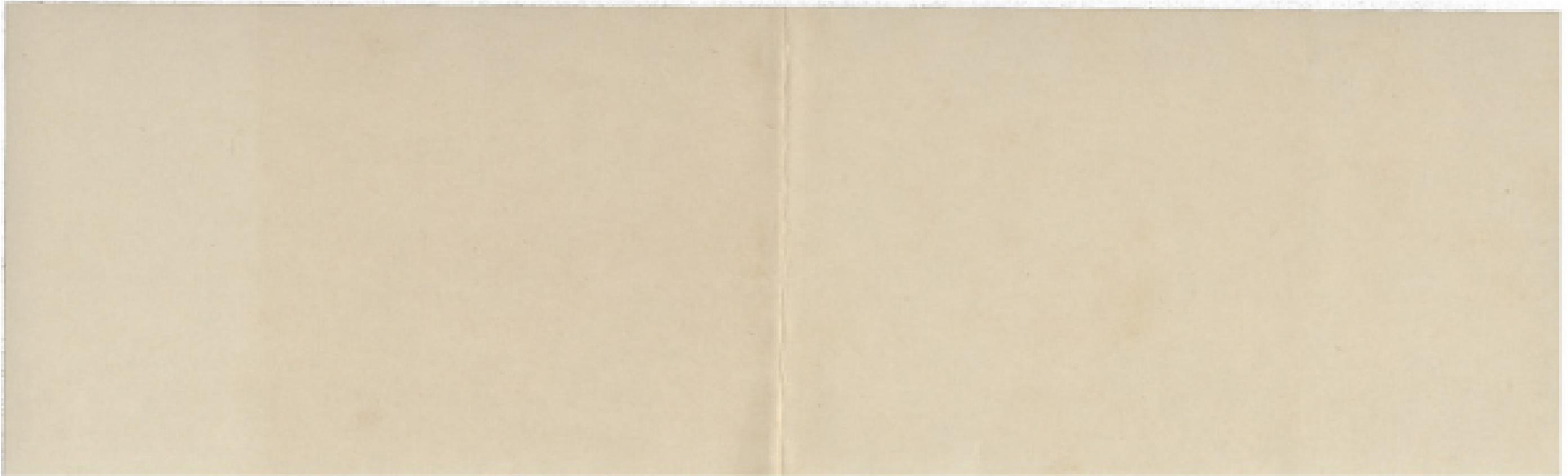


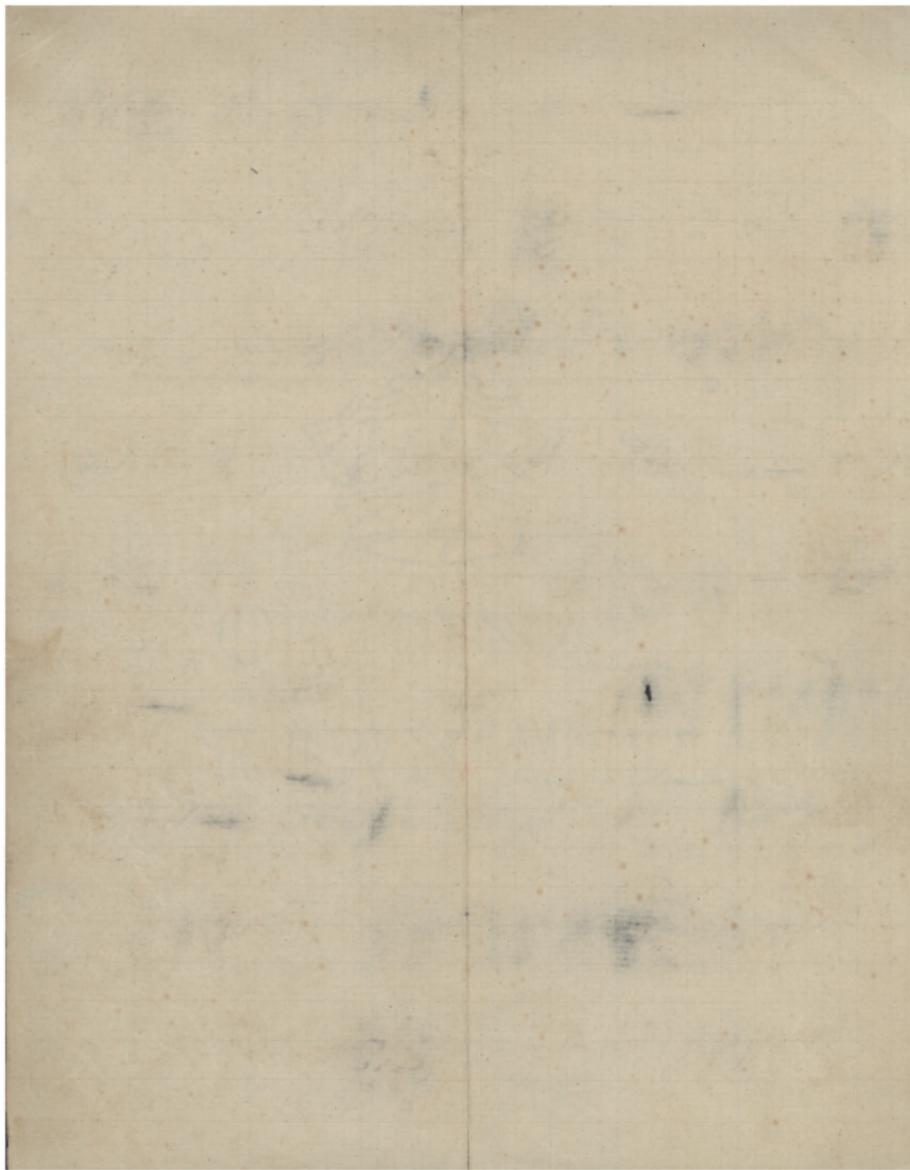
$\mathcal{F}^{\frac{a}{\nu}}$

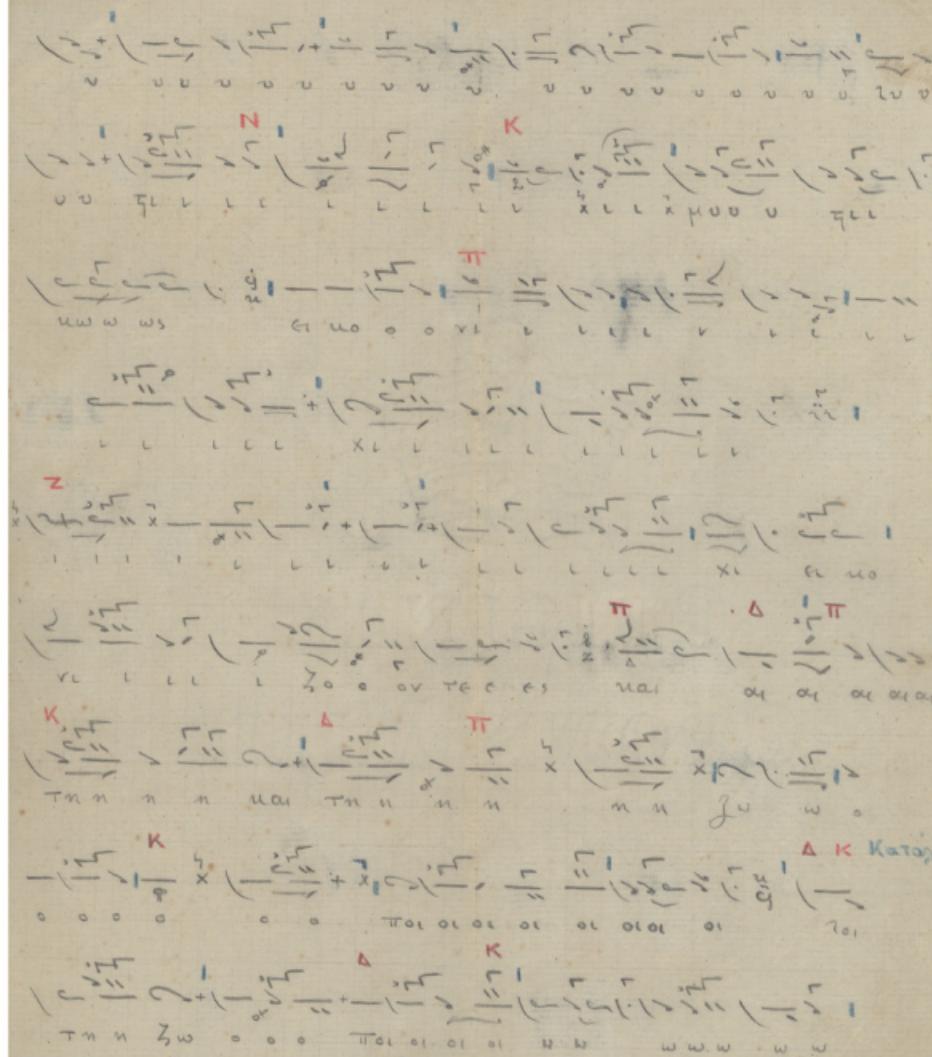
J

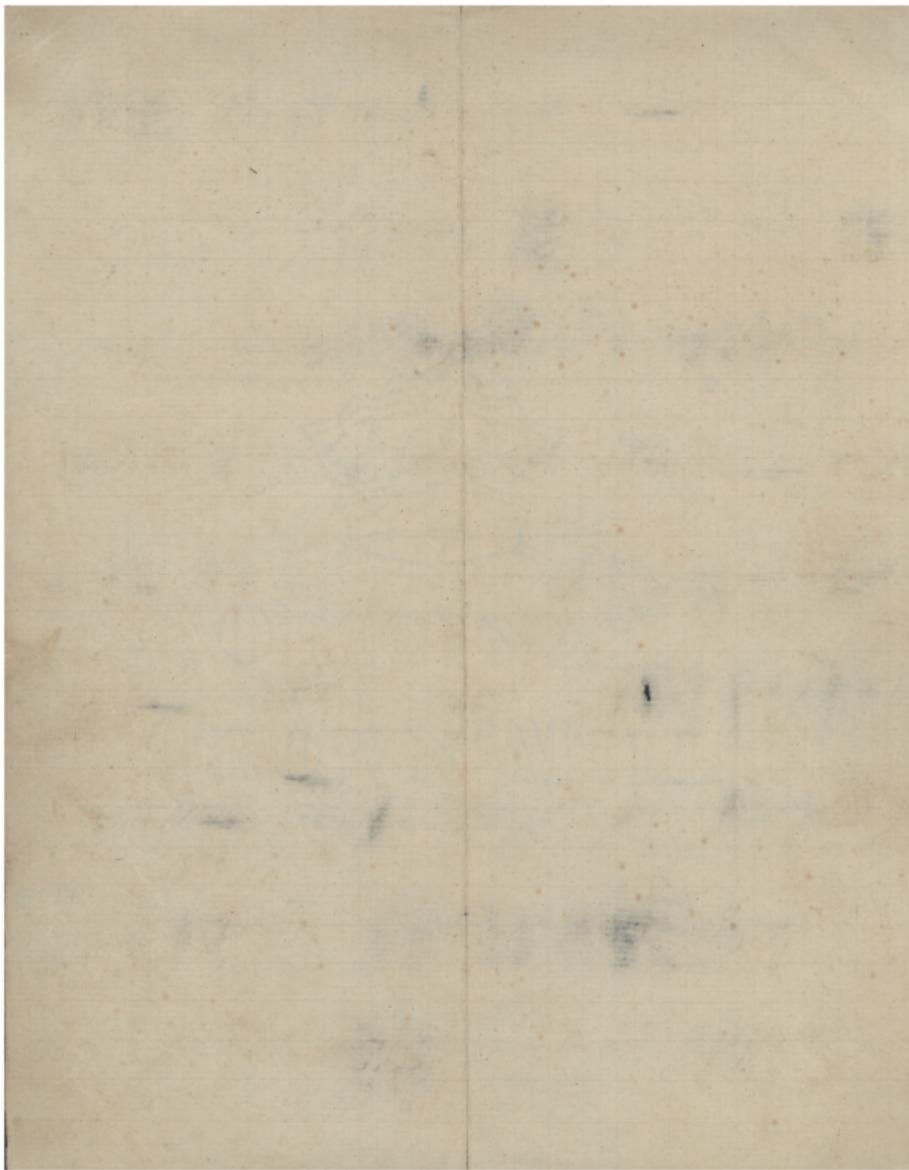


2

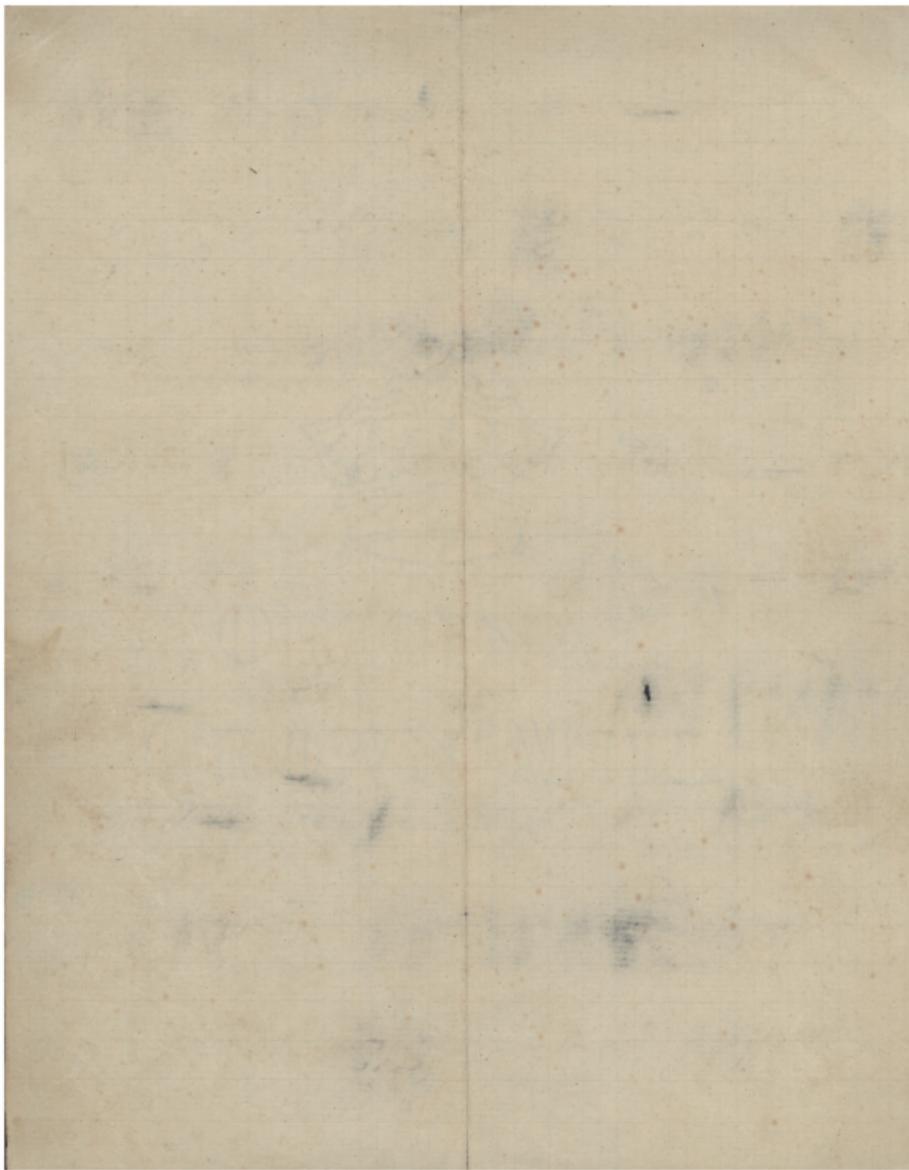
Ηχοσπάπα N π  
 Oi Ta a a a a a a a a a a a a a  
 a a a a a a a x e e e e e e e e e e  
 e e e e e e e e e e e e e e e e e x e  
 e e e e e e e e e e e e e e e e e e  
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K Kataki π  
 x x x x x x x x x x x x x x x x x x x x  
 e e e e e e e e e e e e e e e e e e e e  
 x x x x x x x x x x x x x x x x x x x x  
 u u u u u u u u u u u u u u u u u u u  
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 u u u v v v v v v v v v v v v v v v v v v



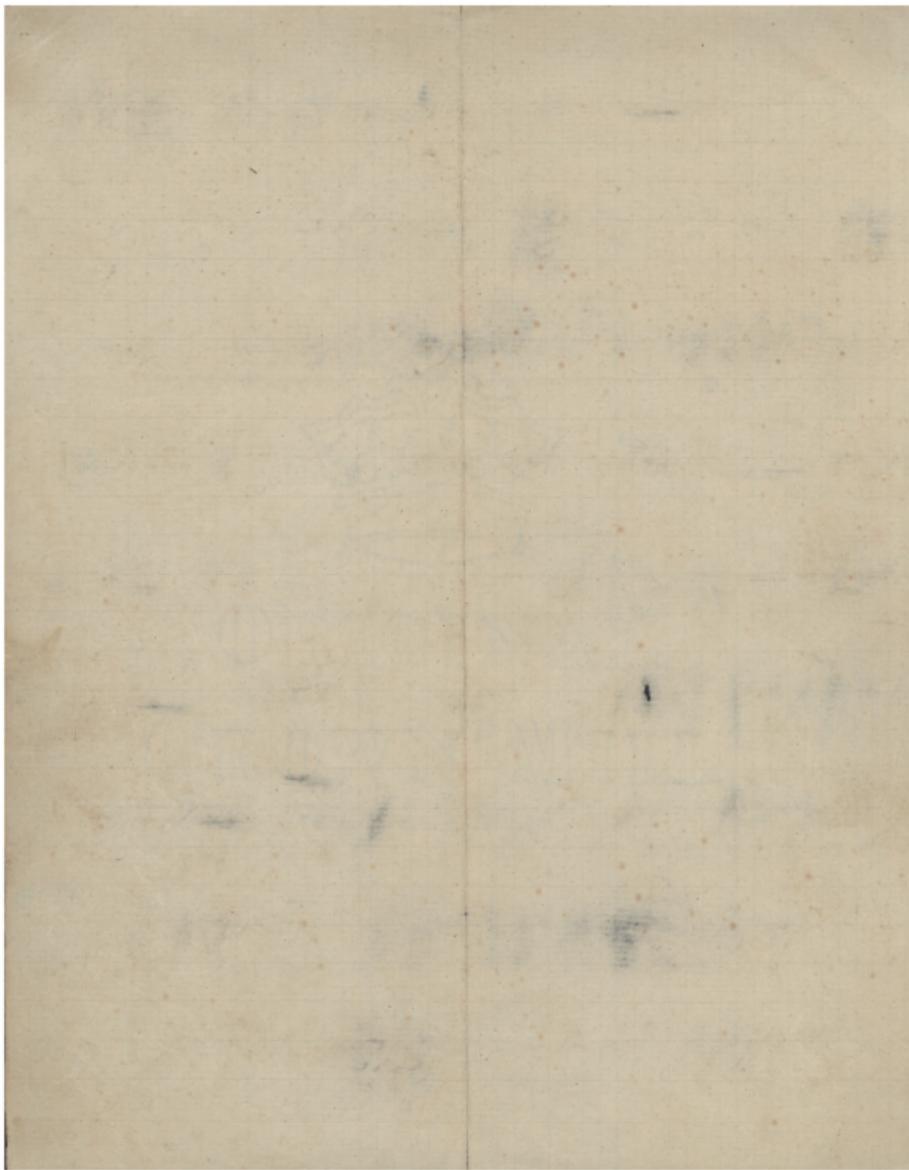




This image shows a handwritten musical score on aged paper. The score consists of ten staves of music, each with a unique rhythm pattern indicated by vertical strokes of varying lengths. Above each staff, there is a small red triangle symbol ( $\Delta$ ). The lyrics are written in Devanagari script below the staves. The first staff has lyrics: "w w w w w w w w w w w w w w w w w". The second staff has lyrics: "a a a a a a a a a a a a a a a a a a". The third staff has lyrics: "x a a a a a a a a a a a a a a a a a". The fourth staff is labeled "Katajii" above the first note, with lyrics: "x a a a u e e e e TpL a a a a a a a a a a a a". The fifth staff has lyrics: "o a a a a a a a a a a a a a a a a a". The sixth staff has lyrics: "o o o o o o o o o o o o o o o o o o". The seventh staff has lyrics: "a a a a a a a a a a a a a a a a a a". The eighth staff is labeled "Katajii" above the first note, with lyrics: "a a a a a a a a a a a a a a a a a a". The ninth staff has lyrics: "e a a a a a a a a a a a a a a a a a". The tenth staff has lyrics: "v v v v v v v v v v v v v v v v v v v v".







6

Kataklisis  
παραγωγής περιβάσεων

Kataklisis  
παραγωγής περιβάσεων

Kataklisis  
παραγωγής περιβάσεων

Έκ της Κλοεκλείου

1941

N.T.B.

Arlegouyan  
m 30 Aug 1961

N. A.K.

504

17

Χερουβινός ἄγαντος εἶναι

$$0 = \frac{1}{\alpha^4} - \frac{\beta^2}{\alpha^2} + \frac{\gamma^2}{\alpha^2} - \frac{\delta^2}{\alpha^2}$$

$\frac{1}{2} \cdot \frac{1}{2} = \frac{1}{4}$

$$\left( \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 1 \\ 1 & -1 \end{pmatrix}, \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & -1 \\ 1 & 1 \end{pmatrix}, \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 1 \\ -1 & 1 \end{pmatrix}, \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & -1 \\ -1 & 1 \end{pmatrix} \right)$$

$$\frac{1}{e^{\frac{1}{\sqrt{1-x}}}} \rightarrow 1 \quad (-\infty) \rightarrow -1 \quad \left( \frac{1}{\sqrt{1-x}} \right)^0 \rightarrow 1 \quad \left( \frac{1}{\sqrt{1-x}} \right)^6 \rightarrow 1 \quad \frac{1}{\sqrt{1-x}} \rightarrow 1 \quad \frac{1}{\sqrt{1-x}} \rightarrow \infty$$

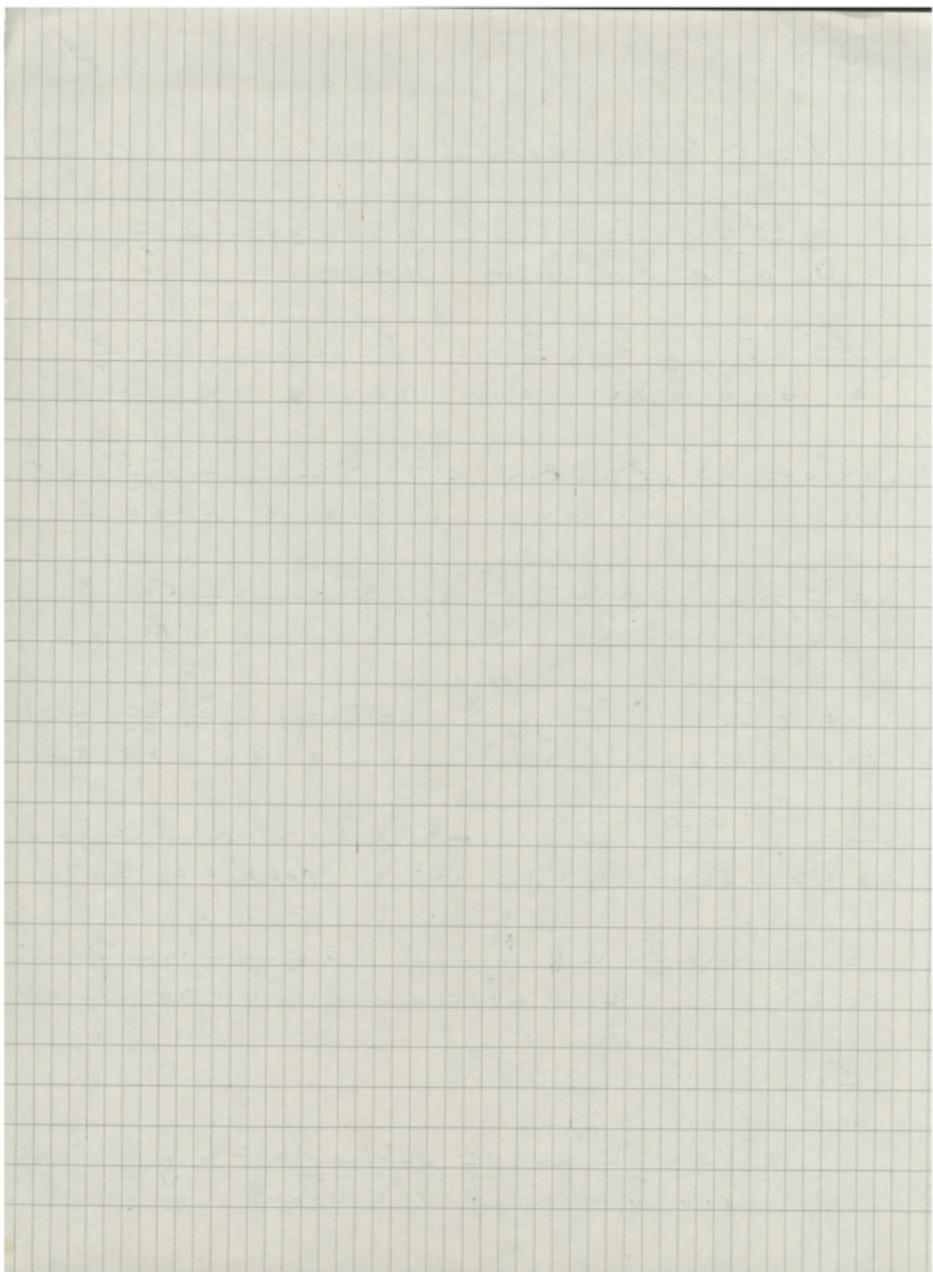
$\frac{1}{\sqrt{1 - \frac{v^2}{c^2}}}$

$\frac{1}{x^2} \rightarrow \frac{1}{\infty}$   $\leftarrow \frac{1}{c^2}$   $\rightarrow \frac{1}{r^2}$   $\leftarrow \frac{1}{e^2}$   $\rightarrow \frac{1}{\pi^2}$   $\leftarrow \frac{1}{\theta^2}$   $\rightarrow \frac{1}{\alpha^2}$   $\leftarrow \frac{1}{\rho^2}$   $\rightarrow \frac{1}{\sigma^2}$   $\leftarrow \frac{1}{\beta^2}$   $\rightarrow \frac{1}{\gamma^2}$

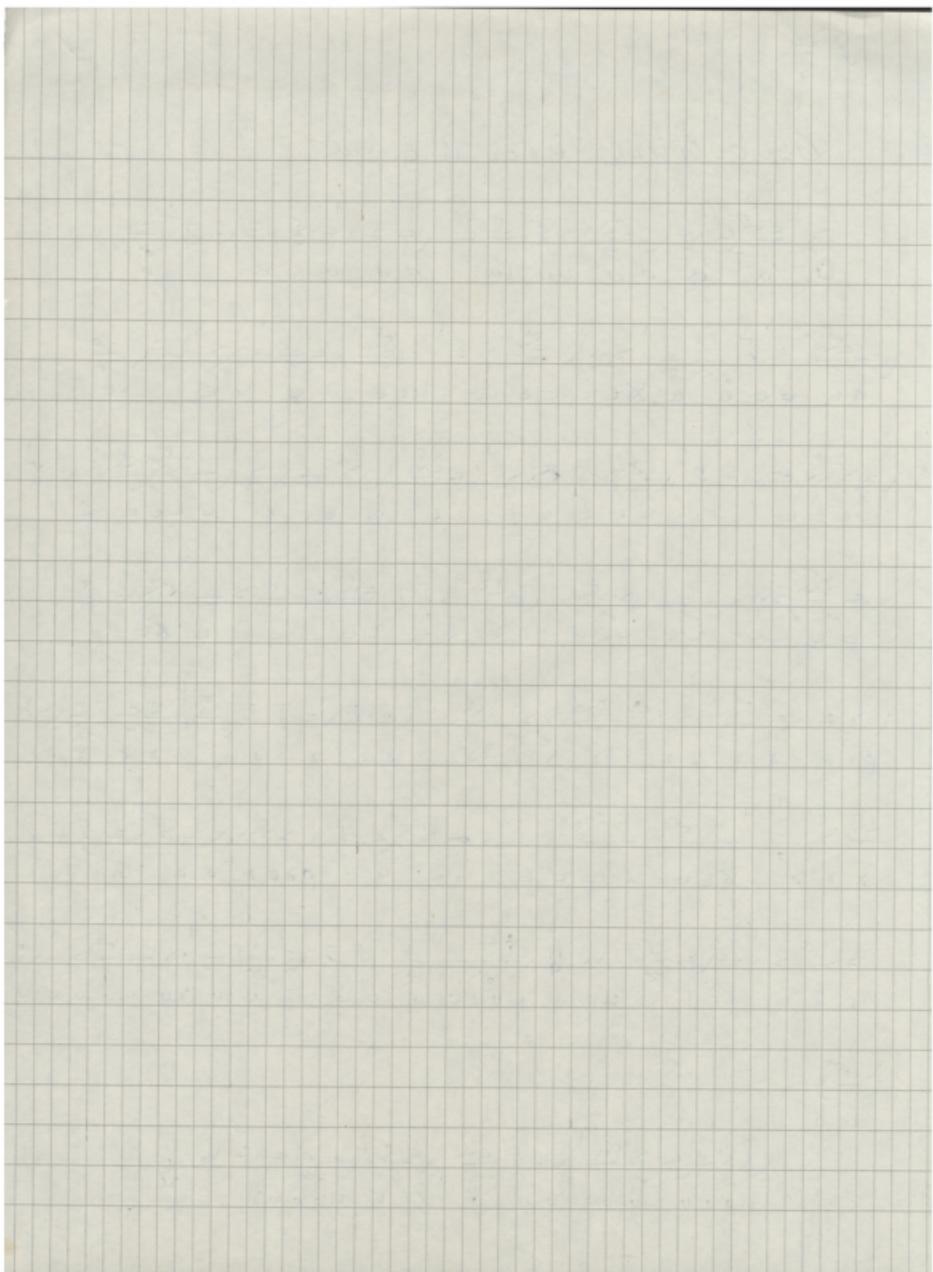
$$\frac{1}{\sqrt{1-x^2}} = \sum_{n=0}^{\infty} \frac{(-1)^n}{n!} \binom{n}{2n+1} x^{2n+1}$$

۱۰

$\sqrt{5}$   $\sqrt{\frac{5}{11}}$   $\sqrt{\frac{5}{11}} \cdot \sqrt{\frac{5}{11}}$   $\sqrt{5} \cdot \sqrt{\frac{5}{11}}$   $\sqrt{5} \cdot \sqrt{\frac{5}{11}}$   $\sqrt{5} \cdot \sqrt{\frac{5}{11}}$







$$\rightarrow \frac{1}{\sqrt{5}} \rightarrow \frac{1}{\sqrt{5}} \times \frac{\sqrt{5}}{\sqrt{5}} = \frac{1}{5} \rightarrow \frac{1}{5} \times \frac{1}{5} = \frac{1}{25}$$

$$\frac{1}{\sin x} = \frac{1}{x} - \frac{x^2}{3!} + \frac{x^4}{5!} - \frac{x^6}{7!} + \dots$$

одну звуковую

$$\frac{1}{\alpha^2 \beta^2 \gamma^2} \frac{\partial^2 \ln f_{\text{obs}}}{\partial \alpha^2 \partial \beta^2} = - \frac{1}{\alpha^2 \beta^2 \gamma^2} \frac{\partial^2 \ln f_{\text{obs}}}{\partial \alpha^2 \partial \gamma^2} = - \frac{1}{\alpha^2 \beta^2 \gamma^2} \frac{\partial^2 \ln f_{\text{obs}}}{\partial \beta^2 \partial \gamma^2} = - \frac{1}{\alpha^2 \beta^2 \gamma^2} \frac{\partial^2 \ln f_{\text{obs}}}{\partial \alpha^2 \partial \beta^2} = - \frac{1}{\alpha^2 \beta^2 \gamma^2} \frac{\partial^2 \ln f_{\text{obs}}}{\partial \alpha^2 \partial \gamma^2} = - \frac{1}{\alpha^2 \beta^2 \gamma^2} \frac{\partial^2 \ln f_{\text{obs}}}{\partial \beta^2 \partial \gamma^2} = - \frac{1}{\alpha^2 \beta^2 \gamma^2} \frac{\partial^2 \ln f_{\text{obs}}}{\partial \alpha^2 \partial \beta^2} = - \frac{1}{\alpha^2 \beta^2 \gamma^2} \frac{\partial^2 \ln f_{\text{obs}}}{\partial \alpha^2 \partial \gamma^2} = - \frac{1}{\alpha^2 \beta^2 \gamma^2} \frac{\partial^2 \ln f_{\text{obs}}}{\partial \beta^2 \partial \gamma^2}$$

1.  $\frac{d}{dx} \int_a^x f(t) dt = f(x)$

