

Την Ι.Ε.' Αύγουστου

Τοιόμενα εν τῷ χωπεριῳ
λίκηρι προσομοια
Λυκήν -τι Κοιμήσω τὴν ὑπεροχήν
δεοντικήν τῆς Θεοτόκου την ειναι φέρει
Μαρία

Ἔχος δέ πα τοῦ συντελεστοῦ τοῦ πατρὸς τοῦ θεοῦ
ωτός παραδόξου θανάτου μαζί τοιην γῆν οὐκ

την ζωωντικήν εἶναι μνημεῖον ων τούτην δέ τοιαν μαζί

την προσοντικήν μαζί προσοντικήν νοοῦντα γοργὸν γένεται τοιαν

εγραιάντα γένεται μαζί την θεοτοκίαν αφετούσαντα γοργόν

νοοῦντα γένεται μαζί νοοῦντα γοργόν τοιαν μαζί τοιαν

αφετούσαντα γένεται μαζί νοοῦντα γοργόν τοιαν μαζί τοιαν

μεχαριτωνικήν μαζί τοιαν μαζί τοιαν μαζί τοιαν

νοοῦντα γένεται μαζί τοιαν μαζί τοιαν μαζί τοιαν

διασυντομεύοντα γένεται μαζί τοιαν μαζί τοιαν

discovered

1. $\frac{1}{\sqrt{2}} \left(\frac{1}{\sqrt{2}} \right) \left(\frac{1}{\sqrt{2}} \right) \left(\frac{1}{\sqrt{2}} \right) \left(\frac{1}{\sqrt{2}} \right) \left(\frac{1}{\sqrt{2}} \right)$
2. $\frac{1}{\sqrt{2}} \left(\frac{1}{\sqrt{2}} \right) \left(\frac{1}{\sqrt{2}} \right) \left(\frac{1}{\sqrt{2}} \right) \left(\frac{1}{\sqrt{2}} \right) \left(\frac{1}{\sqrt{2}} \right)$
3. $\frac{1}{\sqrt{2}} \left(\frac{1}{\sqrt{2}} \right) \left(\frac{1}{\sqrt{2}} \right) \left(\frac{1}{\sqrt{2}} \right) \left(\frac{1}{\sqrt{2}} \right) \left(\frac{1}{\sqrt{2}} \right)$
4. $\frac{1}{\sqrt{2}} \left(\frac{1}{\sqrt{2}} \right) \left(\frac{1}{\sqrt{2}} \right) \left(\frac{1}{\sqrt{2}} \right) \left(\frac{1}{\sqrt{2}} \right) \left(\frac{1}{\sqrt{2}} \right)$

... $\frac{1}{\sqrt{c}} \left(\sqrt{c} - \frac{1}{\sqrt{c}} \right) = \frac{1}{\sqrt{c}} \cdot \sqrt{c} = \frac{\sqrt{c}}{\sqrt{c}} = 1$ $\sqrt{c} \cdot \frac{1}{\sqrt{c}} = \sqrt{c} \cdot \frac{1}{\sqrt{c}} = 1$

δοξα εσσειν πρειτημνθει ο ο γεγγειε σιν ειραα αμπιτσα

σαα χαα πιι λ γιι λ παρθε ε νοι ευρημη τριιι λ λ του βα

SL L X E E W P R O S U U V V P O S E P A A P D M N T E E U E X A P L T W

$\frac{1}{\mu \in V \cap \{x_0\} \cup \{x_1\}} = \frac{1}{\mu \in T \cap \{x_0\} \cup \{x_1\}}$

παρεκχωτικός είναι ο μηδενικός συντομογράφος της αριθμητικής.

$$\frac{\partial \tilde{f}_i}{\partial x} = \frac{\partial f_i}{\partial x} + \frac{\partial f_i}{\partial \theta} \cdot \frac{\partial \theta}{\partial x}$$

atapalt

— *תְּנִזֵּן אֲמָדָה בְּשֶׁבַע* *לְפָנֵי כָּל־עַמִּים* *וְאַתָּה* *בְּפָנֵי* *כָּל־עַמִּים*

Առաջին աշխարհամարտը կազմակերպվել է 1914 թվականի սեպտեմբերի 2-ին:

χον ταύτη μεταγένεσις πλήθεις αστροφόρων ουρών

guitar player violin piano guitar strings etc. bass and guitar

μνο πι λ ο αγ ο παρεκχωντω νο ε

1. $\frac{dy}{dx} = \frac{y^2 - x^2}{x^2 + y^2}$
2. $\frac{dy}{dx} = \frac{y^2 - x^2}{x^2 + y^2}$

Στιχηρά προσόμοια της Θεοτόκου
ΙΕ. Αγίου ειρ.

Αντερράχη

B.N.K.

Την ΙΕ. Αγάπου Στεκηρή προσόμοια εντύπωσε περινό

ΤΗΧΟΣ ṣ πα

У та парах $\delta\theta = \infty$ $\theta d\theta$ має якісні вимірювання

Zwischen den beiden Punkten A und B liegt der Punkt C.

1. $\frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$ $\frac{1}{4} \times \frac{1}{2} = \frac{1}{8}$ $\frac{1}{8} \times \frac{1}{2} = \frac{1}{16}$ $\frac{1}{16} \times \frac{1}{2} = \frac{1}{32}$ $\frac{1}{32} \times \frac{1}{2} = \frac{1}{64}$

1. $\frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$ $\frac{1}{4} \times \frac{1}{2} = \frac{1}{8}$ $\frac{1}{8} \times \frac{1}{2} = \frac{1}{16}$ $\frac{1}{16} \times \frac{1}{2} = \frac{1}{32}$ $\frac{1}{32} \times \frac{1}{2} = \frac{1}{64}$

• Space vector field within the domain

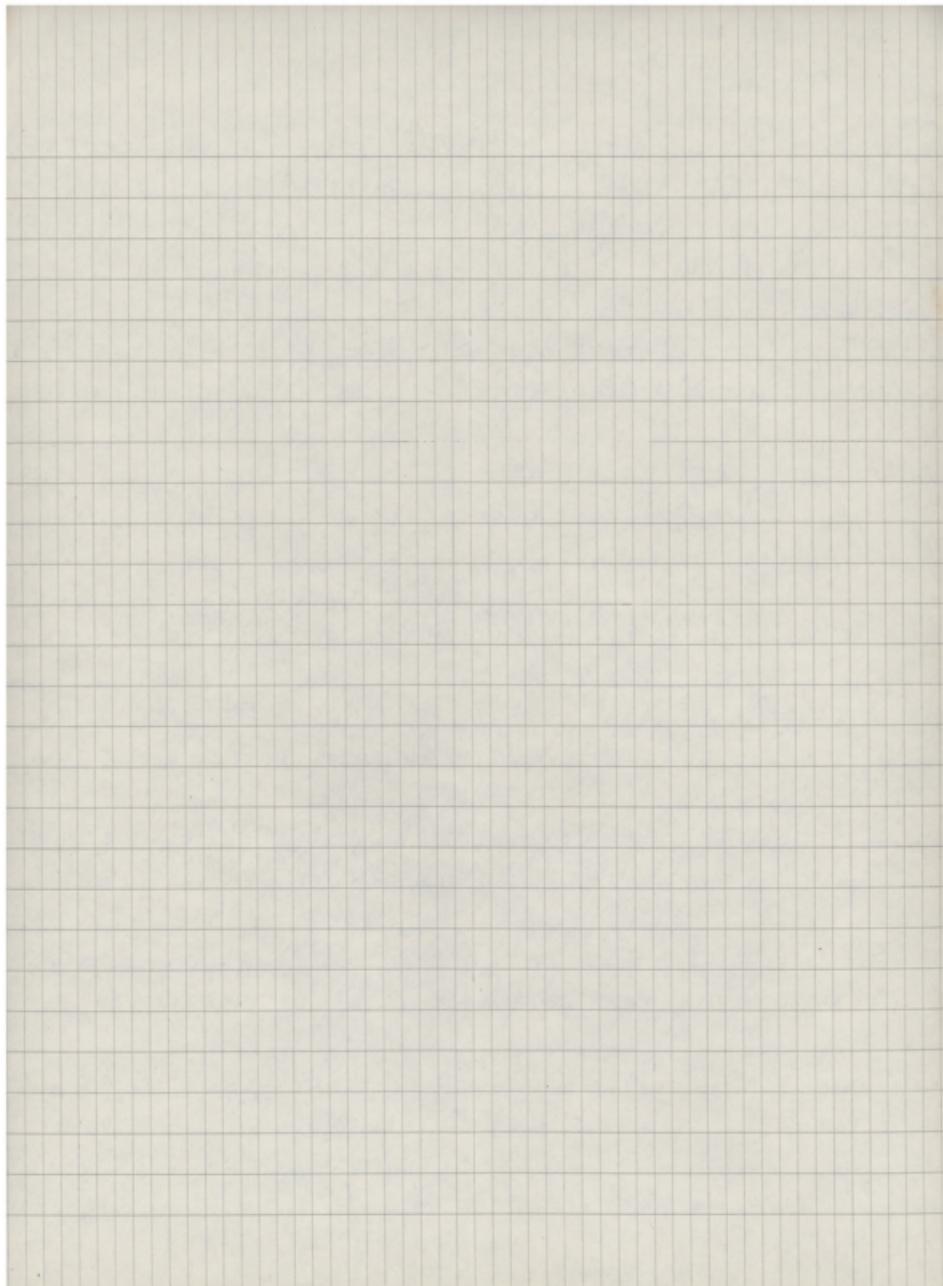
... $\frac{1}{2}$ \rightarrow $\frac{1}{2}$
you can see what was going on now because all factors

$\frac{1}{2} \rightarrow -\frac{1}{2} e^{i\pi/2}$ $\rightarrow \frac{1}{2} e^{-i\pi/2}$ $\rightarrow -\frac{1}{2} e^{-i\pi/2}$ $\rightarrow \frac{1}{2} e^{i\pi/2}$ $\rightarrow -\frac{1}{2} e^{i\pi/2}$ $\rightarrow \frac{1}{2} e^{-i\pi/2}$

Ke xupi tw ke evn n xal'ala aladi pe e e e ke ta gosso oo

$$\frac{d}{dt} \left(\frac{\partial \mathcal{L}}{\partial \dot{x}_i} \right) = \frac{\partial \mathcal{L}}{\partial x_i} - \sum_j \frac{\partial^2 \mathcal{L}}{\partial x_i \partial x_j} \dot{x}_j$$

Did you come back to us? I am so



$\frac{1}{a} = \frac{1}{b} + \frac{1}{c} + \frac{1}{d} + \frac{1}{e}$

Bal Bal al al al al TWK GWR MU 37 p11 WR ad yvn

$\tilde{v} = -\frac{1}{2}\tilde{\psi}_1 + \frac{1}{2}\tilde{\psi}_2$, $\tilde{u} = \frac{1}{2}\tilde{\psi}_1 + \frac{1}{2}\tilde{\psi}_2$, $\tilde{w} = \frac{1}{2}\tilde{\psi}_1 - \frac{1}{2}\tilde{\psi}_2$, $\tilde{x} = \frac{1}{2}\tilde{\psi}_1 + i\frac{1}{2}\tilde{\psi}_2$, $\tilde{y} = \frac{1}{2}\tilde{\psi}_1 - i\frac{1}{2}\tilde{\psi}_2$, $\tilde{z} = \frac{1}{2}\tilde{\psi}_1 + \frac{i}{2}\tilde{\psi}_2$, $\tilde{t} = \frac{1}{2}\tilde{\psi}_1 - \frac{i}{2}\tilde{\psi}_2$

Δε ε σπουδαία καλλιγραφία θεωρείται ότι πρέπει να φέρει την αρχή της γραμμής στην μέση της.

Знайдіть обсяг рівного куба, який може бути притиснутий до

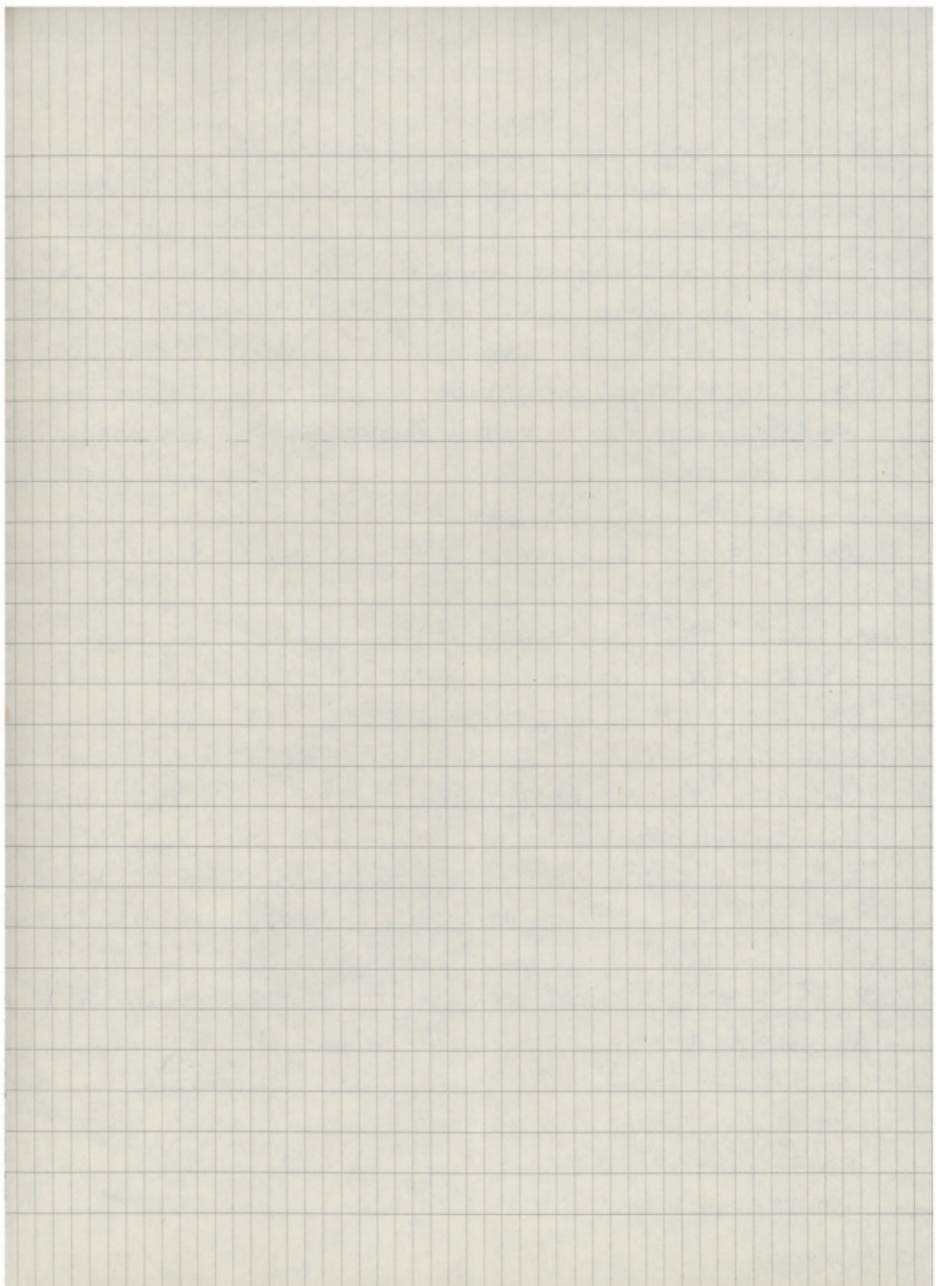
$\frac{1}{\sqrt{2}} \rightarrow -\frac{1}{\sqrt{2}} e^{i\pi/4} \rightarrow -\frac{1}{\sqrt{2}} + i\frac{1}{\sqrt{2}} \rightarrow -\frac{1}{\sqrt{2}} e^{i3\pi/4}$

Map $\theta \in$ VOL GUTN MNTPLI LITR Bx or LACT USIPZ

$\frac{1}{\infty} - \frac{1}{v} - \frac{1}{v^2} = \frac{1}{v} \rightarrow \frac{1}{v} \rightarrow \frac{1}{v} \rightarrow \frac{1}{v} - \frac{1}{v} + \frac{1}{v} = 0$

$\frac{d}{dt} \int_{\Omega} u^2 dx = -2 \int_{\Omega} u_t u dx$

me xaa e e e e ~ ee e os



q $\frac{1}{44}$ $\frac{1}{45}$ $\frac{1}{46}$ $\frac{1}{47}$ $\frac{1}{48}$ $\frac{1}{49}$ $\frac{1}{50}$ $\frac{1}{51}$ $\frac{1}{52}$ $\frac{1}{53}$ $\frac{1}{54}$ $\frac{1}{55}$ $\frac{1}{56}$ $\frac{1}{57}$ $\frac{1}{58}$ $\frac{1}{59}$ $\frac{1}{60}$ $\frac{1}{61}$

Tir oñk ðo ñex zë ol Koi pñn ol iv G ñex ol i xl

$\frac{1}{62}$ $\frac{1}{63}$ $\frac{1}{64}$ $\frac{1}{65}$ $\frac{1}{66}$ $\frac{1}{67}$ $\frac{1}{68}$ $\frac{1}{69}$ $\frac{1}{70}$ $\frac{1}{71}$ $\frac{1}{72}$ $\frac{1}{73}$ $\frac{1}{74}$ $\frac{1}{75}$ $\frac{1}{76}$ $\frac{1}{77}$ $\frac{1}{78}$ $\frac{1}{79}$ $\frac{1}{80}$

ðpo o vol Alp xai alai alai Kuu pñl oo oo mn n tccs ñu vñpñ

$\frac{1}{81}$ $\frac{1}{82}$ $\frac{1}{83}$ $\frac{1}{84}$ $\frac{1}{85}$ $\frac{1}{86}$ $\frac{1}{87}$ $\frac{1}{88}$ $\frac{1}{89}$ $\frac{1}{90}$ $\frac{1}{91}$ $\frac{1}{92}$ $\frac{1}{93}$ $\frac{1}{94}$ $\frac{1}{95}$ $\frac{1}{96}$ $\frac{1}{97}$ $\frac{1}{98}$ $\frac{1}{99}$ $\frac{1}{100}$

ñu alai ñe pñx bñny tñ ñpñ ñtua a ñet ñx ñcñpñ x ja xl

$\frac{1}{101}$ $\frac{1}{102}$ $\frac{1}{103}$ $\frac{1}{104}$ $\frac{1}{105}$ $\frac{1}{106}$ $\frac{1}{107}$ $\frac{1}{108}$ $\frac{1}{109}$ $\frac{1}{110}$ $\frac{1}{111}$ $\frac{1}{112}$ $\frac{1}{113}$ $\frac{1}{114}$ $\frac{1}{115}$ $\frac{1}{116}$ $\frac{1}{117}$ $\frac{1}{118}$ $\frac{1}{119}$ $\frac{1}{120}$

ñor tñ alay jee vñi e mi tn ñcñpñ x gñ s ño o oo ñnn

$\frac{1}{121}$ $\frac{1}{122}$ $\frac{1}{123}$ $\frac{1}{124}$ $\frac{1}{125}$ $\frac{1}{126}$ $\frac{1}{127}$ $\frac{1}{128}$ $\frac{1}{129}$ $\frac{1}{130}$ $\frac{1}{131}$ $\frac{1}{132}$ $\frac{1}{133}$ $\frac{1}{134}$ $\frac{1}{135}$ $\frac{1}{136}$ $\frac{1}{137}$ $\frac{1}{138}$ $\frac{1}{139}$ $\frac{1}{140}$

uoo oñpñ xñcñpñ vol ol ipo oñññ l tñ ipo oñññ l Ba ol l ñcñpñ gñv

$\frac{1}{141}$ $\frac{1}{142}$ $\frac{1}{143}$ $\frac{1}{144}$ $\frac{1}{145}$ $\frac{1}{146}$ $\frac{1}{147}$ $\frac{1}{148}$ $\frac{1}{149}$ $\frac{1}{150}$ $\frac{1}{151}$ $\frac{1}{152}$ $\frac{1}{153}$ $\frac{1}{154}$ $\frac{1}{155}$ $\frac{1}{156}$ $\frac{1}{157}$ $\frac{1}{158}$ $\frac{1}{159}$ $\frac{1}{160}$

Ap xñy jee ñoñ Ay jee e ñe ñoñ ñu ñu ñu ñu ñu ñu ñu ñu

$\frac{1}{161}$ $\frac{1}{162}$ $\frac{1}{163}$ $\frac{1}{164}$ $\frac{1}{165}$ $\frac{1}{166}$ $\frac{1}{167}$ $\frac{1}{168}$ $\frac{1}{169}$ $\frac{1}{170}$ $\frac{1}{171}$ $\frac{1}{172}$ $\frac{1}{173}$ $\frac{1}{174}$ $\frac{1}{175}$ $\frac{1}{176}$ $\frac{1}{177}$ $\frac{1}{178}$ $\frac{1}{179}$ $\frac{1}{180}$

Kex xñpñ wñcñ vñññ xñdñ dñ dñ dñ pñ. ñcñ e e tñ

$\frac{1}{181}$ $\frac{1}{182}$ $\frac{1}{183}$ $\frac{1}{184}$ $\frac{1}{185}$ $\frac{1}{186}$ $\frac{1}{187}$ $\frac{1}{188}$ $\frac{1}{189}$ $\frac{1}{190}$ $\frac{1}{191}$ $\frac{1}{192}$ $\frac{1}{193}$ $\frac{1}{194}$ $\frac{1}{195}$ $\frac{1}{196}$ $\frac{1}{197}$ $\frac{1}{198}$ $\frac{1}{199}$ $\frac{1}{200}$

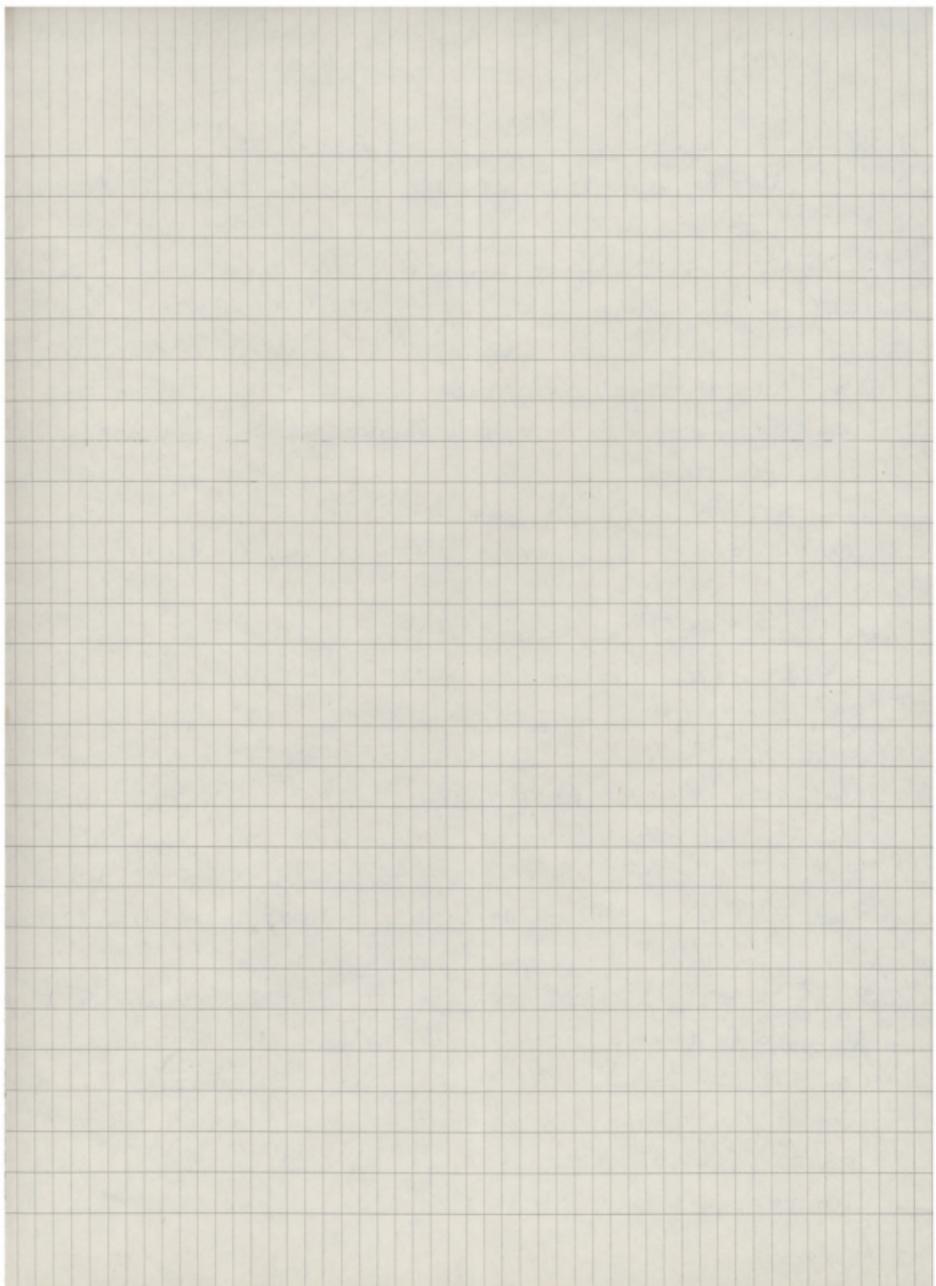
oñpñ o o Kuu pñl o o o ña pñcñ xñwñtñ uoo

$\frac{1}{201}$ $\frac{1}{202}$ $\frac{1}{203}$ $\frac{1}{204}$ $\frac{1}{205}$ $\frac{1}{206}$ $\frac{1}{207}$ $\frac{1}{208}$ $\frac{1}{209}$ $\frac{1}{210}$ $\frac{1}{211}$ $\frac{1}{212}$ $\frac{1}{213}$ $\frac{1}{214}$ $\frac{1}{215}$ $\frac{1}{216}$ $\frac{1}{217}$ $\frac{1}{218}$ $\frac{1}{219}$ $\frac{1}{220}$

o o oñpñ dñ a oñ tñ ñcñpñ g c c e e xñcñ e

Airo lu xñpñ wñcñ Ba ñcñsion
10 Aug 1981

$\frac{1}{221}$
os



Nymphae

TE. Aug 8500

3
1

$\frac{1}{\sqrt{m}} \frac{1}{\sqrt{n}} \frac{1}{\sqrt{m+n}}$ $\frac{1}{\sqrt{m}} \frac{1}{\sqrt{n}}$ $\frac{1}{\sqrt{m+n}}$ $\frac{1}{\sqrt{m}} \frac{1}{\sqrt{n}}$ $\frac{1}{\sqrt{m+n}}$ $\frac{1}{\sqrt{m}} \frac{1}{\sqrt{n}}$ $\frac{1}{\sqrt{m+n}}$ $\frac{1}{\sqrt{m}} \frac{1}{\sqrt{n}}$ $\frac{1}{\sqrt{m+n}}$

ταῦτα μεταπέμψεις προσθέτων ταῦτα

$\frac{4}{\sim} \frac{1}{\sim} \frac{2}{\sim} \frac{1}{\sim} \frac{2}{\sim} \frac{4}{\sim} \frac{1}{\sim} \frac{4}{\sim} \frac{1}{\sim} \frac{1}{\sim} \frac{1}{\sim} \frac{1}{\sim} \frac{1}{\sim} \frac{1}{\sim} \frac{1}{\sim} \frac{1}{\sim}$

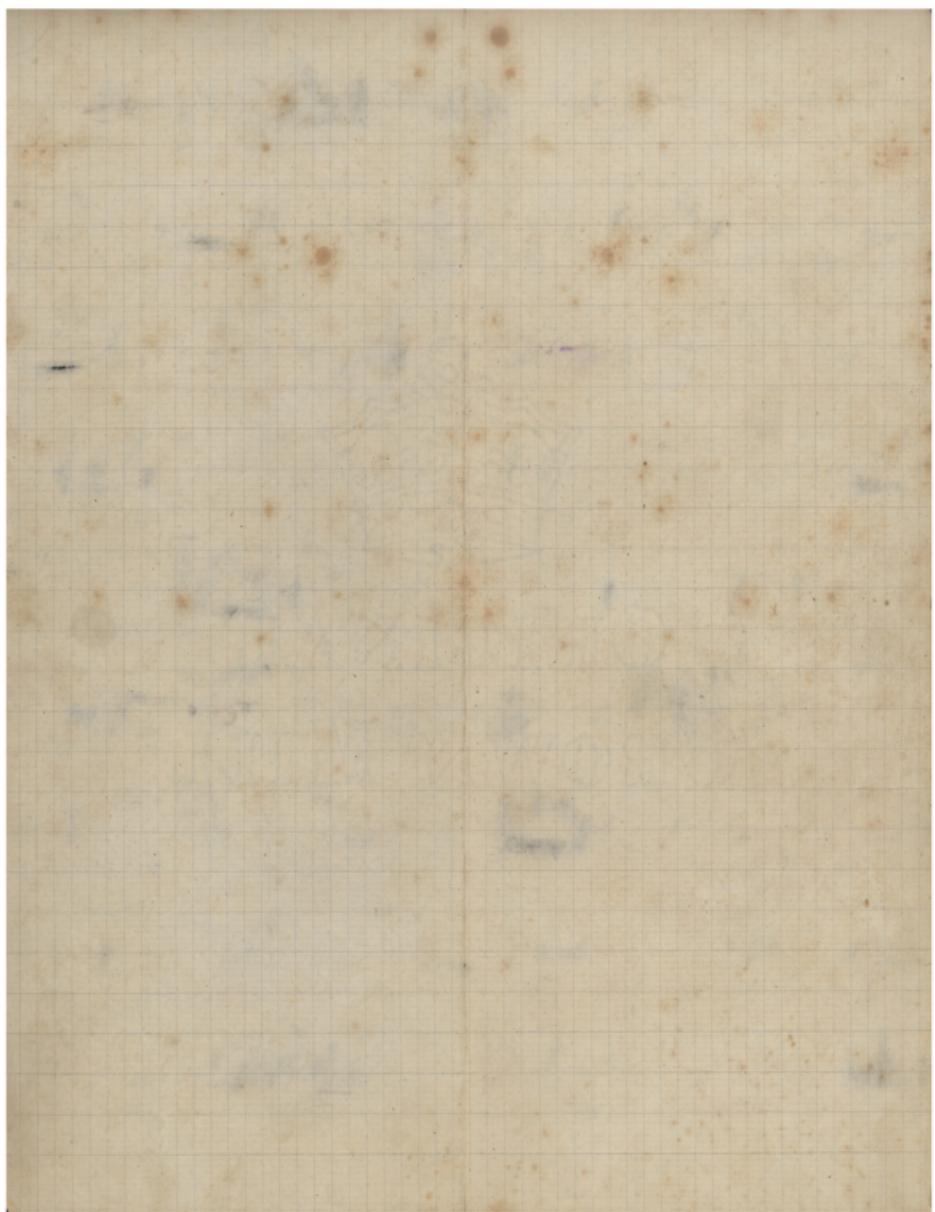
gas $\frac{1}{\sim} \frac{1}{\sim} \text{ve e tao a} \frac{1}{\sim} \text{Eu gpa a} \frac{1}{\sim} \text{v8 fced s1} \frac{1}{\sim} \mu a a v n$

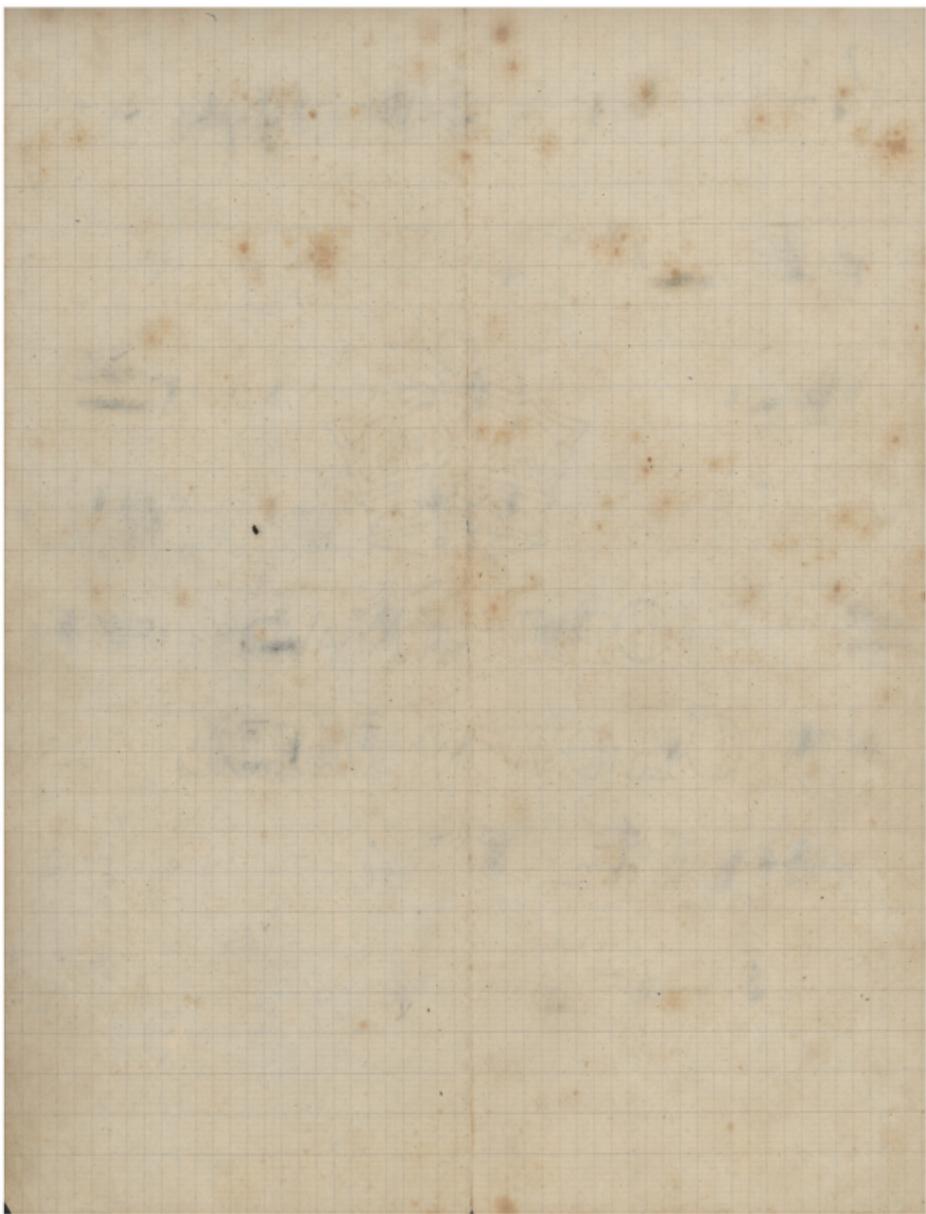
$\begin{array}{r} -154 \\ \times 12 \\ \hline 308 \end{array}$

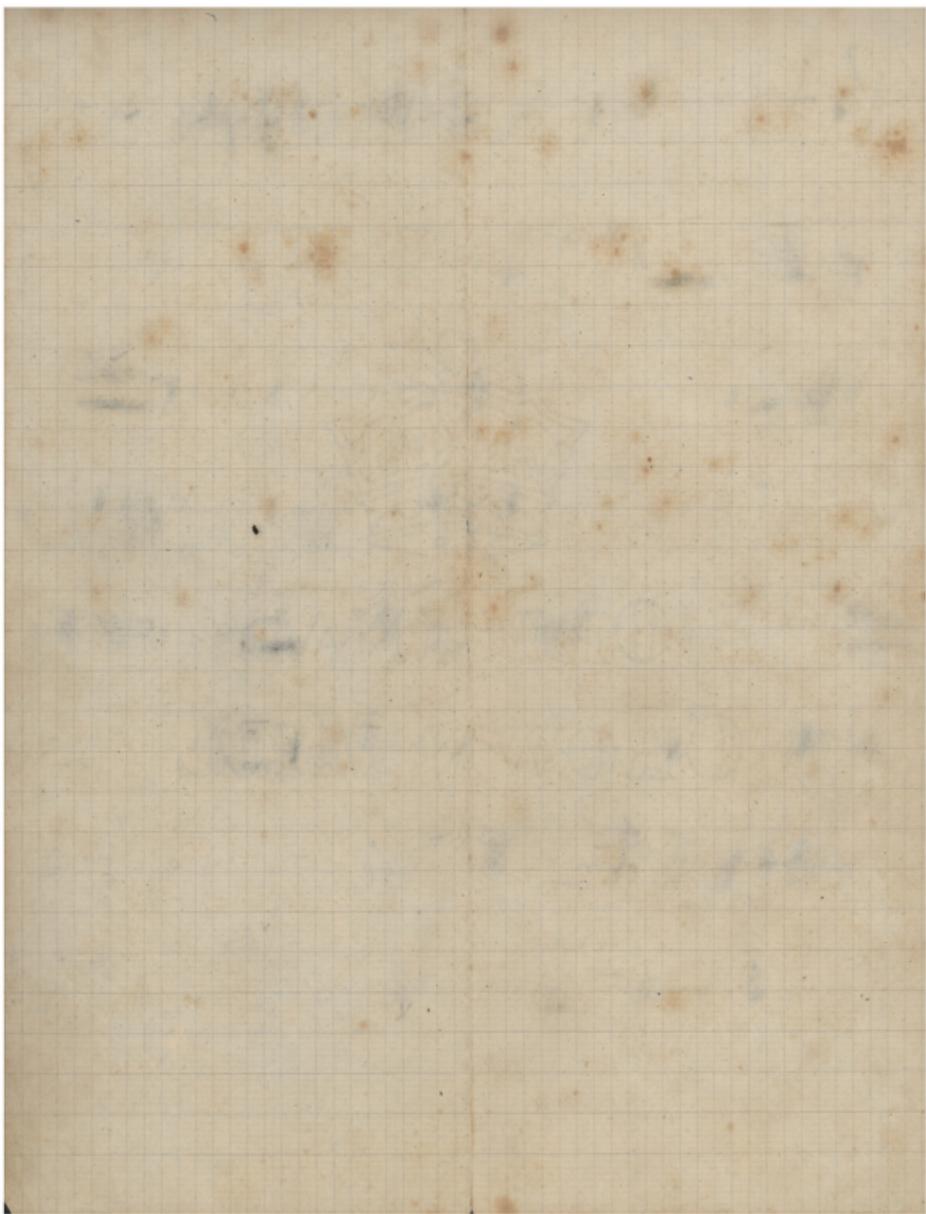
This is 12×308 . To do this we take 12 as a factor and multiply it by each digit of 308.

yo os Bo n new μεγ. οι τι. ι γοι τον Γα α ερι η ηη

10412 1 4
XU U O I 0 05 0 TA DE EXUR TANNUO 000 00







114

Andrews
Kenya

Glycine II o 60 mole
in 250 ml. water 16. Aug.
Wm. J. A. Kenyon 1908

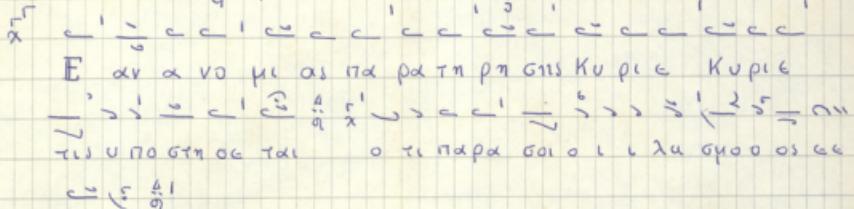
~~Arthropagyn~~



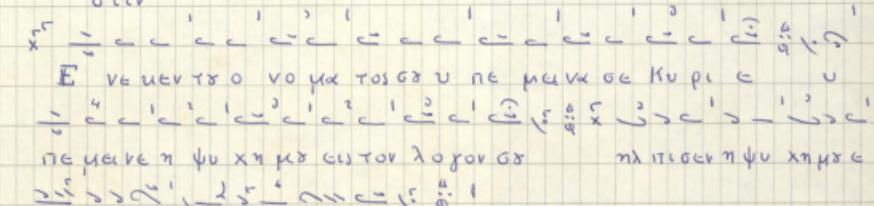
N.A.K.

Στριχοί εν λόγῳ Εσπερινῷ εἰς αἴροντα σύμμετον

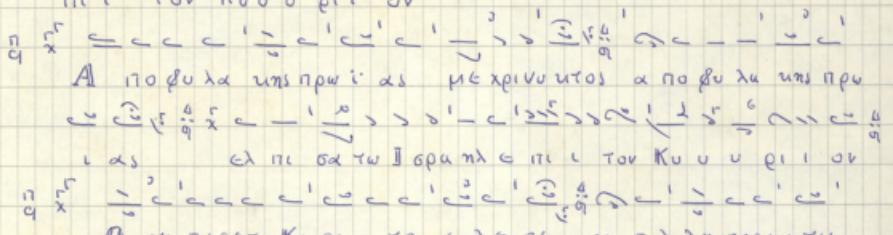
τίτλος ἐγώ ηδ



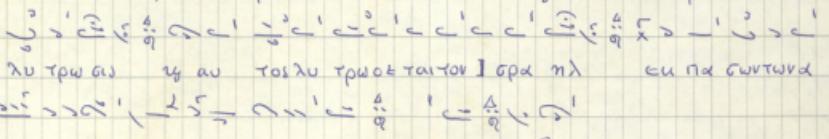
στίχοι



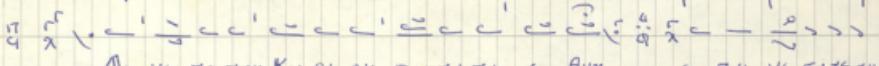
πει τον κυνηγὸν αὐ



Ο γι παρατίκου ρώτος εἰς τον ληπτόν



νο ο μέλον την αριθμό τον βα



Αἱ φέτε τον κυρίον παντάτα εἰς θύμονταν νεογένετον

τον παταρ τεσσαράκοντα την Αγίαν την

2

Ω η ε υπαίτιο της το σχεσιών της φύσης μας και

η αληθινή πράξη μετατόπισης των γεωγραφικών

διαδικασίας
να Την

Νικόλαος Τ. Βλαχόπουλος

11 Διηγέσεων 1981

Την Ι.Ε. Αύγουστου μεταξύ των Κολυμβίων της οπερής
Σεργκούτης της πατέρας Γεωργίου κατά διεπαρθένου Μαρίας

Τοιόμενα εν τῷ Εστερνῷ θίξος ἡ πα -

□ ANSWER: for the first 8 hours the total cost is \$27.50

Στην παραπάνω Εργασία της για την ανάπτυξη

Maar hier moet dan voor de Tadgas niet veel

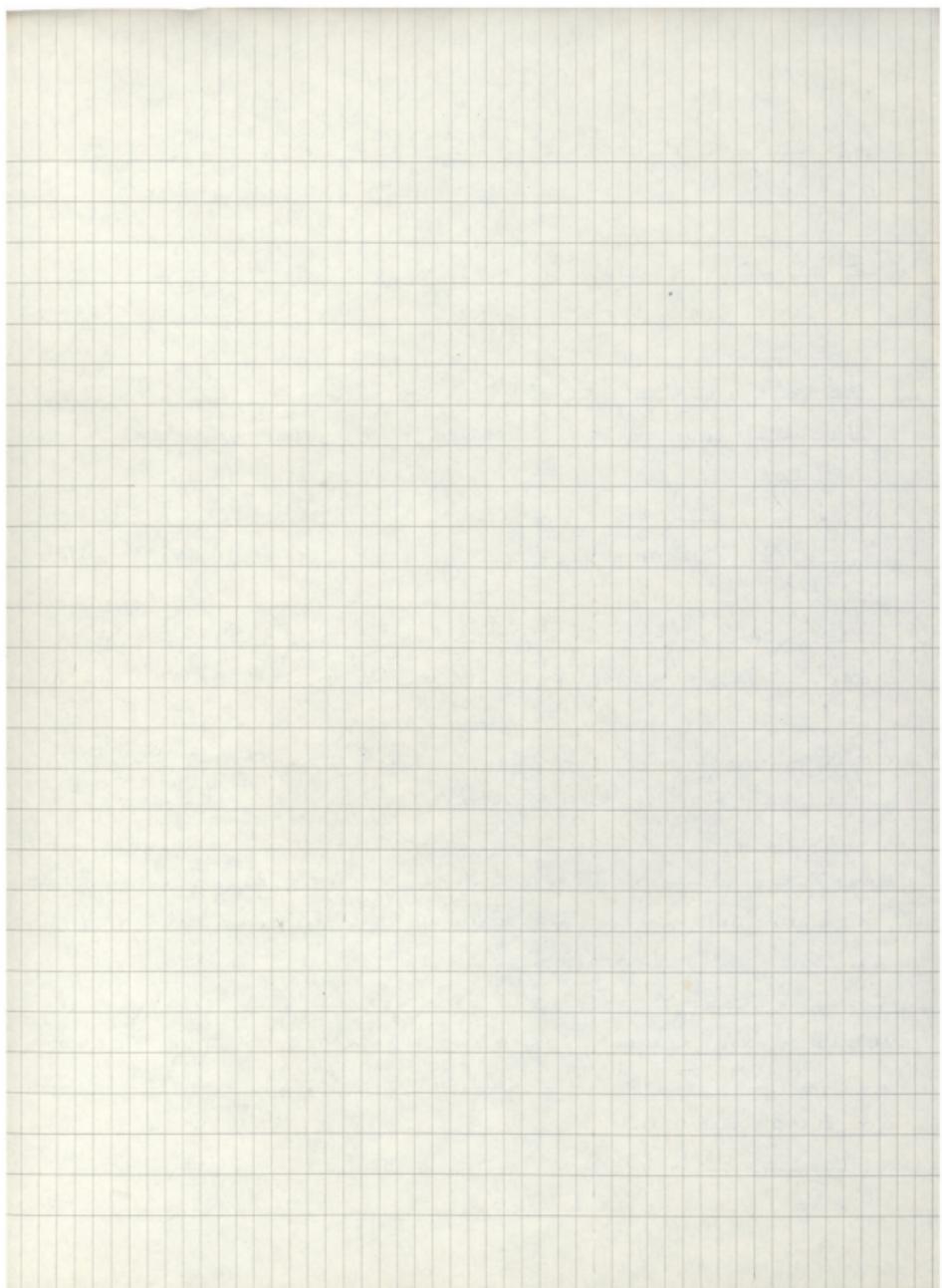
Final Eu parallel vs Tech or main v n ins OEE o

TOO NICE TO ADD THEM ON THE PAGE VIDEOS BOUGHT

NEVER OR NEVER FOR EVER BECAUSE IT IS NOT A VOW OR

do pcc e e ME Td G88 0 0 Kuu p11 0 03 0 Md

$$\frac{1}{\sqrt{2}} \left(\begin{array}{c} 1 \\ 1 \end{array} \right)$$



۱۱

$\frac{1}{r} \rightarrow -\frac{c}{r} c \rightarrow \frac{6}{r} \rightarrow c \left(\frac{r}{6} \right) \rightarrow \frac{1}{r} \left(\frac{r}{6} \right) \rightarrow \frac{1}{6}$

T & U ψ_1 ζ_2 θ_{po} 0.0 v_{01} d d d v_{c} diss. x Bns

Δε ε ε αριθμούν παραπάνω από δέκα χιλιάδες.

met met fms onn met go ov H do o zl ggg eu npe

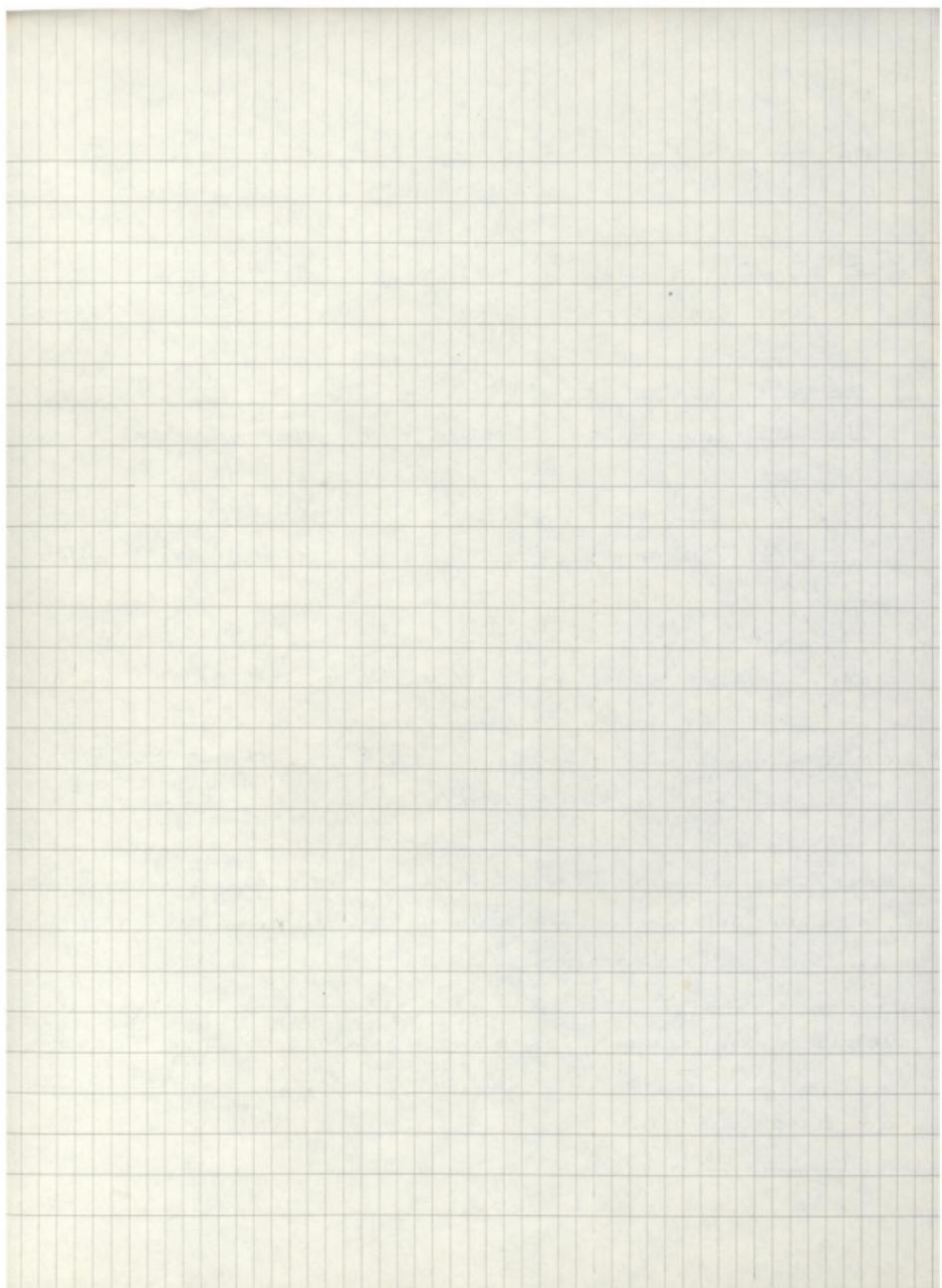
1. $\frac{d}{dx} \sqrt{x}$ \rightarrow $\frac{1}{2\sqrt{x}}$ \rightarrow $\frac{1}{2\sqrt{x}} \cdot \frac{1}{x}$ \rightarrow $\frac{1}{2x\sqrt{x}}$ \rightarrow $\frac{1}{2x^{3/2}}$

Ans: $\frac{1}{2x^{3/2}}$

all Map Be e val our ym Mn Tp II. 1 + 28 Ba oI II

$\lambda x \in \text{wings} u v u \psi os \in \text{naap} \Theta n zee \text{ Kexu plti}$

1961



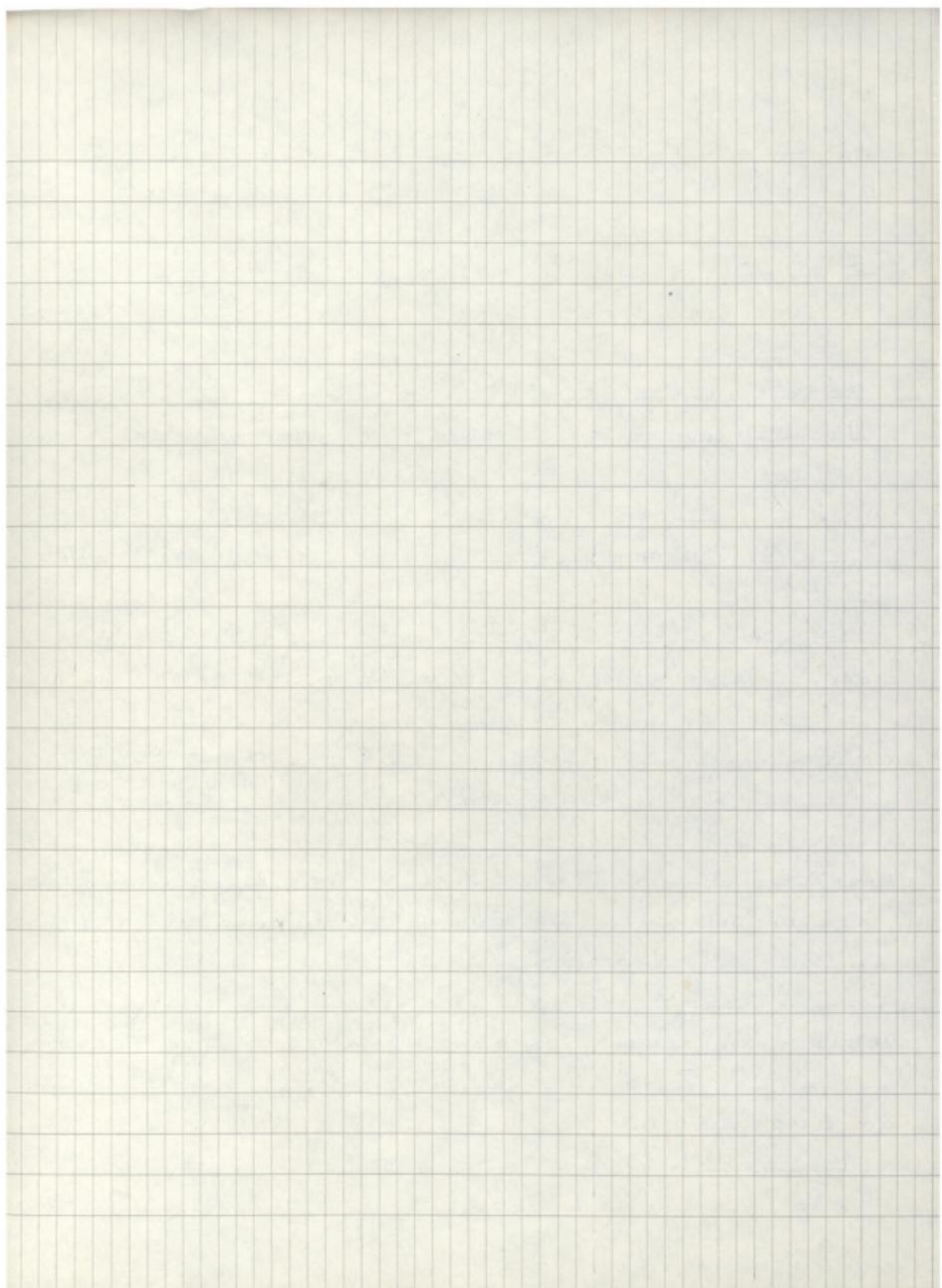
Тиң оңдағы да зерткіліктердің көмекшілігінде
Коғамдық мемлекеттің міндеттілігінде

Егер оның да зерткіліктердің көмекшілігінде
Оңдағы да зерткіліктердің көмекшілігінде

Аудиторияның тәжірибелілігінде
Оңдағы да зерткіліктердің көмекшілігінде

Аудиторияның тәжірибелілігінде
Оңдағы да зерткіліктердің көмекшілігінде

Оңдағы да зерткіліктердің көмекшілігінде
Оңдағы да зерткіліктердің көмекшілігінде



Τρίτη Ι.Ε.Ι. Αγρούζου

Έντα Συνεργιώς Δόξα της ρω



Ηχος $\frac{q}{q}$

Μοριακή Καμαράδου

$\begin{array}{ccccccccc} 3 & 1 & & 6 & & & & & \\ \text{υ} & \text{υ} & - & \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} & \text{η} \end{array}$

Δο φα πα τρι ι μανα μανα νι ω ω μανα μανα α α α γι η ω πνεο

$\begin{array}{ccccccccc} 1 & 3 & 1 & 2 & 1 & & & & \\ \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} \end{array}$

ε ε ε ε ε ε μα α α α α α τι μα νυν μα να ει ει ει μα ε ε τις αι

$\begin{array}{ccccccccc} 1 & 2 & 1 & & & & & & \\ \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} \end{array}$

ω νας των αι ω ω ω νω νω νω α α α α μνι Θερες

$\begin{array}{ccccccccc} 1 & 2 & 1 & & & & & & \\ \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} \end{array}$

α αρ χλλ λ ω νε ε ε ε ε ε ε μα α α α α τι

$\begin{array}{ccccccccc} 1 & 2 & 1 & & & & & & \\ \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} \end{array}$

πα αν το ο ο ο δεν ο δε ο δο ο ο ο ποι α πο ο

$\begin{array}{ccccccccc} 1 & 2 & 1 & & & & & & \\ \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} \end{array}$

α ο ο το ο ο ο ο λι ν πο ν νε ε λων με ται

$\begin{array}{ccccccccc} 1 & 2 & 1 & & & & & & \\ \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} \end{array}$

σι λ ω ω ω σ α πο ο ο ο ο ο με ε ε α α α πο ο

$\begin{array}{ccccccccc} 1 & 2 & 1 & & & & & & \\ \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} & \text{η} & \text{τ} \end{array}$

ο ο με νοι οι οι

DAVIDSON
HAROLD

DAVIDSON
HAROLD

(x o o o o v t o u u a a p a a T w w w w w w w w s e b o o o o o)

uv T₁ a v₃ T₂ e g e e p₁ a₁ a₂ a₃ a₄ a₅ T₂

... n n n TRAV Taa a a a va a a a a ea

$\frac{d}{dt} \int_a^x f(t) dt = f(x)$

1. $\frac{1}{(1-x)^2} = 1 + x + x^2 + \dots$
2. $\frac{1}{(1-x)^3} = 1 + 3x + 6x^2 + 10x^3 + \dots$

$$E = \frac{1}{2} m v^2 = \frac{1}{2} m (\omega r)^2 = \frac{1}{2} m \omega^2 r^2$$

DAVIDSON
HAROLD

وَمِنْهُمْ مَنْ يَرْجُو أَنْ يُنْهَا رَبِيعُ الْأَوَّلِ وَيُنْهَا شَوَّالُ الْأَوَّلِ

1 2 1
 $\rightarrow c \left(\begin{array}{c} \downarrow \\ \rho \end{array} \right) \left(\begin{array}{c} \nearrow \\ \searrow \end{array} \right) \rightarrow c - c - c$
 Δ1 a Ta au Tm n n ns yoyam Trajy

$\frac{d^2}{dt^2} \left(\frac{r}{r_0} \right) = \frac{1}{r_0^2} \left(\frac{d^2 r}{dt^2} \right) = \frac{1}{r_0^2} \left(\frac{d^2 r}{dr} \frac{dr}{dt} \right) = \frac{1}{r_0^2} \left(\frac{d^2 r}{dr} \right) \frac{dr}{dt}$

$\frac{d}{dt} \Phi = \frac{d}{dt} \int_{\Omega} \phi \cdot \nabla u$

$\sum_{n=0}^{\infty} \frac{(-1)^n}{n!} x^n = e^{-x}$

Tan Tm, yao To u u v tree

op baa a a a a ~~an~~ v u π e p e e e e e x n π a a

11. (1) $\frac{1}{e^x}$ (2) $\frac{1}{\sqrt{x}}$ (3) $\frac{1}{x^2}$ (4) $\frac{1}{x^3}$ (5) $\frac{1}{x^4}$

DAVIDSON
HAROLD

DAVIDSON
HAROLD

8 $\frac{p}{r} \leftarrow \left(\begin{array}{c} \text{eis} \\ \text{t} \end{array} \right) \rightarrow \frac{r}{w} \times \left(\begin{array}{c} \text{pa} \\ \text{v} \end{array} \right) \times \left(\begin{array}{c} \text{aa} \\ \text{w} \end{array} \right) - \left(\begin{array}{c} \text{a} \\ \text{w} \end{array} \right) \rightarrow$
eis t os au w w w w w w vaaa as a pa v w w w

$\left(\begin{array}{c} \text{w} \\ \text{s} \end{array} \right) \left(\begin{array}{c} \text{pa} \\ \text{u} \end{array} \right) \left(\begin{array}{c} \text{a} \\ \text{a} \end{array} \right) \left(\begin{array}{c} \text{p} \\ \text{l} \end{array} \right) \left(\begin{array}{c} \text{l} \\ \text{i} \end{array} \right) \left(\begin{array}{c} \text{o} \\ \text{o} \end{array} \right) \left(\begin{array}{c} \text{z} \\ \text{o} \end{array} \right) \left(\begin{array}{c} \text{a} \\ \text{o} \end{array} \right) - \left(\begin{array}{c} \text{p} \\ \text{a} \end{array} \right) \left(\begin{array}{c} \text{a} \\ \text{a} \end{array} \right) \left(\begin{array}{c} \text{u} \\ \text{u} \end{array} \right) \left(\begin{array}{c} \text{l} \\ \text{l} \end{array} \right) \left(\begin{array}{c} \text{z} \\ \text{o} \end{array} \right) \left(\begin{array}{c} \text{a} \\ \text{o} \end{array} \right)$
ws pa ua a pl l i o o pa au a pl l l zov

$\left(\begin{array}{c} \text{t} \\ \text{e} \end{array} \right) \left(\begin{array}{c} \text{e} \\ \text{e} \end{array} \right) \left(\begin{array}{c} \text{e} \\ \text{e} \end{array} \right) \left(\begin{array}{c} \text{a} \\ \text{a} \end{array} \right)$

DAVIDSON
HAROLD

THEATRUM MUNDI
TOMVS I

Τῇ 1ε. Αὐγούστου. Δέσμα Θεαρχίων
M. Καμαράσσου

B.N.K.

© 1980

25 / 2

⁷₉ $\frac{1}{2} - \frac{1}{2} (\frac{1}{2}) + \frac{1}{2}$
Kata ya bo ov yee To na a va a xpa a av tor

1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30

$\frac{1}{\cos x} \left(\frac{\sin x}{x} \right)' = \frac{1}{\cos^2 x} - \frac{\sin x}{x^2}$

$\frac{1}{T_{\text{eff}}} = \frac{1}{T_{\text{UV}}} + \frac{1}{T_{\text{IR}}} + \frac{1}{T_{\text{X}}} + \frac{1}{T_{\text{radio}}}$

2
11

© 1980

1 2 1 5 1 3 1 4

To Be o so xovry a nay greculator dw u u u u u u u u
 necces cu dxxxyy giv th secces e c clups

1 2 1 2 1 2 1 6 1 2 1 2 1 2 1 4
 Texxxy yee vahai u dce no dui i w ws 8c
 4

2po u u xoo o o o v o ing a o pa atio n w u us
 e bo o o o o uv Tais a vu te e e e pa am

1 1 1 4 1 2 1 2 1 2 1 4
 ar ar ar Ta g 1 a a a p , x x x 1 1 ar ar

1 2 1 4 1 2 1 2 1 4 1 2 1 4
 Texxxy u u u u Tais a a a a v a a a a b da 8e

1 2 1 4 1 2 1 4 1 2 1 4
 o b a s t h a a a p a y e e y o o o o o v e v

1 2 1 6 1 2 1 6 1 2 1 6 1 2 1 6
 Tais a a a p a t e Tais u u u p a s y Tais a a a a a a u

© 1980

1 2 3 4 1 4 1 28(4)
 THV v dec no dui 1 wos v doo o dec ee e gaaaa

2de THV Te a ev vaaaaaaaatxxguv
 1 2 3 4 1 2 1 6
 To o os Mm Te e c e e paa

1 2 3 4 1 2 1 6
 Di a. Taav th n nns paa tayye vii n nns THV

1 2 3 4 1 2 1 6
 600 00 THV du Thn pi i i i i i a yee

1 2 3 4 1 2 1 6
 yo o vev n nua Te vi i i i i jeev o vee

1 2 3 4 1 2 1 6
 duu v v o o yev ny Taav th a u or yee

1 2 3 4 1 2 1 6
 ee ee paa above ee yee aa duu

1 2 3 4 1 2 1 6
 v v v vaa a THV

© 1980

29

九

Tau Tis yap' to v v v Tie ee baaaaaaa a z

$$\begin{array}{ccccccccc}
 & 1 & 2 & 2 & 4 & & 1 & 2 & 1 & 2 & 1 \\
 - & - & - & \cancel{\cancel{x}} & x & \cancel{\cancel{x}} & x & \cancel{\cancel{x}} & + & \cancel{\cancel{x}} \\
 u & \cancel{u} & \cancel{c} & \cancel{c} & c & c & x & \cancel{u} & \cancel{u} & \cancel{c} \\
 & & & & & & & \cancel{u} & \cancel{u} & \cancel{c} \\
 & & & & & & & & & \cancel{c} \\
 & & & & & & & & & v \\
 \hline
 & 0 & 1 & 0 & 0 & 0 & 0 & 0 & 0 & 0
 \end{array}$$

$\frac{1}{x^2} \cdot \frac{1}{x^2} = \frac{1}{x^4}$

To o o o o o o use as sidur. In n go pun Ba

$$\begin{pmatrix} \frac{1}{2} & -\frac{1}{2} & -\frac{1}{2} \\ -\frac{1}{2} & \frac{1}{2} & -\frac{1}{2} \\ -\frac{1}{2} & -\frac{1}{2} & \frac{1}{2} \end{pmatrix} \begin{pmatrix} 1 & 0 & 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 \end{pmatrix} = \begin{pmatrix} 1 & 0 & 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 \end{pmatrix}$$

6 προσθέτων την απόδοση της ομάδας

Y U C A C E R U N H D E P I Q O X P O N U U U D A L A I A U A I

© 1980

Von Nijewa A. Kanaeido

Ty 1e! Aug'olr. Diga
Drapixiu venquali

200 Nuz'ius do. Kayaçais



$$\begin{array}{r} 164 \\ \times 340 \\ \hline 656 \\ 492 \\ \hline 56720 \end{array}$$

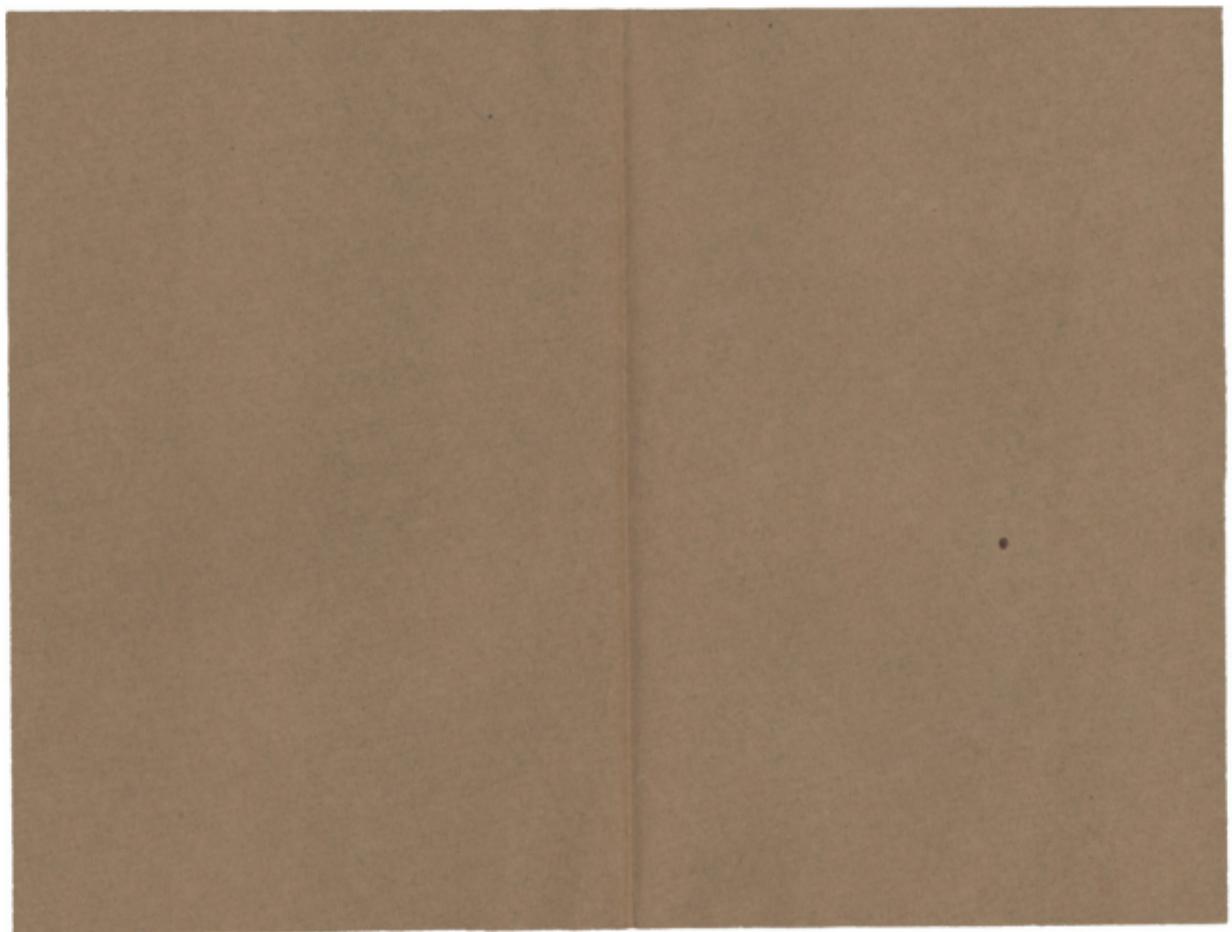
N.A.K.

$$\begin{array}{r} 94 \\ - 21 \\ \hline 73 \\ 142 \\ - 98 \\ \hline 440 \end{array}$$

$$\begin{array}{r} 98 \\ - 21 \\ \hline 77 \\ 109 \end{array}$$

4

Baotou



$$\text{Hxos} \frac{\partial}{\partial x} \text{u} = \text{tra} \left(\frac{\partial u}{\partial x} - \frac{\partial v}{\partial y} \right) + \frac{\partial}{\partial y} \left(\frac{\partial v}{\partial x} - \frac{\partial u}{\partial y} \right) = 0$$

wayway ui ui w uuu A y i i i w tive e eu kaaaaaa

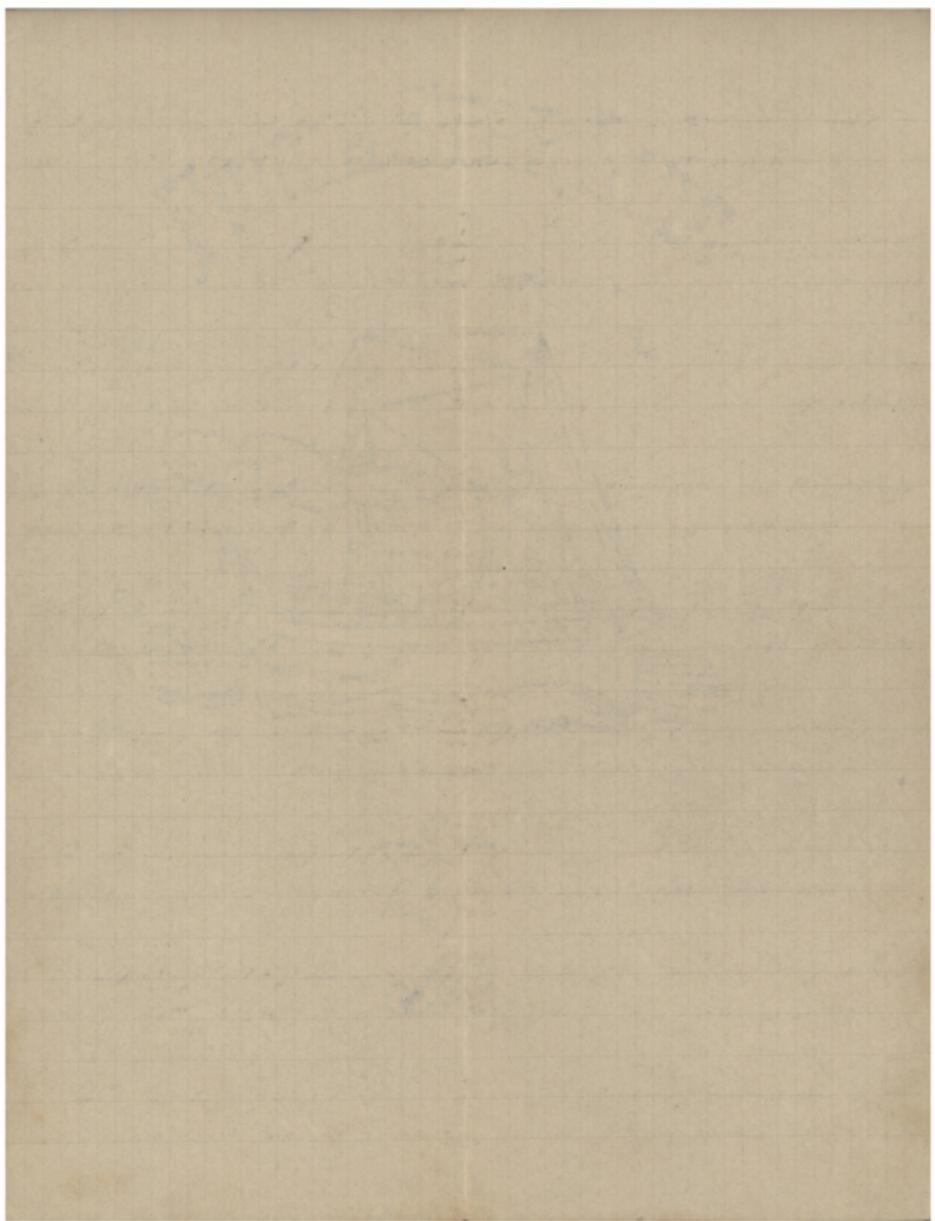
For $\frac{\partial^2 u}{\partial x^2} = \frac{\partial^2 u}{\partial y^2}$, we have $\frac{\partial^2 u}{\partial x^2} = \frac{\partial^2 u}{\partial y^2} = 0$.

501 $\theta \epsilon$ 0 0 0 T_{∞} 0 0 0 $u_{\infty} \epsilon \epsilon$ μn $n T_m$ T_m $n z_{\text{max}}$

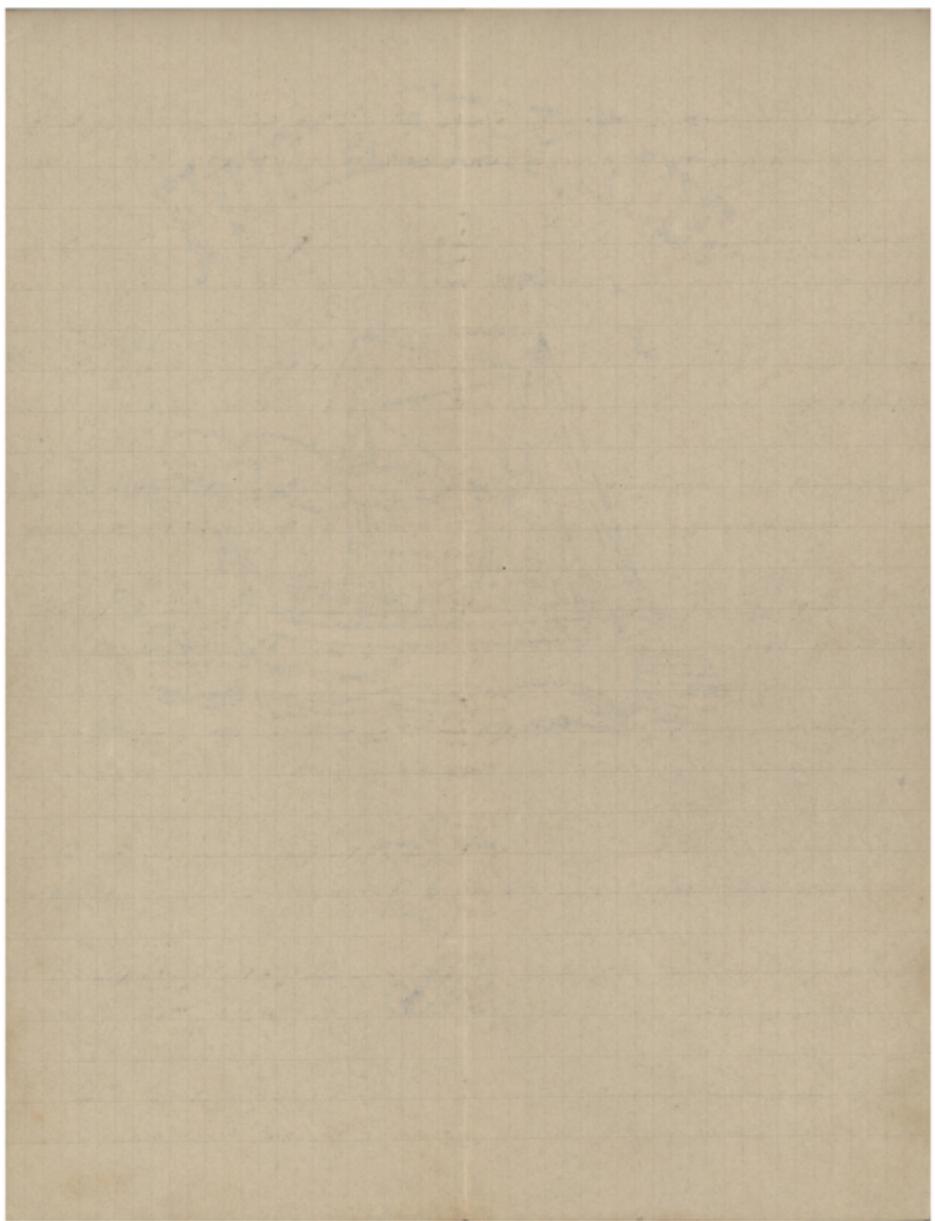
aa πoo o 500 000 xs aide p111 1 x x 25 19 n n n n

1975-1976 (1977) 44-45
ISSN 0022-215X 0 00 X 3 3 W 085 110 000 0 0 000

g̃n n mn n n cav t̄wa xpaaaaaaa av tw w w̄es̄ ew w w



A handwritten musical score for two voices, likely soprano and alto, consisting of ten staves of music. The music includes various vocal parts such as 'Soprano', 'Alto', 'Tenor', 'Bass', 'Cello', 'Double Bass', 'Flute', 'Oboe', 'Clarinet', 'Bassoon', 'Horn', 'Trumpet', 'Trombone', 'Tuba', 'Drums', 'Percussion', and 'Bells'. The score also features dynamic markings like 'ff', 'f', 'mf', 'mfp', 'p', 'pp', and 'n.p.', as well as rests and other musical symbols.



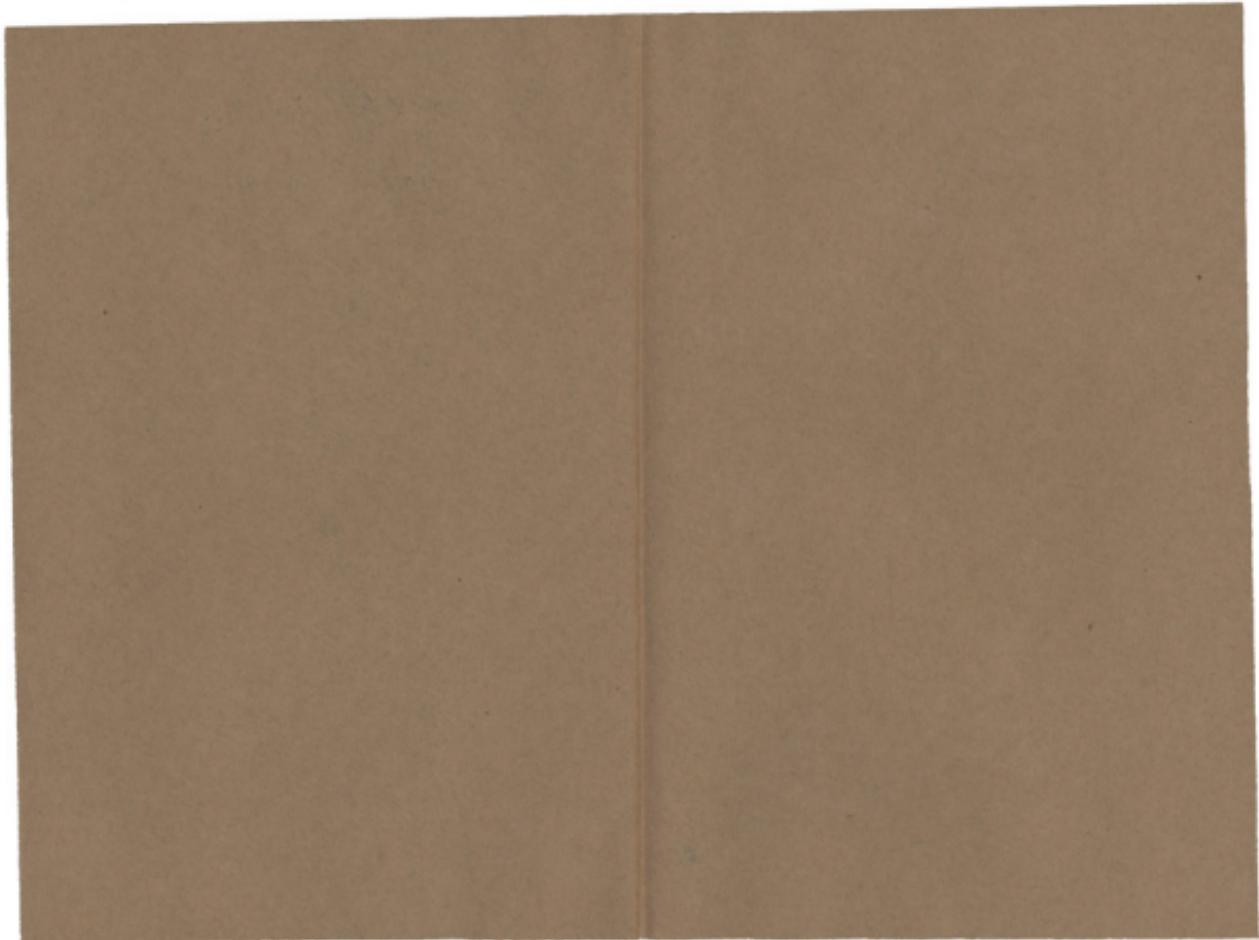
Δόξα τῷ Ιε Αὐγούστῳ Βιστούς Οἰνους.
Βασιλίου Ν. Καμαράδου.

B.N.K.

Tīm IE' Aigoozoo

Do'Xa -čān Alrus

Nu' unlypoqan
shlypoqan



Τῷ ΙΕ! Αὐγουστοῦ Ἡ Κοίμησις τῆς Θεοτόκου
Εἰς τοὺς Αἴνους Δόξα καὶ ἡ Ἁγία Πατέρων

Use $\Delta \phi = 0$ to find $\Delta x = \text{Total distance} / \text{number of oscillations}$

— Kal vuv.

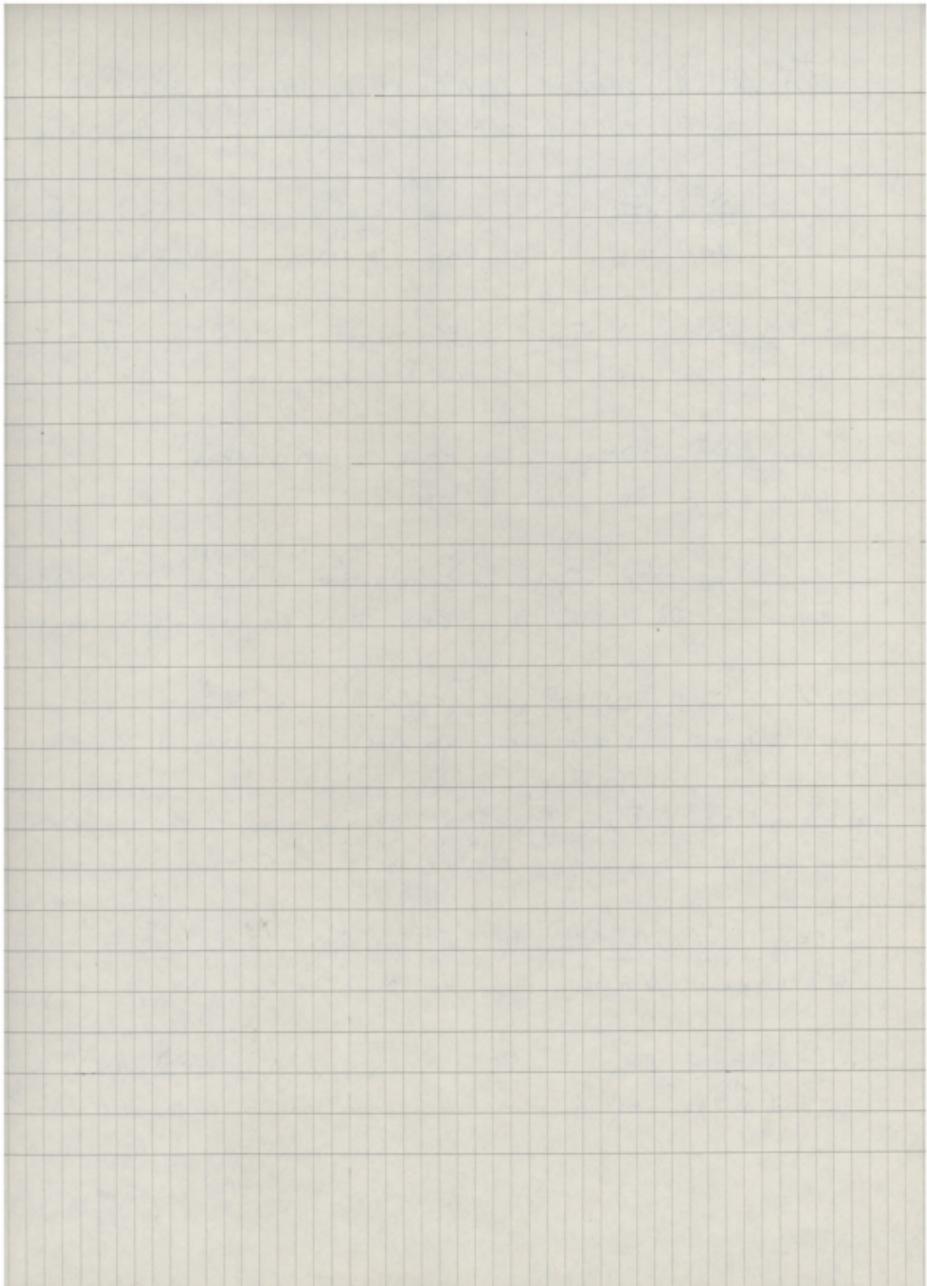
maa a a a la a a a t

T_7 α θa ve $vw w$ ce $KoLoL$ $mu n n u$ u n $oLioLoL$

$$\left(\frac{\frac{1}{\phi} \frac{1}{C_{\text{in}}}}{\frac{1}{C_{\text{in}}} + \frac{1}{C_{\text{out}}}} \right) = \frac{1}{\frac{1}{C_{\text{in}}} + \frac{1}{C_{\text{out}}}} = \frac{1}{\frac{C_{\text{in}} + C_{\text{out}}}{C_{\text{in}} C_{\text{out}}}} = \frac{C_{\text{in}} C_{\text{out}}}{C_{\text{in}} + C_{\text{out}}} = \frac{C_{\text{in}}}{C_{\text{in}} + C_{\text{out}}} \cdot C_{\text{out}}$$

$\frac{1}{x} \cdot \frac{1}{x} = \frac{1}{x^2}$

$$\frac{2 \cdot \frac{\pi}{180}}{5} = \frac{\pi}{5} \quad \text{and} \quad \frac{2 \cdot \frac{\pi}{180}}{10} = \frac{\pi}{10}$$



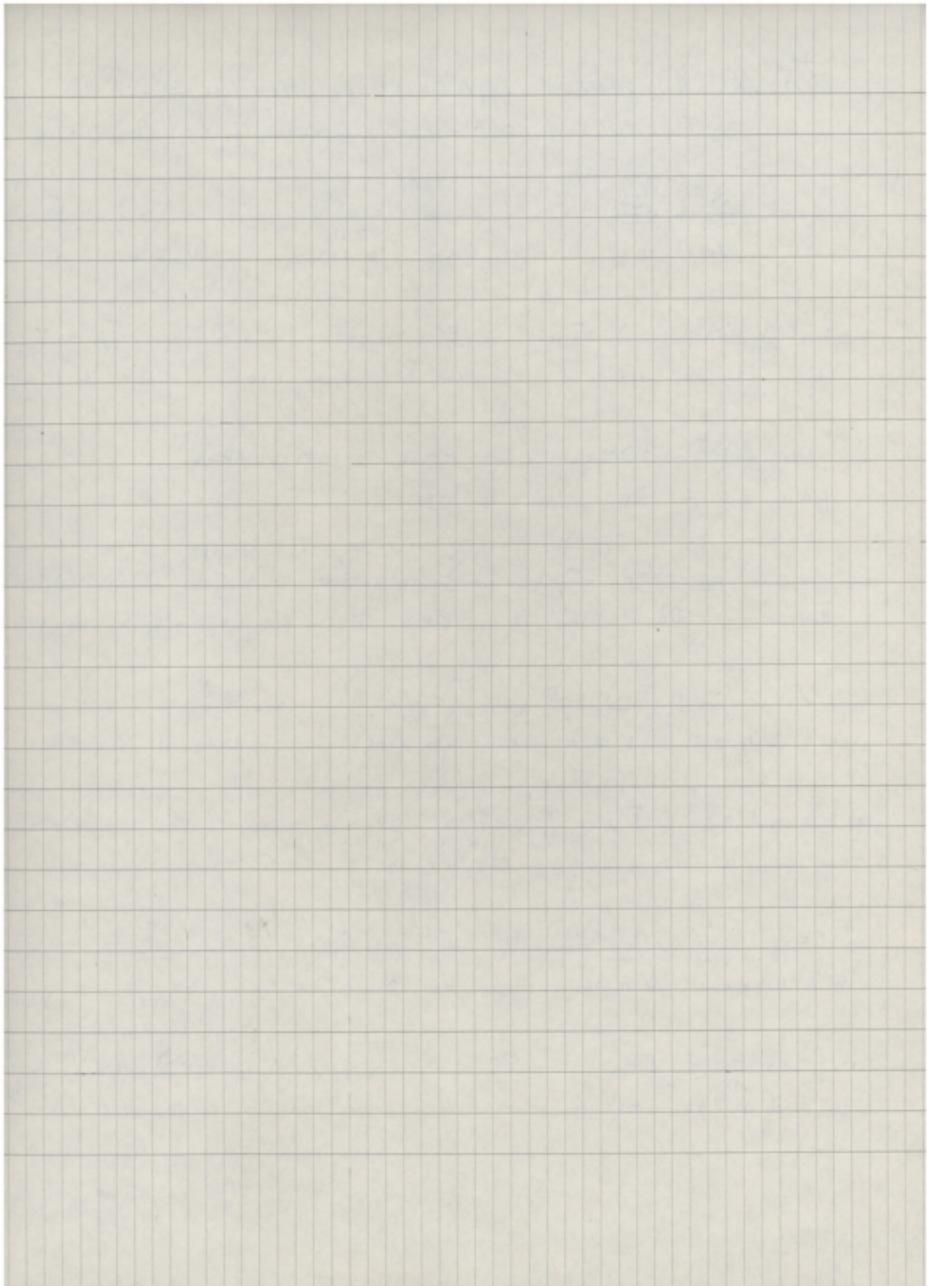
$\frac{a}{\alpha}, \frac{c}{\beta}, \frac{1}{\gamma} \Rightarrow \frac{t_1}{\alpha} \Rightarrow \frac{t_2}{\beta} \left(\frac{1}{\gamma} \right) \frac{t_3}{\alpha} \left(\frac{1}{\beta} \right) \frac{t_4}{\alpha} \left(\frac{1}{\gamma} \right) \frac{t_5}{\beta} \left(\frac{1}{\alpha} \right) \frac{t_6}{\beta} \left(\frac{1}{\gamma} \right) \frac{t_7}{\alpha} \left(\frac{1}{\beta} \right)$

— $\frac{1}{\sqrt{2}} \left(-\frac{\sqrt{3}}{2} + i \frac{1}{2} \right) = \frac{1}{\sqrt{2}} \left(\frac{-\sqrt{3}}{2} + \frac{i}{2} \right)$

CAV TW x xpadd dd dx dx dx TW w w C8 GW W W

$\rightarrow \frac{1}{\text{C}_1} \rightarrow \frac{1}{\text{C}_2} \rightarrow \text{C}_3 \rightarrow \frac{1}{\text{C}_4}$
 μα α α α α τι οι οι οι οι ων δέν ουν γεν τες γετ

$$\begin{array}{ccccccccc} \text{MTW} & w & w & w & w & w & w & w & w \\ \text{MTW} & w & w & w & w & w & w & w & w \end{array}$$

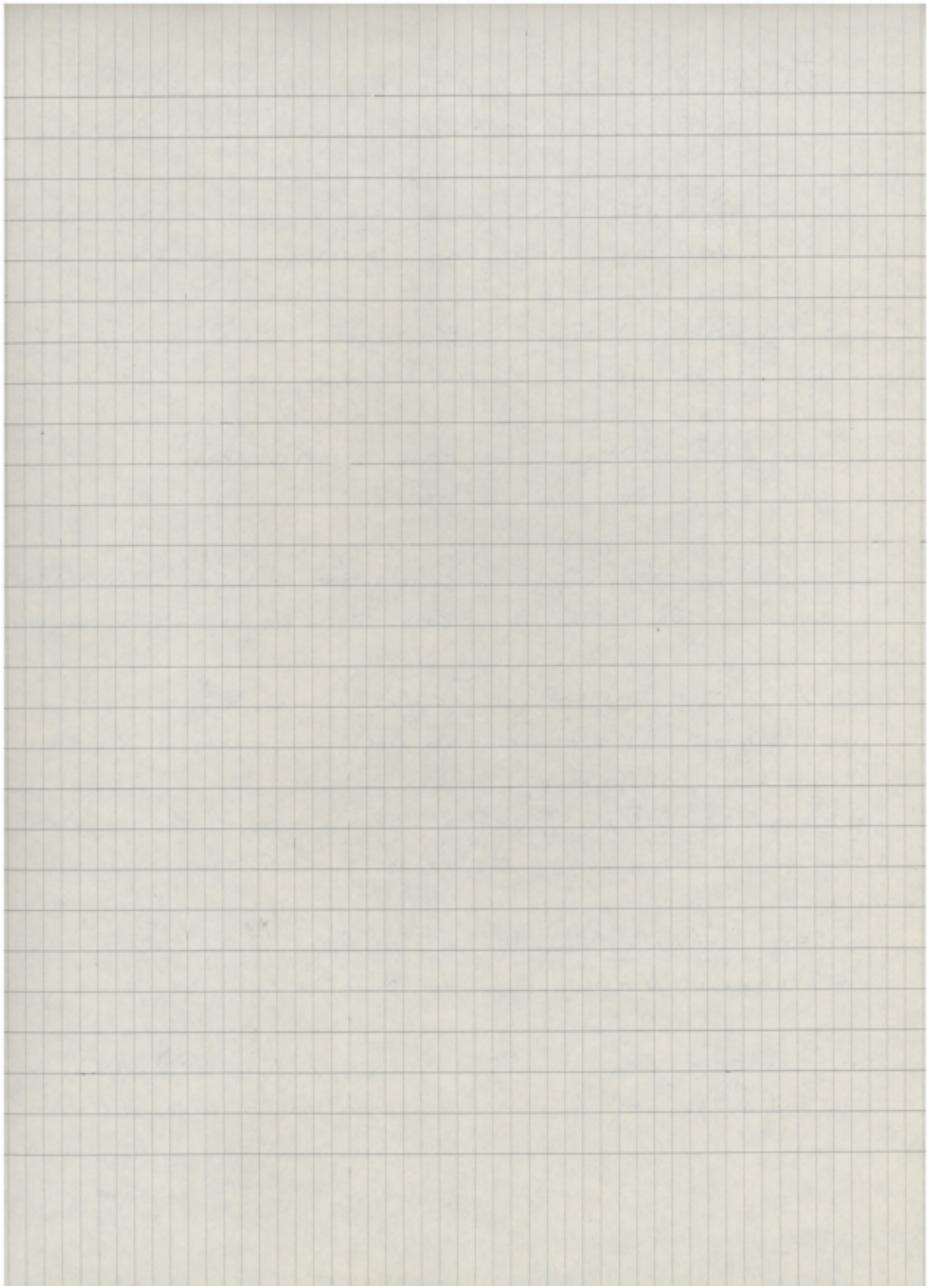


$$\begin{pmatrix} 1 & -\frac{1}{2} & \frac{1}{2} & -\frac{1}{2} & \frac{1}{2} & -\frac{1}{2} \\ 0 & 1 & -\frac{1}{2} & \frac{1}{2} & -\frac{1}{2} & \frac{1}{2} \\ 0 & 0 & 1 & -\frac{1}{2} & \frac{1}{2} & -\frac{1}{2} \\ 0 & 0 & 0 & 1 & -\frac{1}{2} & \frac{1}{2} \\ 0 & 0 & 0 & 0 & 1 & -\frac{1}{2} \\ 0 & 0 & 0 & 0 & 0 & 1 \end{pmatrix}$$

$\frac{1}{x^2} \cdot \frac{1}{x^2} = \frac{1}{x^4}$

$\frac{1}{c^6} \times \frac{1}{c^6} = \frac{1}{c^{12}}$ $\frac{1}{v^m} \times \frac{1}{v^n} = \frac{1}{v^{m+n}}$ $\frac{1}{\tan \theta c} \times \frac{1}{v^6} = \frac{1}{v^6 \tan \theta c}$ $\frac{1}{v^6} \times \frac{1}{M_n n! n! n! n! n! n!} = \frac{1}{v^6 M_n n! n! n! n! n! n!}$

$$\frac{d}{dx} \left(\frac{1}{x^2} \right) = -\frac{2}{x^3}$$



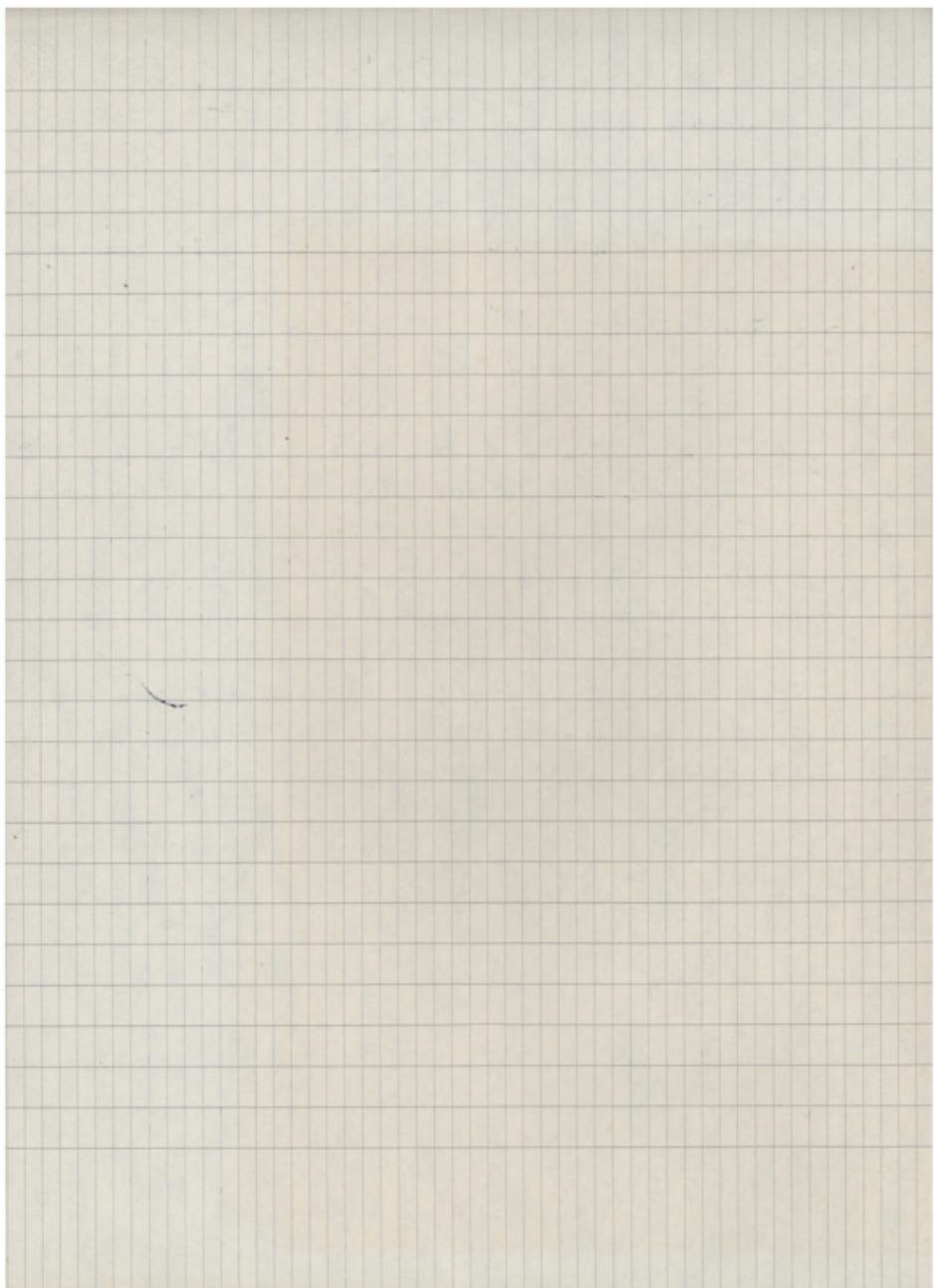
39

η η matching Θe or n few w w

$\sqrt{\frac{c^2}{w^2}} = \sqrt{\frac{c}{w}}$ $\sqrt{\frac{c}{w}} = \sqrt{\frac{c}{w}}$ $\sqrt{\frac{c}{w}} = \sqrt{\frac{c}{w}}$

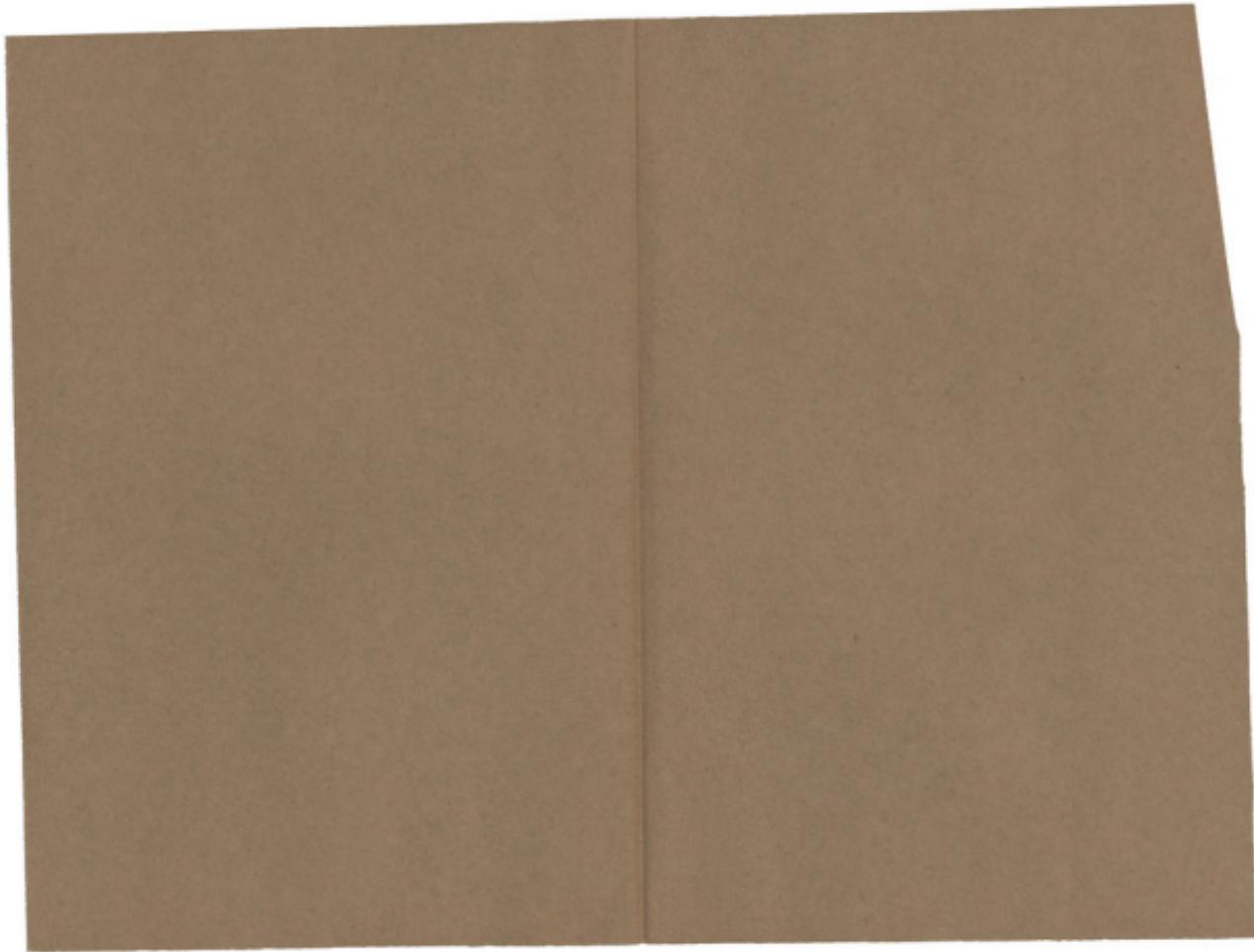
$$\frac{1}{\sqrt{2}} \left(\hat{c}_1^{\dagger} \hat{c}_2 + \hat{c}_2^{\dagger} \hat{c}_1 \right) = \frac{1}{\sqrt{2}} \left(\hat{c}_1^{\dagger} \hat{c}_1 + \hat{c}_2^{\dagger} \hat{c}_2 \right) - \frac{1}{\sqrt{2}} \left(\hat{c}_1^{\dagger} \hat{c}_2 + \hat{c}_2^{\dagger} \hat{c}_1 \right)$$

$$\frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 0 \\ 0 & -1 \end{pmatrix} = \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 0 \\ 0 & -1 \end{pmatrix} \rightarrow \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 0 \\ 0 & -1 \end{pmatrix} \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix} = \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix} = \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix} \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix} = \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix}$$



Tm IE!

Eis to Escarpelus



Northern

Hxos òj c c c (c c) - (c c) c c c c c c c c
Qu je vais au au au tra a a a ta au au au au au au au

$\frac{d^2y}{dx^2} = \frac{d}{dx} \left(\frac{dy}{dx} \right) = \frac{d}{dx} \left(\frac{1}{x^2} \right) = -\frac{2}{x^3}$

460000 T000000040V N4 VLLLLLLL

0 0 0 poi EV 601.01 01.01 Trapdee veee'e' a a aa xpaas

TEEE π π a aapdee vee eu eigh yahup tooo.

1860

42 (2)

Now $\log \mu = \frac{1}{\lambda} - \frac{\nu}{\lambda^2}$

vaa-to-ov *z*uuuuu u gaa *sw* w w w w *zgagya* a a u

$\frac{1}{\mu+1} \left(\frac{\mu+1}{\mu} \right)^n = \frac{1}{\mu+1} e^{\frac{n}{\mu}}$

Steampunk

eternally

Eis mⁱ LE. Auguiclu
Wⁱm Θ!

Prometo

B.N.K.

Tη IE! Αὐγοῦστου εἰς τὸ Ἐξαπέτων ἔκος ἡ

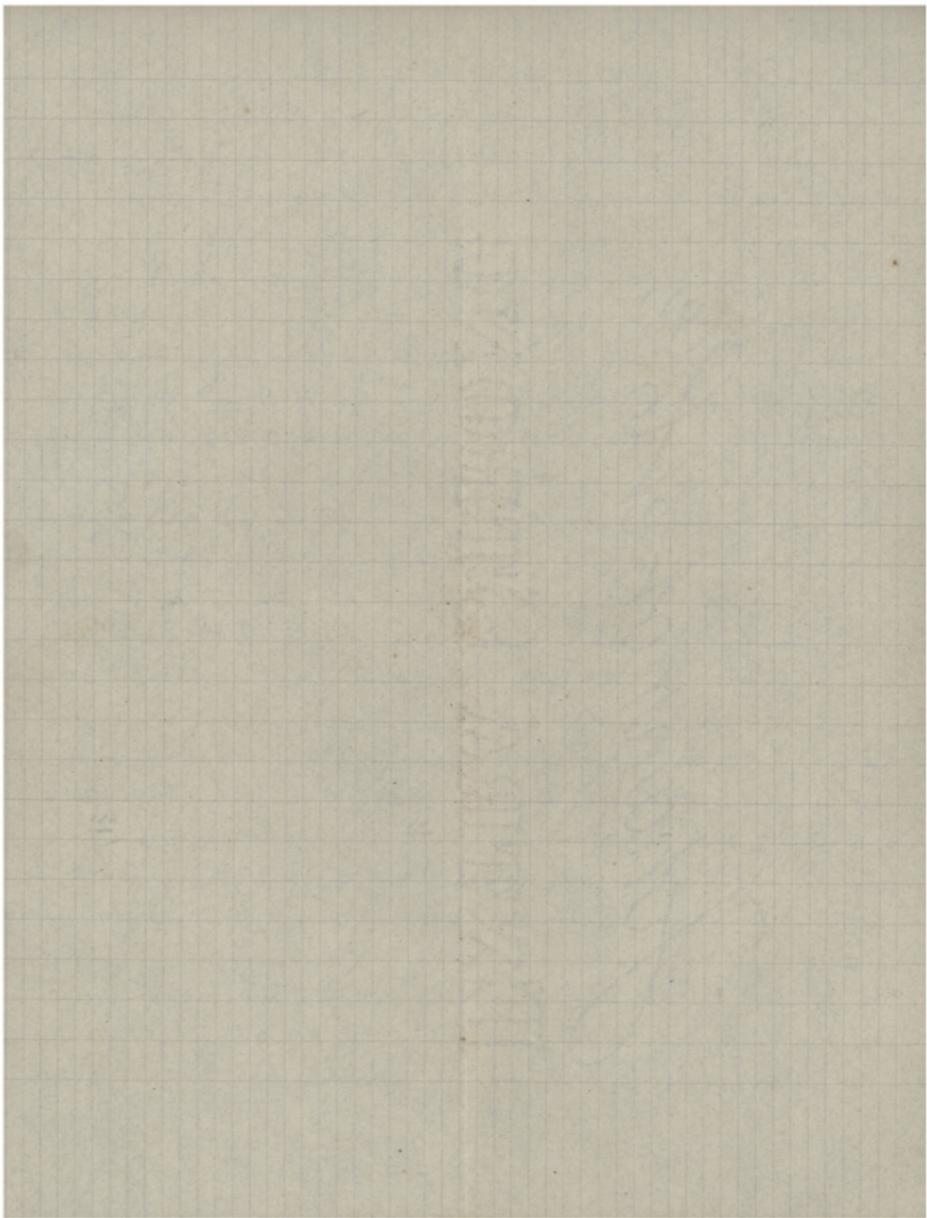
$$\frac{d}{dx} \int_a^x f(t) dt = f(x)$$

$$\frac{1}{\mu_0} \frac{\partial B}{\partial x} = \frac{1}{\mu_0} \frac{\partial H}{\partial x} + \frac{1}{\mu_0} \frac{\partial M}{\partial x} = \frac{1}{\mu_0} \frac{\partial H}{\partial x} - \frac{1}{\mu_0} \frac{\partial M}{\partial x}$$

$$\int_{\text{unv}}^{\text{unv}} \frac{F}{N} \cdot \frac{1}{\sqrt{1 - \frac{2x}{N}}} dx = \left(F \cdot \frac{1}{\sqrt{N}} \right) \int_{\text{unv}}^{\text{unv}} \frac{1}{\sqrt{1 - \frac{2x}{N}}} dx$$

$\int_0^1 \int_0^x \int_0^{y_1} \int_0^{y_2} \int_0^{y_3} \int_0^{y_4} \int_0^{y_5} \int_0^{y_6} \int_0^{y_7} \int_0^{y_8} \int_0^{y_9} \int_0^{y_{10}} \int_0^{y_{11}} \int_0^{y_{12}} \int_0^{y_{13}} \int_0^{y_{14}} \int_0^{y_{15}} \int_0^{y_{16}} \int_0^{y_{17}} \int_0^{y_{18}} \int_0^{y_{19}} \int_0^{y_{20}} \int_0^{y_{21}} \int_0^{y_{22}} \int_0^{y_{23}} \int_0^{y_{24}} \int_0^{y_{25}} \int_0^{y_{26}} \int_0^{y_{27}} \int_0^{y_{28}} \int_0^{y_{29}} \int_0^{y_{30}} \int_0^{y_{31}} \int_0^{y_{32}} \int_0^{y_{33}} \int_0^{y_{34}} \int_0^{y_{35}} \int_0^{y_{36}} \int_0^{y_{37}} \int_0^{y_{38}} \int_0^{y_{39}} \int_0^{y_{40}} \int_0^{y_{41}} \int_0^{y_{42}} \int_0^{y_{43}} \int_0^{y_{44}} \int_0^{y_{45}} \int_0^{y_{46}} \int_0^{y_{47}} \int_0^{y_{48}} \int_0^{y_{49}} \int_0^{y_{50}} \int_0^{y_{51}} \int_0^{y_{52}} \int_0^{y_{53}} \int_0^{y_{54}} \int_0^{y_{55}} \int_0^{y_{56}} \int_0^{y_{57}} \int_0^{y_{58}} \int_0^{y_{59}} \int_0^{y_{60}} \int_0^{y_{61}} \int_0^{y_{62}} \int_0^{y_{63}} \int_0^{y_{64}} \int_0^{y_{65}} \int_0^{y_{66}} \int_0^{y_{67}} \int_0^{y_{68}} \int_0^{y_{69}} \int_0^{y_{70}} \int_0^{y_{71}} \int_0^{y_{72}} \int_0^{y_{73}} \int_0^{y_{74}} \int_0^{y_{75}} \int_0^{y_{76}} \int_0^{y_{77}} \int_0^{y_{78}} \int_0^{y_{79}} \int_0^{y_{80}} \int_0^{y_{81}} \int_0^{y_{82}} \int_0^{y_{83}} \int_0^{y_{84}} \int_0^{y_{85}} \int_0^{y_{86}} \int_0^{y_{87}} \int_0^{y_{88}} \int_0^{y_{89}} \int_0^{y_{90}} \int_0^{y_{91}} \int_0^{y_{92}} \int_0^{y_{93}} \int_0^{y_{94}} \int_0^{y_{95}} \int_0^{y_{96}} \int_0^{y_{97}} \int_0^{y_{98}} \int_0^{y_{99}} \int_0^{y_{100}}$

$$\frac{1}{x^5} \cdot \frac{1}{x^2} = \frac{1}{x^{5+2}} = \frac{1}{x^7}$$



$$\text{real } \frac{\partial^2}{\partial x^2} u = \frac{\partial^2}{\partial y^2} u = \frac{\partial^2}{\partial z^2} u = \frac{\partial^2}{\partial t^2} u = 0$$

Tai ai or Ba a a va a To os

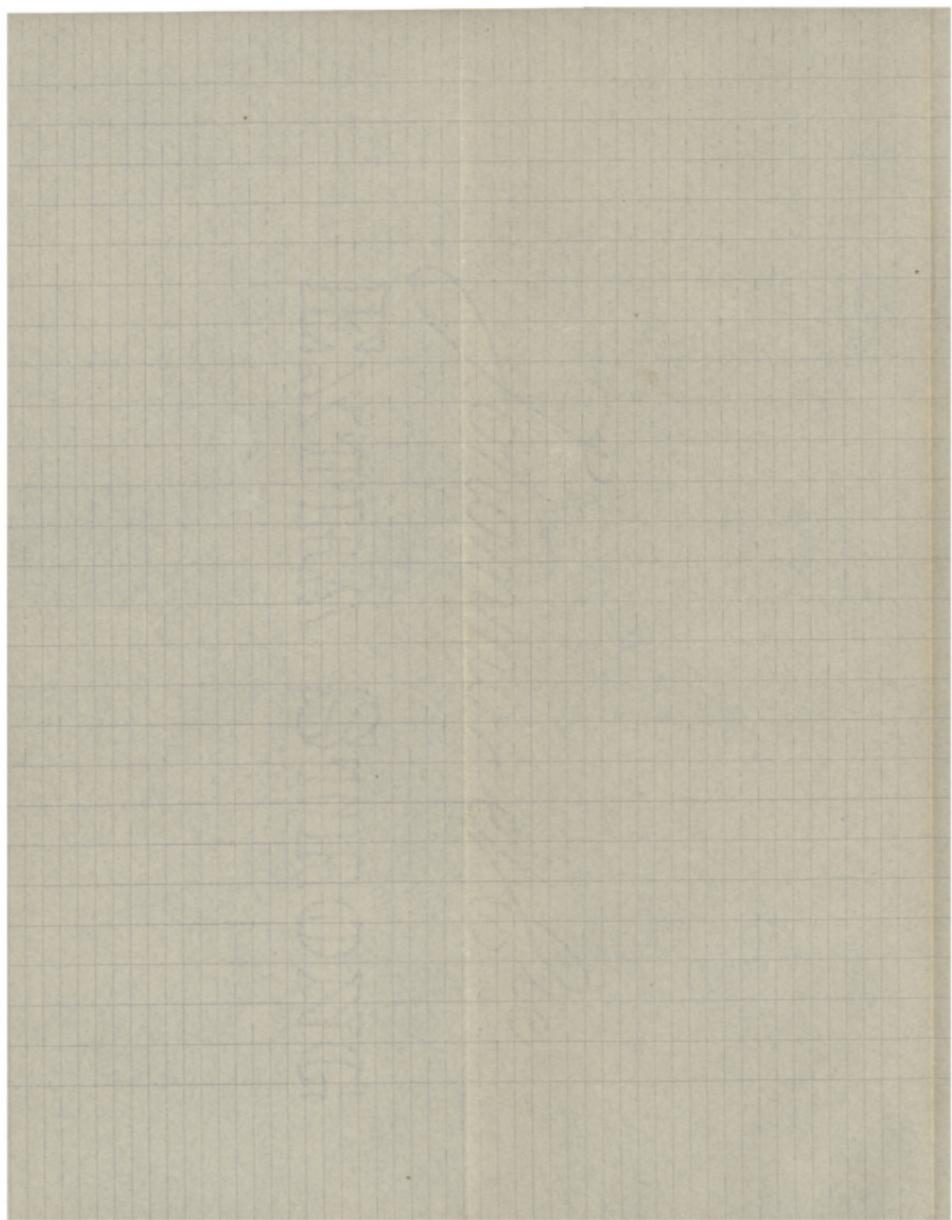
$\frac{1}{\mu} \frac{d^2 \tau}{dt^2} = \frac{1}{\mu} \frac{d^2 \tau}{dx^2} + \frac{1}{\mu} \frac{d^2 \tau}{dz^2} - \frac{1}{\mu} x \frac{d^2 \tau}{dx^2} - \frac{1}{\mu} z \frac{d^2 \tau}{dz^2}$

$$\frac{1}{x^4} = \frac{1}{\sqrt[4]{x^4}} = x^{\frac{4}{4}} = x^1 = x$$

$$\frac{1}{\sqrt{1-\frac{v^2}{c^2}}}$$

$$\frac{1}{\alpha} \frac{\partial \tilde{c}_i}{\partial \tilde{r}} = \frac{1}{\alpha} \frac{\partial \tilde{r}}{\partial \tilde{r}} + \frac{1}{\alpha} \frac{\partial \tilde{r}}{\partial \tilde{c}_i} = \frac{1}{\alpha} - \frac{1}{\alpha} = 0$$

Ν. Α Καμαράδου



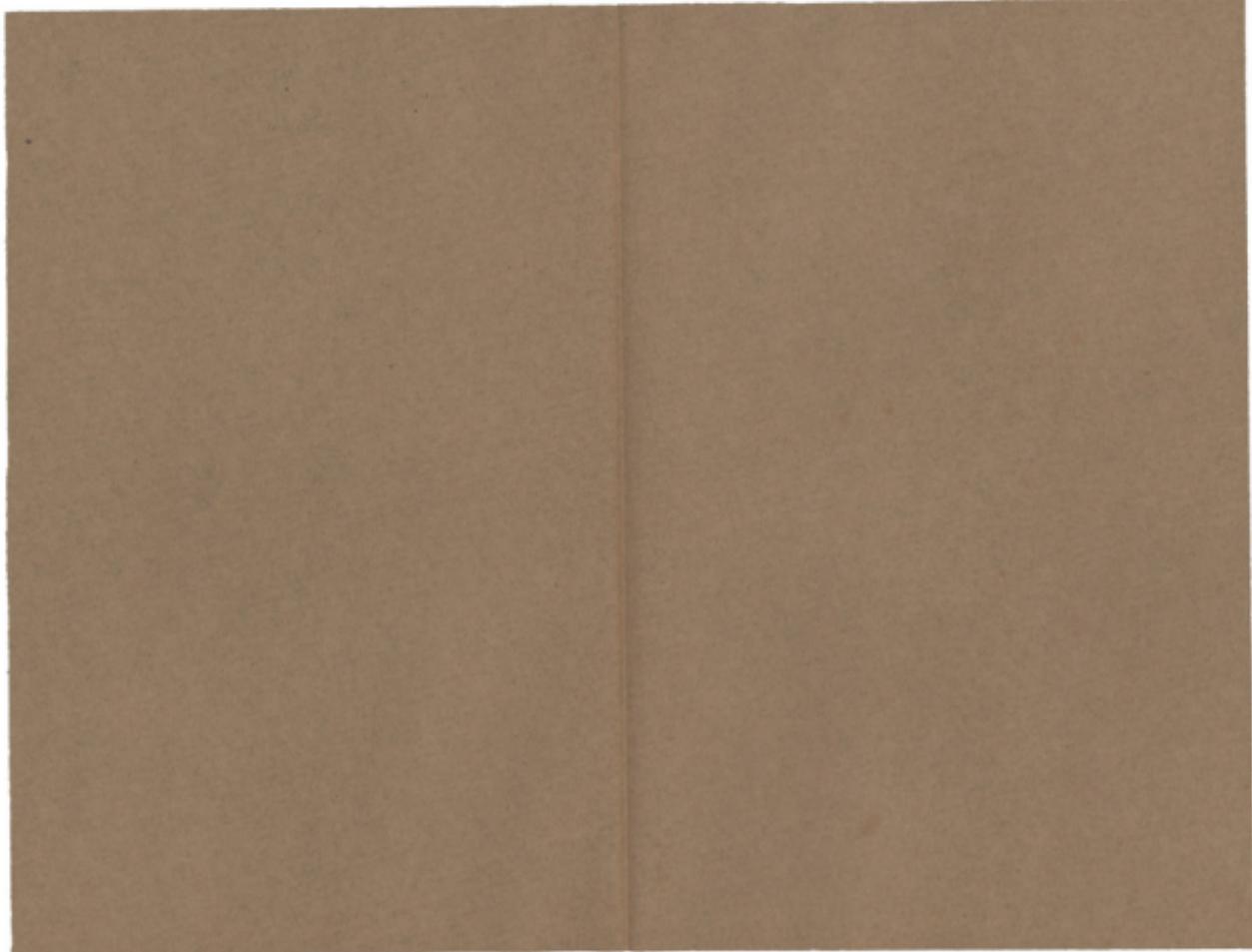
Τῇ IE! Αὔγουστου
Εις τὸ Ἐξαιρέτων

Νικήτας Α. Καμαράδου

N. A. K.

Ти IE: Аугусто Меберто
До'еу

Нé иннурою
Ангола



Τῇ 1Ε' Αύγουστου Μεθεόρτον Δόξα Η τών οὐρανῶν υψηλο-
τάρε ὡπάρχουσα ΤΗΧΟΣ ~~ποτέ~~ Αι

$\Delta \theta = 0^\circ$ Max TPL \rightarrow $\text{Max } U_1 U_2 U_3 U_4 U_5$

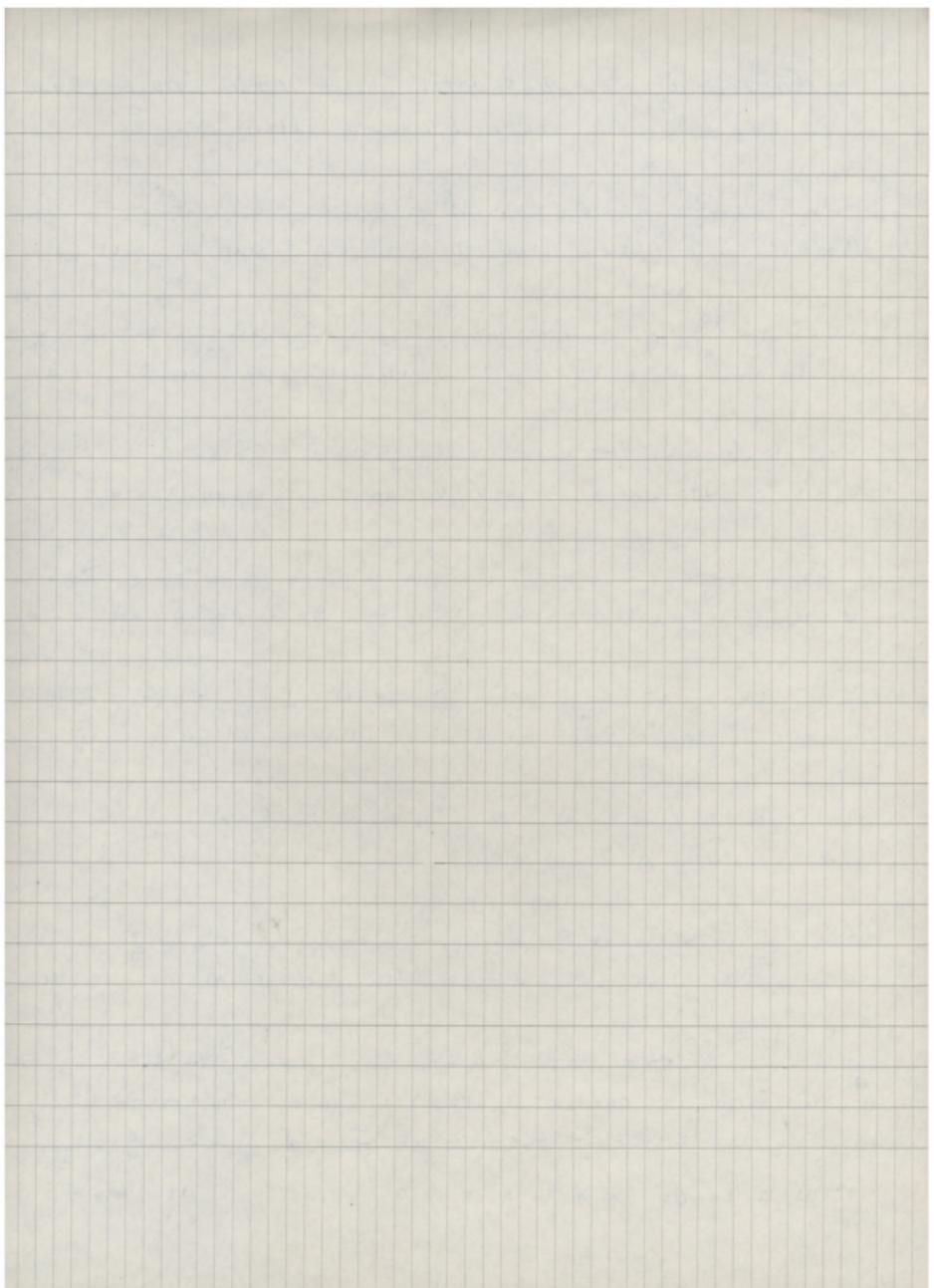
τι Η των σ πολινών λόγων λατερά παρα

U U U U 17aap x y y y y Gd u y w v x e t p r b l u y c e e v

Mod Gns will see we'll be

$\frac{1}{\phi} = \frac{1}{1 - \frac{\alpha}{1-\alpha} \frac{1-\beta}{1-\beta} \frac{\alpha}{1-\alpha} \frac{1-\beta}{1-\beta} \dots}$

Thus a ii di 888888 OLL L L L L L as 50



$\rightarrow \frac{r}{\rho} \frac{1}{m} \left(\frac{C}{\rho} \right)^{\frac{m}{m-1}} \rightarrow r^{\frac{1}{m}} \left(\frac{C}{\rho} \right)^{\frac{1}{m-1}} - \left(\frac{C}{\rho} \right)^{\frac{1}{m-1}} \rightarrow r^{\frac{1}{m}} \left(\frac{C}{\rho} \right)^{\frac{1}{m-1}} \left(\frac{C}{\rho} \right)^{\frac{1}{m-1}} \rightarrow r^{\frac{1}{m}} \left(\frac{C}{\rho} \right)^{\frac{2}{m-1}}$

МЕСЯЦЫ ПОРЫ ГОДА

$\text{C}_2\text{H}_5\text{OH} \xrightarrow{\text{H}_2\text{O}} \text{C}_2\text{H}_5\text{OH} \xrightarrow{\text{H}_2\text{O}} \text{C}_2\text{H}_5\text{OH} \xrightarrow{\text{H}_2\text{O}}$

$$\frac{1}{x^2} \cdot \frac{1}{x^2} = \frac{1}{x^4}$$

$\frac{c_1^r}{u_{11}v} \leftarrow \frac{c_1^r}{\delta_{WW} w_w p_{11} u_{11} y_{11} t_{11}} \rightarrow r \quad \square \rightarrow s \leftarrow c^{-1} \rightarrow \bar{s} \rightarrow \bar{t} \rightarrow \bar{c}^{-1} \rightarrow x \quad \frac{c_1^r}{u_{11}v} \leftarrow \frac{c_1^r}{x} \rightarrow e$

$$\begin{array}{ccccccccc} \rightarrow & \overline{\downarrow} & \overline{\leftarrow} & \rightarrow & \downarrow & \leftarrow & \overline{\leftarrow} & \overline{\downarrow} \\ \in & \in & \in & \lambda & \in & \in & \in & \in \end{array}$$

Νικέλια Α. Καμπεάδη
4 Ιουλίου 1961

