TUR ΠΡΟΒΟΛΗ Η ΤΕ Ε ΦΑΣΕΤΕ Ε ΕΠΙΝΥΧΙΟ

In 1888 he was elected a member of the Royal Society of Canada.

11. 11. 1941. Total cost \$1.



αγανάκτιον τον πόλεαν σε και γαντος την εγγανάκτιον

μηνιν γνωστον οντος την Φεβρουαρίου από την ημέραν

συντελεσθεντος την ημέραν την Απριλίου

να δούνται την ημέραν την Μάιου την ημέραν την Ιούνιου

την ημέραν την Ιούλιου την ημέραν την Αύγουστου

την ημέραν την Σεπτεμβρίου την ημέραν την Οκτωβρίου

την ημέραν την Νοεμβρίου την ημέραν την Δεκεμβρίου

την ημέραν την Ιανουαρίου την ημέραν την Φεβρουαρίου

την ημέραν την Μαρτίου την ημέραν την Απριλίου



πτόνης ή της Αλεξανδρείας

Φιλοπίλου τοῦ Πανεπιστημίου  
καὶ Θεοπέτρου Κύριου Διδάσκοντος  
χ' οὐ πολὺ οἰκείως θεωροῦντο  
χως Σιδημοτείχου, ὑπερτίκου  
καὶ προφύτευσαν Ροδόπης,  
καὶ μάρτυρι πατέρος καὶ βασιλέως

ΤΟΛΛΕΙΑ ήταν



Δόξα. Τοῖς Σειρ. Προπονηταῖς.  
Τόποι. Αετοῖς σκοτώντες.  
Άκρων οὐ γε.

νίπο

Νομάριος Α. Καραγεράκης



Δόξα ἡ Ήχος γῆ τα

Δοξα Ηχος φη μα  
Δοξα α α πιλι λι λι ναι Υινι νινι ω ιγ Α πιλι

$$\frac{1}{\epsilon} \frac{\partial^2 \tilde{F}_\alpha}{\partial x_i \partial x_j} = \frac{1}{\epsilon} \frac{\partial^2 F_\alpha}{\partial x_i \partial x_j} + \frac{1}{\epsilon} \frac{\partial^2 \mu_\alpha}{\partial x_i \partial x_j} + \frac{1}{\epsilon} \frac{\partial^2 a_\alpha}{\partial x_i \partial x_j} + \frac{1}{\epsilon} \frac{\partial^2 a_\alpha}{\partial x_i \partial x_j} + \frac{1}{\epsilon} \frac{\partial^2 a_\alpha}{\partial x_i \partial x_j}$$

Ma av tel tri sw w we tra vni eti u pi i aw

— A bpa a a ap uai yuwuv guv

Take  $\liminf_{n \rightarrow \infty} \eta_n$  over  $\mu_{\lambda, \eta}$ .

$\frac{x^2}{x^2} \cdot \frac{1}{x^2} = \frac{1}{x^2}$

$$\begin{aligned} & \lambda_{\text{avg}} = \frac{1}{n} \sum_{i=1}^n \lambda_i \\ & \sigma_{\text{avg}} = \sqrt{\frac{1}{n} \sum_{i=1}^n (\lambda_i - \bar{\lambda})^2} \end{aligned}$$

$\mu \in ev$        $T_{\text{el}}(ev) = \frac{1}{2} \int_{B_0}^{\infty} \lambda^2 d\lambda$        $\lambda \in \mathbb{R}$



$$\begin{aligned} & \mathbb{E}[e^{\mu_1 X_1}] = e^{\mu_1 \mathbb{E}[X_1]} = e^{\mu_1 \cdot 0} = 1 \\ & \mathbb{E}[e^{\mu_2 X_2}] = e^{\mu_2 \mathbb{E}[X_2]} = e^{\mu_2 \cdot 0} = 1 \\ & \mathbb{E}[e^{\mu_3 X_3}] = e^{\mu_3 \mathbb{E}[X_3]} = e^{\mu_3 \cdot 0} = 1 \\ & \mathbb{E}[e^{\mu_4 X_4}] = e^{\mu_4 \mathbb{E}[X_4]} = e^{\mu_4 \cdot 0} = 1 \\ & \mathbb{E}[e^{\mu_5 X_5}] = e^{\mu_5 \mathbb{E}[X_5]} = e^{\mu_5 \cdot 0} = 1 \\ & \mathbb{E}[e^{\mu_6 X_6}] = e^{\mu_6 \mathbb{E}[X_6]} = e^{\mu_6 \cdot 0} = 1 \\ & \mathbb{E}[e^{\mu_7 X_7}] = e^{\mu_7 \mathbb{E}[X_7]} = e^{\mu_7 \cdot 0} = 1 \\ & \mathbb{E}[e^{\mu_8 X_8}] = e^{\mu_8 \mathbb{E}[X_8]} = e^{\mu_8 \cdot 0} = 1 \end{aligned}$$

~~100~~ 100 +  $\frac{7}{5}$  = 570 0 - 100 +  $\frac{7}{5}$  +  $\frac{1}{2}$  x  $\frac{1}{10}$  -  
100 100 + 0 = 570 0 - 100 + 0 + 0 = 570 0 - 100 = 470

~~100~~ 100 +  $\frac{7}{5}$  +  $\frac{1}{2}$  x  $\frac{1}{10}$  - 100 +  $\frac{7}{5}$  +  $\frac{1}{2}$  x  $\frac{1}{10}$  -  
100 100 + 0 + 0 + 0 = 100 + 0 + 0 + 0 = 100 + 0 + 0 + 0 = 100

~~100~~ 100 +  $\frac{7}{5}$  = 570 0 -  $\frac{7}{5}$  +  $\frac{1}{2}$  x  $\frac{1}{10}$  = 570 0 -  
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~~100~~ 100 +  $\frac{7}{5}$  - 100 +  $\frac{7}{5}$  - 100 +  $\frac{7}{5}$  +  $\frac{1}{2}$  x  $\frac{1}{10}$  -  
100 100 + 0 + 0 + 0 = 100 + 0 + 0 + 0 = 100 + 0 + 0 + 0 = 100

~~100~~ 100 +  $\frac{7}{5}$  - 100 +  $\frac{7}{5}$  - 100 +  $\frac{7}{5}$  +  $\frac{1}{2}$  x  $\frac{1}{10}$  -  
100 100 + 0 + 0 + 0 = 100 + 0 + 0 + 0 = 100 + 0 + 0 + 0 = 100

N. A. Kapapōdr Moonin

Tū Kupraunī Tūr Tpontatōpaw  
Dōga eis tū Aīrra

## *Arteficium*

L53



~~Tῇ Κυριανῷ πρὸς τῷ  
Χριστῷ τενίσως  
εἰς τοὺς Ἀἴνους Δόξα~~

~~προπάθειαν~~

the sign language  
was never taught  
and could not be

## Tz' Kepauw zur Kooperation

Nouvelles

Hacos un ra

Νικήσιος Α. Καμαράδου

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$$\Delta_1 = \frac{\pi}{2} - \arctan \left( \frac{v_0}{u_0} \right) = \arctan \left( \frac{u_0}{v_0} \right)$$

$$\frac{1}{\sqrt{\frac{1}{x^2} + \frac{1}{y^2}}} = \sqrt{\frac{x^2 + y^2}{x^2 y^2}} = \sqrt{\frac{r^2}{r^2 r^2}} = \sqrt{\frac{1}{r^2}} = \frac{1}{r}$$

109

in 1000

in 1000

in 1000

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100

50

in 1000 500 300 200 100 50 25 10 5 2 1

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in 1000 500 300 200 100 50 25 10 5 2 1

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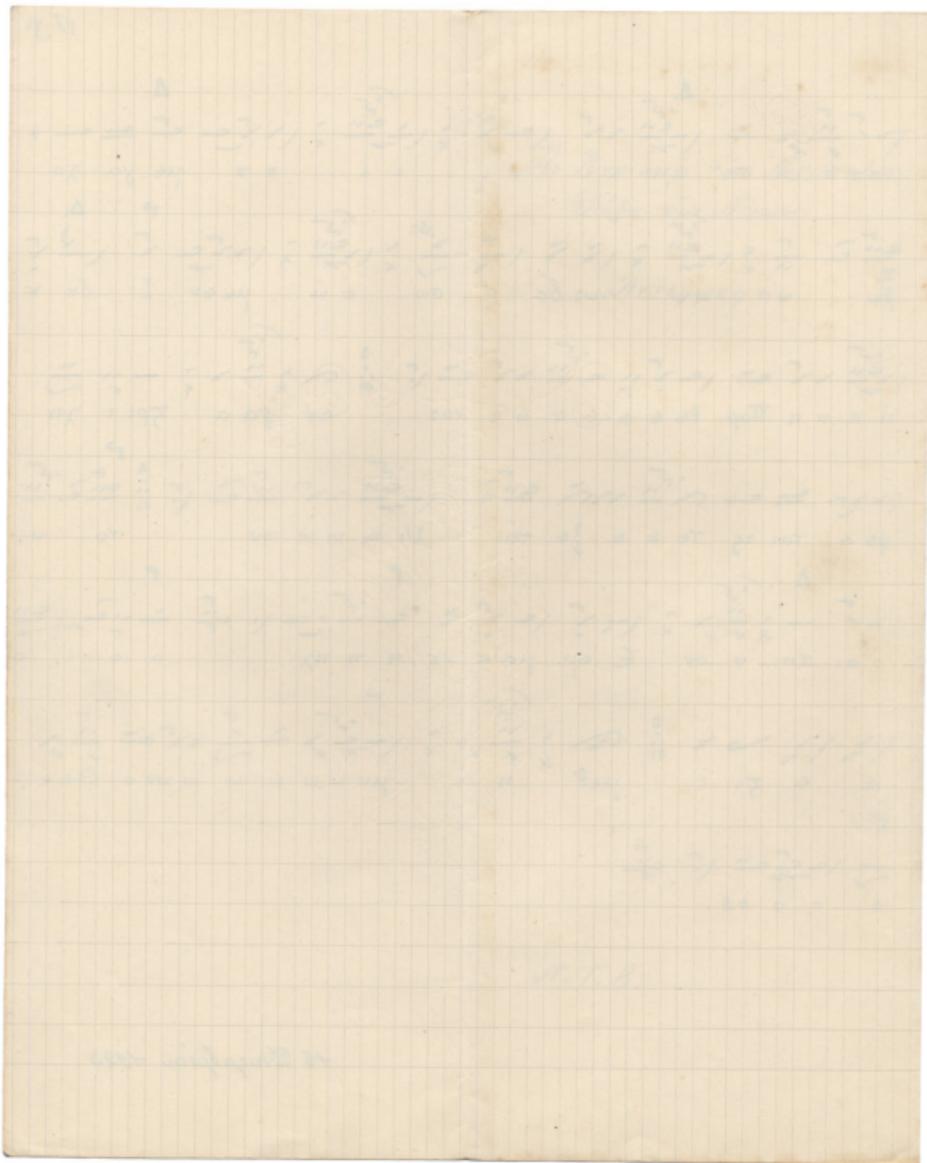
in 1000 500 300 200 100 50 25 10 5 2 1

in 1000 500 300 200 100 50 25 10 5 2 1











ՏՇ Խոյանի տար Առօսալուք  
Տօժա և Արար

Արթեյրացն

N.T.B.

Την Κυριακή των Προστατών είστουν οι θεοί<sup>1</sup>  
την Χρονιά την Εργασίαν

Θεοί εργάζονται πάσην γένην υπό την Αγία Αγία

γένην υπό την Αγία Αγίαν μάλλον την Αγίαν

Θεοί εργάζονται πάσην γένην υπό την Αγία Αγίαν

γένην υπό την Αγία Αγίαν μάλλον την Αγία Αγίαν

Θεοί εργάζονται πάσην γένην υπό την Αγία Αγίαν

α από την Αγία Αγίαν μάλλον την Αγία Αγίαν

α από την Αγία Αγίαν μάλλον την Αγία Αγίαν

α από την Αγία Αγίαν μάλλον την Αγία Αγίαν



$\frac{r_1}{r_2} \geq \frac{r_2}{r_3} \geq \dots \geq \frac{r_{n-1}}{r_n} \geq \frac{r_n}{r_{n+1}}$

$$\frac{1}{x^2 - 1} = \frac{1}{(x-1)(x+1)} = \frac{A}{x-1} + \frac{B}{x+1}$$

$\frac{1}{n} \left( \frac{1}{n} \right)^{-1} = \frac{n}{1} = n$

$$\frac{d}{dx} \left( \frac{1}{x^2} \right) = -\frac{2}{x^3}$$



3

$$\frac{1}{\sqrt{n}} \sum_{k=1}^n \frac{1}{\sqrt{k}} \left( \frac{1}{\sqrt{k}} \sum_{j=1}^k \frac{1}{\sqrt{j}} \right) = \frac{1}{\sqrt{n}} \sum_{k=1}^n \frac{1}{\sqrt{k}} \left( \frac{1}{\sqrt{k}} \sum_{j=1}^k \frac{1}{\sqrt{j}} \right)$$

$\sum_{i=1}^n \frac{1}{x_i}$   $\geq n$   $\Rightarrow$   $\frac{1}{x_1} + \frac{1}{x_2} + \dots + \frac{1}{x_n} \geq n$

$$\int_{\Omega} \left( \frac{1}{2} |\nabla u|^2 + \frac{1}{4} u^4 \right) dx = \int_{\Omega} \left( \frac{1}{2} |\nabla u|^2 + \frac{1}{4} u^4 \right) dx$$

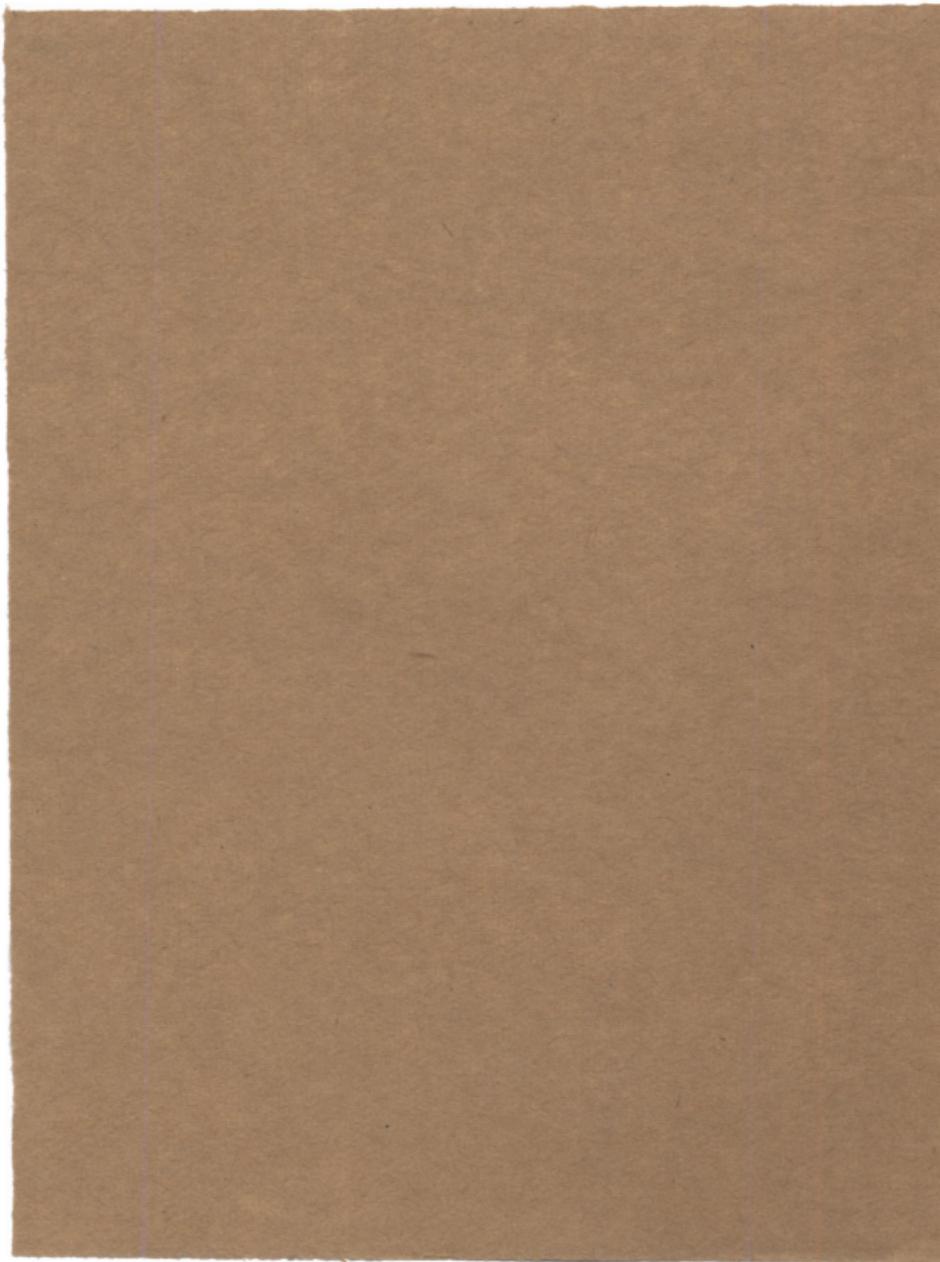
$$= \frac{1}{\rho} \frac{\partial \rho}{\partial r} = \frac{1}{\rho} \frac{\partial \rho}{\partial r}$$

Μητέων Α. Καμπουράσου

16 Juillet 1961



162



Κυριανή πρὸς τὸν Χρ.

Γερμίνας

Δόξα Εοτερίου

ग्रन्थ संस्कृत विद्यालय

लोकनाथ

सुनील नाथ





4 Kata.

1 2 1 2 1

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$$\frac{1}{a-a} \cdot \frac{K_2}{\sqrt{a-a}} + \left( -\frac{\sqrt{a-a}}{\sqrt{a-a}} \right) \cdot \frac{1}{\sqrt{a-a}} = \frac{1}{a-a} \cdot \frac{K_2}{\sqrt{a-a}} - \frac{\sqrt{a-a}}{\sqrt{a-a}} \cdot \frac{1}{\sqrt{a-a}} = \frac{1}{a-a} \cdot \frac{K_2}{\sqrt{a-a}} - \frac{1}{a-a} = \frac{K_2}{\sqrt{a-a}} - \frac{1}{a-a}$$

$$\text{TEV} = \frac{\pi^4}{120} \left( \frac{1}{1} - \frac{2}{2} + \frac{1}{3} - \frac{2}{4} + \frac{1}{5} - \frac{2}{6} + \dots \right)$$

$$\frac{d}{dx} \left( \frac{1}{x^2} \right) = -\frac{2}{x^3}$$

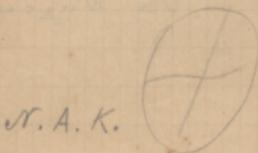
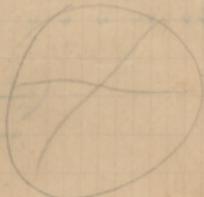
$$\frac{d}{dt} \int_0^t f(s) ds = f(t)$$

Udo Nagai & Co. Kamaguchi

Tū Kupravīn vērotās zemēs Ternopilis.  
Lietuvā īcēseivā.  
Dōga.

Udo Nieders N. Kauņas

Milej pūķi



N. A. K.

Τῇ Κυριακῇ πρὸ τῆς Χρονικῆς Τετράκοντα

Doxa èr lā ḡħolheri u iż-ixx għiex

$\frac{17}{2x} \cdot \frac{5}{6} \rightarrow -c - \frac{1}{2}x^2 \rightarrow \frac{1}{2}x^2 \gg \frac{1}{2}x^2 - \frac{1}{2}x^2 = 0$

$\frac{dy}{dx} = \frac{w}{x}$   $\Rightarrow y = \frac{1}{2}w^2 + C$

Therefore,  $\lim_{n \rightarrow \infty} \frac{1}{n} \sum_{k=1}^n f(x_k) = \int_a^b f(x) dx$

$\frac{d}{dt} \left( \frac{1}{2} \int_{\Omega} u^2 dx \right) = - \int_{\Omega} u_t u dx + \int_{\Omega} f u dx$

$$\begin{array}{ccccccccc} x & \xrightarrow{\text{add } u} & x & \xrightarrow{\text{add } v} & x & \xrightarrow{\text{add } u} & x & \xrightarrow{\text{add } v} & x \\ uu & & vv & & uu & & vv & & vv \end{array}$$

$$\frac{1}{x^2} = \frac{1}{y^2}$$

$$\sum_{k=1}^n \frac{c_k}{x_k} \geq \sum_{k=1}^n \frac{c_k}{\sqrt{x_k}} = \frac{1}{\sqrt{n}} \left( \sqrt{x_1} + \sqrt{x_2} + \dots + \sqrt{x_n} \right) \geq \frac{1}{\sqrt{n}} \sqrt{n(x_1 + x_2 + \dots + x_n)} = \sqrt{n} \cdot \sqrt{\frac{x_1 + x_2 + \dots + x_n}{n}} = \sqrt{n} \cdot \sqrt{\frac{1}{n} \sum_{k=1}^n x_k} = \sqrt{n} \cdot \sqrt{\frac{1}{n} \text{val}}$$



1  
 $\frac{\text{з} \sqrt{c}}{1} \cdot \frac{\text{з} \sqrt{c}}{1} \cdot \frac{r}{1} \cdot \frac{1}{x} \cdot \frac{1}{\frac{1}{\sqrt{c}}} \cdot \frac{1}{1} \cdot \frac{1}{\sqrt{c}} \cdot \frac{1}{1} \cdot \frac{1}{\sqrt{c}} \cdot \frac{1}{1} \cdot \frac{1}{\sqrt{c}}$   
 пропн  $\frac{y_0}{0}$   $\frac{o}{0}$   $\rho_{ee}$  пропн  $\frac{y_0}{0}$   $\frac{o}{0}$   $\rho_{ee} \in \text{eu}$

K  
 $\frac{c}{1} \cdot \frac{c}{1} \cdot \frac{r}{1} \cdot \frac{1}{x} \cdot \frac{1}{\frac{1}{\sqrt{c}}} \cdot \frac{1}{1} \cdot \frac{1}{\sqrt{c}} \cdot \frac{1}{1} \cdot \frac{1}{\sqrt{c}} \cdot \frac{1}{1} \cdot \frac{1}{\sqrt{c}}$   
 $\sigma_e$   $\frac{\Sigma c}{1} \cdot \frac{c}{1} \cdot \frac{c}{1}$  тишина Парбесе  $\epsilon \epsilon \epsilon \epsilon \epsilon$

1  
 $\frac{c}{1} \cdot \frac{c}{1} \cdot \frac{r}{1} \cdot \frac{1}{x} \cdot \frac{1}{\frac{1}{\sqrt{c}}} \cdot \frac{1}{1} \cdot \frac{1}{\sqrt{c}} \cdot \frac{1}{1} \cdot \frac{1}{\sqrt{c}} \cdot \frac{1}{1} \cdot \frac{1}{\sqrt{c}}$   
 $\nu_3$   $\text{саршишесер} \frac{y_0}{0} \frac{o}{0} \frac{o}{0} \frac{o}{0} \frac{o}{0} \frac{o}{0} \frac{o}{0} \frac{o}{0}$

1 K  
 $\frac{1}{1} \cdot \frac{c}{1} \cdot \frac{c}{1} \cdot \frac{r}{1} \cdot \frac{1}{x} \cdot \frac{1}{\frac{1}{\sqrt{c}}} \cdot \frac{1}{1} \cdot \frac{1}{\sqrt{c}} \cdot \frac{1}{1} \cdot \frac{1}{\sqrt{c}}$   
 $\frac{o}{0} \frac{y_0}{0} \frac{o}{0} \frac{o}{0}$   $\text{тв} \frac{a}{a} \frac{a}{a} \frac{v}{a} \frac{a}{a} \frac{a}{a} \frac{a}{a} \frac{a}{a} \frac{a}{a}$   $\lambda \frac{a}{a} \frac{a}{a} \frac{a}{a} \frac{a}{a} \frac{a}{a} \frac{a}{a} \frac{a}{a} \frac{a}{a}$

1 1 1  
 $\frac{1}{1} \cdot \frac{c}{1} \cdot \frac{c}{1} \cdot \frac{r}{1} \cdot \frac{1}{x} \cdot \frac{1}{\frac{1}{\sqrt{c}}} \cdot \frac{1}{1} \cdot \frac{1}{\sqrt{c}} \cdot \frac{1}{1} \cdot \frac{1}{\sqrt{c}}$   
 $w \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w}$   $\text{тв} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w}$   $\Theta \frac{e}{e} \frac{e}{e} \frac{e}{e} \frac{e}{e} \frac{e}{e} \frac{e}{e} \frac{e}{e} \frac{e}{e}$   $\frac{o}{0} \frac{o}{0} \frac{o}{0} \frac{o}{0} \frac{o}{0} \frac{o}{0} \frac{o}{0} \frac{o}{0}$

1 1  
 $\frac{1}{1} \cdot \frac{c}{1} \cdot \frac{c}{1} \cdot \frac{r}{1} \cdot \frac{1}{x} \cdot \frac{1}{\frac{1}{\sqrt{c}}} \cdot \frac{1}{1} \cdot \frac{1}{\sqrt{c}} \cdot \frac{1}{1} \cdot \frac{1}{\sqrt{c}}$   
 $\frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w}$   $\text{тв} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w}$   $\frac{n}{n} \frac{n}{n} \frac{n}{n} \frac{n}{n} \frac{n}{n} \frac{n}{n} \frac{n}{n} \frac{n}{n}$   $\text{пак}$

1  
 $\frac{1}{1} \cdot \frac{c}{1} \cdot \frac{c}{1} \cdot \frac{r}{1} \cdot \frac{1}{x} \cdot \frac{1}{\frac{1}{\sqrt{c}}} \cdot \frac{1}{1} \cdot \frac{1}{\sqrt{c}} \cdot \frac{1}{1} \cdot \frac{1}{\sqrt{c}}$   
 $\text{тв} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w}$   $\text{хв} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w}$   $\text{н} \frac{n}{n} \frac{n}{n} \frac{n}{n} \frac{n}{n} \frac{n}{n} \frac{n}{n} \frac{n}{n} \frac{n}{n}$   $\text{тишина} \frac{x}{x} \frac{x}{x} \frac{x}{x} \frac{x}{x} \frac{x}{x} \frac{x}{x} \frac{x}{x} \frac{x}{x}$

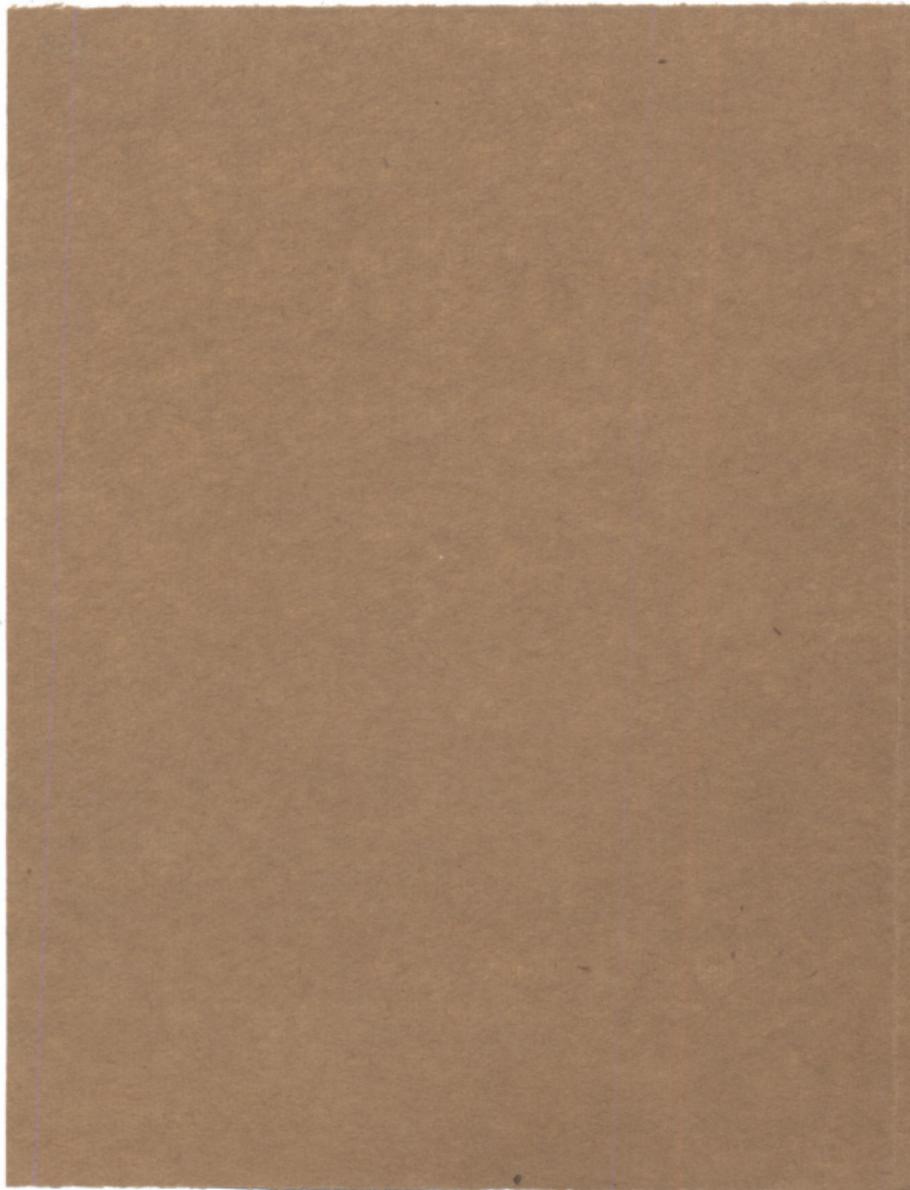
$\frac{1}{1} \cdot \frac{c}{1} \cdot \frac{c}{1} \cdot \frac{r}{1} \cdot \frac{1}{x} \cdot \frac{1}{\frac{1}{\sqrt{c}}} \cdot \frac{1}{1} \cdot \frac{1}{\sqrt{c}} \cdot \frac{1}{1} \cdot \frac{1}{\sqrt{c}}$   
 $\frac{w}{w} \frac{w}{w} \frac{w}{w} \frac{w}{w}$

Επίθεση Α Καμπαρέιου

15 Ιουλίου 1961



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Τῷ Κυριοῦ πρὸς τὸν  
Χριστὸν Γερμόντα  
Εἰς τοῦ Ἀγίου Λόγου

καὶ πατέρα τοῦ Ιη

and other members of  
the family will be  
able to help you

with your writing

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Τῆς Κυριακῆς πρὸ τῆς Χριστοῦ Μενηίσεων

Εἰς τοὺς Αἴνους Δόξα Ἡμῖν πάντες οὐκ εἶναι.

$$z \in \{1, 2, 3, 4, 5, 6, 7, 8\} \cap A$$

Таким образом, для вычисления производной в точке  $x_0$  можно использовать формулу

$\frac{1}{\sqrt{2}} \left| \begin{array}{c} \uparrow \\ \downarrow \end{array} \right\rangle = \frac{1}{\sqrt{2}} \left( \left| \begin{array}{c} \uparrow \\ \uparrow \end{array} \right\rangle + \left| \begin{array}{c} \downarrow \\ \downarrow \end{array} \right\rangle \right)$

Kont.

Kat. Δ  
χρονικός χρόνος ουγγαρέζος επίπεδης γεωγραφίας

När  $\frac{d}{dt} \ln \frac{N}{N_0}$  är konstant är  $N$  proportional med  $t$ .

When  $\eta$  is given by  $\tilde{r} = \tilde{c}_1 + \tilde{c}_2 \sin \theta$  and  $\tilde{\theta} = \tilde{c}_3 + \tilde{c}_4 \sin \theta$ , then  $\tilde{r}^2 = \tilde{c}_1^2 + 2\tilde{c}_1\tilde{c}_2 \sin \theta + \tilde{c}_2^2 \sin^2 \theta + \tilde{c}_3^2 + 2\tilde{c}_3\tilde{c}_4 \sin \theta + \tilde{c}_4^2 \sin^2 \theta$ .



max.

$\frac{c_1}{a} \frac{c_2}{a^2} \frac{c_3}{a^3} \dots$   $\frac{c_n}{a^n}$

$$\frac{G_{\text{av}}}{\pi^2} = \frac{\pi^2}{\pi^2 \rho_0} = \frac{1}{\rho_0} = \frac{1}{\rho_{\text{av}}} = \frac{1}{\rho_{\text{av}}}$$

$$\frac{1}{\pi D} \cdot \frac{1}{\rho} \cdot \frac{1}{d} \cdot \frac{1}{v} \cdot \frac{1}{n} \cdot g_c = - \frac{\partial \phi}{\partial x} = - \frac{1}{r} \frac{\partial \phi}{\partial r} = - \frac{1}{r} \frac{\partial \phi}{\partial v} = - \frac{1}{r} \frac{\partial \phi}{\partial n}$$

$\frac{N}{\text{Time}} = \frac{\text{Rate}}{\text{Time}}$

2000-2001  
2001-2002  
2002-2003  
2003-2004  
2004-2005  
2005-2006  
2006-2007  
2007-2008  
2008-2009  
2009-2010  
2010-2011  
2011-2012  
2012-2013  
2013-2014  
2014-2015  
2015-2016  
2016-2017  
2017-2018  
2018-2019  
2019-2020  
2020-2021  
2021-2022  
2022-2023

$$\frac{1}{\sqrt{2}} \left( \frac{1}{\sqrt{2}} \frac{1}{\sqrt{2}} - \frac{1}{\sqrt{2}} \frac{1}{\sqrt{2}} \right) = \frac{1}{2} \left( \frac{1}{2} - \frac{1}{2} \right) = \frac{1}{2} \cdot 0 = 0$$

προστατεύει την ανθρώπινη γενετική στοιχεία από την πληροφοριακή ρύπωνα.

$$\frac{\Delta}{\Delta g} = \frac{1}{\rho^2 g} \left( \frac{1}{r_1^2} - \frac{1}{r_2^2} + \frac{1}{r_3^2} - \frac{1}{r_4^2} + \dots \right)$$

$$\frac{d}{dx} \left( \frac{1}{x^2} \right) = -\frac{2}{x^3}$$

$$Z = \frac{1}{\sqrt{\frac{1}{2}(\omega_0^2 - \omega^2) + i\gamma\omega}}$$

Katágy.

$\frac{d^2y}{dx^2} = -\frac{1}{x^2}$   $y = \frac{1}{x} + C_1 x + C_2$

Μητσούνη  
Αντώνιος Α. Καμαράδου

Eis Toplumr w 1947

N.T.B.

TVeeeee e e eu maaaaati Twv yohi um wawv

σι δαγμα a a a aa a a laa a a Twv o guuu u

Taaaa a a aapfaaaa a GIV



$\sum_{n=1}^{\infty} \frac{(-1)^n}{n} \times \frac{1}{n} \times \frac{1}{n} \times \dots \times \frac{1}{n} = \sum_{n=1}^{\infty} \frac{(-1)^n}{n^n}$

$\frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 1 \\ 1 & -1 \end{pmatrix}$   $= \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 1 & 1 & 1 \\ 1 & -1 & 1 & -1 \end{pmatrix}$

*X*  $\sim$   $\frac{c}{r} \frac{c}{r} c$   $\leftarrow \frac{c}{r} \rightarrow \frac{c}{r} - \left( \frac{c}{r} \right) \frac{c}{r} \frac{c}{r} \rightarrow \frac{c}{r} \frac{c}{r} \rightarrow \frac{c}{r} \frac{c}{r} \rightarrow \frac{c}{r} \frac{c}{r} \rightarrow \frac{c}{r} \frac{c}{r}$   
δη μα τε x o o o με ε ε ε ε ε ε νους ψυ u u καις

$$\frac{\partial}{\partial x} \left( -\frac{c_1}{x} - c_2 \right) = \frac{c_1}{x^2} + c_2 = \frac{c_1}{x^2} + \frac{c_1}{x} = \frac{c_1}{x} \left( \frac{1}{x} + 1 \right) = \frac{c_1}{x} \left( \frac{x+1}{x} \right) = \frac{c_1(x+1)}{x^2}$$

put to zero  $\frac{d^2y}{dt^2}$

$$\left( \begin{array}{cc} - & + \\ + & - \end{array} \right) \left( \begin{array}{cc} - & + \\ + & - \end{array} \right) = \left( \begin{array}{cc} - & + \\ + & - \end{array} \right) \times \left( \begin{array}{cc} - & + \\ + & - \end{array} \right) \times \left( \begin{array}{cc} - & + \\ + & - \end{array} \right) \times \left( \begin{array}{cc} - & + \\ + & - \end{array} \right) \times \left( \begin{array}{cc} - & + \\ + & - \end{array} \right) = \left( \begin{array}{cc} - & + \\ + & - \end{array} \right)^5$$

$$\frac{d}{dx} \left( \frac{1}{x^2} \right) = -\frac{2}{x^3}$$



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Ταν νομίσων διδάχημάτων.

Mousium Καμαρδέου



B.N.K.

Τὴν Κυπριανὴν πρὸ τῆς Ηρακλεοῦ Σεντάγεων  
Ἐτί τούς Αἴγαους θόξαν ηγέτην ήταν ο

$$\int_{\Gamma} f_1 \cdot$$

Скільки ви вже зустрілися з цим словом? Іншими словами, скільки разів ви вже читали це слово?

$\int_{\Gamma} \text{Tr} \omega$   $\rightarrow$   $\int_{\Gamma} \text{No}_w$



1961



χαλαστήρας οποιος μετατίθεται στην πόλη της Αθήνας

καταστάθηκε στην πόλη της Αθήνας

προτού αποδημήσει στην Αγγλία

από την Αγγλία πέρασε από την Ελλάς

από την Ελλάς πέρασε από την Ιταλία

από την Ιταλία πέρασε από την Γαλλία

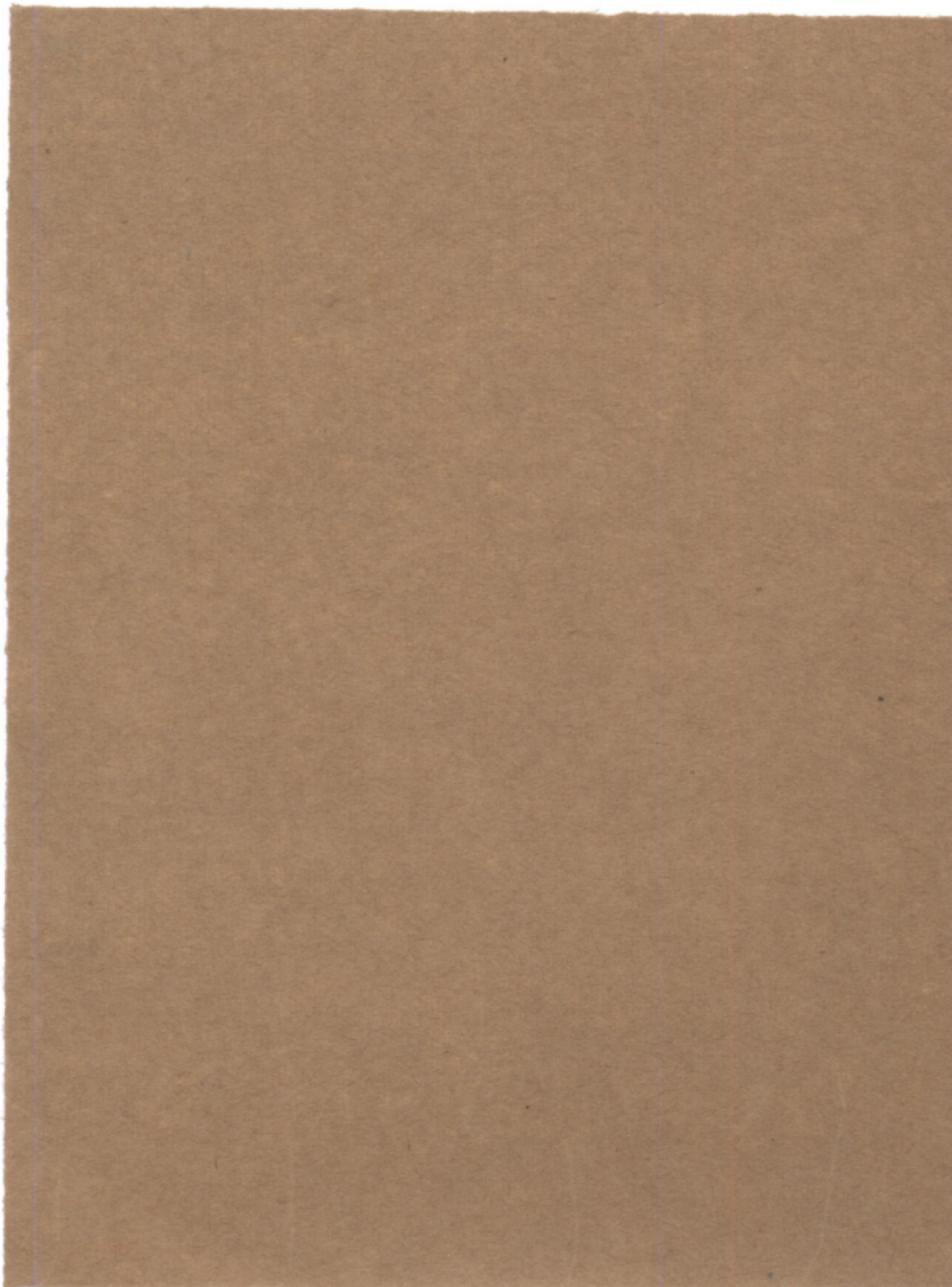
Ανδρέας Α. Καμαρίδης

15 Ιουλίου 1961

Μενόδος Τ. Καυκόπουλος



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Σημεῖον γεννήσας εἰ  
Ιησοῦ θέρου Διοκού



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Σημειώσεις για την πρόταση στον Επίκουρο Καθηγητή

✓  $\frac{1}{x^2}$   $\frac{1}{x^3}$   $\frac{1}{x^4}$   $\frac{1}{x^5}$   $\frac{1}{x^6}$   $\frac{1}{x^7}$   $\frac{1}{x^8}$   $\frac{1}{x^9}$   $\frac{1}{x^{10}}$   $\frac{1}{x^{11}}$   $\frac{1}{x^{12}}$   $\frac{1}{x^{13}}$   $\frac{1}{x^{14}}$   $\frac{1}{x^{15}}$   $\frac{1}{x^{16}}$   $\frac{1}{x^{17}}$   $\frac{1}{x^{18}}$   $\frac{1}{x^{19}}$   $\frac{1}{x^{20}}$   $\frac{1}{x^{21}}$   $\frac{1}{x^{22}}$   $\frac{1}{x^{23}}$   $\frac{1}{x^{24}}$   $\frac{1}{x^{25}}$   $\frac{1}{x^{26}}$   $\frac{1}{x^{27}}$   $\frac{1}{x^{28}}$   $\frac{1}{x^{29}}$   $\frac{1}{x^{30}}$   $\frac{1}{x^{31}}$   $\frac{1}{x^{32}}$   $\frac{1}{x^{33}}$   $\frac{1}{x^{34}}$   $\frac{1}{x^{35}}$   $\frac{1}{x^{36}}$   $\frac{1}{x^{37}}$   $\frac{1}{x^{38}}$   $\frac{1}{x^{39}}$   $\frac{1}{x^{40}}$   $\frac{1}{x^{41}}$   $\frac{1}{x^{42}}$   $\frac{1}{x^{43}}$   $\frac{1}{x^{44}}$   $\frac{1}{x^{45}}$   $\frac{1}{x^{46}}$   $\frac{1}{x^{47}}$   $\frac{1}{x^{48}}$   $\frac{1}{x^{49}}$   $\frac{1}{x^{50}}$   $\frac{1}{x^{51}}$   $\frac{1}{x^{52}}$   $\frac{1}{x^{53}}$   $\frac{1}{x^{54}}$   $\frac{1}{x^{55}}$   $\frac{1}{x^{56}}$   $\frac{1}{x^{57}}$   $\frac{1}{x^{58}}$   $\frac{1}{x^{59}}$   $\frac{1}{x^{60}}$   $\frac{1}{x^{61}}$   $\frac{1}{x^{62}}$   $\frac{1}{x^{63}}$   $\frac{1}{x^{64}}$   $\frac{1}{x^{65}}$   $\frac{1}{x^{66}}$   $\frac{1}{x^{67}}$   $\frac{1}{x^{68}}$   $\frac{1}{x^{69}}$   $\frac{1}{x^{70}}$   $\frac{1}{x^{71}}$   $\frac{1}{x^{72}}$   $\frac{1}{x^{73}}$   $\frac{1}{x^{74}}$   $\frac{1}{x^{75}}$   $\frac{1}{x^{76}}$   $\frac{1}{x^{77}}$   $\frac{1}{x^{78}}$   $\frac{1}{x^{79}}$   $\frac{1}{x^{80}}$   $\frac{1}{x^{81}}$   $\frac{1}{x^{82}}$   $\frac{1}{x^{83}}$   $\frac{1}{x^{84}}$   $\frac{1}{x^{85}}$   $\frac{1}{x^{86}}$   $\frac{1}{x^{87}}$   $\frac{1}{x^{88}}$   $\frac{1}{x^{89}}$   $\frac{1}{x^{90}}$   $\frac{1}{x^{91}}$   $\frac{1}{x^{92}}$   $\frac{1}{x^{93}}$   $\frac{1}{x^{94}}$   $\frac{1}{x^{95}}$   $\frac{1}{x^{96}}$   $\frac{1}{x^{97}}$   $\frac{1}{x^{98}}$   $\frac{1}{x^{99}}$   $\frac{1}{x^{100}}$

1.  $\frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$

Ряд заменяется на ряд с непрерывной коэффициентами спрямляющим

$$\frac{d}{dx} \left( \frac{1}{x^2} \right) = -\frac{2}{x^3}$$

$$= \frac{1}{2} \int_{\Omega} \left( \frac{\partial u}{\partial x} \right)^2 dx + \int_{\Omega} u \Delta u dx - \int_{\Omega} u g dx$$



$$\frac{1}{\sin^2 \theta_W} = \frac{1}{1 - \cos^2 \theta_W} = \frac{1}{1 - \sin^2 \theta_W} = \frac{1}{\cos^2 \theta_W} = \frac{1}{\sin^2 \theta_W} = \frac{1}{1 + \tan^2 \theta_W} = \frac{1}{1 + \cot^2 \theta_W}$$

Guas 788 0u pad vs 8883 maddad 2a1010101

$\frac{1}{a^2} \cdot \frac{1}{a^2} = \frac{1}{a^4}$

*Eu ua zw e w w y u x a r o c v u g u c u t d l*

$\Rightarrow c - \frac{1}{n} - \frac{\frac{1}{n^2}}{c} \rightarrow c$   $\frac{1}{n} \rightarrow \frac{\frac{1}{n^2}}{c}$   $\frac{1}{n^2} \rightarrow \frac{1}{n^2}$   $\frac{1}{n^2} \rightarrow \frac{1}{n^2}$

$\sqrt{\frac{-c_1^2}{\omega}} \sqrt{c_1^2} = \sqrt{\frac{c_1^2}{\omega}}$

לעתה נזקקנו לשלב את כל הפעולות שעשינו:

→  $\frac{5}{10} \text{ sec}$  →  $\frac{1}{2} \text{ sec}$  →  $\frac{1}{2} \text{ sec}$  →  $\frac{1}{2} \text{ sec}$



1  $\overbrace{\text{w w w w w}}^{\text{d u}}$   $\overbrace{\text{p a a}}^{\text{t r v}}$   $\overbrace{\text{t r v}}^{\text{d i d i d i d i}}$   $\overbrace{\text{x x x}}^{\text{d i d i}}$

$\overbrace{\text{p e l l}}^{\text{p e l l}}$   $\overbrace{\text{o o o}}^{\text{o o o}}$   $\overbrace{\text{t r v}}^{\text{t r v}}$   $\overbrace{\text{o o o}}^{\text{o o o}}$   $\overbrace{\text{t r v}}^{\text{t r v}}$   $\overbrace{\text{t r v}}^{\text{t r v}}$   $\overbrace{\text{t r v}}^{\text{t r v}}$

$\overbrace{\text{x x}}^{\text{x x}}$   $\overbrace{\text{e e e e e}}^{\text{e e e e e}}$   $\overbrace{\text{v r r r r}}^{\text{v r r r r}}$

$\overbrace{\text{p r o c u v r r r}}^{\text{p r o c u v r r r}}$   $\overbrace{\text{r r r r r}}^{\text{r r r r r}}$   $\overbrace{\text{p r o c u v r r r}}^{\text{p r o c u v r r r}}$   $\overbrace{\text{r r r r r}}^{\text{r r r r r}}$

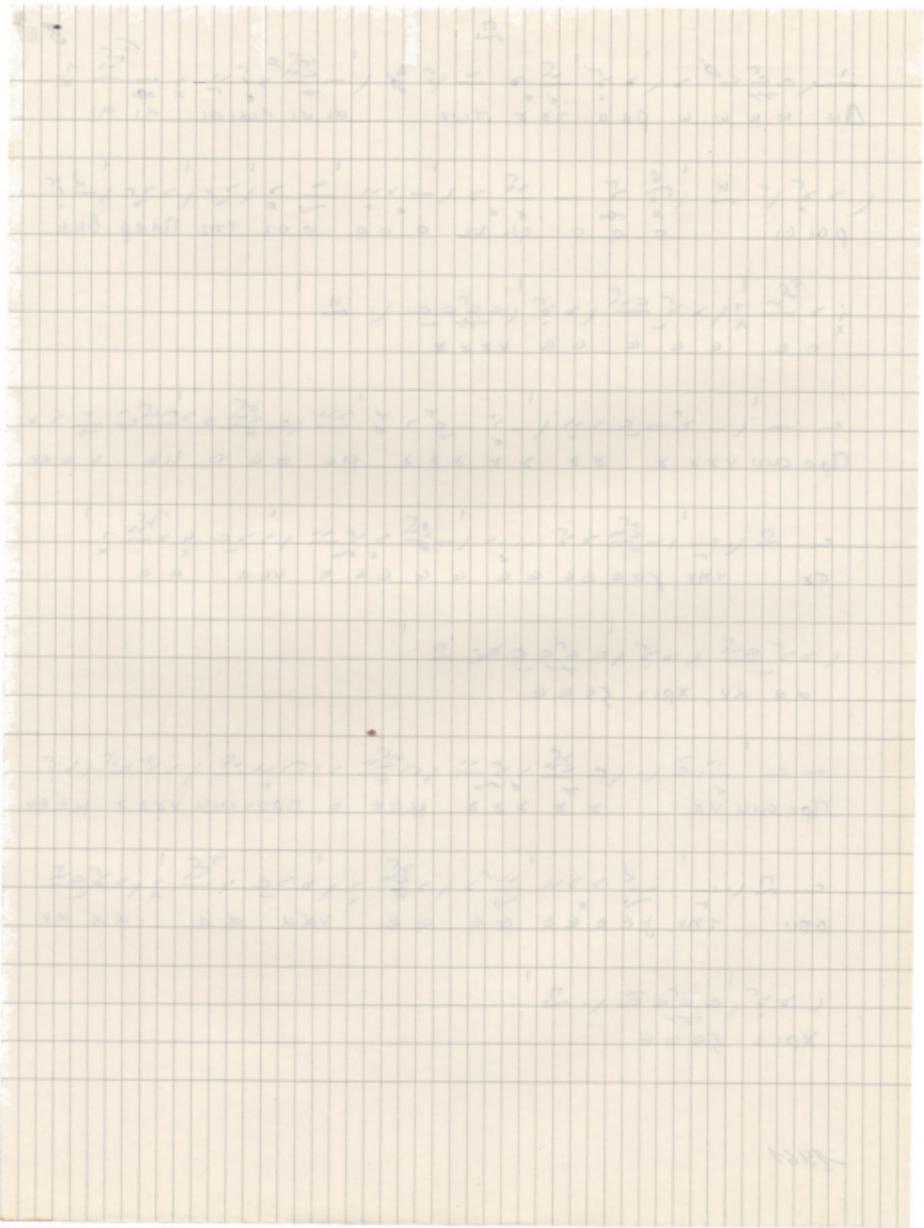
$\overbrace{\text{c c}}^{\text{c c}}$   $\overbrace{\text{r r r r r}}^{\text{r r r r r}}$   $\overbrace{\text{v u a a a}}^{\text{v u a a a}}$

$\overbrace{\text{a a x v}}^{\text{a a x v}}$   $\overbrace{\text{x p l l g e e e}}^{\text{x p l l g e e e}}$

$\overbrace{\text{p r o c u v r r r}}^{\text{p r o c u v r r r}}$   $\overbrace{\text{r r r r r}}^{\text{r r r r r}}$   $\overbrace{\text{p r o c u v r r r}}^{\text{p r o c u v r r r}}$   $\overbrace{\text{r r r r r}}^{\text{r r r r r}}$

$\overbrace{\text{c c u v r r r}}^{\text{c c u v r r r}}$   $\overbrace{\text{t r v f e e e e}}^{\text{t r v f e e e e}}$   $\overbrace{\text{c c c c c}}^{\text{c c c c c}}$   $\overbrace{\text{v d d d d d}}^{\text{v d d d d d}}$   $\overbrace{\text{x x x x x}}^{\text{x x x x x}}$

$\overbrace{\text{x p l l g e e e e}}^{\text{x p l l g e e e e}}$



4

Επίσημη παραγωγή της ομάδας με εκείνη την ημέρα

Μητέλια Α. Καμπούνος  
25 Ιουλίου 1961



$$\text{If } x = \frac{3}{\pi} \text{ then } \frac{\theta}{\pi} =$$

Enn yee e Enn yee e egor yee un a tee en

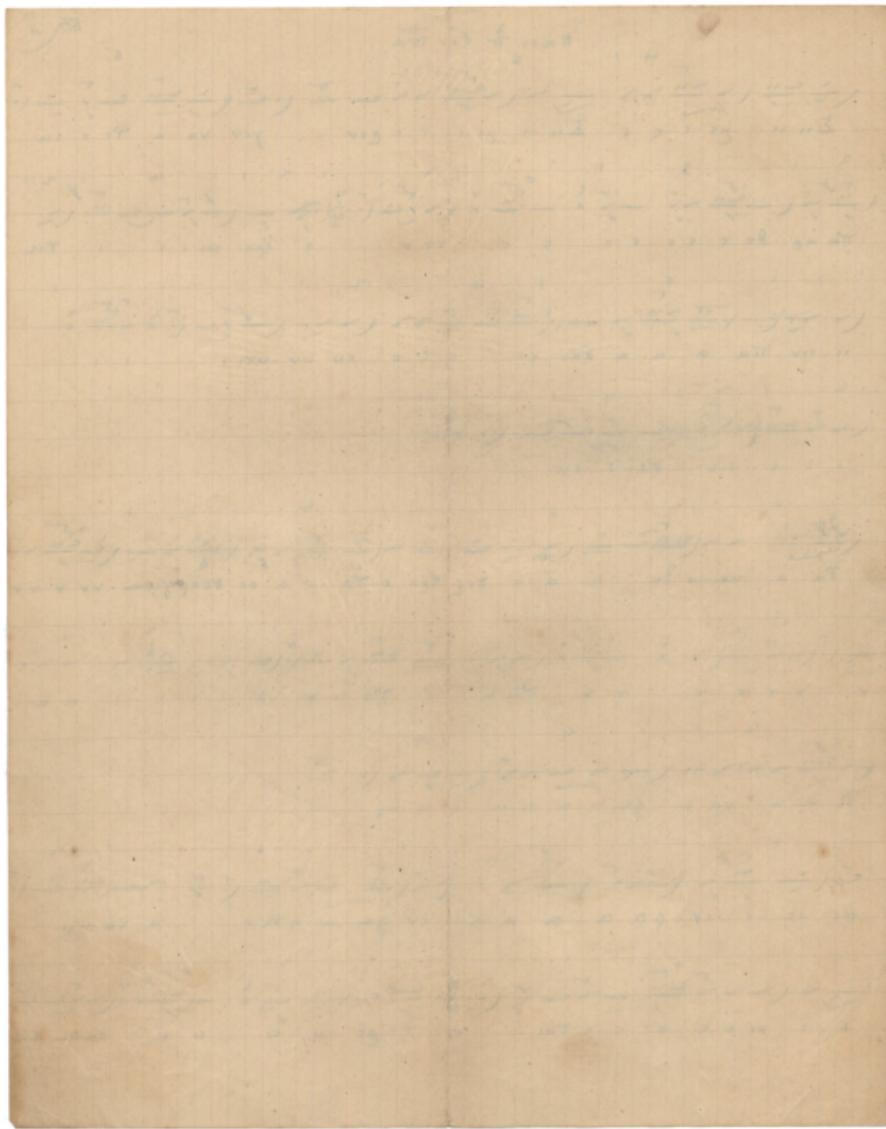
$$\frac{18 - 5}{18} = \frac{13}{18} = \frac{1}{\frac{18}{13}} = \frac{1}{1.3846153846153846} = 0.7272727272727273$$

Pa = 0.7272727272727273 Pa

~~Bar a Bar a~~ ~~guitar guitar guitar~~

Be os c cr gaa a aa cr gaa atvus a va vav

1.  $\frac{d}{dt} \int_{\Gamma(t)}^{\infty} \int_{\Omega} u(x,t) \phi(x,t) dx dt = \int_{\Gamma(t)}^{\infty} \int_{\Omega} u_t(x,t) \phi(x,t) dx dt$



$$\frac{c_1}{c_1} \cdot \frac{c_2}{c_2} \cdot \frac{c_3}{c_3} \cdot \frac{c_4}{c_4} \cdot \frac{c_5}{c_5} \cdot \frac{c_6}{c_6} \cdot \frac{c_7}{c_7} \cdot \frac{c_8}{c_8} \cdot \frac{c_9}{c_9} \cdot \frac{c_{10}}{c_{10}} \cdot \frac{c_{11}}{c_{11}} \cdot \frac{c_{12}}{c_{12}} \cdot \frac{c_{13}}{c_{13}} \cdot \frac{c_{14}}{c_{14}} \cdot \frac{c_{15}}{c_{15}} \cdot \frac{c_{16}}{c_{16}} \cdot \frac{c_{17}}{c_{17}} \cdot \frac{c_{18}}{c_{18}} \cdot \frac{c_{19}}{c_{19}} \cdot \frac{c_{20}}{c_{20}} \cdot \frac{c_{21}}{c_{21}} \cdot \frac{c_{22}}{c_{22}} \cdot \frac{c_{23}}{c_{23}} \cdot \frac{c_{24}}{c_{24}} \cdot \frac{c_{25}}{c_{25}} \cdot \frac{c_{26}}{c_{26}} \cdot \frac{c_{27}}{c_{27}} \cdot \frac{c_{28}}{c_{28}} \cdot \frac{c_{29}}{c_{29}} \cdot \frac{c_{30}}{c_{30}} \cdot \frac{c_{31}}{c_{31}} \cdot \frac{c_{32}}{c_{32}} \cdot \frac{c_{33}}{c_{33}} \cdot \frac{c_{34}}{c_{34}} \cdot \frac{c_{35}}{c_{35}} \cdot \frac{c_{36}}{c_{36}} \cdot \frac{c_{37}}{c_{37}} \cdot \frac{c_{38}}{c_{38}} \cdot \frac{c_{39}}{c_{39}} \cdot \frac{c_{40}}{c_{40}} \cdot \frac{c_{41}}{c_{41}} \cdot \frac{c_{42}}{c_{42}} \cdot \frac{c_{43}}{c_{43}} \cdot \frac{c_{44}}{c_{44}} \cdot \frac{c_{45}}{c_{45}} \cdot \frac{c_{46}}{c_{46}} \cdot \frac{c_{47}}{c_{47}} \cdot \frac{c_{48}}{c_{48}} \cdot \frac{c_{49}}{c_{49}} \cdot \frac{c_{50}}{c_{50}} \cdot \frac{c_{51}}{c_{51}} \cdot \frac{c_{52}}{c_{52}} \cdot \frac{c_{53}}{c_{53}} \cdot \frac{c_{54}}{c_{54}} \cdot \frac{c_{55}}{c_{55}} \cdot \frac{c_{56}}{c_{56}} \cdot \frac{c_{57}}{c_{57}} \cdot \frac{c_{58}}{c_{58}} \cdot \frac{c_{59}}{c_{59}} \cdot \frac{c_{60}}{c_{60}} \cdot \frac{c_{61}}{c_{61}} \cdot \frac{c_{62}}{c_{62}} \cdot \frac{c_{63}}{c_{63}} \cdot \frac{c_{64}}{c_{64}} \cdot \frac{c_{65}}{c_{65}} \cdot \frac{c_{66}}{c_{66}} \cdot \frac{c_{67}}{c_{67}} \cdot \frac{c_{68}}{c_{68}} \cdot \frac{c_{69}}{c_{69}} \cdot \frac{c_{70}}{c_{70}} \cdot \frac{c_{71}}{c_{71}} \cdot \frac{c_{72}}{c_{72}} \cdot \frac{c_{73}}{c_{73}} \cdot \frac{c_{74}}{c_{74}} \cdot \frac{c_{75}}{c_{75}} \cdot \frac{c_{76}}{c_{76}} \cdot \frac{c_{77}}{c_{77}} \cdot \frac{c_{78}}{c_{78}} \cdot \frac{c_{79}}{c_{79}} \cdot \frac{c_{80}}{c_{80}} \cdot \frac{c_{81}}{c_{81}} \cdot \frac{c_{82}}{c_{82}} \cdot \frac{c_{83}}{c_{83}} \cdot \frac{c_{84}}{c_{84}} \cdot \frac{c_{85}}{c_{85}} \cdot \frac{c_{86}}{c_{86}} \cdot \frac{c_{87}}{c_{87}} \cdot \frac{c_{88}}{c_{88}} \cdot \frac{c_{89}}{c_{89}} \cdot \frac{c_{90}}{c_{90}} \cdot \frac{c_{91}}{c_{91}} \cdot \frac{c_{92}}{c_{92}} \cdot \frac{c_{93}}{c_{93}} \cdot \frac{c_{94}}{c_{94}} \cdot \frac{c_{95}}{c_{95}} \cdot \frac{c_{96}}{c_{96}} \cdot \frac{c_{97}}{c_{97}} \cdot \frac{c_{98}}{c_{98}} \cdot \frac{c_{99}}{c_{99}} \cdot \frac{c_{100}}{c_{100}}$$

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$$\frac{1}{1-x} = \frac{1}{1-\frac{x}{1+x}} = \frac{1}{\frac{1}{1+x} + \frac{x}{1+x}} = \frac{1}{\frac{1}{1+x} + \frac{1}{1+x}} = \frac{1}{\frac{2}{1+x}} = \frac{1+x}{2}$$



$$x^{\frac{1}{2}} \cdot \left( \frac{1}{\sqrt{x}} \right)^2 = x^{\frac{1}{2}} \cdot \left( \frac{1}{x} \right)^2 = x^{\frac{1}{2}} \cdot \frac{1}{x^2} = \frac{1}{x^{\frac{3}{2}}} = \frac{1}{\sqrt{x^3}} = \frac{1}{x\sqrt{x}}$$

( $\frac{1}{1-x}$ ) $^2$   $= \frac{1}{(1-x)^2}$   $= \frac{1}{1-2x+x^2}$   $= \frac{1}{1-2x} + \frac{1}{1-x^2}$

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$$\frac{1}{\sqrt{2}} \begin{pmatrix} 1 & -1 \\ 1 & 1 \end{pmatrix}$$



Voo Ngeus to. Kaucaido.

Доха. Касум. Диктор

Линеаръ ревюта въ пътешеств.

въо Нигер А. Касумъ  
стълпън



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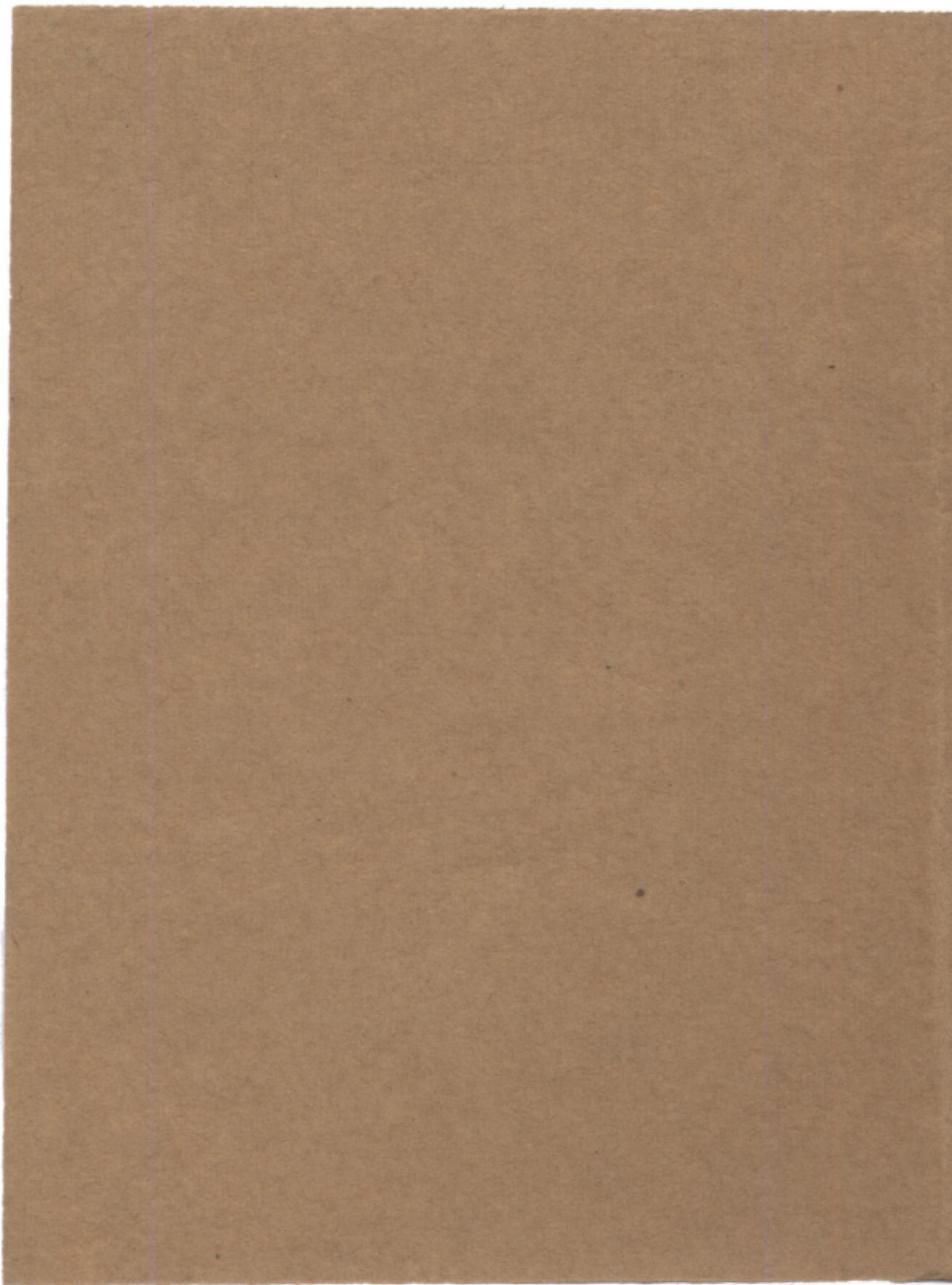
Σινεαρ γεννηται εις παρελθ.

Δικ τον θεοτροπον κορον.

Βιβλοι αποτελούσαι +

N.A.K.

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192

Τῇ ΡΕΙ Δευτέρα  
Ἐν τῷ Σοπερινῷ

Αιγαίων

15 Ιουλίου 1961

卷之三

Τῇ ΗΕ' Δεκεμβρίου ἐν τῷ Ἐγπετίῳ Σόξα καὶ υἱός  
ΤΗΧΟΣ ~~ΔΙ~~ ΔΙ

$$D_0 = \frac{1}{\pi} \int_{-\infty}^{\infty} \frac{1}{x - \frac{i\omega_n}{2}} dx = \frac{1}{\pi} \left( \ln \left| x - \frac{i\omega_n}{2} \right| \right) \Big|_{-\infty}^{\infty} = \frac{1}{\pi} \ln \left( \frac{\infty + i\omega_n}{-\infty + i\omega_n} \right) = \frac{1}{\pi} \ln \left( \frac{1 + i/\omega_n}{-1 + i/\omega_n} \right) = \frac{1}{\pi} \ln \left( \frac{1 + i/\omega_n}{1 - i/\omega_n} \cdot \frac{1 + i/\omega_n}{1 + i/\omega_n} \right) = \frac{1}{\pi} \ln \left( \frac{(1 + i/\omega_n)^2}{1 + (\omega_n)^2} \right) = \frac{1}{\pi} \ln \left( \frac{1 + 2i/\omega_n + (i/\omega_n)^2}{1 + (\omega_n)^2} \right) = \frac{1}{\pi} \ln \left( \frac{1 + 2i/\omega_n - 1/(1 + (\omega_n)^2)}{1 + (\omega_n)^2} \right) = \frac{1}{\pi} \ln \left( \frac{2i/\omega_n}{1 + (\omega_n)^2} \right) = \frac{1}{\pi} \ln \left( \frac{2i/\omega_n}{1 + (\omega_n)^2} \right)$$

$\frac{1}{\sqrt{2}} \hat{c}_1 + \left( -\frac{1}{\sqrt{2}} \hat{c}_2 \right) - \frac{1}{\sqrt{2}} \hat{c}_3 - \frac{1}{\sqrt{2}} \hat{c}_4$

$\text{Au} \xrightarrow{\frac{H_2O}{\text{Katalyse}} \xrightarrow{\text{Katalyse}} \text{H}_2 + \text{Au(OH)}_2$

388 yovap x̄n saav to ooi e nl inx nñutuññ

$$\sum_{k=1}^n \frac{1}{f_k} = \frac{1}{\sqrt{2}} + \frac{1}{\sqrt{3}} + \dots + \frac{1}{\sqrt{n+1}}$$

$$\frac{1}{C} \geq \frac{1}{C_{\text{opt}}} \geq \frac{1}{C_{\text{opt}}^{\text{min}}} \geq \frac{1}{C_{\text{opt}}^{\text{max}}} \geq \dots \geq \frac{1}{C_{\text{opt}}^{\text{min}}} \geq \frac{1}{C_{\text{opt}}^{\text{max}}} \geq \dots \geq \frac{1}{C_{\text{opt}}^{\text{min}}} \geq \frac{1}{C_{\text{opt}}^{\text{max}}} \geq \dots$$

odd odd odd    2x x odd 10        2y        58888888        5e+ex

vav ꝑow ꝑnn ꝑaa ꝑav ꝑos ꝑeu ꝑm; A ꝑ yvn n ꝑ n n

115       $\eta \pi_0 \lambda u \theta e$   $\bar{i} i l l l l l L L$   $a a a a a a$



1.  $\frac{1}{\sqrt{1-x^2}}$  2.  $\frac{1}{\sqrt{1-x^2}}$  3.  $\frac{1}{\sqrt{1-x^2}}$  4.  $\frac{1}{\sqrt{1-x^2}}$  5.  $\frac{1}{\sqrt{1-x^2}}$  6.  $\frac{1}{\sqrt{1-x^2}}$  7.  $\frac{1}{\sqrt{1-x^2}}$  8.  $\frac{1}{\sqrt{1-x^2}}$

$$\left( \frac{d}{dx} \right)^n f(x) = \sum_{k=0}^n \frac{n!}{k!(n-k)!} f^{(k)}(x) x^{n-k}$$

$\Delta$       B  
 $\frac{1}{\phi} \frac{1}{x_1 x_2} = \frac{1}{1 - \frac{x_1 + x_2}{2}} = \frac{1}{1 - \frac{\lambda_{\text{left}} + \lambda_{\text{right}}}{2}} = \frac{1}{1 - \frac{\lambda_{\text{left}}}{2} - \frac{\lambda_{\text{right}}}{2}}$

$$\frac{d}{dx} \ln(\sqrt{x}) = \frac{1}{\sqrt{x}} \cdot \frac{1}{2\sqrt{x}} = \frac{1}{2x}$$

$$-\frac{1}{2} \left( \frac{\partial^2}{\partial x^2} + \frac{\partial^2}{\partial y^2} \right) \psi = \frac{1}{2} \left( \frac{\partial^2}{\partial x^2} + \frac{\partial^2}{\partial y^2} \right) \psi$$

الآن نحن نعلم أن

$$\left( \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix}, \frac{1}{\sqrt{2}} \begin{pmatrix} 0 & 1 \\ 1 & 0 \end{pmatrix}, \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 1 \\ 1 & -1 \end{pmatrix}, \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & -1 \\ -1 & 1 \end{pmatrix}, \frac{1}{\sqrt{6}} \begin{pmatrix} 1 & 1 & 1 \\ 1 & -1 & 1 \\ 1 & 1 & -1 \end{pmatrix}, \frac{1}{\sqrt{3}} \begin{pmatrix} 1 & 1 & -1 \\ 1 & -1 & -1 \\ -1 & -1 & 1 \end{pmatrix} \right)$$

→  $\frac{1}{a} \rightarrow \frac{1}{a^2} \rightarrow \frac{1}{a^3} \rightarrow \dots$



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✓  $\frac{3}{1} \rightarrow \frac{5}{1}$   $\Rightarrow (\frac{5}{1})^1 = -\frac{1}{1} \cdot \frac{5}{1} - \frac{5}{1} \cdot \frac{1}{1} \rightarrow \frac{5}{1}$   
you a  $\frac{3}{1}$   $\frac{5}{1}$   $\frac{1}{1}$   $\frac{5}{1}$   $\frac{1}{1}$   $\frac{5}{1}$   $\frac{1}{1}$   $\frac{5}{1}$   $\frac{1}{1}$

*B*

$\frac{1}{\sqrt{n}} \sum_{i=1}^n (X_i - \bar{X})^2 = \frac{1}{n} \sum_{i=1}^n (X_i - \bar{X})^2$

لَا يَنْهَاكُ عَنِ الْمُحَاجَةِ إِذَا دُعِيَ إِلَيْهِ وَلَا يَنْهَاكُ عَنِ الْمُؤْمِنِينَ

Message from a 682 100 66 266 001 KU 011

$$\frac{1}{\sqrt{1-\frac{v^2}{c^2}}} = \frac{1}{\sqrt{1-\frac{0^2}{c^2}}} = \frac{1}{\sqrt{1}} = 1$$

Andrew A. Komorowski

15 Youkou 1961

Tn KE! Deueubpiou eis tōv Eottepivov Dōxa. Kai vuv.  
Nymas

the KEP development of the new generation  
will be based on the following principles:

- The KEP will be developed by a team of experts from various fields, including physics, chemistry, materials science, and engineering.
- The KEP will be designed to be modular, allowing for easy assembly and disassembly.
- The KEP will be designed to be safe, reliable, and efficient.
- The KEP will be designed to be cost-effective.
- The KEP will be designed to be compatible with existing infrastructure and equipment.
- The KEP will be designed to be able to withstand harsh environmental conditions.
- The KEP will be designed to be able to perform a wide range of tasks, including research, monitoring, and control.

The KEP will be developed in phases, starting with the design and development of the basic components, followed by the integration of these components into a functional system. The final phase will involve testing and validation of the system under various conditions.

219

The diagram illustrates the paradigm of the verb 'cū' (to come) across three Germanic branches. 
 - \*\*Old Norse:\*\* Shows 'kum-' (infinitive), 'kunnum' (present tense), 'kunnum' (past tense), and 'kunnum' (future).
 - \*\*Old English:\*\* Shows 'cūm-' (infinitive), 'cūm' (present tense), 'cūm' (past tense), and 'cūm' (future).
 - \*\*Old Frisian:\*\* Shows 'kum-' (infinitive), 'kunnum' (present tense), 'kunnum' (past tense), and 'kunnum' (future).
 The diagram also includes the Latin form 'veni' and the Greek form 'πάντες φέρεται' (πάντες φέρεται).

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$$\frac{x^5}{1 - \frac{1}{x} \left( \frac{1}{1 - \frac{1}{x}} \right)} = \frac{x^5}{1 - \frac{1}{x} \left( \frac{1}{1 - \frac{1}{x}} \right) - \frac{1}{x^2} \frac{1}{1 - \frac{1}{x}}} = \frac{x^5}{1 - \frac{1}{x} \left( \frac{1}{1 - \frac{1}{x}} \right) - \frac{1}{x^2} \frac{1}{1 - \frac{1}{x}} - \frac{1}{x^3} \frac{1}{1 - \frac{1}{x}}} = \dots$$

|  $\text{V}$   $\pi$   $\text{P}$   $\Delta$  |  
 |  $\text{V}$   $\pi$   $\text{P}$   $\Delta$  |  
 |  $\text{V}$   $\pi$   $\text{P}$   $\Delta$  |  
 |  $\text{V}$   $\pi$   $\text{P}$   $\Delta$  |

$$\frac{1}{1-x} = \frac{1}{1-\frac{x}{1+x}} = \frac{1}{\frac{1}{1+x}} + \frac{1}{1+x} = 1 + \frac{1}{1+x}$$

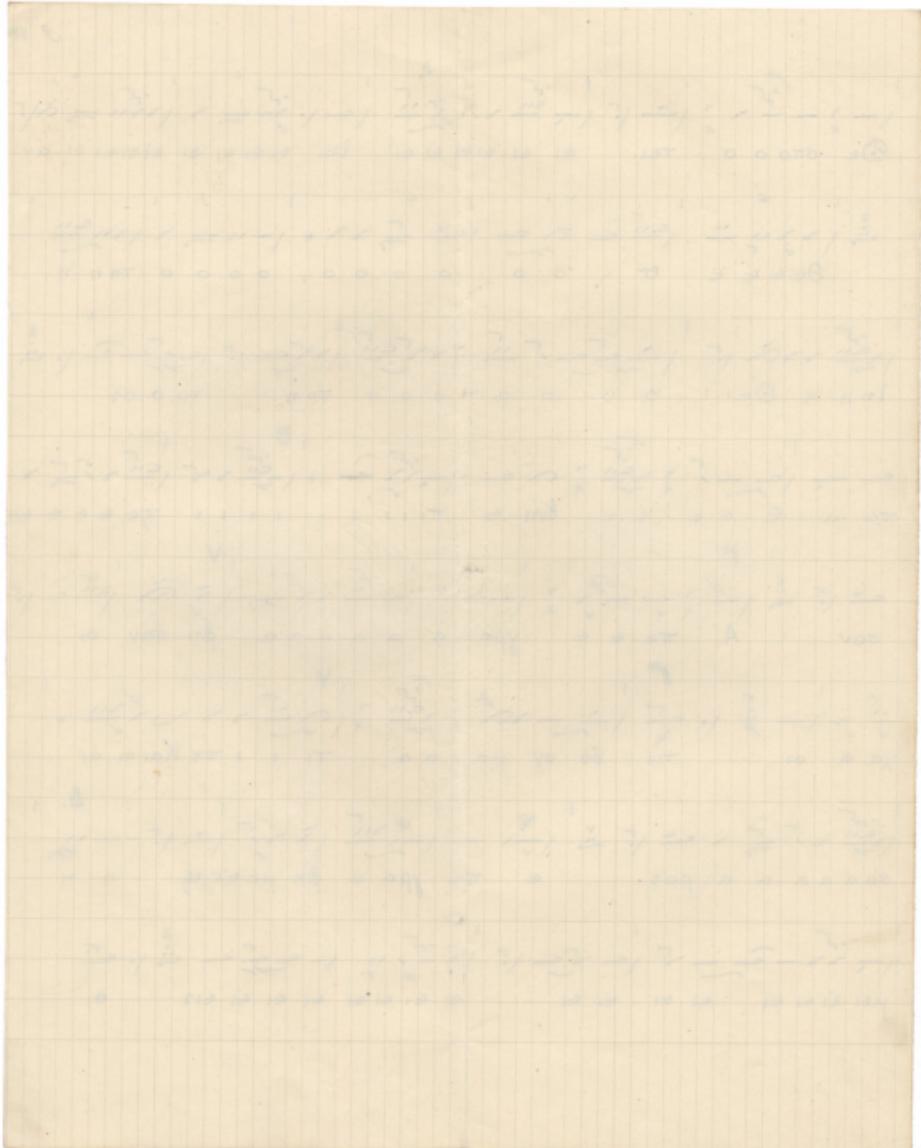


$$\text{⑨) } \frac{1}{x} - \frac{1}{x^2} = \frac{1}{x} - \frac{1}{x} \cdot \frac{x}{x} = \frac{1}{x} - \frac{x}{x^2} = \frac{1}{x} - \frac{1}{x} = 0$$

$$\frac{1}{\sin x} = \frac{1}{x} + \frac{1}{x^3} + \frac{1}{x^5} + \dots$$

*ka a ai* *ta* *do oy ua a a* *ti i i ts Kai ai ai*

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Νικέως Α. Καμαράδου

July 2008  
John D. Williams  
John D. Williams

2008

Άντιγραφή  
Νικολάου Τ. Βλαχοπέδη  
30 Δεκεμβρίου 1991

Τῇ ΚΕ' Δεκεμβρίου

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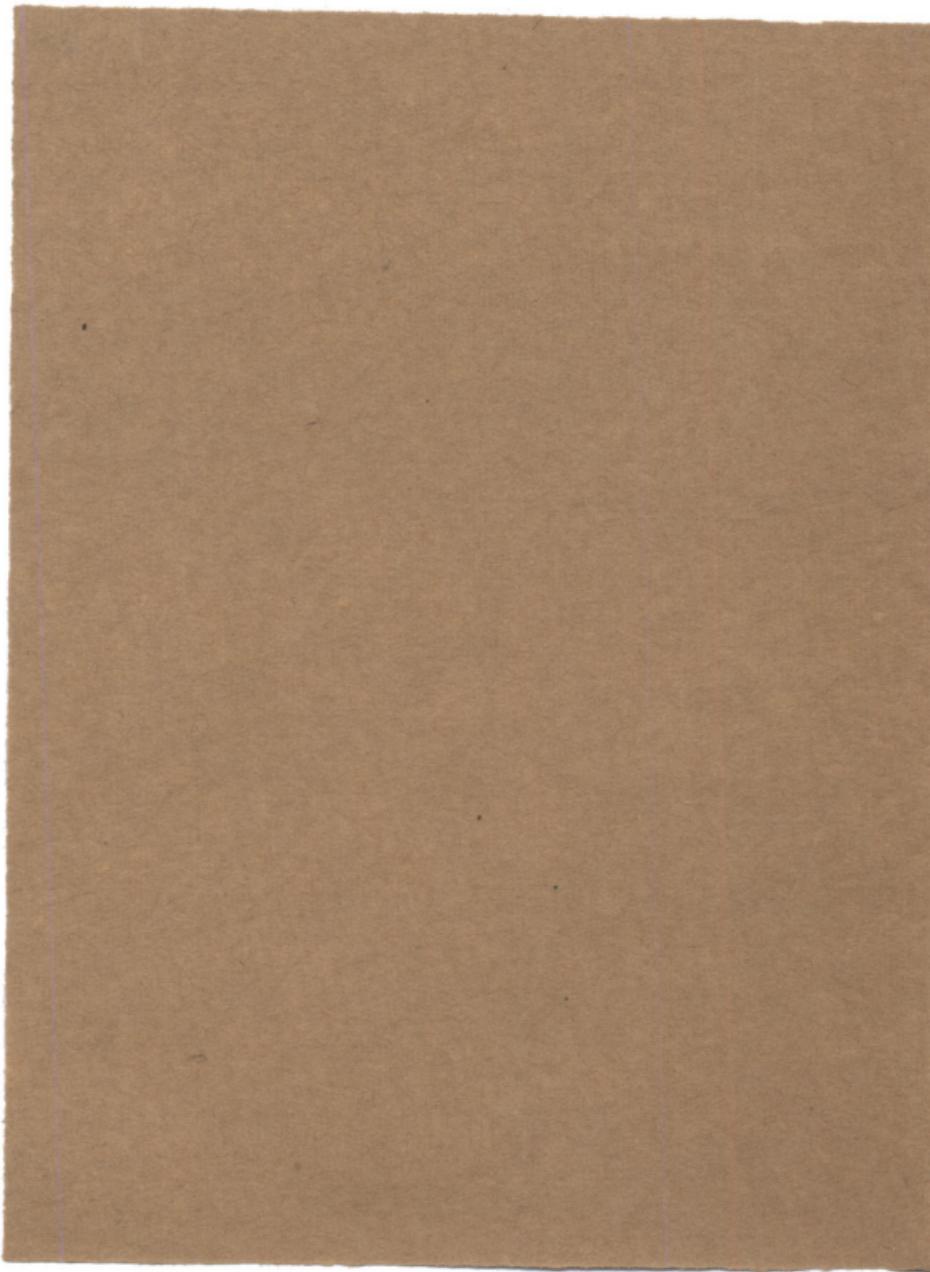
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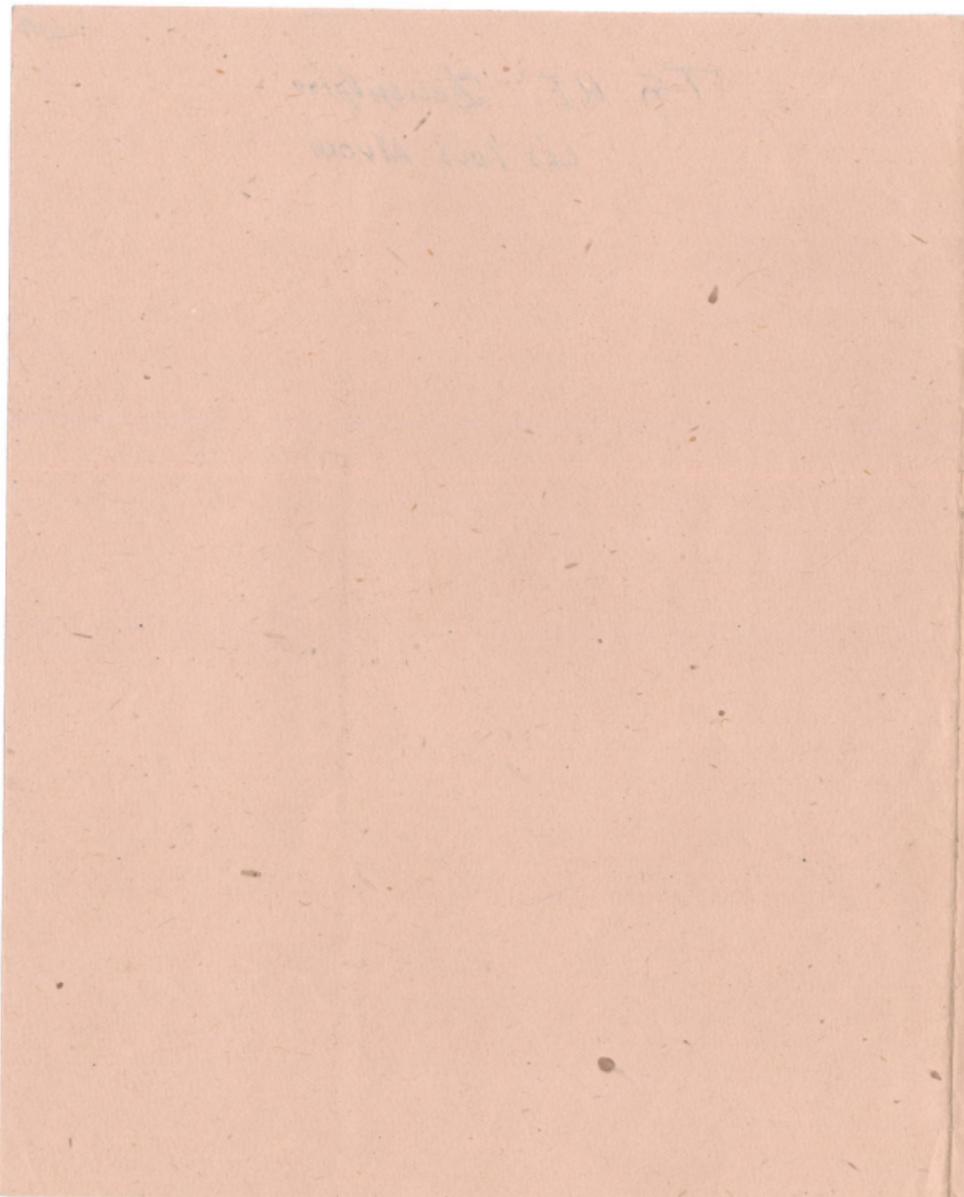
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$$\bar{H} \times \text{os} \pi \hookrightarrow \pi a \quad (\underbrace{\text{c}}_{\text{Lie } e} - \text{i} \text{''} \xrightarrow{\text{d}} \times (\underbrace{\text{c}''}_{\Delta a} \tilde{x}_1 \text{''} (-\text{c}) \xrightarrow{\text{d}} \text{c}'')$$

$$-\frac{r}{\omega} \sin(\omega t) - \frac{\omega}{\omega_0} r + \frac{\omega^2}{\omega_0} x = \frac{r_0}{\omega_0} \sin(\omega t) - \frac{r_0}{\omega_0} \frac{\omega}{\omega_0} r + \frac{r_0}{\omega_0} \frac{\omega^2}{\omega_0} x$$

$$\frac{1}{x} \cdot \frac{1}{x} = \frac{1}{x^2}$$

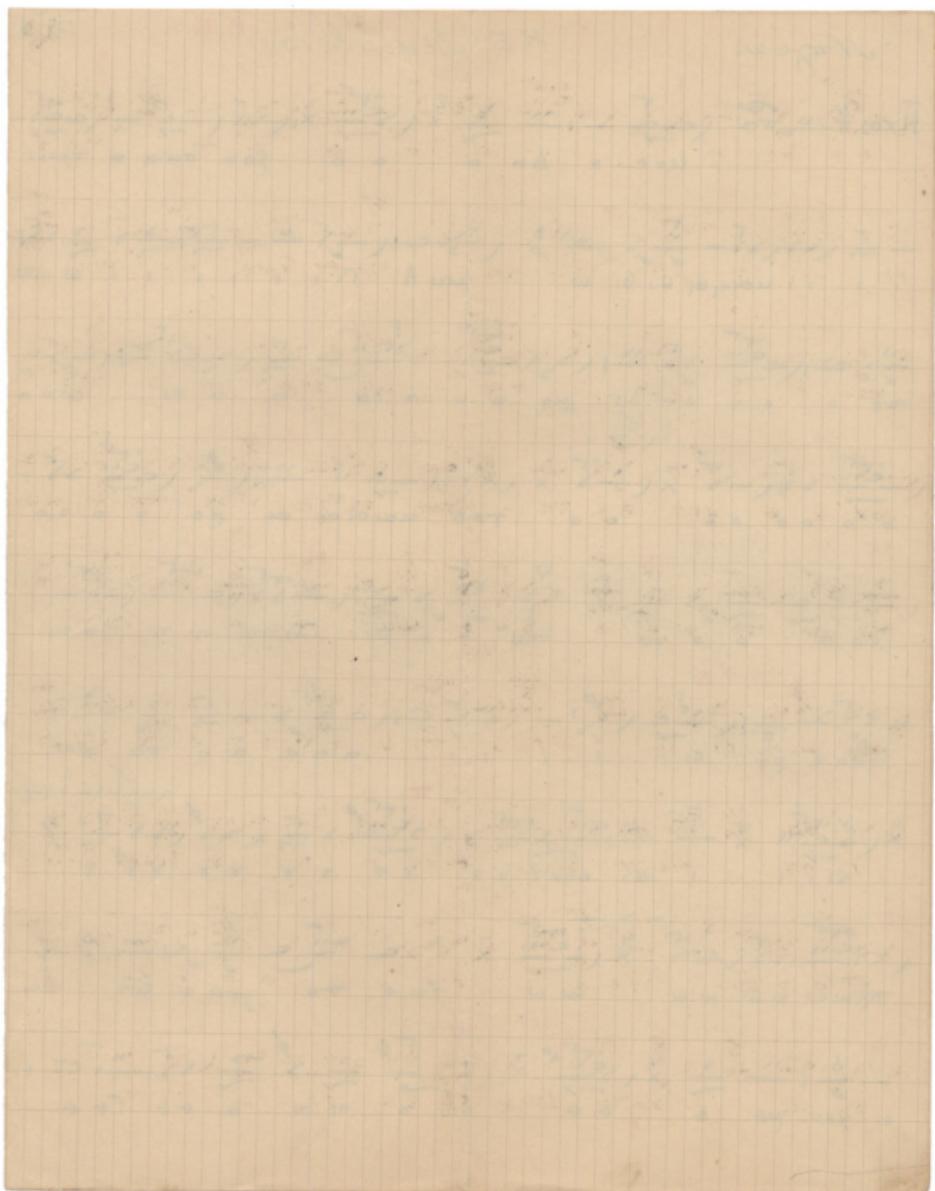
$$\left( -\frac{c^2}{x} \right) \geq 0 \quad \Rightarrow \quad x \in (-\infty, -c] \cup [c, \infty) \quad \Delta$$

TRE maiori ai po

$$\left( -\frac{\sqrt{c}}{2} \right) \left( \frac{1}{2} \right)^2 \rightarrow \frac{-\frac{c}{2}}{4} = \frac{c}{8}$$

$$x^4 \left( \frac{x+1}{x-1} \right)^{10} = x^{10} \cdot \frac{(x+1)^{10}}{(x-1)^{10}}$$

$$-\frac{b}{x^2} + \frac{1}{x^2} = x^2 - \frac{b^2}{x^2} + \frac{2b}{x^2} = \frac{x^4 + 2bx^2 + b^2 - 2b^2}{x^2} = \frac{(x^2 + b)^2 - b^2}{x^2}$$



204.2

Kataj.

$$\frac{\partial \pi_{\theta}(s_t | s_{1:t-1})}{\partial \theta} = \frac{\partial \pi_{\theta}(s_t | s_{1:t-1})}{\partial \pi_{\theta}(s_t | s_{1:t-1})} \cdot \frac{\partial \pi_{\theta}(s_t | s_{1:t-1})}{\partial \pi_{\theta}(s_t | s_{1:t-1})} = \frac{\partial \pi_{\theta}(s_t | s_{1:t-1})}{\partial \pi_{\theta}(s_t | s_{1:t-1})} = \frac{\partial \pi_{\theta}(s_t | s_{1:t-1})}{\partial \pi_{\theta}(s_t | s_{1:t-1})} = \frac{\partial \pi_{\theta}(s_t | s_{1:t-1})}{\partial \pi_{\theta}(s_t | s_{1:t-1})}$$

$$\frac{1}{\pi \mu^2} = \frac{1}{\pi} \left( 1 - \frac{1}{\mu} \right)^2$$

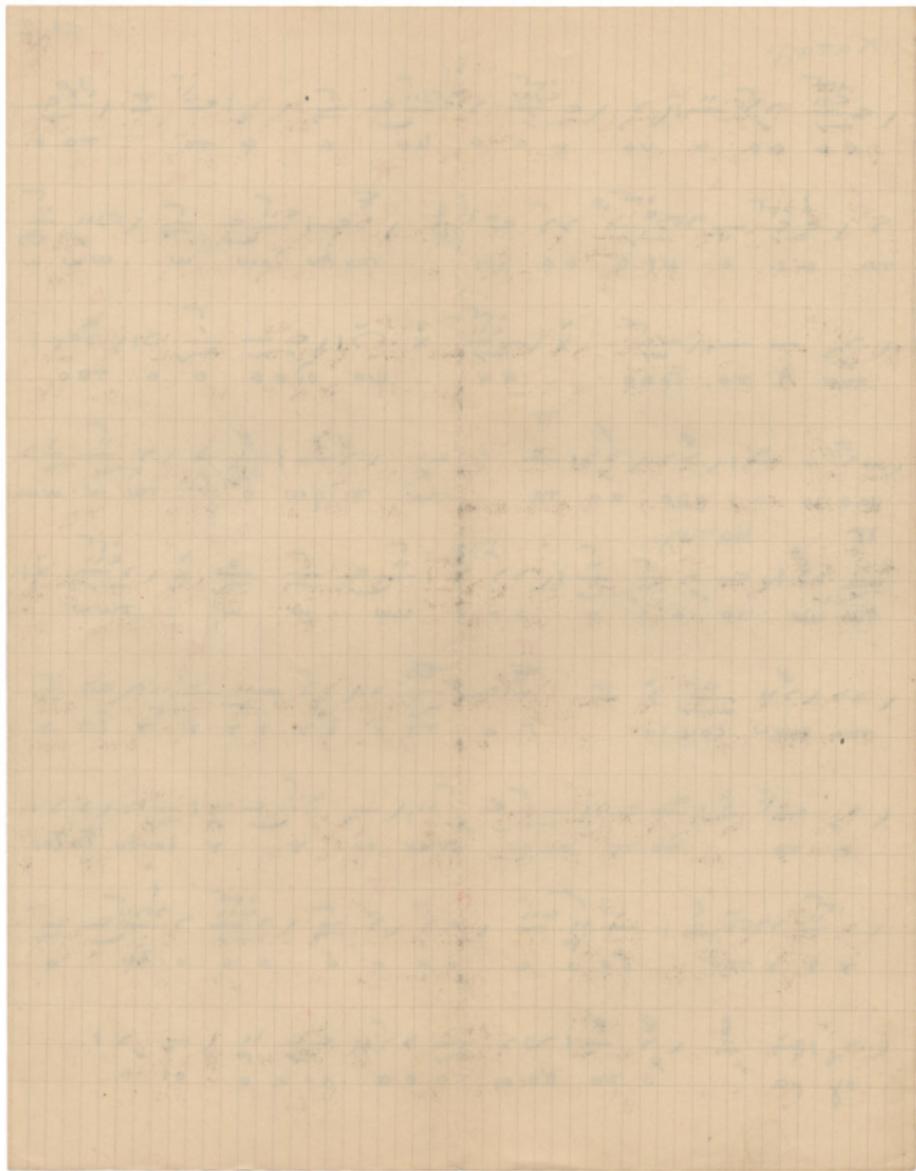
~~TT~~ Katu,

$$\frac{d}{dx} \left( \int_0^x f(t) dt \right) = f(x)$$

$$\frac{1}{\sin \theta} = \frac{1}{\sin \phi} \cos \psi$$

$$\frac{d}{dx} \left( \frac{1}{x^2} \right) = -\frac{2}{x^3}$$

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205 (3)

Kathy

$$\frac{1}{\sqrt{1-\frac{v^2}{c^2}}}$$

K

$$\frac{\pi}{\theta} \frac{c}{\theta} = \frac{c}{a} \quad a = \sqrt{\frac{c^2}{\theta^2} - \frac{c^2}{\theta^2}} = \sqrt{\frac{c^2}{\theta^2}} = \frac{c}{\theta}$$

A

$$\Rightarrow \frac{\sqrt{3}}{2} \rightarrow \frac{\pi}{6} \quad \text{as } x \rightarrow 0^+, \quad \text{as } x \rightarrow 0^-, \quad \text{as } x \rightarrow 0^+$$

a variaçao xovar e marradas

四

Kouto

$$\frac{1}{\sqrt{n}} \left( \frac{\sqrt{n}}{n} \right)^{\alpha} = \frac{1}{\sqrt{n}} \left( \frac{1}{n} \right)^{\alpha} = \frac{1}{n^{\alpha/2}}$$

Katō,

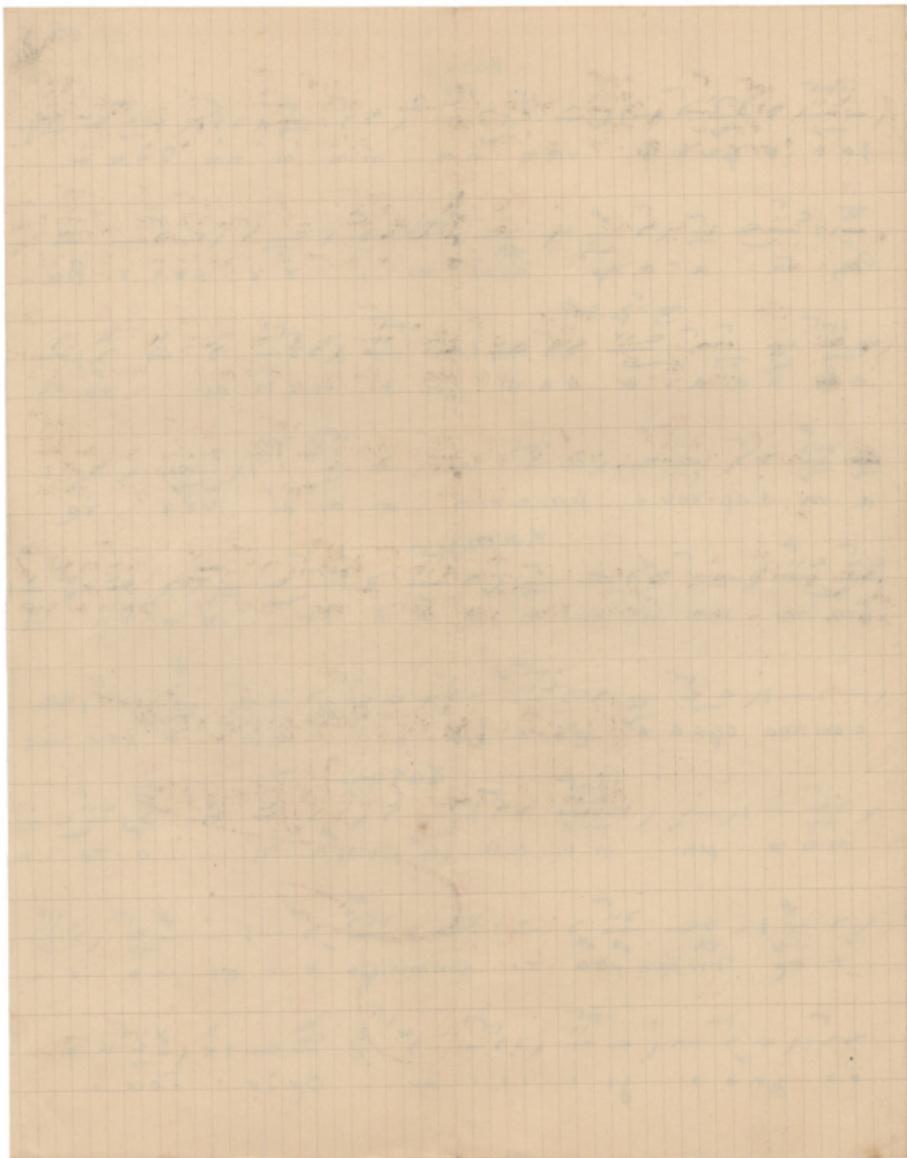
$$\text{Katajy} \quad \frac{\pi}{4} = 45^\circ$$

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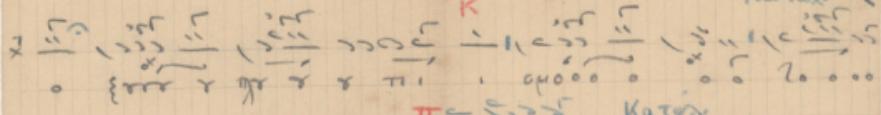
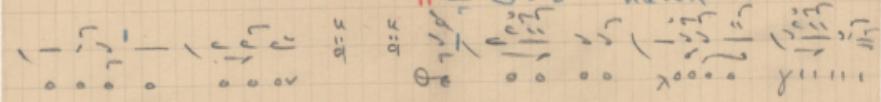
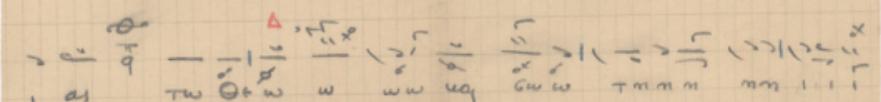
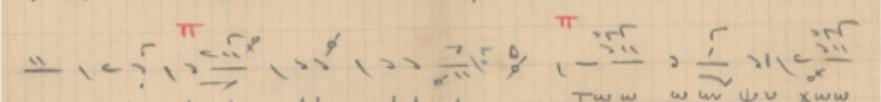
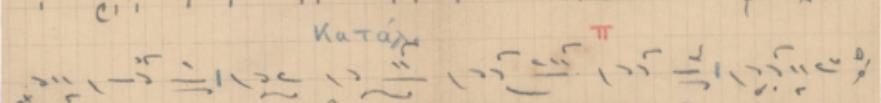
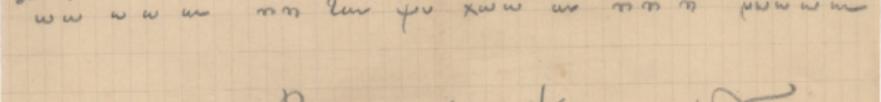
$$\Delta = \frac{1}{2} \left( \frac{\partial^2 f}{\partial x^2} + \frac{\partial^2 f}{\partial y^2} \right) \Big|_{(x_0, y_0)}$$

6

$$\frac{1}{1-x} = \left( \frac{1}{1-x_1} \cdot \frac{1}{1-x_2} \right) \stackrel{\text{def}}{=} \prod_{i=1}^n \frac{1}{1-x_i}$$



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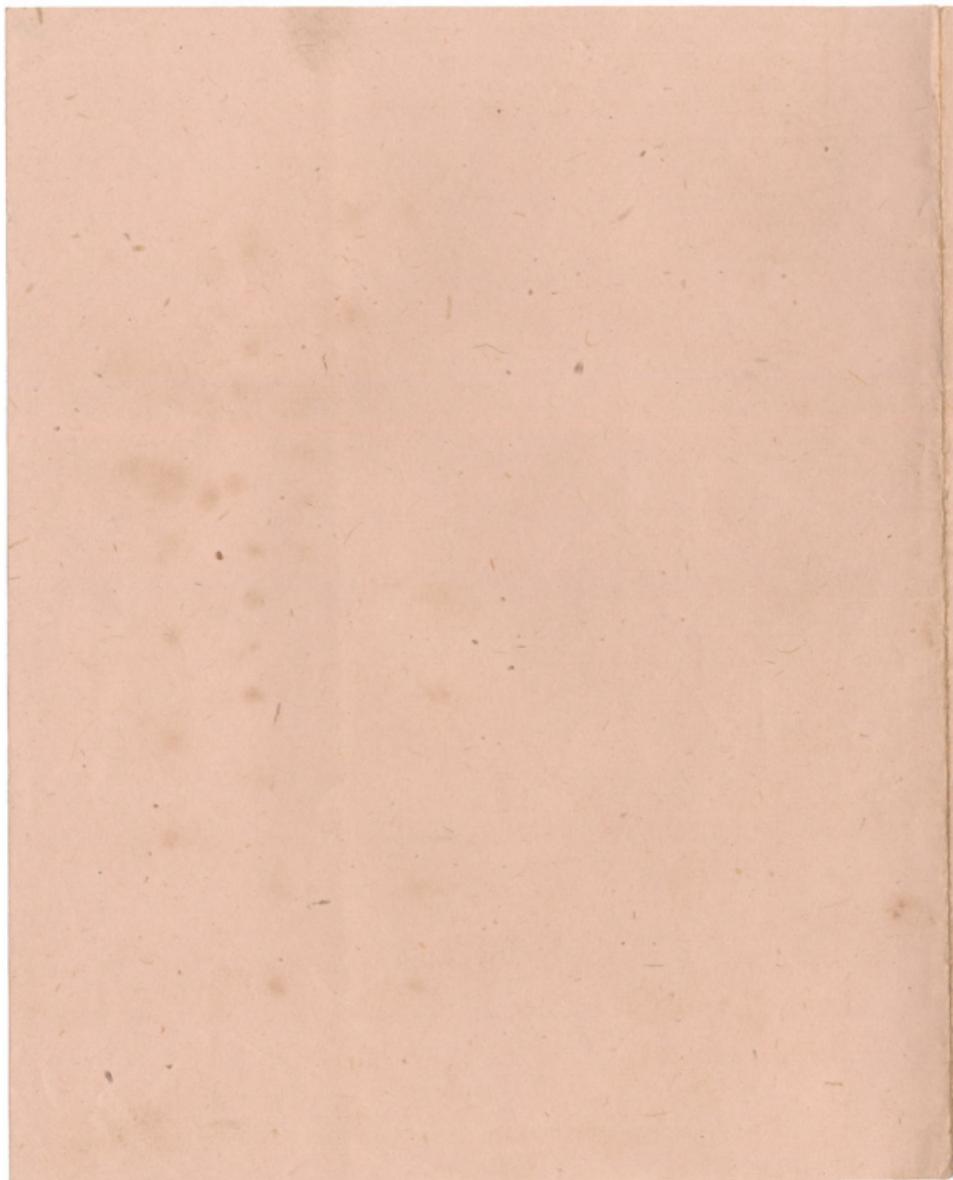
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TΗ KE' Seuthopisoo  
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LIBRARY

$\frac{\pi}{2} - \frac{\pi}{2} = \frac{\pi}{2}$   $\frac{\pi}{2} - \frac{\pi}{2} = \frac{\pi}{2}$

The  $\text{H}_2\text{O}$  molecule has two hydrogen atoms and one oxygen atom. The oxygen atom is at the top center, with two single bonds extending downwards to the left and right. Each of these bonds has a small 'a' at its midpoint. The two hydrogen atoms are positioned below the oxygen atom, each connected by a single bond. The entire molecule is enclosed in a rectangular box.

$\int_{\gamma}^{\infty} \frac{1}{z^2} dz = \frac{-1}{z} \Big|_{\gamma}^{\infty} = -\frac{1}{\infty} = 0$

$$\frac{1}{\sqrt{1 - \frac{v^2}{c^2}}} = \sqrt{\frac{c^2}{c^2 - v^2}} = \sqrt{\frac{c^2}{c^2(1 - \frac{v^2}{c^2})}} = \sqrt{\frac{1}{1 - \frac{v^2}{c^2}}} = \sqrt{\frac{1}{1 - \frac{1}{1 + (\frac{v}{c})^2}}} = \sqrt{\frac{1}{\frac{1}{1 + (\frac{v}{c})^2}}} = \sqrt{1 + (\frac{v}{c})^2}$$

$\frac{1}{\sqrt{2}} \left( \begin{matrix} 1 & 0 \\ 0 & -1 \end{matrix} \right) + \frac{1}{\sqrt{2}} \left( \begin{matrix} 0 & 1 \\ 1 & 0 \end{matrix} \right)$

*Katuz.*



$$\lim_{n \rightarrow \infty} \frac{1}{n} \sum_{k=1}^n f(\xi_k) = \int_0^1 f(x) dx$$

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$$\frac{d\phi}{dt} = \frac{1}{2} \left( \frac{\partial \phi}{\partial x} \right)_x^2 + \frac{1}{2} \left( \frac{\partial \phi}{\partial t} \right)_t^2 - \frac{1}{2} \left( \frac{\partial \phi}{\partial y} \right)_y^2 - \frac{1}{2} \left( \frac{\partial \phi}{\partial z} \right)_z^2$$

$$\frac{1}{\alpha} \cdot \frac{1}{\alpha} \cdot \frac{1}{\alpha} = \frac{1}{\alpha^3}$$

*U* *To* *Kai* *ai* *Ga* *aa* *poo* *o*

תְּמִימָנָה קָרְבָּן.



11.  $\frac{1}{\sqrt{1-x^2}}$   $\int \frac{1}{\sqrt{1-x^2}} dx$   
Let  $u = x$ ,  $du = dx$   
 $\int \frac{1}{\sqrt{1-u^2}} du$

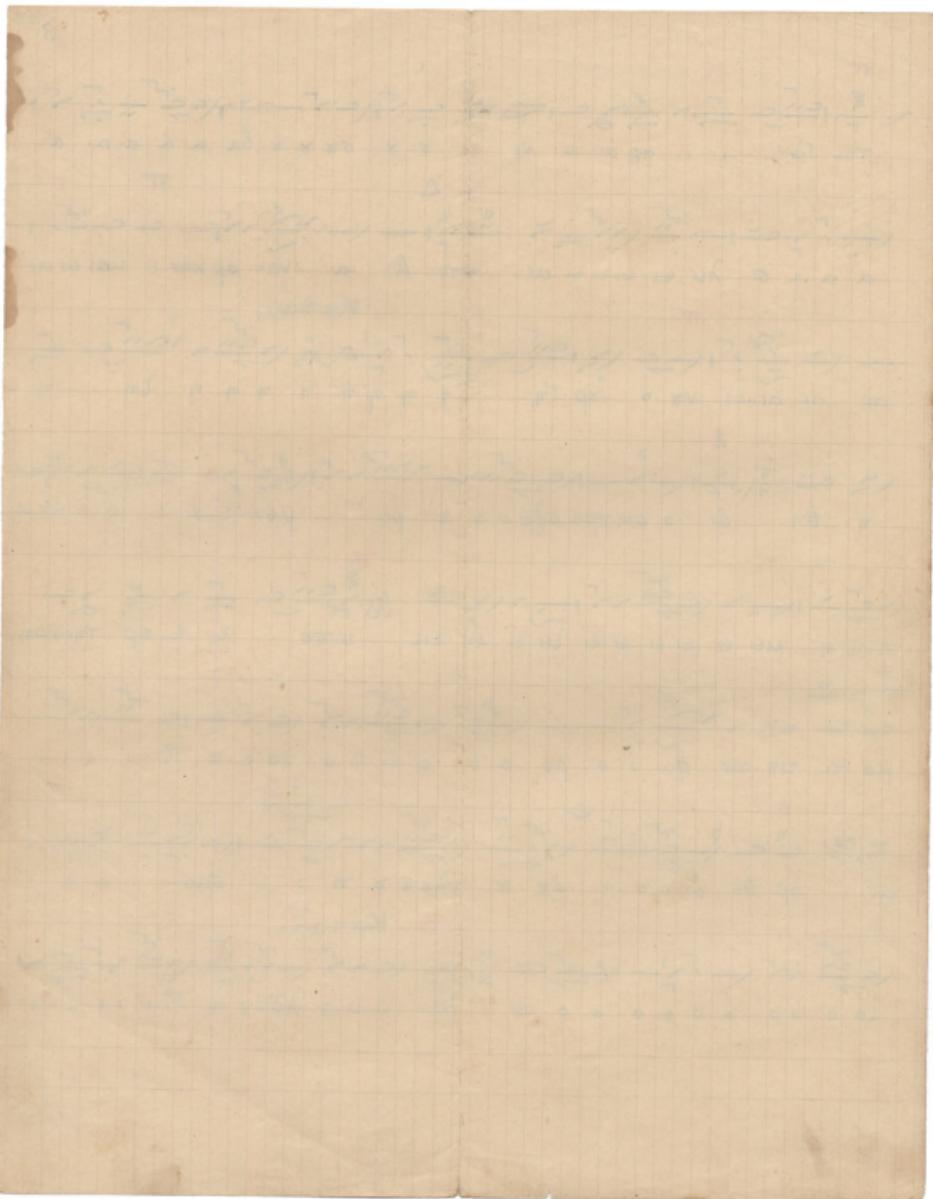
$\int_{-\infty}^{\infty} e^{-x^2} dx = \sqrt{\pi}$

$$\frac{1}{a_1} + \frac{1}{a_2} + \frac{1}{a_3} + \frac{1}{a_4} + \frac{1}{a_5} + \frac{1}{a_6} + \frac{1}{a_7} + \frac{1}{a_8} + \frac{1}{a_9} + \frac{1}{a_{10}} = \frac{\pi}{Kata\lambda}$$

4  $\frac{1}{1-x} = 1 + x + x^2 + \dots + x^n + \dots$

$\frac{1}{4} \times 4 = 1$

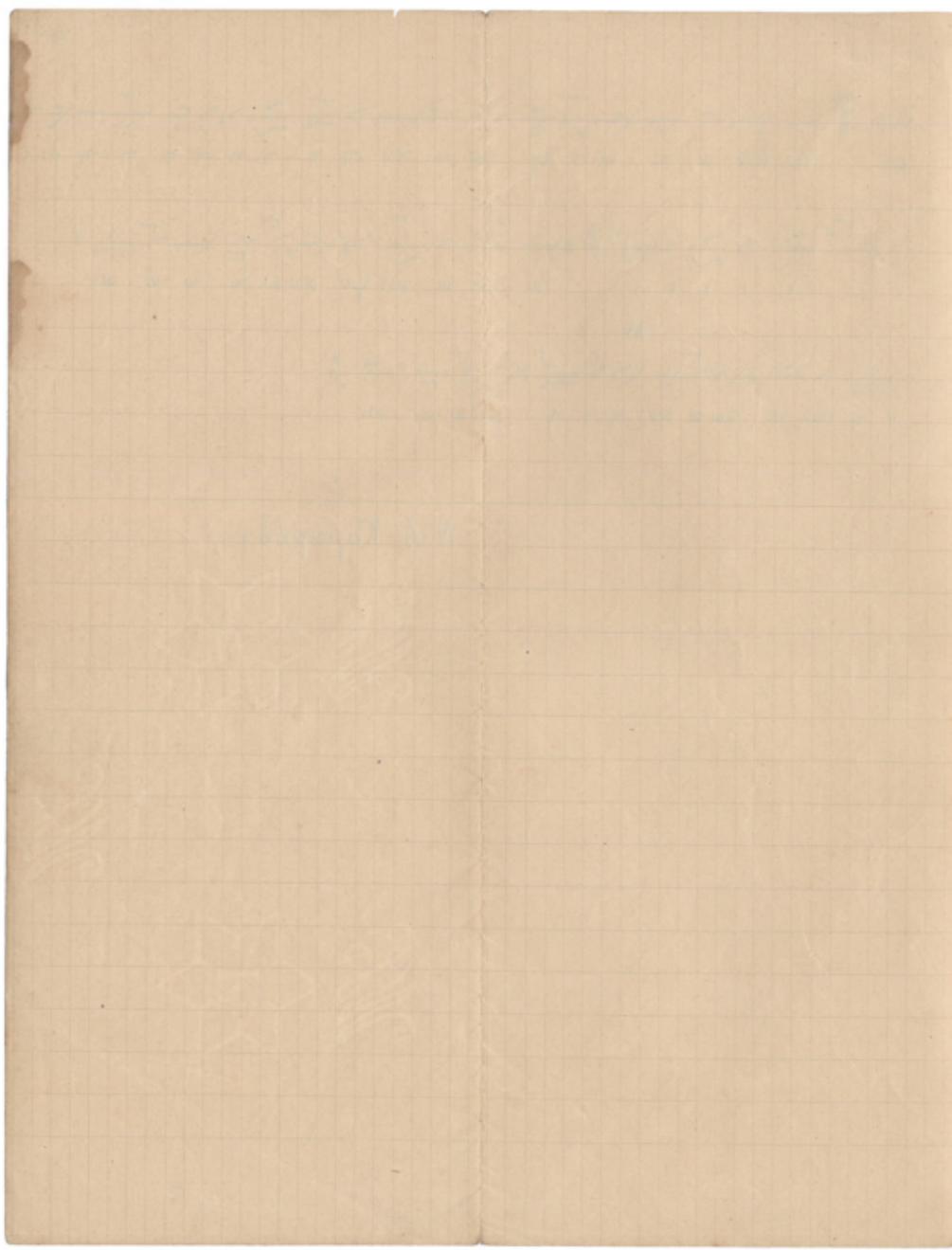
**Kontakt**



4 213

$$f(z) = \frac{1}{z} - \frac{1}{z^2} + \frac{1}{z^3} - \frac{1}{z^4} + \dots$$

ε  
N.A. Καμαράδη.





Τῷ ΚΕ. Δευτέρῳ  
Δόξα τῶν αἰνων.

N.T.B.

1

Τῇ ΚΕΙΣΕΝΙΟΥ ΔΟΞῇ Ὁτε ναρός

ΤΗΙΧΟΣ ήταν ο

$$\frac{1}{\sqrt{\frac{1}{2} \left( \frac{1}{2} + \frac{1}{2} \right)}} = \frac{1}{\sqrt{\frac{1}{2} \cdot 1}} = \frac{1}{\sqrt{\frac{1}{2}}} = \frac{1}{\frac{1}{\sqrt{2}}} = \sqrt{2}$$

$\forall x \in \text{set } A \exists y \in \text{set } B \text{ such that } P(x, y)$

1.  $\phi$  is a function from  $\mathbb{R}^n$  to  $\mathbb{R}$ .  
2.  $\phi$  is differentiable at  $x_0$ .  
3.  $\phi$  is bounded on  $B(x_0, r)$ .



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$$\frac{d}{dx} \left( \frac{u}{v} \right) = \frac{v \cdot \frac{du}{dx} - u \cdot \frac{dv}{dx}}{v^2}$$

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$$\frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ 1 \\ -1 \\ 1 \end{array} \right) \quad \frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ -1 \\ 1 \\ 1 \end{array} \right) \quad \frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ 1 \\ 1 \\ -1 \end{array} \right) \quad \frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ -1 \\ -1 \\ -1 \end{array} \right)$$

1.  $\frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$   
2.  $\frac{1}{3} \times \frac{1}{3} = \frac{1}{9}$   
3.  $\frac{1}{4} \times \frac{1}{4} = \frac{1}{16}$   
4.  $\frac{1}{5} \times \frac{1}{5} = \frac{1}{25}$   
5.  $\frac{1}{6} \times \frac{1}{6} = \frac{1}{36}$

$$\begin{aligned} & \frac{1}{x^2 - 1} = \frac{A}{x-1} + \frac{B}{x+1} \\ & x^2 - 1 = A(x+1) + B(x-1) \\ & x^2 - 1 = Ax + A + Bx - B \\ & x^2 - 1 = (A+B)x + (A-B) \end{aligned}$$

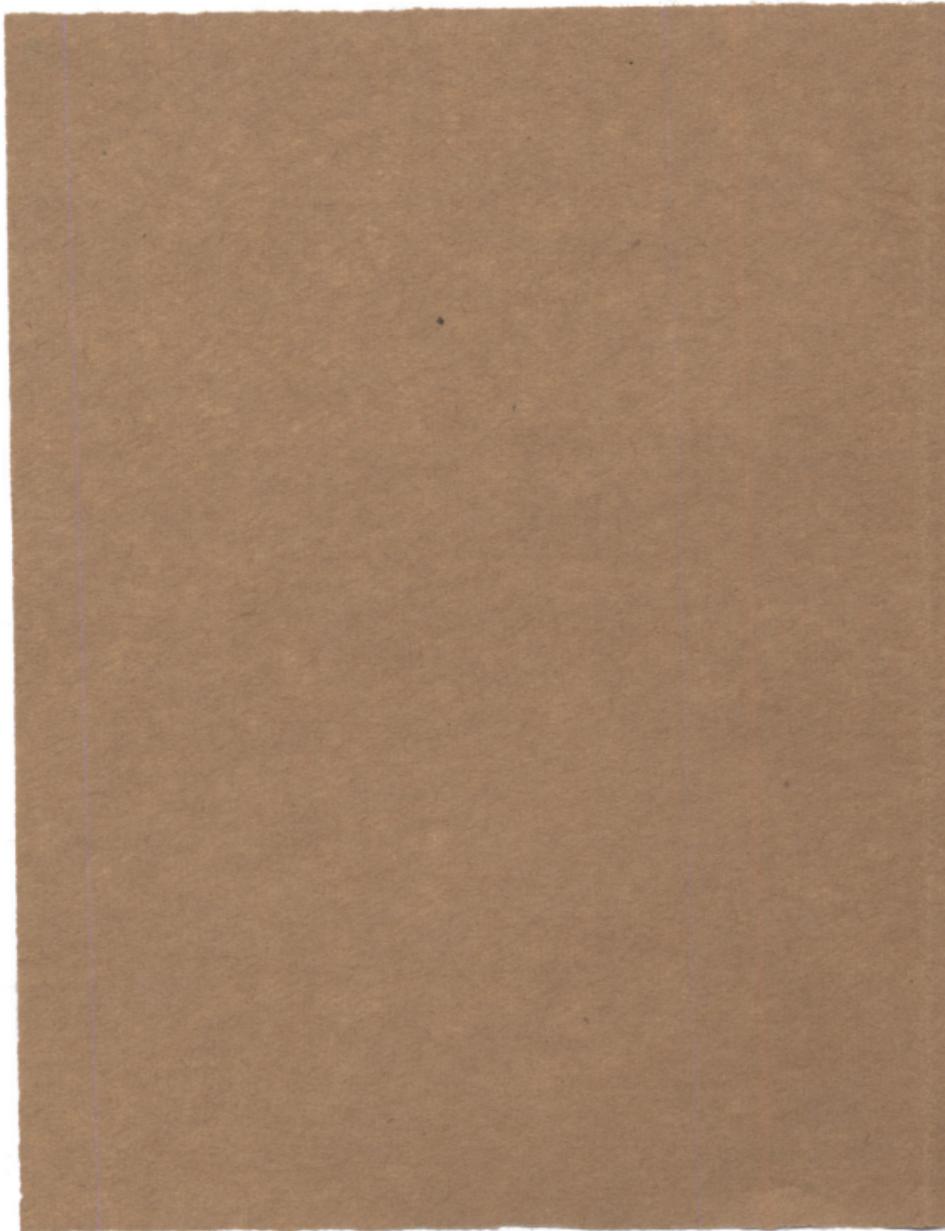
1.  $\frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$   
2.  $\frac{1}{3} \times \frac{1}{3} = \frac{1}{9}$   
3.  $\frac{1}{4} \times \frac{1}{4} = \frac{1}{16}$   
4.  $\frac{1}{5} \times \frac{1}{5} = \frac{1}{25}$   
5.  $\frac{1}{6} \times \frac{1}{6} = \frac{1}{36}$   
6.  $\frac{1}{7} \times \frac{1}{7} = \frac{1}{49}$   
7.  $\frac{1}{8} \times \frac{1}{8} = \frac{1}{64}$   
8.  $\frac{1}{9} \times \frac{1}{9} = \frac{1}{81}$   
9.  $\frac{1}{10} \times \frac{1}{10} = \frac{1}{100}$

1.  $\frac{1}{\sqrt{2}} \left( \hat{c}_1 + \hat{c}_2 \right)$   
2.  $\frac{1}{\sqrt{2}} \left( \hat{c}_1 - \hat{c}_2 \right)$   
3.  $\frac{1}{\sqrt{2}} \left( \hat{c}_1 + i\hat{c}_2 \right)$   
4.  $\frac{1}{\sqrt{2}} \left( \hat{c}_1 - i\hat{c}_2 \right)$

$\sqrt{5} - \frac{1}{5}$  N. A. K.  
WWWWWWV 1961



218



219

Tn HE Δευτερόπτω  
Εις τον Εγκρήτην

THE  
HARVEST  
WHEEL

ହେଲ୍ପିଂ କାମକାଳୀଙ୍କ କାମକାଳୀଙ୍କ କାମକାଳୀଙ୍କ କାମକାଳୀଙ୍କ  
ମେଘାରୁ ଯୋଗିବାରୁ ଏହାରୁ ଏହାରୁ ଏହାରୁ

$\times \left( \frac{a}{x} + \frac{b}{x^2} - \frac{c}{x^3} \right) \rightarrow \left( \frac{a}{x} - \frac{c}{x^3} \right) - \left( \frac{b}{x^2} - \frac{c}{x^3} \right) \rightarrow \frac{ax^2 - cx^3}{x^3} - \frac{bx^2 - cx^3}{x^3} \rightarrow \frac{(a-b)x^2 - cx^3}{x^3} \rightarrow \frac{(a-b)x^2}{x^3} - \frac{cx^3}{x^3} \rightarrow \frac{a-b}{x} - c \in \mathbb{F}_q$

1.  $\int_{-1}^1 \frac{1}{\sqrt{1-x^2}} dx = \pi$   
2.  $\int_{-1}^1 \frac{1}{\sqrt{1-x^2}} dx = \pi$   
3.  $\int_{-1}^1 \frac{1}{\sqrt{1-x^2}} dx = \pi$   
4.  $\int_{-1}^1 \frac{1}{\sqrt{1-x^2}} dx = \pi$   
5.  $\int_{-1}^1 \frac{1}{\sqrt{1-x^2}} dx = \pi$   
6.  $\int_{-1}^1 \frac{1}{\sqrt{1-x^2}} dx = \pi$   
7.  $\int_{-1}^1 \frac{1}{\sqrt{1-x^2}} dx = \pi$   
8.  $\int_{-1}^1 \frac{1}{\sqrt{1-x^2}} dx = \pi$   
9.  $\int_{-1}^1 \frac{1}{\sqrt{1-x^2}} dx = \pi$   
10.  $\int_{-1}^1 \frac{1}{\sqrt{1-x^2}} dx = \pi$

$\times \left( \frac{c_1}{c_2} \right) \times \left( \frac{c_2}{c_3} \right) \times \left( \frac{c_3}{c_4} \right) = \left( \frac{c_1}{c_4} \right)$



221 2

PL 1 110V EY E C E E E E a ve u h n d o o el ala

2.  $\frac{1}{x^2} \cdot \frac{1}{x^2} = \frac{1}{x^4}$

$$\therefore \frac{1}{\sqrt{m}} \leq \sqrt{m}$$

$$\frac{1}{1-a} \left( \frac{1}{1-a} - \frac{1}{1-a} \right) = \frac{1}{1-a}$$



Yellowish brownish  
fragrant flowers.

Wōli fl. ein lo ičayapituz hi ue. toʃhpit.  
Muahiprov ſiror. Māriuy Kayapó'.

Eis lo ičayapituz  
KE! ſeueyobpiou

B.N.K.

The yagao yo o o o o yiu n xiu n u yu x yiu n an n an

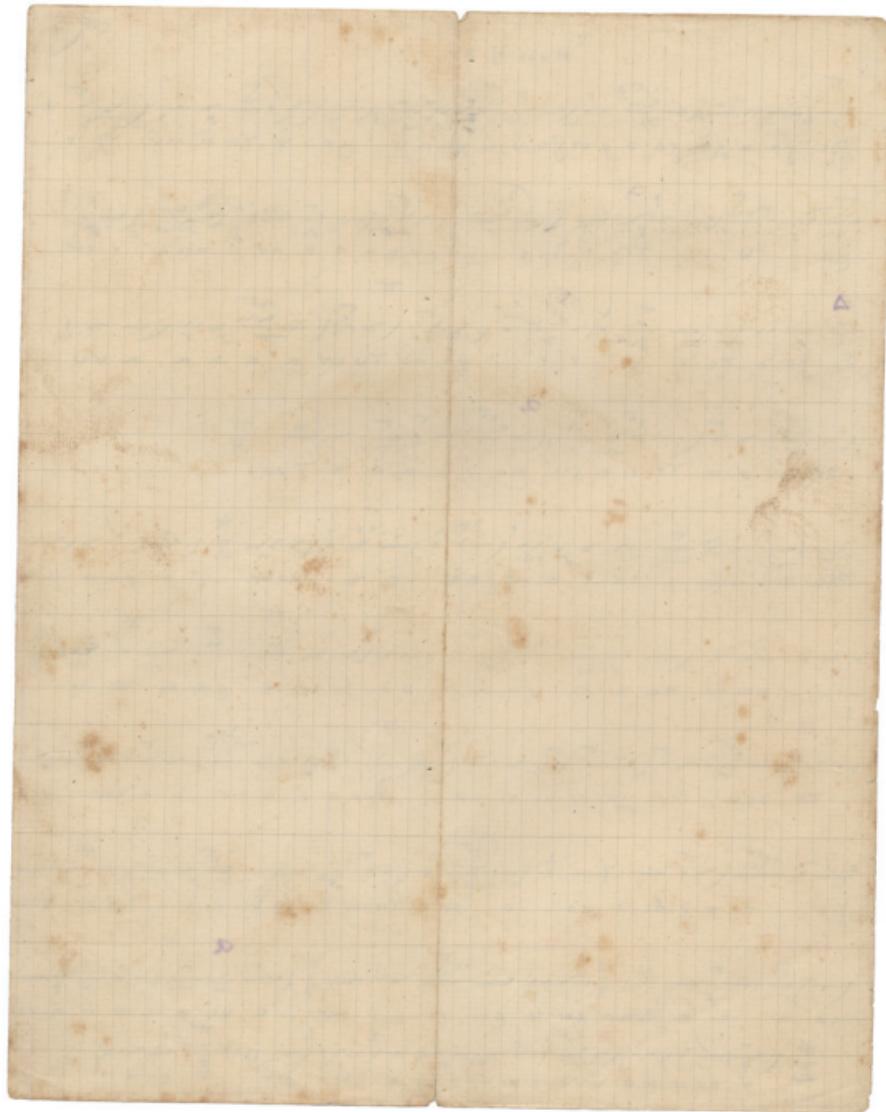
$\frac{1}{\sqrt{2}} \left( \frac{\sqrt{3}}{2} e^{i\pi/6} + \frac{1}{2} e^{i\pi/2} \right) = \frac{\sqrt{3}}{2} e^{i\pi/6} + \frac{1}{2} e^{i\pi/2}$

$$\frac{\Delta}{\delta_0} = \frac{u}{v_0} - \left(1 - \frac{v_0}{v}\right) \frac{\left(\frac{v_0}{v}\right)^2}{\left(\frac{v_0}{v}\right)^2 + 1} \left(1 - \frac{v_0}{v}\right) - \frac{\left(\frac{v_0}{v}\right)^2}{\left(\frac{v_0}{v}\right)^2 + 1} \left(1 - \frac{v_0}{v}\right) = 1$$

*(\frac{1}{2} \times 10^5) \rightarrow \frac{1}{2} \times 10^5 \rightarrow (\frac{1}{2} \times 10^5) \rightarrow \frac{1}{2} \times 10^5 \rightarrow \frac{1}{2} \times 10^5 \rightarrow \frac{1}{2} \times 10^5 \rightarrow \frac{1}{2} \times 10^5*

1.  $\frac{1}{\sqrt{1-x^2}}$  2.  $\frac{1}{\sqrt{1+x^2}}$  3.  $\frac{1}{\sqrt{1-x^2}}$  4.  $\frac{1}{\sqrt{1+x^2}}$

Ex:  $x^2 - 4x + 4 = 0$  or  $(x-2)^2 = 0$



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$$\frac{1}{\sqrt{1 - \frac{v^2}{c^2}}} = \frac{1}{\sqrt{1 - \frac{v_0^2}{c^2}}} \cdot \frac{1}{\sqrt{1 + \frac{v}{v_0}}}$$

Tiue! Deneg. #9. is die gazzon  
in da i (gargitatu) deli te agu' e' olor.

von Nuzer - Rauacundo

Arteguán

Την ΚΕ! Δεκεμβρίου είπε ο Επαρτέως

• Ηχος διηγήματος

Mc galdhu voo o orpunuun xililu yas e tui

pass u a av

Marie Gervais 50000 T6 66 CEC pair twvr dd dd

$\rightarrow -\frac{1}{\sqrt{2}} \rightarrow \frac{1}{\sqrt{2}} - \frac{i}{\sqrt{2}} \rightarrow \frac{i}{\sqrt{2}} \rightarrow \frac{1}{\sqrt{2}}$

$$\sum_{j=1}^n \int_{\Omega} \left| \frac{\partial}{\partial x_j} u_j \right|^2 dx = \sum_{j=1}^n \int_{\Omega} \left| \frac{\partial}{\partial x_j} v_j \right|^2 dx$$

1.  $\frac{1}{1} \rightarrow \frac{1}{2} \rightarrow \frac{1}{3} \rightarrow \dots$   
 Voor  $\lim_{n \rightarrow \infty} \frac{1}{n}$



νοον τητη φανταστικη πιλιον

νων νων νων ανευθυνη θη οο α α

χων πιλιον τοις χρονον οο θεε εε

οι ον ανυπηρητει μεε εγαλιουν

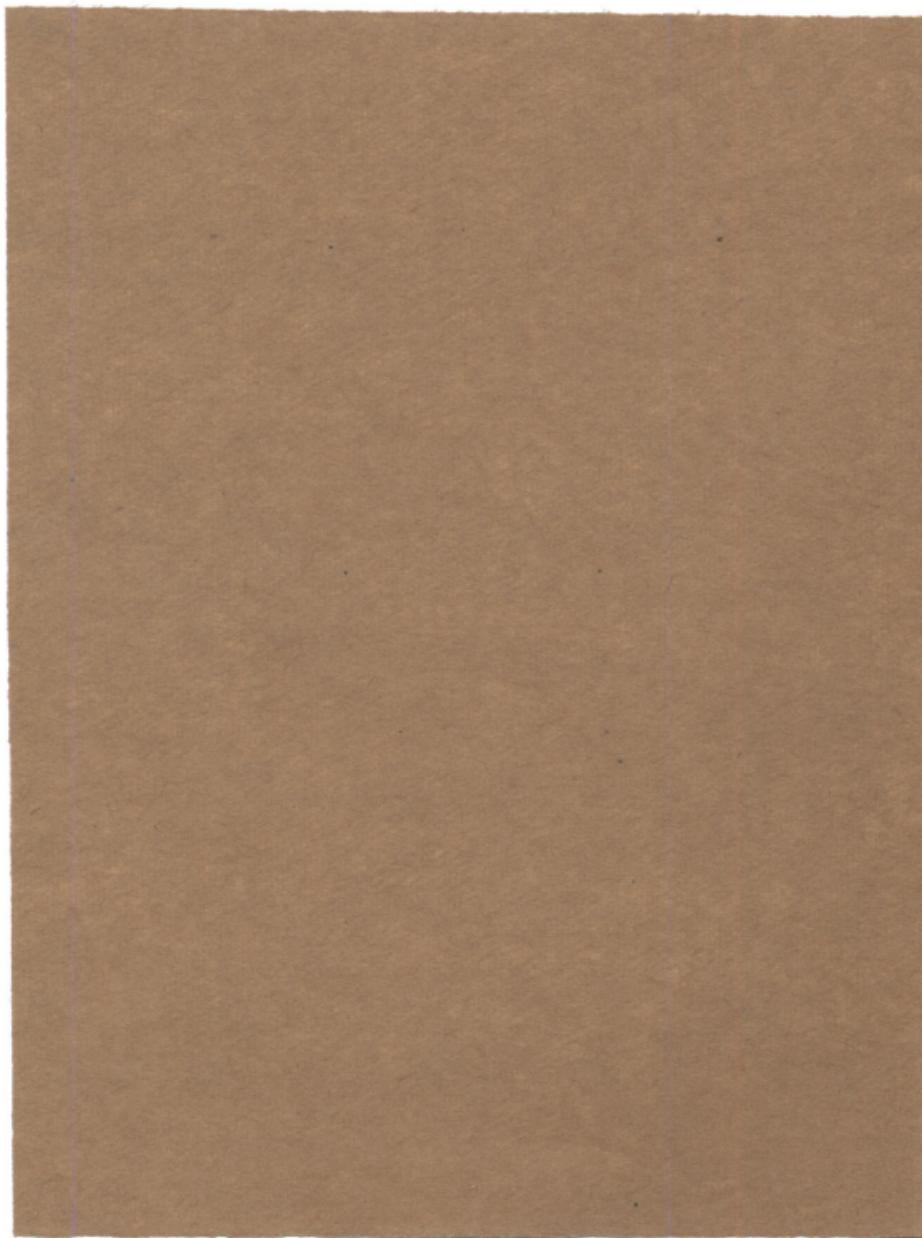
υ υ νοον μεεγαλιουν υο μεεεεεεεν

Ανδρέας Α. Κομαράδης  
14 Σεπτεμβρίου 1961

οο α α χων πιλιον τοις



227



228

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K.S. 1 December 2000

Rabk

Signature

ESGORT

ABOVE PARCAGES IN GOOD

Voucher Nos.	No.	Description	Marks
		Package	

CONSIGNE

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CONVO

D-15

RECEIVED IN STOREROOM DRAWER NO. 1  
RECEIVED THE DAY OF 19

CORRIGED  
MAY 19

RECEIVED IN STOREROOM DRAWER NO. 1  
RECEIVED THE DAY OF 19

RECEIVED IN STOREROOM DRAWER NO. 1

RECEIVED IN STOREROOM DRAWER NO. 1

RECEIVED IN STOREROOM DRAWER NO. 1

Την ΚΤΤ: δεν επέβλεψαν εις τὸν Ἐπικερπτόν δόξαν

ହେଲ୍ପି କାମ କରିବାକୁ

$$\frac{\partial}{\partial \alpha} \left( \frac{1}{\beta} \right) = -\frac{1}{\beta^2} \cdot \frac{\partial \beta}{\partial \alpha} = -\frac{1}{\beta^2} \cdot \frac{\partial}{\partial \alpha} \left( \frac{1}{\beta} \right) = -\frac{1}{\beta^2} \cdot \frac{\partial}{\partial \alpha} \left( \frac{1}{\beta} \right)$$

1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32 33 34 35 36 37 38 39 40 41 42 43 44 45 46 47 48 49 50 51 52 53 54 55 56 57 58 59 60 61 62 63 64 65 66 67 68 69 70 71 72 73 74 75 76 77 78 79 80 81 82 83 84 85 86 87 88 89 90 91 92 93 94 95 96 97 98 99 100

$\sum_{n=0}^{\infty} \frac{(-1)^n}{n!} x^n = 1 - x + \frac{x^2}{2!} - \frac{x^3}{3!} + \dots$

*torua on yet vor di a man*

For  $A \approx 0.0101$  to become  $\approx 0.01100$  we have to

1961

1. ~~the~~ ~~inventor~~ ~~of~~ ~~a~~ ~~new~~ ~~invention~~  
2. ~~the~~ ~~inventor~~ ~~of~~ ~~a~~ ~~new~~ ~~invention~~  
3. ~~the~~ ~~inventor~~ ~~of~~ ~~a~~ ~~new~~ ~~invention~~  
4. ~~the~~ ~~inventor~~ ~~of~~ ~~a~~ ~~new~~ ~~invention~~  
5. ~~the~~ ~~inventor~~ ~~of~~ ~~a~~ ~~new~~ ~~invention~~  
6. ~~the~~ ~~inventor~~ ~~of~~ ~~a~~ ~~new~~ ~~invention~~  
7. ~~the~~ ~~inventor~~ ~~of~~ ~~a~~ ~~new~~ ~~invention~~  
8. ~~the~~ ~~inventor~~ ~~of~~ ~~a~~ ~~new~~ ~~invention~~  
9. ~~the~~ ~~inventor~~ ~~of~~ ~~a~~ ~~new~~ ~~invention~~  
10. ~~the~~ ~~inventor~~ ~~of~~ ~~a~~ ~~new~~ ~~invention~~

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$$\sum_{\sigma \in S} \frac{1}{|S|} \sum_{\sigma \in S} \frac{1}{|S|} \sum_{\sigma \in S} \frac{1}{|S|} \sum_{\sigma \in S} \frac{1}{|S|} = \frac{1}{|S|^4}$$

$$\frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ 1 \\ -1 \\ 1 \end{array} \right) \quad \frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ -1 \\ 1 \\ 1 \end{array} \right) \quad \frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ 1 \\ 1 \\ -1 \end{array} \right) \quad \frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ -1 \\ -1 \\ -1 \end{array} \right)$$

$\frac{1}{\sqrt{2}} \left( \hat{c}_1 + \hat{c}_2 \right)$   $\frac{1}{\sqrt{2}} \left( \hat{c}_1 - \hat{c}_2 \right)$   $\frac{1}{\sqrt{2}} \left( \hat{c}_1 + i\hat{c}_2 \right)$   $\frac{1}{\sqrt{2}} \left( \hat{c}_1 - i\hat{c}_2 \right)$

$$\begin{matrix} \frac{1}{\sqrt{2}} & -\frac{1}{\sqrt{2}} & 0 & 0 \\ 0 & 0 & \frac{1}{\sqrt{2}} & -\frac{1}{\sqrt{2}} \\ 0 & 0 & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} \\ 0 & 0 & 0 & \frac{1}{\sqrt{2}} \end{matrix}$$

$$\frac{1}{w-w_0} \rightarrow \frac{\kappa}{\phi} \int_{w_0}^w \frac{dw}{w-w_0} = \frac{\kappa}{\phi} \ln \left( \frac{w}{w_0} \right)$$

$\frac{d^2y}{dx^2} = \frac{dy'}{dx}$   $\frac{dy'}{dx} = \frac{dy}{dx}$

Andrew A. Konyukhov  
14 Youtiou 1961



Nm iws

Нижний Хок и в Ти  
Kh. Denizubris

if  $\alpha \in \mathbb{C}$  and  $\beta \in \mathbb{C}^*$ , then  $\alpha \beta \in \mathbb{C}^*$ .

ee ee eu ua a a a la a ad -

u uai uai uai ai ai e e

$$\frac{1}{\sqrt{1-x^2}} = \sum_{n=0}^{\infty} \frac{(-1)^n}{n!} \binom{n}{2} x^n$$

$\Sigma \eta \mu e \rho \sigma \delta e x e \in Tai \cup ai \cup ai \eta \eta T3n \quad \theta \in$

1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32 33 34 35 36 37 38 39 40 41 42 43 44 45 46 47 48 49 50 51 52 53 54 55 56 57 58 59 60 61 62 63 64 65 66 67 68 69 70 71 72 73 74 75 76 77 78 79 80 81 82 83 84 85 86 87 88 89 90 91 92 93 94 95 96 97 98 99 100

1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20







*In KC' Demophaios Eis eis Eeagorior Doxa ihos πατερα*

he e Doo oo gaa Ta a tpi i i i i uai ai

$$\sum_{n=0}^{\infty} \frac{1}{n!} e^{-\lambda} \lambda^n = e^{-\lambda + \lambda} = e^{\lambda}$$

-  $\sqrt{10^5}$   
e e e e e e -  $\sqrt{10^5}$   $\rightarrow$   $10^5$   $\downarrow$   
mu a a a a la a a a t<sub>1</sub>  $\downarrow$   $\downarrow$   $\downarrow$   $\downarrow$   $\downarrow$   $\downarrow$

Do o o o  $\xi_{aa}$  ev u  $\psi$  i i i i i  $\tau_{01010101}$   $\theta \epsilon \epsilon$

1.  $\frac{1}{\sqrt{1-\frac{v^2}{c^2}}}$ ; 2.  $\frac{1}{\sqrt{1-\frac{v^2}{c^2}}}$ ; 3.  $\frac{1}{\sqrt{1-\frac{v^2}{c^2}}}$ ; 4.  $\frac{1}{\sqrt{1-\frac{v^2}{c^2}}}$ ; 5.  $\frac{1}{\sqrt{1-\frac{v^2}{c^2}}}$ ; 6.  $\frac{1}{\sqrt{1-\frac{v^2}{c^2}}}$ .

$\sum_{k=1}^n \mu_k p_k \delta(x_k - x) = \sum_{k=1}^n \mu_k \delta(x_k - x)$

Lee e e ep Tov ua θη με e vov δι a παν το ο ο



2349

8. 1  
S. K. Deucuborov

He Livajis ins Vayapias  
Oeoluov.

Doga rov Eoapirov

Vao

N. A. Kaimakadov

Melkijan



13. 10. 1910

Nrygēws

In KC! Denegubiova n Lirāžis iñs Vāgvārias Oecovīnov  
Eis eis Nirovs Doža m̄os n̄c. n̄a

1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32 33 34 35 36 37 38 39 40 41 42 43 44 45 46 47 48 49 50 51 52 53 54 55 56 57 58 59 60 61 62 63 64 65 66 67 68 69 70 71 72 73 74 75 76 77 78 79 80 81 82 83 84 85 86 87 88 89 90 91 92 93 94 95 96 97 98 99 100 101 102 103 104 105 106 107 108 109 110 111 112 113 114 115 116 117 118 119 120 121 122 123 124 125 126 127 128 129 130 131 132 133 134 135 136 137 138 139 140 141 142 143 144 145 146 147 148 149 150 151 152 153 154 155 156 157 158 159 160 161 162 163 164 165 166 167 168 169 170 171 172 173 174 175 176 177 178 179 180 181 182 183 184 185 186 187 188 189 190 191 192 193 194 195 196 197 198 199 200 201 202 203 204 205 206 207 208 209 210 211 212 213 214 215 216 217 218 219 220 221 222 223 224 225 226 227 228 229 230 231 232 233 234 235 236 237 238 239 240 241 242 243 244 245 246 247 248 249 250 251 252 253 254 255 256 257 258 259 260 261 262 263 264 265 266 267 268 269 270 271 272 273 274 275 276 277 278 279 280 281 282 283 284 285 286 287 288 289 289 290 291 292 293 294 295 296 297 298 299 299 300 301 302 303 304 305 306 307 308 309 309 310 311 312 313 314 315 316 317 318 319 319 320 321 322 323 324 325 326 327 328 329 329 330 331 332 333 334 335 336 337 338 339 339 340 341 342 343 344 345 346 347 348 349 349 350 351 352 353 354 355 356 357 358 359 359 360 361 362 363 364 365 366 367 368 369 369 370 371 372 373 374 375 376 377 378 379 379 380 381 382 383 384 385 386 387 388 389 389 390 391 392 393 394 395 396 397 398 399 399 400 401 402 403 404 405 406 407 408 409 409 410 411 412 413 414 415 416 416 417 418 419 419 420 421 422 423 424 425 426 427 428 429 429 430 431 432 433 434 435 436 437 438 439 439 440 441 442 443 444 445 446 447 448 449 449 450 451 452 453 454 455 456 457 458 459 459 460 461 462 463 464 465 466 467 468 469 469 470 471 472 473 474 475 476 477 478 479 479 480 481 482 483 484 485 486 487 488 489 489 490 491 492 493 494 495 496 497 498 499 499 500 501 502 503 504 505 506 507 508 509 509 510 511 512 513 514 515 516 516 517 518 519 519 520 521 522 523 524 525 526 527 528 529 529 530 531 532 533 534 535 536 537 538 539 539 540 541 542 543 544 545 546 547 548 549 549 550 551 552 553 554 555 556 557 558 559 559 560 561 562 563 564 565 566 567 568 569 569 570 571 572 573 574 575 576 577 578 579 579 580 581 582 583 584 585 586 587 588 589 589 590 591 592 593 594 595 596 597 598 599 599 600 601 602 603 604 605 606 607 608 609 609 610 611 612 613 614 615 616 616 617 618 619 619 620 621 622 623 624 625 626 627 628 629 629 630 631 632 633 634 635 636 637 638 639 639 640 641 642 643 644 645 646 647 648 649 649 650 651 652 653 654 655 656 657 658 659 659 660 661 662 663 664 665 666 667 668 669 669 670 671 672 673 674 675 676 677 678 679 679 680 681 682 683 684 685 686 687 688 689 689 690 691 692 693 694 695 696 697 698 699 699 700 701 702 703 704 705 706 707 708 709 709 710 711 712 713 714 715 716 716 717 718 719 719 720 721 722 723 724 725 726 727 728 729 729 730 731 732 733 734 735 736 737 738 739 739 740 741 742 743 744 745 746 747 748 749 749 750 751 752 753 754 755 756 757 758 759 759 760 761 762 763 764 765 766 767 768 769 769 770 771 772 773 774 775 776 777 778 779 779 780 781 782 783 784 785 786 787 788 789 789 790 791 792 793 794 795 796 797 798 799 799 800 801 802 803 804 805 806 807 808 809 809 810 811 812 813 814 815 816 816 817 818 819 819 820 821 822 823 824 825 826 827 828 829 829 830 831 832 833 834 835 836 837 838 839 839 840 841 842 843 844 845 846 847 848 849 849 850 851 852 853 854 855 856 857 858 859 859 860 861 862 863 864 865 866 867 868 869 869 870 871 872 873 874 875 876 877 878 879 879 880 881 882 883 884 885 886 887 888 889 889 890 891 892 893 894 895 896 897 898 899 899 900 901 902 903 904 905 906 907 908 909 909 910 911 912 913 914 915 916 916 917 918 919 919 920 921 922 923 924 925 926 927 928 929 929 930 931 932 933 934 935 936 937 938 939 939 940 941 942 943 944 945 946 947 948 949 949 950 951 952 953 954 955 956 957 958 959 959 960 961 962 963 964 965 966 967 968 969 969 970 971 972 973 974 975 976 977 978 979 979 980 981 982 983 984 985 986 987 988 989 989 990 991 992 993 994 995 996 997 998 999 999 1000 1001 1002 1003 1004 1005 1006 1007 1008 1009 1009 1010 1011 1012 1013 1014 1015 1016 1016 1017 1018 1019 1019 1020 1021 1022 1023 1024 1025 1026 1027 1028 1029 1029 1030 1031 1032 1033 1034 1035 1036 1037 1038 1039 1039 1040 1041 1042 1043 1044 1045 1046 1047 1048 1049 1049 1050 1051 1052 1053 1054 1055 1056 1057 1058 1059 1059 1060 1061 1062 1063 1064 1065 1066 1067 1068 1069 1069 1070 1071 1072 1073 1074 1075 1076 1077 1078 1079 1079 1080 1081 1082 1083 1084 1085 1086 1087 1088 1089 1089 1090 1091 1092 1093 1094 1095 1096 1097 1098 1098 1099 1099 1100 1101 1102 1103 1104 1105 1106 1107 1108 1109 1109 1110 1111 1112 1113 1114 1115 1116 1116 1117 1118 1119 1119 1120 1121 1122 1123 1124 1125 1126 1127 1128 1129 1129 1130 1131 1132 1133 1134 1135 1136 1137 1138 1139 1139 1140 1141 1142 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1858 1859 1859 1860 1861 1862 1863 1864 1865 1866 1867 1868 1869 1869 1870 1871 1872 1873 1874 1875 1876 1877 1878 1879 1879 1880 1881 1882 1883 1884 1885 1886 1887 1888 1889 1889 1890 1891 1892 1893 1894 1895 1896 1897 1898 1898 1899 1899 1900 1901 1902 1903 1904 1905 1906 1907 1908 1909 1909 1910 1911 1912 1913 1914 1915 1916 1916 1917 1918 1919 1919 1920 1921 1922 1923 1924 1925 1926 1927 1928 1929 1929 1930 1931 1932 1933 1934 1935 1936 1937 1938 1939 1939 1940 1941 1942 1943 1944 1945 1946 1947 1948 1949 1949 1950 1951 1952 1953 1954 1955 1956 1957 1958 1959 1959 1960 1961 1962 1963 1964 1965 1966 1967 1968 1969 1969 1970 1971 1972 1973 1974 1975 1976 1977 1978 1979 1979 1980 1981 1982 1983 1984 1985 1986 1987 1988 1989 1989 1990 1991 1992 1993 1994 1995 1996 1997 1998 1998 1999 1999 2000 2001 2002 2003 2004 2005 2006 2007 2008 2009 2009 2010 2011 2012 2013 2014 2015 2016 2017 2018 2019 2019 2020 2021 2022 2023 2024 2025 2026 2027 2028 2029 2029 2030 2031 2032 2033 2034 2035 2036 2037 2038 2039 2039 2040 2041 2042 2043 2044 2045 2046 2047 2048 2049 2049 2050 2051 2052 2053 2054 2055 2056 2057 2058 2059 2059 2060 2061 2062 2063 2064 2065 2066 2067 2068 2069 2069 2070 2071 2072 2073 2074 2075 2076 2077 2078 2079 2079 2080 2081 2082 2083 2084 2085 2086 2087 2088 2089 2089 2090 2091 2092 2093 2094 2095 2096 2097 2098 2098 2099 2099 2100 2101 2102 2103 2104 2105 2106 2107 2108 2109 2109 2110 2111 2112 2113 2114 2115 2116 2116 2117 2118 2119 2119 2120 2121 2122 2123 2124 2125 2126 2127 2128 2129 2129 2130 2131 2132 2133 2134 2135 2136 2137 2138 2139 2139 2140 2141 2142 2143 2144 2145 2146 2147 2148 2149 2149 2150 2151 2152 2153 2154 2155 2156 2157 2158 2159 2159 2160 2161 2162 2163 2164 2165 2166 2167 2168 2169 2169 2170 2171 2172 2173 2174 2175 2176 2177 2178 2179 2179 2180 2181 2182 2183 2184 2185 2186 2187 2188 2189 2189 2190 2191 2192 2193 2194 2195 2196 2197 2198 2198 2199 2199 2200 2201 2202 2203 2204 2205 2206 2207 2208 2209 2209 2210 2211 2212 2213 2214 2215 2216 2216 2217 2218 2219 2219 2220 2221 2222 2223 2224 2225 2226 2227 2228 2229 2229 2230 2231 2232 2233 2234 2235 2236 2237 2238 2239 2239 2240 2241 2242 2243 2244 2245 2246 2247 2248 2249 2249 2250 2251 2252 2253 2254 2255 2256 2257 2258 2259 2259 2260 2261 2262 2263 2264 2265 2266 2267 2268 2269 2269 2270 2271 2272 2273 2274 2275 2276 2277 2278 2279 2279 2280 2281 2282 2283 2284 2285 2286 2287 2288 2289 2289 2290 2291 2292 2293 2294 2295 2296 2297 2298 2298 2299 2299 2300 2301 2302 2303 2304 2305 2306 2307 2308 2309 2309 2310 2311 2312 2313 2314 2315 2316 2316 2317 2318 2319 2319 2320 2321 2322 2323 2324 2325 2326 2327 2328 2329 2329 2330 2331 2332 2333 2334 2335 2336 2337 2338 2339 2339 2340 2341 2342 2343 2344 2345 2346 2347 2348 2349 2349 2350 2351 2352 2353 2354 2355 2356 2357 2358 2359 2359 2360 2361 2362 2363 2364 2365 2366 2367 2368 2369 2369 2370 2371 2372 2373 2374 2375 2376 2377 2378 2379 2379 2380 2381 2382 2383 2384 2385 2386 2387 2388 2389 2389 2390 2391 2392 2393 2394 2395 2396 2397 2398 2398 2399 2399 2400 2401 2402 2403 2404 2405 2406 2407 2408 2409 2409 2410 2411 2412 2413 2414 2415 2416 2416 2417 2418 2419 2419 2420 2421 2422 2423 2424 2425 2426 2427 2428 2429 2429 24

வாய்மையில் வெளியிடப்படும் என்று கூறுவது கீழே  
கொண்டுள்ள சொல்லானது மூலம் இரண்டு முறை வாய்மை

-71-12=59-21=38-12=26-12=14-12=2-12=10-12=8-12=6-12=4-12=2-12=0  
18 10 8 6 4 2 0

-71-12=59-21=38-12=26-12=14-12=2-12=10-12=8-12=6-12=4-12=2-12=0  
18 10 8 6 4 2 0

எனவே ஒரு முறை வாய்மை என்று கூறுவது கீழே  
கொண்டுள்ள சொல்லானது மூலம் இரண்டு முறை வாய்மை

-71-12=59-21=38-12=26-12=14-12=2-12=10-12=8-12=6-12=4-12=2-12=0  
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-71-12=59-21=38-12=26-12=14-12=2-12=10-12=8-12=6-12=4-12=2-12=0  
18 10 8 6 4 2 0

$$\frac{1}{\alpha} \frac{\partial}{\partial \alpha} \left( \frac{1}{\alpha} \frac{\partial}{\partial \alpha} \right) = B_n$$

18.  $\frac{1}{\pi} \int_{-\pi}^{\pi} e^{-i\theta} \sum_n a_n e^{in\theta} d\theta = \sum_n a_n \int_{-\pi}^{\pi} e^{-i(n+1)\theta} d\theta = \sum_n a_n \delta_{n+1} = a_1$

$\theta \in \mathbb{C}$   $\epsilon \in \mathbb{C}$   $\epsilon^4 \in \mathbb{C}$   $\epsilon^2 \in \mathbb{C}$   $\epsilon^{1/2} \in \mathbb{C}$   $\epsilon^{-1/2} \in \mathbb{C}$   $\epsilon^{-1} \in \mathbb{C}$   $\epsilon^{-2} \in \mathbb{C}$   $\epsilon^{-4} \in \mathbb{C}$   $\epsilon^{-6} \in \mathbb{C}$   $\epsilon^{-8} \in \mathbb{C}$   $\epsilon^{-10} \in \mathbb{C}$   $\epsilon^{-12} \in \mathbb{C}$   $\epsilon^{-14} \in \mathbb{C}$   $\epsilon^{-16} \in \mathbb{C}$   $\epsilon^{-18} \in \mathbb{C}$   $\epsilon^{-20} \in \mathbb{C}$   $\epsilon^{-22} \in \mathbb{C}$   $\epsilon^{-24} \in \mathbb{C}$   $\epsilon^{-26} \in \mathbb{C}$   $\epsilon^{-28} \in \mathbb{C}$   $\epsilon^{-30} \in \mathbb{C}$   $\epsilon^{-32} \in \mathbb{C}$   $\epsilon^{-34} \in \mathbb{C}$   $\epsilon^{-36} \in \mathbb{C}$   $\epsilon^{-38} \in \mathbb{C}$   $\epsilon^{-40} \in \mathbb{C}$   $\epsilon^{-42} \in \mathbb{C}$   $\epsilon^{-44} \in \mathbb{C}$   $\epsilon^{-46} \in \mathbb{C}$   $\epsilon^{-48} \in \mathbb{C}$   $\epsilon^{-50} \in \mathbb{C}$   $\epsilon^{-52} \in \mathbb{C}$   $\epsilon^{-54} \in \mathbb{C}$   $\epsilon^{-56} \in \mathbb{C}$   $\epsilon^{-58} \in \mathbb{C}$   $\epsilon^{-60} \in \mathbb{C}$   $\epsilon^{-62} \in \mathbb{C}$   $\epsilon^{-64} \in \mathbb{C}$   $\epsilon^{-66} \in \mathbb{C}$   $\epsilon^{-68} \in \mathbb{C}$   $\epsilon^{-70} \in \mathbb{C}$   $\epsilon^{-72} \in \mathbb{C}$   $\epsilon^{-74} \in \mathbb{C}$   $\epsilon^{-76} \in \mathbb{C}$   $\epsilon^{-78} \in \mathbb{C}$   $\epsilon^{-80} \in \mathbb{C}$   $\epsilon^{-82} \in \mathbb{C}$   $\epsilon^{-84} \in \mathbb{C}$   $\epsilon^{-86} \in \mathbb{C}$   $\epsilon^{-88} \in \mathbb{C}$   $\epsilon^{-90} \in \mathbb{C}$   $\epsilon^{-92} \in \mathbb{C}$   $\epsilon^{-94} \in \mathbb{C}$   $\epsilon^{-96} \in \mathbb{C}$   $\epsilon^{-98} \in \mathbb{C}$   $\epsilon^{-100} \in \mathbb{C}$

11.  $\mu \in \text{pool or tail of } n \text{ in } \pi$ .  $\therefore \frac{1}{\mu} \in \pi$



Мовчун  
Нижній С. Камарашов



Архиваги  
Н. Г. Вяжеславов  
вн 18 Декабри 1920

In KC.' Deueubvior

*H. Linnaei ins. Vespasianae  
Geologicae.*

Eis rois Arrows Do<sup>rd</sup>a

Нижеследует А. Каширинов

## *Arthropagia*

N.A.K

1

Τῇ ΚΣΤ! Δευτερόπιον ἡ Λύκαιος τῆς Οἰτηνίας Οερόύρ  
εἰς τοὺς Αἴγαους δόξα τήχος ἐγένετο

$$\frac{1}{\sum_{i=1}^n \frac{1}{x_i}} = \frac{1}{\sum_{i=1}^n \frac{1}{\frac{1}{y_i} + \frac{1}{z_i}}} = \frac{1}{\sum_{i=1}^n \left( \frac{1}{y_i} + \frac{1}{z_i} \right)} = \frac{1}{\sum_{i=1}^n \frac{1}{y_i} + \sum_{i=1}^n \frac{1}{z_i}} = \frac{1}{\sum_{i=1}^n \frac{1}{y_i} + \sum_{i=1}^n \frac{1}{z_i}} = \frac{1}{\sum_{i=1}^n \frac{1}{y_i} + \sum_{i=1}^n \frac{1}{z_i}}$$

$$\frac{d}{dx} \left( \frac{1}{x^2} \right) = -\frac{2}{x^3}$$

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7 1 → 1 → 1 → 1 → 1 → 1 → 1 → 1 → 1 → 1 → 1 → 1 →  
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$\frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ -1 \end{array} \right) = \frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ 1 \end{array} \right) - \frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ -1 \end{array} \right)$

1961



Следует учесть, что в результате сокращения длины волны излучения, а значит и частоты, излучение становится более интенсивным.

При этом излучение становится более интенсивным, так как излучение становится более интенсивным.

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*xpu u gnu u uaior gnu u upvka my xuii ill Ba aaaa a*

$$\int_{\frac{1}{2}}^{\infty} \frac{1}{x^2} dx = \left[ -\frac{1}{x} \right]_{\frac{1}{2}}^{\infty} = 0 - (-2) = 2$$

$$\begin{array}{ccccccccc} \frac{1}{x^2} & -\frac{1}{x^3} & \frac{1}{x^4} & -\frac{1}{x^5} & \frac{1}{x^6} & -\frac{1}{x^7} & \frac{1}{x^8} & -\frac{1}{x^9} & \frac{1}{x^{10}} \\ x^2 & -x^3 & x^4 & -x^5 & x^6 & -x^7 & x^8 & -x^9 & x^{10} \\ x^4 & -x^5 & x^6 & -x^7 & x^8 & -x^9 & x^{10} & 0 & 0 \\ x^6 & -x^7 & x^8 & -x^9 & x^{10} & 0 & 0 & 0 & 0 \\ x^8 & -x^9 & x^{10} & 0 & 0 & 0 & 0 & 0 & 0 \\ x^{10} & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \end{array}$$

Сергей Павлович Соколовский Христиан

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Νικέλι Α. Καμαρίου

14 Februar 1961



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Τῇ Η. Σενερόποιο

Εἰς τὸ Εὐαροτίου

Ἀλεξάνδρη

Νῷ γονίῳ

τῷ Ράον οὐατήν

100% Acrylic

Waterproof

UV Resistant

Waterproof

UV Resistant

Τῇ Κλιμακούποιον εἰς τὸ Εξαρέτων  
Ηχος ἢ πτα

$$\frac{1}{1-x} = \frac{1}{1-\frac{x}{1+x}} = \frac{1}{1-\frac{1}{\frac{1}{1-x}+1}} = \frac{\frac{1}{1-x}+1}{\frac{1}{1-x}} = \frac{1}{1-x} + 1$$

$\Delta$   $\Pi$

Kata.

spa a a TEE EU pa a a a a TW

**Π** Στεργετικά μέσα στην παραπάνω αυτή τη σειρά αντιστοίχως με την παραπάνω σειρά στην οποία παρατίθεται η σειρά των παραπάνω στοιχείων.

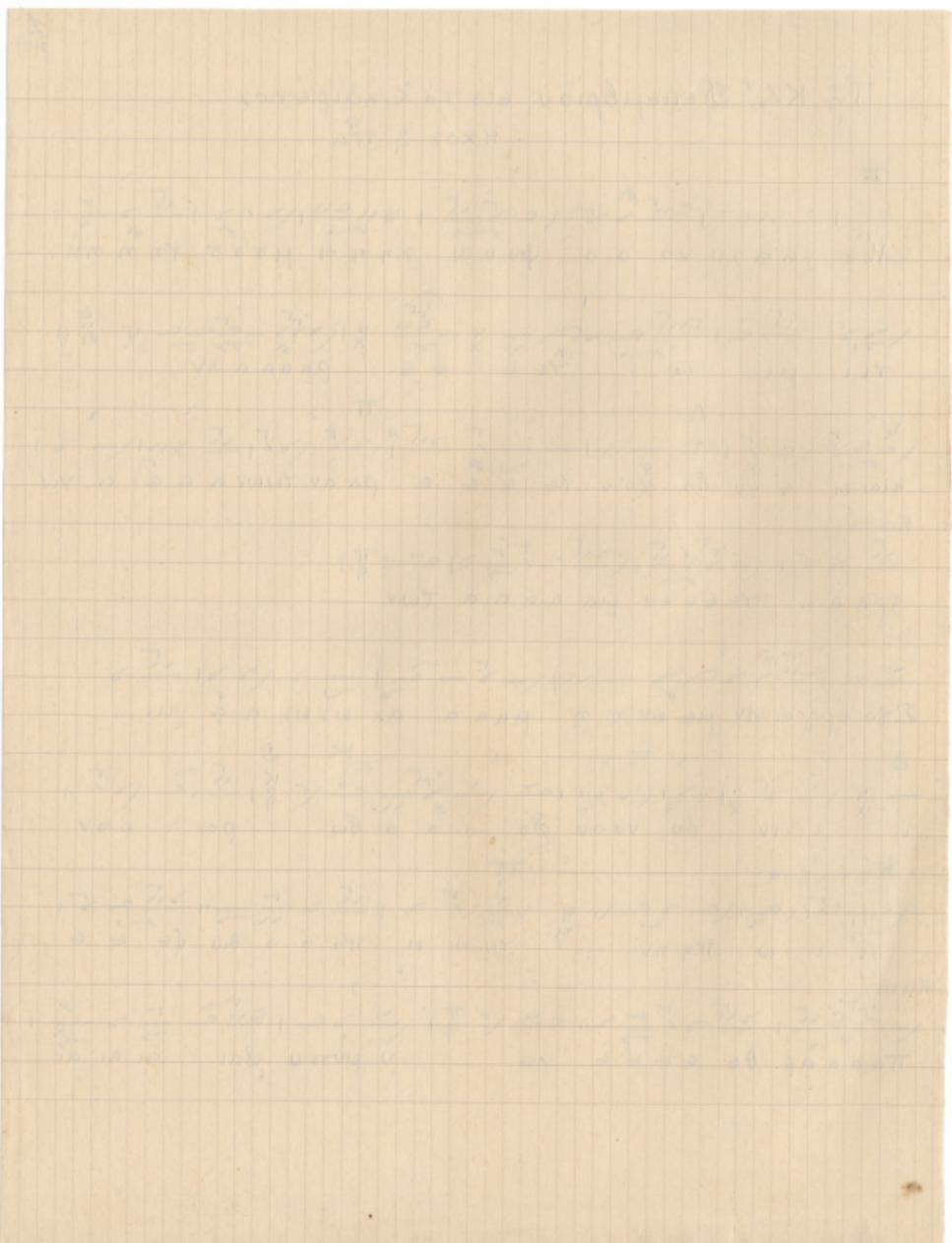
$$\frac{d}{dx} \left( \frac{\sin x}{x} \right) = \frac{x \cos x - \sin x}{x^2}$$

Kataz-2

$$\frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ 1 \\ -1 \\ 1 \end{array} \right) = \frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ 1 \\ 1 \\ 1 \end{array} \right) - \frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ 1 \\ -1 \\ -1 \end{array} \right)$$

Katún.

Haaaap the eeeeve ve u muuuuu gai ai ai ai



$$\frac{d}{dt} \left( \frac{\partial L}{\partial \dot{x}_i} \right) - \frac{d}{dt} \left( \frac{\partial L}{\partial x_i} \right) = 0$$

1.  $\frac{1}{\sqrt{2}} \left( \hat{c}_1 + \hat{c}_2 \right)$   
2.  $\frac{1}{\sqrt{2}} \left( \hat{c}_1 - \hat{c}_2 \right)$   
3.  $\frac{1}{\sqrt{2}} \left( \hat{c}_1 + i\hat{c}_2 \right)$   
4.  $\frac{1}{\sqrt{2}} \left( \hat{c}_1 - i\hat{c}_2 \right)$

F N E Kataz

$\frac{1}{c} \cdot \frac{1}{c^2} \rightarrow c^{-1} \cdot c^{-2} = c^{-3}$  Mai  $M_{nn}$  in  $n^n$  mit  $c = n$

$\rho_N$   $\rho_{N-1}$   $\rho_{N-2}$   $\rho_{N-3}$   $\rho_{N-4}$   $\rho_{N-5}$   $\rho_{N-6}$   $\rho_{N-7}$   $\rho_{N-8}$   $\rho_{N-9}$   $\rho_{N-10}$   $\rho_{N-11}$   $\rho_{N-12}$   $\rho_{N-13}$   $\rho_{N-14}$   $\rho_{N-15}$   $\rho_{N-16}$   $\rho_{N-17}$   $\rho_{N-18}$   $\rho_{N-19}$   $\rho_{N-20}$   $\rho_{N-21}$   $\rho_{N-22}$   $\rho_{N-23}$   $\rho_{N-24}$   $\rho_{N-25}$   $\rho_{N-26}$   $\rho_{N-27}$   $\rho_{N-28}$   $\rho_{N-29}$   $\rho_{N-30}$   $\rho_{N-31}$   $\rho_{N-32}$   $\rho_{N-33}$   $\rho_{N-34}$   $\rho_{N-35}$   $\rho_{N-36}$   $\rho_{N-37}$   $\rho_{N-38}$   $\rho_{N-39}$   $\rho_{N-40}$   $\rho_{N-41}$   $\rho_{N-42}$   $\rho_{N-43}$   $\rho_{N-44}$   $\rho_{N-45}$   $\rho_{N-46}$   $\rho_{N-47}$   $\rho_{N-48}$   $\rho_{N-49}$   $\rho_{N-50}$   $\rho_{N-51}$   $\rho_{N-52}$   $\rho_{N-53}$   $\rho_{N-54}$   $\rho_{N-55}$   $\rho_{N-56}$   $\rho_{N-57}$   $\rho_{N-58}$   $\rho_{N-59}$   $\rho_{N-60}$   $\rho_{N-61}$   $\rho_{N-62}$   $\rho_{N-63}$   $\rho_{N-64}$   $\rho_{N-65}$   $\rho_{N-66}$   $\rho_{N-67}$   $\rho_{N-68}$   $\rho_{N-69}$   $\rho_{N-70}$   $\rho_{N-71}$   $\rho_{N-72}$   $\rho_{N-73}$   $\rho_{N-74}$   $\rho_{N-75}$   $\rho_{N-76}$   $\rho_{N-77}$   $\rho_{N-78}$   $\rho_{N-79}$   $\rho_{N-80}$   $\rho_{N-81}$   $\rho_{N-82}$   $\rho_{N-83}$   $\rho_{N-84}$   $\rho_{N-85}$   $\rho_{N-86}$   $\rho_{N-87}$   $\rho_{N-88}$   $\rho_{N-89}$   $\rho_{N-90}$   $\rho_{N-91}$   $\rho_{N-92}$   $\rho_{N-93}$   $\rho_{N-94}$   $\rho_{N-95}$   $\rho_{N-96}$   $\rho_{N-97}$   $\rho_{N-98}$   $\rho_{N-99}$   $\rho_{N-100}$

$$E = \frac{1}{L} \int_{-L/2}^{L/2} \left( \frac{\partial u}{\partial x} \right)^2 dx$$

Κατάρα

$$\frac{d^2y}{dx^2} = \frac{d}{dx} \left( \frac{dy}{dx} \right) = \frac{d}{dx} \left( \frac{1}{\sqrt{1-y^2}} \right) = \frac{1}{2} (1-y^2)^{-\frac{3}{2}} \cdot (-2y) = \frac{-y}{(1-y^2)^{\frac{3}{2}}}.$$

Έπειργασία  
Niketas A. Karapádou





80  
1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32 33 34 35 36 37 38 39 40 41 42 43 44 45 46 47 48 49 50 51 52 53 54 55 56 57 58 59 60 61 62 63 64 65 66 67 68 69 70 71 72 73 74 75 76 77 78 79 80 81 82 83 84 85 86 87 88 89 90 91 92 93 94 95 96 97 98 99 100

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Ἐπειζόρωσία  
N. A. Καμαράδον

Tr. N.J.B. 23/12/20

In K.C.' Σεναρίοιο  
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Ἐπεξεργασία  
N. A. Καμαράσον

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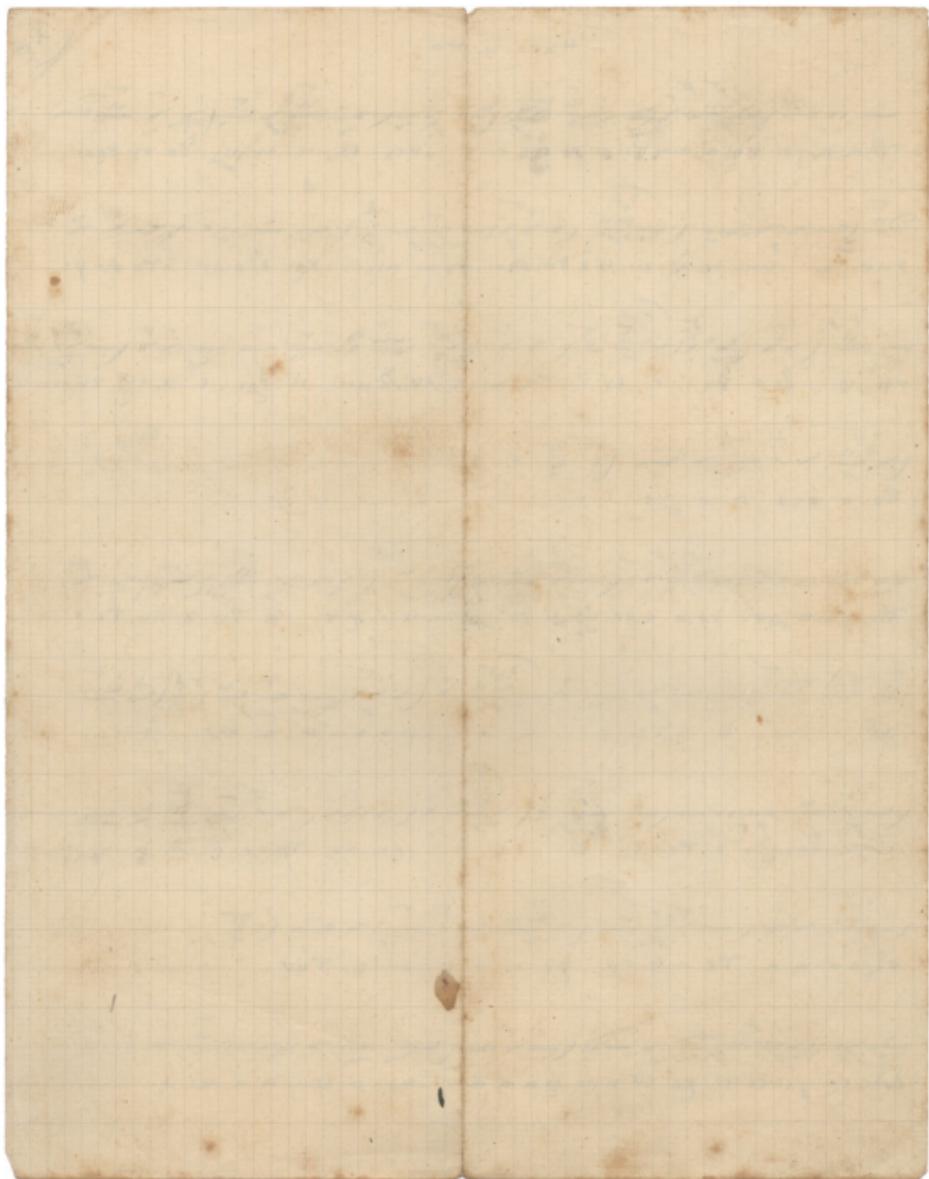
Tha yu a yu voo ooy yu v xii n yu xii n yu xii n yu

vi u u te c c c paaa a av raaa

re do do te c c c paaa av tuu a a a a vu

apaaa a Te ce cu yaaa a a a a vu

Elce yu ciir yu ciir paaa a a a a a a a



$$-\frac{1}{1-x} \cdot \frac{1}{1-x^2} = \frac{1}{(1-x)(1-x^2)} = \frac{1}{1-x} - \frac{1}{1+x}$$

Haaa ap deeee eee ee ee u uuuuu u gal ai ai ai

1.  $\frac{1}{x^2}$  2.  $\frac{1}{x^3}$  3.  $\frac{1}{x^4}$  4.  $\frac{1}{x^5}$  5.  $\frac{1}{x^6}$  6.  $\frac{1}{x^7}$  7.  $\frac{1}{x^8}$  8.  $\frac{1}{x^9}$  9.  $\frac{1}{x^{10}}$

$$\frac{1}{\sqrt{1 - \frac{v^2}{c^2}}} = \frac{1}{\sqrt{1 - \frac{(0.8c)^2}{c^2}}} = \frac{1}{\sqrt{1 - 0.64}} = \frac{1}{\sqrt{0.36}} = \frac{1}{0.6} = 1.67$$

After this a good deal of time passes.

$$\frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ -1 \\ 1 \\ -1 \end{array} \right) = \frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ 1 \\ -1 \\ -1 \end{array} \right)$$

Tu ut. Denybeir.

ii. 8. 1895. Yassouévar (civ. 26. 1895)  
arti lō agor coliv.

No. 11. Nancuth. Kauai

Artegum

Teph. wpa	imp. 5	30	at	830
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At. Bar.	6	20	to	70
Wear	6			8
T. G	5			9
M.E.	4.30			6
A. O.	5			
M.A.	9	20		
W. Sol.	10	20		

Τῇ ΚΣΤ. Δεκεμβρίου εις τὸ Ἑξαρέτων Ἡχος ἡ πα

Ma a for uai ai ai noiaoiol Megg ve es en en en mλ bo ov

$$\forall x \exists y \forall n \exists f \in C \forall v \exists a \in v B_n \exists \theta \in C \forall u \in v T_{n,n}^{\theta}$$

$$\int_{\frac{1}{2}}^{\infty} \frac{dt}{t^2} < \int_{\frac{1}{2}}^{\infty} \frac{dt}{t^{\alpha}}$$

ποο οοο οο λει

Медицинское обследование

$$\frac{dy}{dx} = \frac{\partial f}{\partial x} \left( \frac{y}{x} \right) + \frac{1}{x} \cdot \frac{\partial f}{\partial y} \left( \frac{y}{x} \right) = \frac{1}{x} \cdot \frac{\partial f}{\partial y} \left( \frac{y}{x} \right) - \frac{1}{x^2} \cdot \frac{\partial f}{\partial x} \left( \frac{y}{x} \right)$$

$\rightarrow \overbrace{S^r}^{\text{1}} \rightarrow \overbrace{\frac{S^r}{S^r}}^{\text{2}} \rightarrow \overbrace{S^r}^{\text{3}} \rightarrow S^r \rightarrow S^r \rightarrow S^r$   
 TEEEU Uaaaaaaa TUV

$\sum_{i=1}^n \left( \frac{1}{\sqrt{i}} \right)^p > \int_1^n \frac{1}{\sqrt{x}} dx = 2\sqrt{n} - 2$



9

$\rightarrow \frac{r}{r} \rightarrow \frac{c}{c} \sqrt{\frac{r}{r}}$   $\rightarrow \frac{c}{c} \rightarrow \frac{c}{c} \frac{r}{r} \frac{r}{r} \rightarrow \frac{c}{c} \frac{r}{r} \frac{r}{r}$

1.  $\frac{d}{dx} \ln x = \frac{1}{x}$   
2.  $\frac{d}{dx} \ln u = \frac{1}{u} \cdot \frac{du}{dx}$

1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32 33 34 35 36 37 38 39 40 41 42 43 44 45 46 47 48 49 50 51 52 53 54 55 56 57 58 59 60 61 62 63 64 65 66 67 68 69 70 71 72 73 74 75 76 77 78 79 80 81 82 83 84 85 86 87 88 89 90 91 92 93 94 95 96 97 98 99 100

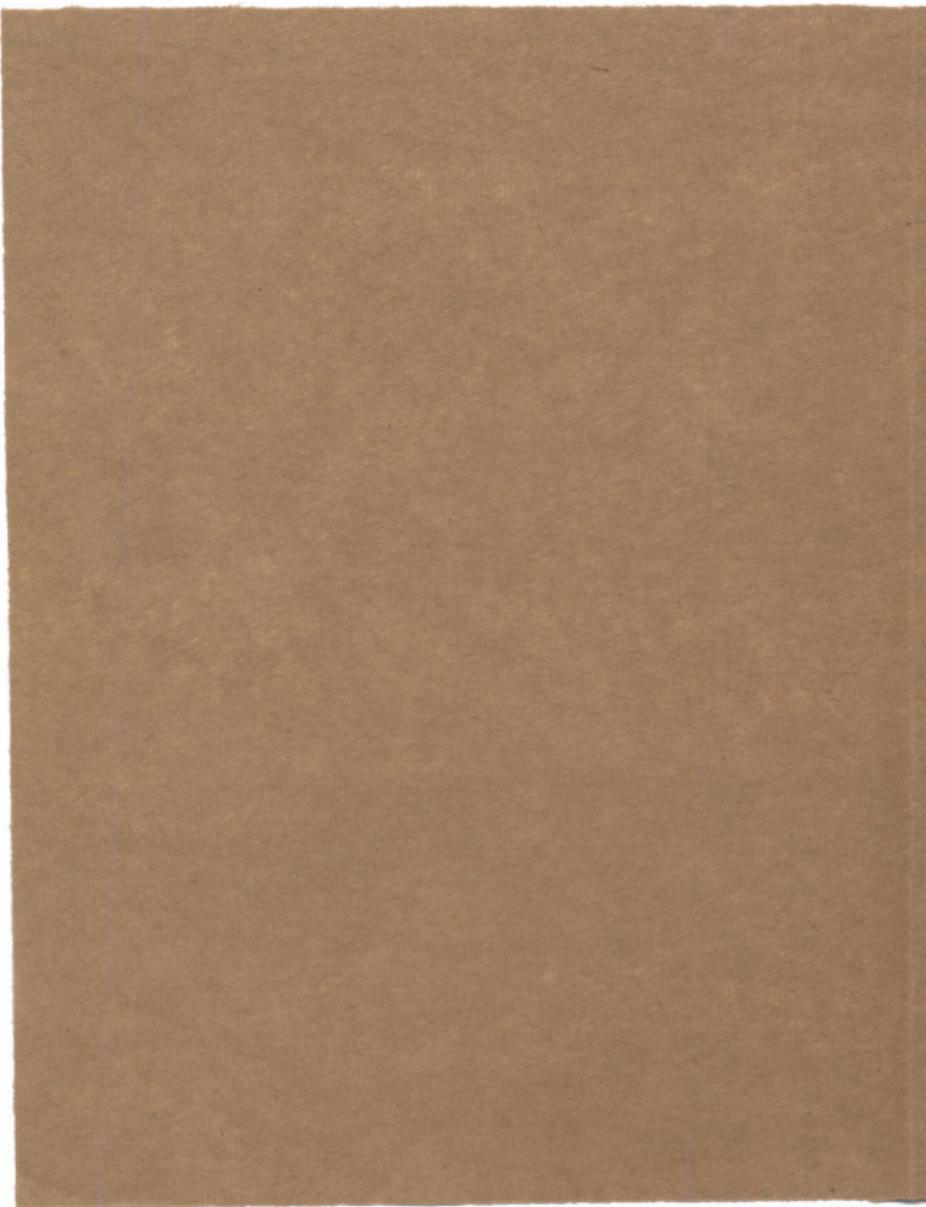
$\frac{x^5}{x^2} = \frac{1}{x^2}$

الآن نحن في المقدمة

Andrew A. Karapetyan



252



Tn Kuplum metu mo  
Xe tevnow

Eis zōu Σύζον

Koi vōv

the new method of  
writing or  
speaking  
for him

Την Κυριακή, υπό την προστασία της Αγίας Περιλέξου Γέννησης

Εἰς τὸν Λειχόν Δοῖαν Ηλιούν θάξος ἐγένετο.

$\frac{1}{\sqrt{c}} \rightarrow \frac{1}{\sqrt{a}} \rightarrow \frac{1}{\sqrt{b}} \rightarrow \frac{1}{\sqrt{c}}$

1.  $\frac{d^2y}{dx^2}$   $\rightarrow$   $\frac{dy}{dx} \rightarrow$   $y$   $\rightarrow$   $x$

2.  $y = x^2 + 3x + 2$  or  $y = 2x^2 - 3x + 2$

$$\frac{d}{dx} \left( \frac{f(x)}{g(x)} \right) = \frac{g(x) f'(x) - f(x) g'(x)}{g(x)^2}$$

$\frac{N}{S \leftarrow -1} \xrightarrow{\phi} \xrightarrow{\text{cif}} \leftarrow \xleftarrow{\phi} \frac{1}{\text{cif}} \xleftarrow{\phi} \cdots \xrightarrow{\phi} \leftarrow \xrightarrow{\text{cif}} \gg$   
 $\times \text{TOV yEVVN BE CEGG E EV Ta EV IBn } \xrightarrow{\phi} \text{BACE CC EE EE EE}$

$$\frac{1}{\sqrt{1 - \frac{v^2}{c^2}} \left( \frac{1}{\gamma} \frac{d}{dx} \right)} \frac{d}{dx} \left( \frac{1}{\sqrt{1 - \frac{v^2}{c^2}}} \right) = \frac{1}{\sqrt{1 - \frac{v^2}{c^2}}} \frac{d}{dx} \left( \frac{1}{\gamma} \frac{d}{dx} \right)$$





9

1.  $\frac{1}{x^2} \cdot \frac{1}{(1-x)^2} = \frac{1}{x^2} \cdot \frac{1}{1-2x+x^2} = \frac{1}{x^2} \cdot \frac{1}{1-2x} \cdot \frac{1}{1+x}$   
2.  $\frac{1}{x^2} \cdot \frac{1}{(1-x)^2} = \frac{1}{x^2} \cdot \frac{1}{1-2x+x^2} = \frac{1}{x^2} \cdot \frac{1}{1-2x} \cdot \frac{1}{1+x}$   
3.  $\frac{1}{x^2} \cdot \frac{1}{(1-x)^2} = \frac{1}{x^2} \cdot \frac{1}{1-2x+x^2} = \frac{1}{x^2} \cdot \frac{1}{1-2x} \cdot \frac{1}{1+x}$

Νικόλαος Α. Καμαράσσου  
16 Ιουλίου 1961

Nygård

$$\frac{1}{\pi} \int_{-\infty}^{\infty} x^2 e^{-x^2/2} dx = \frac{1}{2}$$

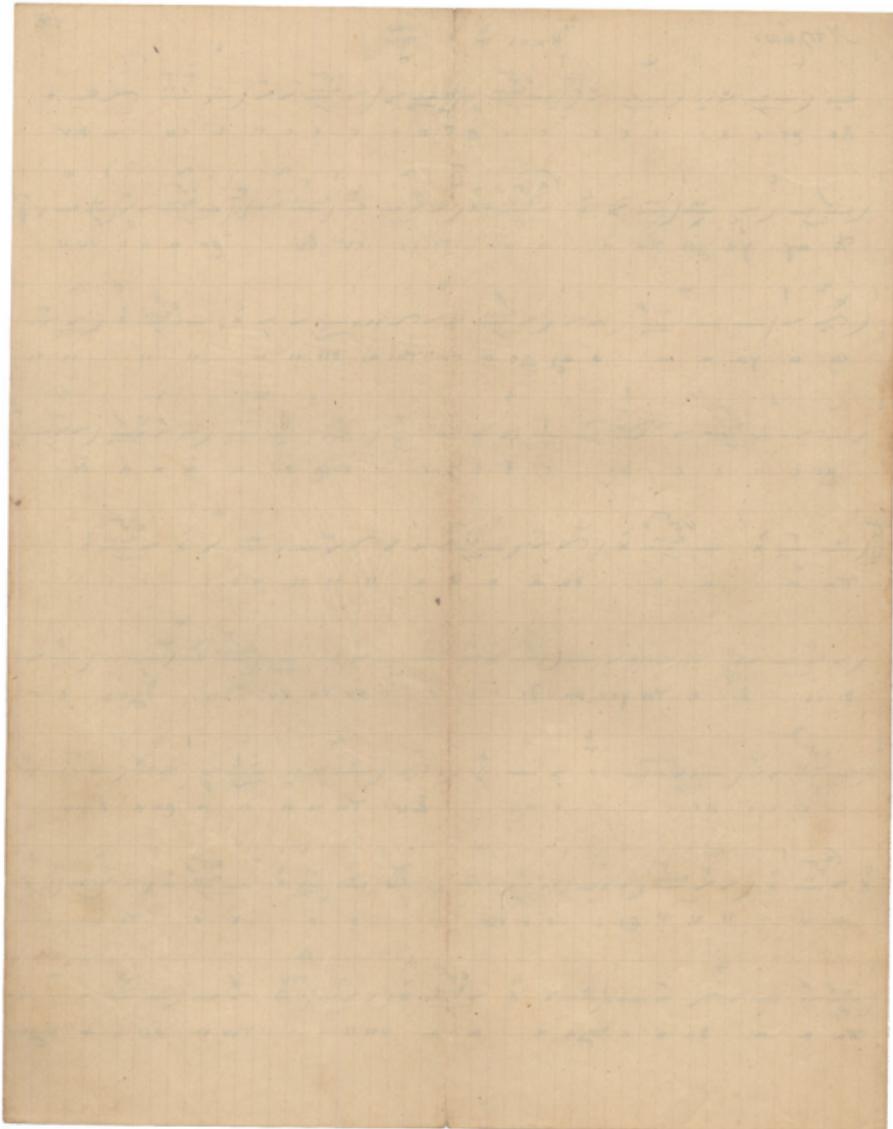
$\frac{1}{x} \cdot \frac{1}{x+1} \cdot \frac{1}{x+2} \cdots \frac{1}{x+n}$

$\frac{1}{\sqrt{1-x^2}} = \sum_{n=0}^{\infty} (-1)^n \frac{(2n)!}{(n!)^2} x^n$

Secular change in the mean annual runoff

$$\frac{1}{x} \left( \frac{1}{x^2} \right)^{-1} = x^2$$

$\frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ 1 \\ -1 \\ 1 \end{array} \right) + \frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ -1 \\ 1 \\ 1 \end{array} \right) + \frac{1}{\sqrt{2}} \left( \begin{array}{c} 1 \\ 1 \\ 1 \\ -1 \end{array} \right) + \frac{1}{\sqrt{2}} \left( \begin{array}{c} -1 \\ 1 \\ 1 \\ 1 \end{array} \right)$

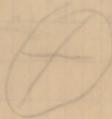
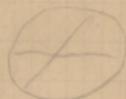


Woo Ning's at Kauai side

Την Κυριακήν μετά την χ. Μεντίνα

Εις τὸν Στίχον

Καὶ νῦν  
ἀνέγραψαν



Ν.Α.Κ.

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Τῆς Κυρίου μεταποίησις  
Χρ. Γεωργίου

Εἰς τοὺς Ἀγρούς Δόξα

the 2nd day of May 1877  
I am now at  
the Hotel Central - 3

Την Κυριακή μετά την Χριστού Γέννησην

Εἰς τούς Αἴγαους δοίας ἵκες πᾶν οὐδὲν

$$\frac{1}{U_0} = \frac{1}{\rho_0} + \frac{1}{U_0} \Rightarrow \frac{1}{U_0} = \frac{1}{\rho_0} - \frac{1}{\rho_1} = \frac{\rho_1 - \rho_0}{\rho_0 \rho_1} \Rightarrow U_0 = \frac{\rho_0 \rho_1}{\rho_1 - \rho_0}$$

1.  $\frac{1}{\sqrt{2}} \hat{c}_1 + \frac{1}{\sqrt{2}} \hat{c}_2$   
2.  $\frac{1}{\sqrt{2}} \hat{c}_1 - \frac{1}{\sqrt{2}} \hat{c}_2$   
3.  $\frac{1}{\sqrt{3}} \hat{c}_1 + \frac{1}{\sqrt{3}} \hat{c}_2 + \frac{1}{\sqrt{3}} \hat{c}_3$   
4.  $\frac{1}{\sqrt{3}} \hat{c}_1 - \frac{1}{\sqrt{3}} \hat{c}_2 + \frac{1}{\sqrt{3}} \hat{c}_3$   
5.  $\frac{1}{\sqrt{3}} \hat{c}_1 + \frac{-i}{\sqrt{3}} \hat{c}_2 + \frac{1}{\sqrt{3}} \hat{c}_3$   
6.  $\frac{1}{\sqrt{3}} \hat{c}_1 + \frac{i}{\sqrt{3}} \hat{c}_2 + \frac{1}{\sqrt{3}} \hat{c}_3$

$\frac{m}{\sqrt{c}} \rightarrow \frac{4}{x} \left( \frac{\sigma}{x} \right)^{\frac{m}{4}} \rightarrow \frac{4^m}{x^m} \rightarrow 5^m \rightarrow \dots \rightarrow n^m \rightarrow \frac{N}{x^m} \rightarrow \dots \rightarrow N$   
 Alai alai al al maa aaaa uyu mnu up uyu a tulu

pa aaaa aa TGG pa aaaa Td fm n mns

$\frac{1}{x} \frac{1}{x^2} \frac{1}{x^3} \frac{1}{x^4} \frac{1}{x^5} \frac{1}{x^6} \frac{1}{x^7} \frac{1}{x^8} \frac{1}{x^9} \frac{1}{x^{10}} \frac{1}{x^{11}} \frac{1}{x^{12}} \frac{1}{x^{13}} \frac{1}{x^{14}} \frac{1}{x^{15}} \frac{1}{x^{16}} \frac{1}{x^{17}} \frac{1}{x^{18}} \frac{1}{x^{19}} \frac{1}{x^{20}} \frac{1}{x^{21}} \frac{1}{x^{22}} \frac{1}{x^{23}} \frac{1}{x^{24}} \frac{1}{x^{25}} \frac{1}{x^{26}} \frac{1}{x^{27}} \frac{1}{x^{28}} \frac{1}{x^{29}} \frac{1}{x^{30}} \frac{1}{x^{31}} \frac{1}{x^{32}} \frac{1}{x^{33}} \frac{1}{x^{34}} \frac{1}{x^{35}} \frac{1}{x^{36}} \frac{1}{x^{37}} \frac{1}{x^{38}} \frac{1}{x^{39}} \frac{1}{x^{40}} \frac{1}{x^{41}} \frac{1}{x^{42}} \frac{1}{x^{43}} \frac{1}{x^{44}} \frac{1}{x^{45}} \frac{1}{x^{46}} \frac{1}{x^{47}} \frac{1}{x^{48}} \frac{1}{x^{49}} \frac{1}{x^{50}} \frac{1}{x^{51}} \frac{1}{x^{52}} \frac{1}{x^{53}} \frac{1}{x^{54}} \frac{1}{x^{55}} \frac{1}{x^{56}} \frac{1}{x^{57}} \frac{1}{x^{58}} \frac{1}{x^{59}} \frac{1}{x^{60}} \frac{1}{x^{61}} \frac{1}{x^{62}} \frac{1}{x^{63}} \frac{1}{x^{64}} \frac{1}{x^{65}} \frac{1}{x^{66}} \frac{1}{x^{67}} \frac{1}{x^{68}} \frac{1}{x^{69}} \frac{1}{x^{70}} \frac{1}{x^{71}} \frac{1}{x^{72}} \frac{1}{x^{73}} \frac{1}{x^{74}} \frac{1}{x^{75}} \frac{1}{x^{76}} \frac{1}{x^{77}} \frac{1}{x^{78}} \frac{1}{x^{79}} \frac{1}{x^{80}} \frac{1}{x^{81}} \frac{1}{x^{82}} \frac{1}{x^{83}} \frac{1}{x^{84}} \frac{1}{x^{85}} \frac{1}{x^{86}} \frac{1}{x^{87}} \frac{1}{x^{88}} \frac{1}{x^{89}} \frac{1}{x^{90}} \frac{1}{x^{91}} \frac{1}{x^{92}} \frac{1}{x^{93}} \frac{1}{x^{94}} \frac{1}{x^{95}} \frac{1}{x^{96}} \frac{1}{x^{97}} \frac{1}{x^{98}} \frac{1}{x^{99}} \frac{1}{x^{100}}$

Yaaaa mmmmmv ca a a a laaaaa a-acap uwwwwuw



1.  $\frac{1}{\sqrt{1-x^2}}$   $\frac{d}{dx}$   $\arcsin x$

$$\frac{d^2y}{dx^2} = \frac{1}{x^2} \left( \frac{dy}{dx} \right)^2 + \frac{2}{x} \frac{dy}{dx} - \frac{1}{x^2}$$

$\frac{1}{c} \ln x \theta = \ln \ln x$

$$\frac{1}{\sqrt{1-\frac{v^2}{c^2}}}$$

$$\frac{d}{dx} \left( \frac{1}{x^2} \right) = -\frac{2}{x^3}$$



4

$\begin{array}{c} \text{f} \\ \text{f} \\ \text{f} \end{array}$   $\begin{array}{c} \text{v} \\ \text{v} \\ \text{v} \end{array}$   $\rightarrow$   $\begin{array}{c} \text{v} \\ \text{v} \\ \text{v} \end{array}$   $\begin{array}{c} \text{v} \\ \text{v} \\ \text{v} \end{array}$   $\begin{array}{c} \text{v} \\ \text{v} \\ \text{v} \end{array}$   $\rightarrow$   $\begin{array}{c} \text{v} \\ \text{v} \\ \text{v} \end{array}$

oo oo muuuu gnnnn pillow or this one

$\begin{array}{c} \text{v} \\ \text{v} \\ \text{v} \end{array}$   $\rightarrow$   $\begin{array}{c} \text{v} \\ \text{v} \\ \text{v} \end{array}$

vav opw w w lnn n nnn see eeee ws

$\begin{array}{c} \text{v} \\ \text{v} \\ \text{v} \end{array}$   $\rightarrow$   $\begin{array}{c} \text{v} \\ \text{v} \\ \text{v} \end{array}$

Ku u uu pcc c e dooooo ooooo exx x Kupr

$\begin{array}{c} \text{v} \\ \text{v} \\ \text{v} \end{array}$   $\rightarrow$   $\begin{array}{c} \text{v} \\ \text{v} \\ \text{v} \end{array}$   $\rightarrow$   $\begin{array}{c} \text{v} \\ \text{v} \\ \text{v} \end{array}$   $\rightarrow$   $\begin{array}{c} \text{v} \\ \text{v} \\ \text{v} \end{array}$

do o exx ooi ooi ooi

Ανδριώτη Α. Καμαρίνας

14 Ιουλίου 1961

Καύσσας Τ. Βλάχοπουλος



$Nm \in \omega$

In Kupauñ uetai inr Xpelov Firneor. Eis iois Airovs Deę  
Xeos n̄ <sup>a</sup> <sub>or</sub> n̄<sup>ii</sup>

—  $\frac{d}{dy}$   $\frac{d}{dx}$   $\frac{d}{dt}$   $\frac{d}{du}$   $\frac{d}{dv}$   $\frac{d}{dw}$   $\frac{d}{dz}$   $\frac{d}{dt}$   $\frac{d}{du}$   $\frac{d}{dv}$   $\frac{d}{dw}$   $\frac{d}{dz}$

$$\frac{F}{\mu a^2} = \frac{1}{\mu a^2} \left( \frac{1}{\sqrt{\mu_1}} + \frac{1}{\sqrt{\mu_2}} + \dots + \frac{1}{\sqrt{\mu_n}} \right)$$

aaaaaaa a a na πνύς ρ ρ ρ ρ ρ ρ ρ

$$\Delta = \frac{1}{\sqrt{1 - \frac{\epsilon^2}{4}}}, \quad \alpha = \frac{1}{\sqrt{1 - \frac{\epsilon^2}{4}}}, \quad \beta = \frac{1}{\sqrt{1 - \frac{\epsilon^2}{4}}}, \quad \gamma = \frac{1}{\sqrt{1 - \frac{\epsilon^2}{4}}}.$$

$\sum a_i x^i = \sum a_i x^i - \sum a_i x^i + \sum a_i x^i$

ન્યાયાની વિશે જો કોઈ વિષયું હોય તો તું આપણી વિશે

જીને કરી રહ્યું

એ પ્રાણી વિશે જો કોઈ વિષયું હોય તો તું આપણી વિશે

જીને કરી રહ્યું

એ પ્રાણી વિશે જો કોઈ વિષયું હોય તો તું આપણી વિશે

જીને કરી રહ્યું

એ પ્રાણી વિશે જો કોઈ વિષયું હોય તો તું આપણી વિશે

જીને કરી રહ્યું

A

જીને કરી રહ્યું

જીને કરી રહ્યું

$$\frac{d}{dt} \left( \frac{\partial}{\partial t} \right) = \frac{d^2}{dt^2} \quad \text{and} \quad \frac{d}{dt} \left( \frac{\partial}{\partial x_i} \right) = \frac{\partial}{\partial x_i} + \sum_{j=1}^n \frac{\partial}{\partial x_j} \frac{\partial}{\partial x_i}$$

Invde o o Tn n Ta at mu - - - - da a aaaa a

$$\frac{x^2}{e^2} - \frac{1}{\mu^2} + x^2 = \frac{1}{\mu^2} - \frac{1}{\mu^2} - \frac{1}{\mu^2} + \frac{1}{\mu^2} = 0$$

$$\frac{1}{e^{-\pi \zeta_j}} = \frac{1}{\theta_0(0)} + \frac{\pi}{T^q} + \frac{1}{\eta} + \frac{1}{\eta^2} + \frac{1}{\eta^3} + \frac{\pi^4}{T^q \theta_a(a) \alpha_p}$$

$$\frac{d}{dt} \int_{\Omega} u^2 = -2 \int_{\Omega} u_x v_x + 2 \int_{\Omega} u_x v_x = 0$$



Movorun  
N. A. Kauapadov

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απόδοσης η Α.

Αντίθετα  
απότομη

Απόσταση  
της Κανειάς

Άριγγαφή  
Ν. Ι. Βραχωσούου  
τη 20 Δεκεμβρίου 1920

Την Κυριακήν μεταξύ<sup>της</sup>  
των Χρονού Πέμπτης  
Εις τον Αίρον Δοζά

Υπό<sup>της</sup>  
Ν. Α. Καμαράδου

Αρτεμηπάνη

N. T. B.

αληθινότερη,  
αποδεικνύεται η θεοτοκία.  
Επι την απόφασιν της Εκκλησίας

Τῇ Κυριακῇ μετὰ τὸν Χ.Γ. εἰστὶς Αἴρους Δόξα  
Ἡρος πᾶς καὶ οὐδὲν

δ a a a a a a a u a π π σ σ σ x σ σ σ σ



28  
a a ap uuuwwww w w w w in niv Ga ap uuu w GIV

$$\begin{aligned} & \text{if } x_1 \in \mathbb{R}^n \\ & \text{if } x_2 \in \mathbb{R}^m \\ & \text{if } x_3 \in \mathbb{R}^{n+m} \\ & \text{if } x_4 \in \mathbb{R}^{n+m} \\ & \text{if } x_5 \in \mathbb{R}^{n+m} \\ & \text{if } x_6 \in \mathbb{R}^{n+m} \\ & \text{if } x_7 \in \mathbb{R}^{n+m} \\ & \text{if } x_8 \in \mathbb{R}^{n+m} \\ & \text{if } x_9 \in \mathbb{R}^{n+m} \\ & \text{if } x_{10} \in \mathbb{R}^{n+m} \end{aligned}$$

$\int \frac{dx}{\sqrt{a^2 - x^2}} = \int \frac{du}{\sqrt{a^2 - u^2}}$

1.  $\int \frac{dx}{x^2 + 1} = \int \frac{dx}{(x+1)^2 + 1}$

$$\frac{1}{\alpha} = \frac{\pi^2 \sin(\pi x)}{1 - e^{-\pi x}} \quad \text{for } x > 0$$

$\pi$   $\frac{d}{dx} \ln x = \frac{1}{x}$   $\int \frac{1}{x} dx = \ln x + C$

$$\theta \left( \int_0^t \int_0^s \int_0^r \right) = \theta \left( \int_0^t \int_0^s \int_0^r \right)$$

$$\begin{array}{ccccccccc} \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} \end{array}$$



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Μουσική

Νικέως Α. Καμαράδου

26/12/31

Kabaya

Тр. Кирсанів мечеть  
Х. Г.

N.T.B.

1931

Кирсанів мечеть  
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